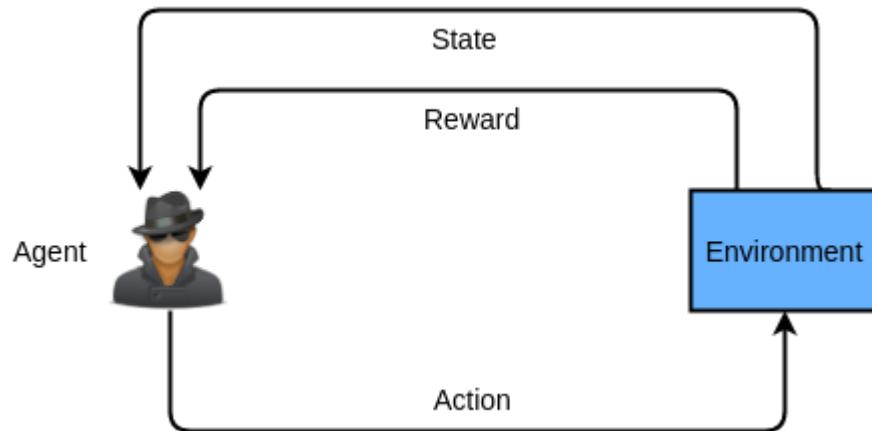
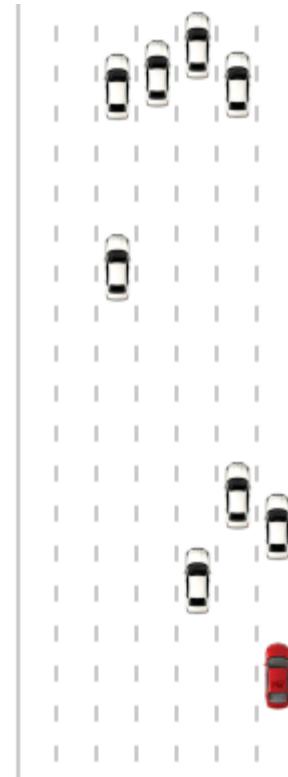


Reinforcement Learning and Deep Q-Network

What is Reinforcement Learning?



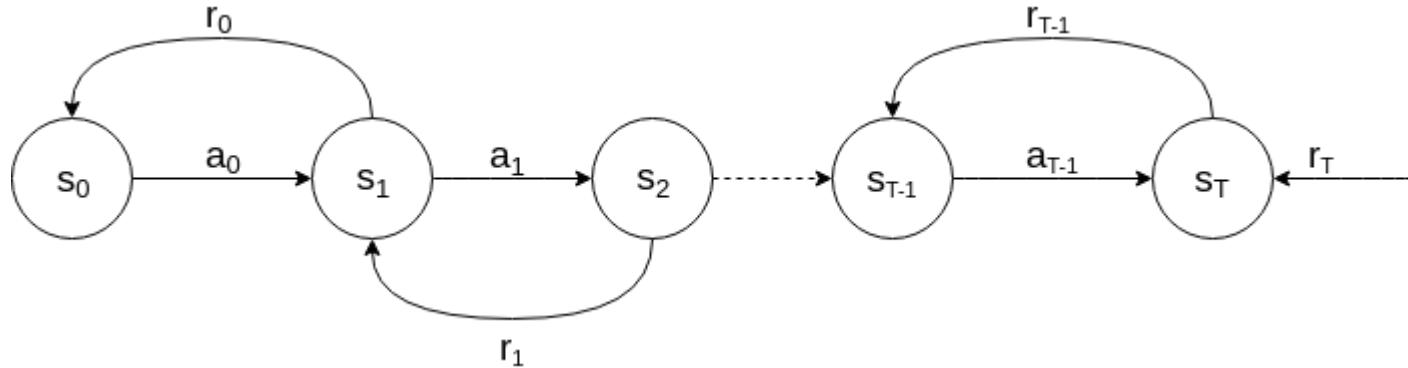
Learn through experience to find the sequence of actions to maximize the reward



Why?

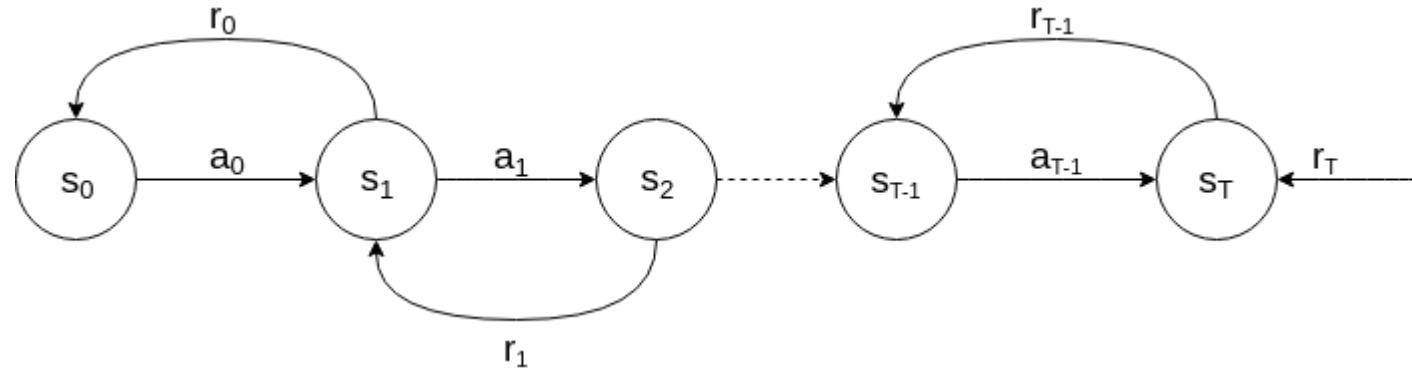
- Analogous to human learning
- Applications in robotics, healthcare, driving cars, consumer modelling etc.

Modelling the Problem



Find a policy $\pi(s) \Rightarrow$ sequence of actions, which maximizes the total rewards, $(r_0 + r_1 + \dots + r_T)$.

Modelling the Problem



Find a policy $\pi(s) \Rightarrow$ sequence of actions, which maximizes the total discounted rewards, $(r_0 + \lambda r_1 + \lambda^2 r_2 + \dots + \lambda^T r_T)$ - discounted for choosing early reward actions.

Q-value

At a given time t, given a state, s, and action, a, what would be the expected future reward.

$$Q(s_t, a_t) = E[R_t]$$

$$Q(s_t, a_t) = E\left[\sum_{i=t}^T \gamma^{i-t} r_i\right]$$

Q^{*}-value

At a given time t, given a state, s, and action, a, what would be the maximum expected future reward given an optimal policy π^* .

$$Q^*(s_t, a_t) = \max_{\pi} E\left[\sum_{i=t}^T \gamma^{i-t} r_i\right]$$

Bellman Equation

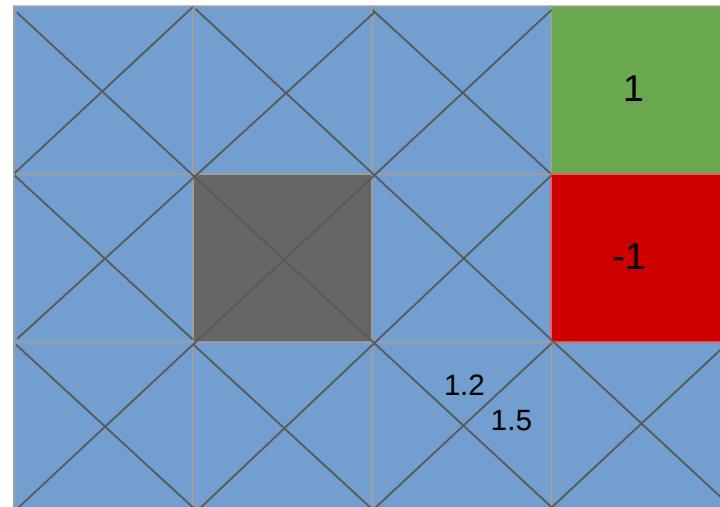
If we know the optimal value $Q^*(s_{t+1}, a_{t+1})$ at the next time step for all actions a_{t+1} , then the optimal Q-value at the current time step is given by,

$$Q^*(s_t, a_t) = E[r_t + \gamma Q^*(s_{t+1}, a_{t+1})]$$

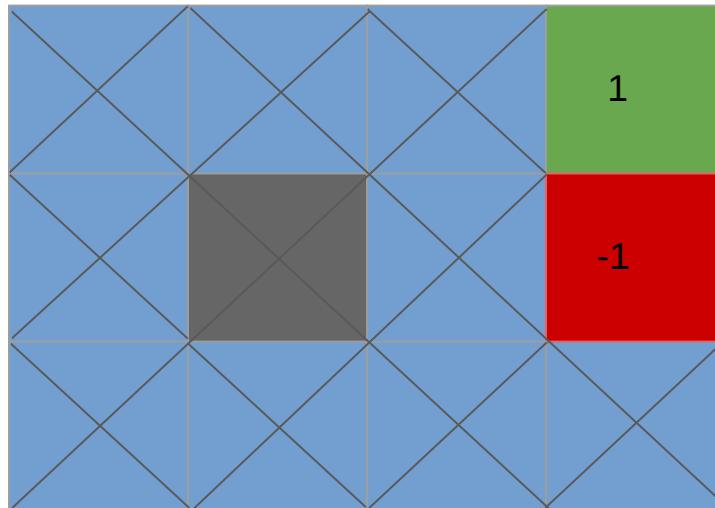
$$Q^*(s_{t+1}, a_{t+1})?$$

Exploration and Exploitation

At a given state s_t , if we decide to take action a_t , it does so with probability $1 - \varepsilon$. With probability ε , our agent might land up in other states → ε -greedy exploration

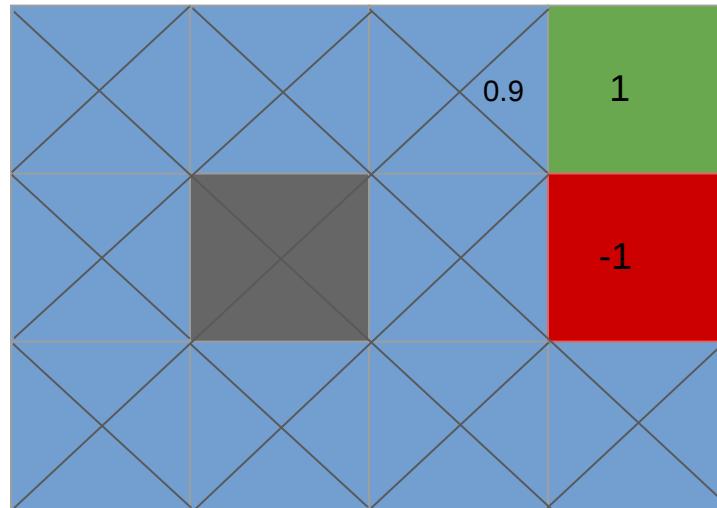


We initialize the q-values with some random values and then take actions for which q-value is maximum.



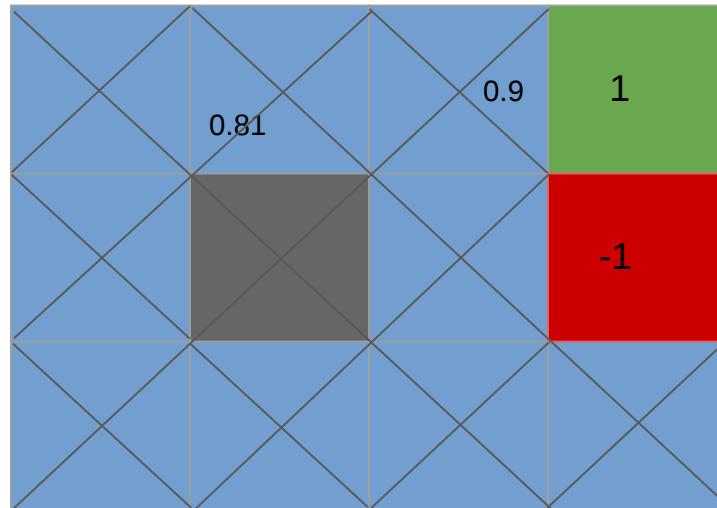
As number of iterations, $i \rightarrow \infty$, $Q \rightarrow Q^*$

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Code Walkthrough - Quickly

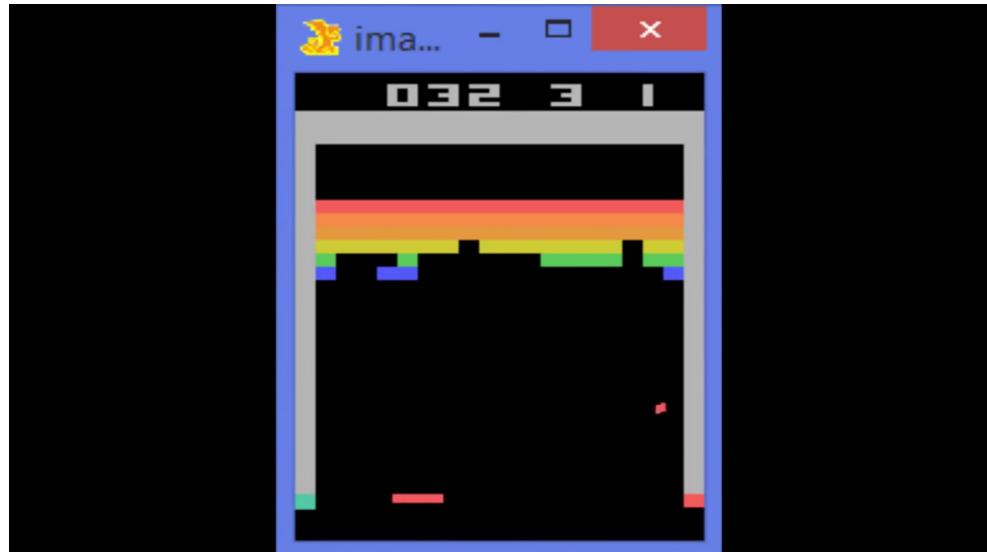
Drawback

If there are large number of states and actions, often, the case in the real world scenario, it would take forever to find the optimal q-values for all the states.

Total number of (states,action) =

- Image - 84 x 84
- Gray-level - 256
- Temporal Window - 4

$$256^{84 \times 84 \times 4}$$



Deep Reinforcement Learning

Use neural network to approximate the optimal Q-value parameterized by weights, θ .

$$Q(s, a; \theta) \approx Q^*(s, a)$$

Deep Q-Network

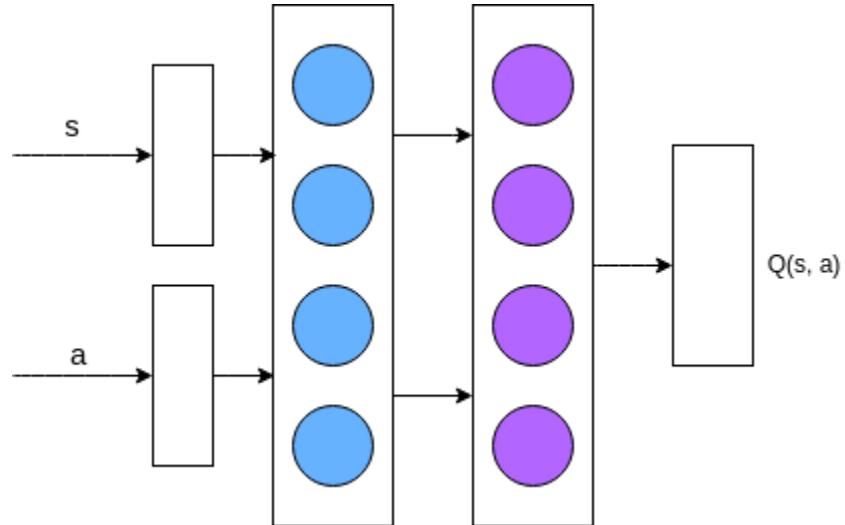
Input: State, s and Actions, a

Output: Q-value

Loss Function: ?

$$L_i(\theta) = E[(y_i - Q(s, a; \theta))^2]$$

$$\text{where, } y_i = E[r + \gamma \max_{a'} Q(s', a'; \theta)]$$



Algorithm

1. Initialize the weights with random values.
2. Do a forward pass with current state s and actions a , and calculate the $Q(s,a)$.
3. Choose action based on epsilon greedy exploration and get next state s' .
4. Do a forward pass with next state s' and actions a' and find the maximum Q value.
5. Assign $y_i(\text{target})$ as the sum of reward received from step 2 and discounted Q-value calculated from the step 3 as depicted from the equation,
$$y_i = r + \gamma \max_a Q(s', a; \theta)$$
6. Calculate the loss from the result received from step 2 and 4.
7. Use back-propagation to update the weights

Demo

- <http://selfdrivingcars.mit.edu/deeptrafficjs/>
- Trained Model Video

Challenges

- Traffic Light Detection
- Lane Detection
- Pedestrian Detection
- Many More...

Tesla Video

Questions?

☺ Thank you ☺