

Chi Square Analysis → Categorical Data Analysis

→ Categorical data → Non-numerical → Frequency Counts of one or more categories.

Chi square - goodness of fit

700 → Convention
200 - Mgr
300 - Students
200 - Teachers

Feedback
Excellent - 8%
V. good = 20%
good - 70%
Fair = 2%

Multinomial

Contingency Analysis -
- Chi square test of Independence

Investment

	E1L	F2L	G	SL
R	NA			
E	B			
S	C			
W	D			

Regions

Contingency Table

→ Analyse Multinomial dist in
Single dimension (1 var)

$$\chi^2 = \sum \frac{(f_o - f_e)^2}{f_e}$$

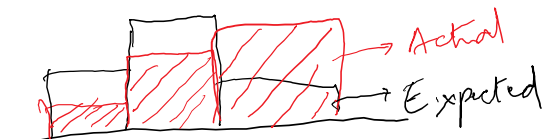
f_o = freq of observed values

f_e = freq of estimated values

K = no of categories $df = K - 1 - C$

C = no of parameters estimated

Use χ^2 → when doing hypothesis test (1 var)



→ Analyse Multinomial Dist in
Multiple Dimension (> 1 var)

$$\chi^2 = \sum \sum \frac{(f_o - f_e)^2}{f_e}$$

$$df = (r - 1)(c - 1)$$

r → Rows

c → Columns

χ^2 → Hypothesis (> 1 var)

1D + statistical → Statistical techniques based on Assumptions

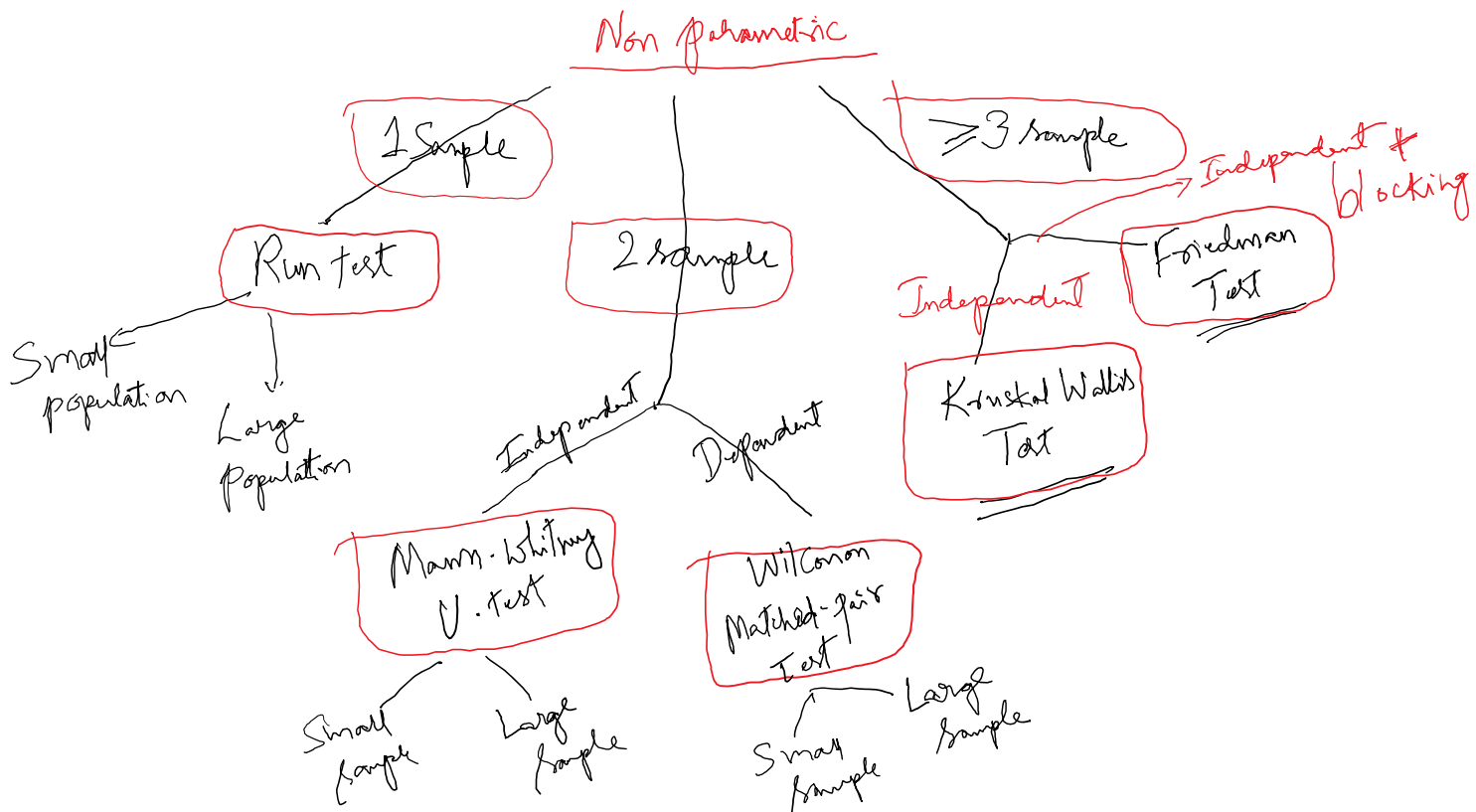
Parametric statistics \rightarrow Statistical techniques based on Assumptions about population

Ex. Assumptions \rightarrow Normal distribution, $\alpha = 0.05$, $H_0 = \text{True}$

Non-Parametric stat \rightarrow Very few Assumptions about population when compared to parametric

Assumptions

Very likely	Parametric	Assume	Assume	Assume	Assume	Assume
Less likely	Non-Parametric	Know	Assume	Assuming	Assume	Know
		Dist	α	H_0	χ	γ



Spearman's Rank Correlation :-

\rightarrow Amount of Association btr 2 variables

→ Amount of Association btw 2 variables

$$R_s = 1 - \frac{6 \sum d^2}{n(n^2 - 1)}$$

$n \rightarrow$ no of pairs Correlated

$d \rightarrow$ The difference in Rank of each pair
