

Network Layer

Lecture 15 Layer 3 Switching

How do we go from LAN to a much larger network?

Why doesn't ethernet switching scale?

→ In the spanning tree, the path between two nodes could be long.

(potentially very unoptimal because we are not using all links)

→ The forwarding table, whose size can be as large as the number of hosts, can be very cumbersome to use.

This is a result of **flat addressing**.

To fix this, we use **hierarchical addressing** in IP.

→ If a switch in the tree goes down, we reconstruct the spanning tree.

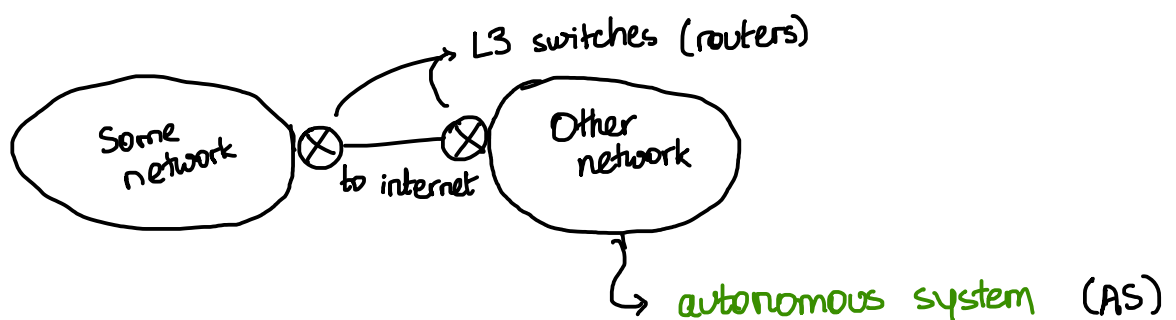
There are periodic "Hello" messages to ensure that the tree is intact.

(if not received by someone, we reconstruct)

In a large network this could happen often, thus wasting resources frequently.

→ Earlier, there were no common addressing scheme or communication protocols across the globe.

L3 switches forward based on the IP address.



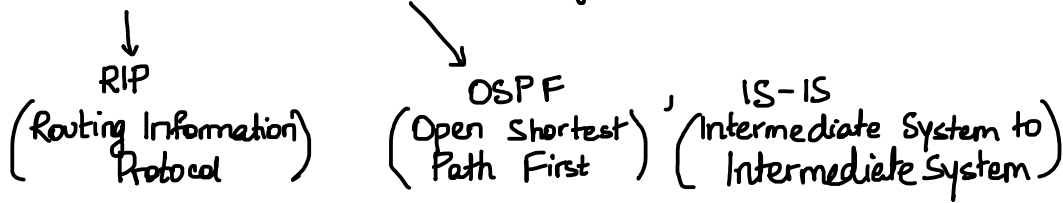
Each AS can choose its own internal routing protocol.

(the distance heuristic mentioned at the end of the prev. section)

There is **intra-domain routing** (within AS) and **inter-domain routing** (between AS)

In the internet, inter-domain routing is done using BGP — the **Border Gateway Protocol**.

Let us start with intra-domain routing. It is broadly of two types: **distance vector** and **link-state** routing

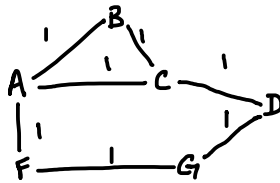


They are essentially just algorithms to:

- find shortest path (each hop is assigned a weight by the admin)
- avoid cycles.

A router does not need to know the entire route, only the next hop in a shortest path.

Distance vector routing uses a distributed version of the Bellman Ford algorithm.



A (and each node) first sends out $(A, 0)$
its IP ← distance to itself

It then updates its forwarding table after hearing each message.

Destination	Next hop	Cost
A	-	0
B	B	1
C	C	1
F	F	1

Next, A sends its table to its own neighbours.

$(A, 0), (B, 1), (C, 1), (F, 1)$

From C, it hears $(C, 0), (A, 1), (B, 1), (D, 1)$

It then updates its table as

Destination	Next hop	Cost
A	-	0
B	B	1
C	C	1
F	F	1
D	C	2
G	F	2

Proceeding, it builds up a forwarding table, choosing the neighbour closest to a destination at each step

What happens if a link fails?

A node X recognizes that the link has failed and sends this information to its neighbours, saying that its distance to that node is now ∞ .

Similarly, if a neighbour's next hop for that destination is X, it updates its own cost as well

This spreads until we reach a node with a different next hop.

If we receive a packet for that node in the intermittent period, it is discarded.

How often does this occur?

→ Triggered update: An event triggers a routing update.

(We try to send on a link and we fail)

→ Periodic update: Periodically, give neighbours information about routing table.

No particular node knows the topology of the entire network.

Lecture 16 Count-to-Infinity and Link State Routing

The Distance Vector protocol essentially shares the dest and next columns of the routing table.

Let us look at the **count-to-infinity** problem.

Say

$$\begin{array}{c}
 \begin{array}{c} X \text{ --- } A \text{ --- } B \end{array} \\
 \begin{array}{|c|c|c|} \hline \text{Dest} & \text{Next} & \text{Cost} \\ \hline A & A & 1 \\ B & A & 2 \\ \hline \end{array} \quad
 \begin{array}{|c|c|c|} \hline \text{Dest} & \text{Next} & \text{Cost} \\ \hline X & X & 1 \\ B & B & 1 \\ \hline \end{array} \quad
 \begin{array}{|c|c|c|} \hline \text{Dest} & \text{Next} & \text{Cost} \\ \hline A & A & 1 \\ X & A & 2 \\ \hline \end{array}
 \end{array}$$

Suppose the X-A link fails. Then A sends (X, ∞) to B. Further, at nearly the same time, suppose B sends $(X, 2)$ (to A)
((B, 1) and)
(and (A, 1))

A's table was

Dest	Next	Cost
X	-	∞
B	B	1

and on hearing B, becomes

Dest	Next	Cost
X	B	3
B	B	1

and simultaneously, B's table becomes

Dest	Next	Cost
A	A	1
X	-	∞

Now, A tells B $(X,3)$, $(B,1)$ so B will update to $(A,A,1)$, $(X,A,4)$.
This repeats ad infinitum, with the cost to X "counting to infinity".

One solution: Keep a maximum distance considered as ∞ and stop if we reach it.
This value is 16 in RIP.

One other solution is **split-horizon**.

→ Do not advertise information about a destination to a neighbour if that neighbour is the next hop to the destination.

In our example, B would not tell A anything about X.

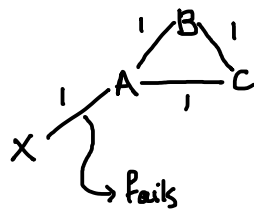
As a result, both nodes would end up with a (X,∞) entry. ↳ (the $(X,A,2)$ entry in particular)

Another is **split-horizon with Poisson reverse**.

→ A node tells its next hop to the destination that its distance to the destination is ∞ .

B sends **advertisements** (X,∞) to A.

However, the above do not fix the problem in general.



(there are also more general counterexamples that do not depend on this)

A sends (X,∞) to B and C. Suppose the message to C is lost.

Then, B's table is updated with $(X,C,3)$. Now, B tells this to A.

(A is not its next hop anymore) and A's table is updated with $(X,B,4)$.

A will relay this to C. As before, this is a loop and the count-to-infinity problem arises once more.

In RIP (Routing Information Protocol),

The cost of all links is 1.

The routing problem is partially fixed ($16 \equiv \infty$ now) but as a result, we cannot have larger networks.

↳ more than 16 hops

Distance Vector:

- + simple and easy to implement
- count-to-infinity and routing loops
- convergence of routing tables may take a long time.

The alternative is **link-state routing**.

Each node broadcasts information about costs to immediate neighbours.

(sort of a flipped version of D.V. — globally tell local information)
(instead of locally tell global information.)

Each node can reconstruct the entire topology and find the shortest distance using any standard algorithm.

LSR uses Dijkstra's Algorithm, wherein each node finds a shortest path tree to all the other nodes in the network.

A's routing table is then built from the tree.

Routing loops are not a problem because on link failure, the failure is broadcast to everyone (from both sides).

All nodes rerun Dijkstra's Algorithm.

- + No routing loops or count-to-infinity.
- + Convergence of routing table is fast.
- Algorithm is more complex (than Distance Vector)

The remaining question is: what do we choose for the costs?

We have studied how to use the weights to find the shortest paths. What should these be in practice?

A lower weight corresponds to being used more often

In ARPANET, there were 56 kbps and 9.6 kbps links. There were also terrestrial and satellite links.

Let us zoom in on a single link. What weight do we assign?

Idea 1. Use latency. The latency of a single packet on this link is equal to (queuing delay + speed of light delay + transmission delay)

$$\frac{\text{packet size}}{\text{no. of bps}}$$

This latency keeps changing from packet to packet however. Take some time window instead and set the link weight as the average of all packets in the window.

The weight is low if

- the queue is relatively empty
- the link is fast

However, this encountered several problems.

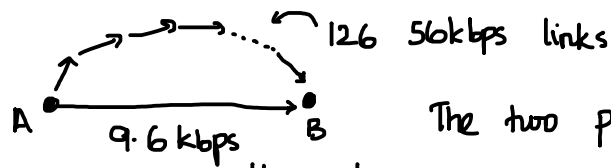
→ Under heavy load, there were several routing oscillations. If we decide to use a link, the queue fills up and we switch back to another link.

(Using a link increases its weight over time)

- The end-to-end latency keeps changing, which might affect the application layer.
- The order in which packets are received might be wrong, since we could change link weights halfway through. Again, this could affect application layer performance.
- Routing loops are possible because weights may change often.
(the algorithm ensures acyclicity for fixed weights)

→ The range of link weights is large.

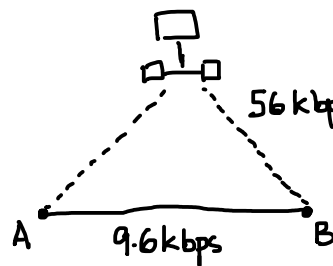
As a result, some links are penalized too much.



The two paths have equal weight.

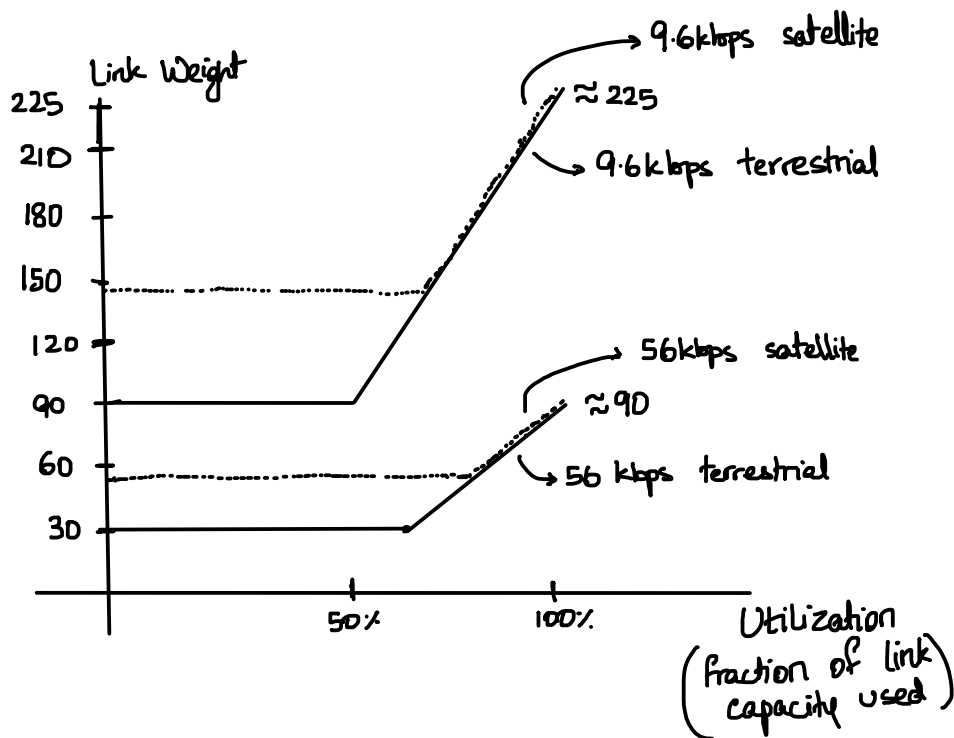
It makes more sense to just use the 9.6 kbps link.

→ Satellite links are penalized too much.



Due to speed of light delay, this could have too much weight.

What they finally used is:



→ Ratio of max wt. to min is ~ 7 .

→ 56 kbps satellite preferred to 9.6 kbps terrestrial

→ Weights changed infrequently.

What do we use today?

→ In OSPF,

$$\text{link wt.} = \max \left\{ 1, \frac{10^8}{\text{link speed (bps)}} \right\}.$$

→ In Network Operations Centers (NOCs), network engineers can manually change and set weights.