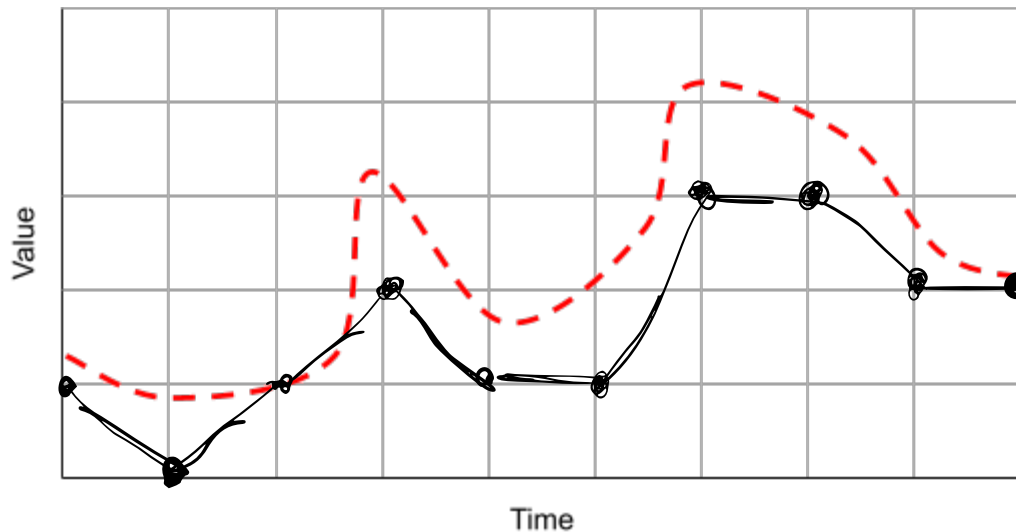
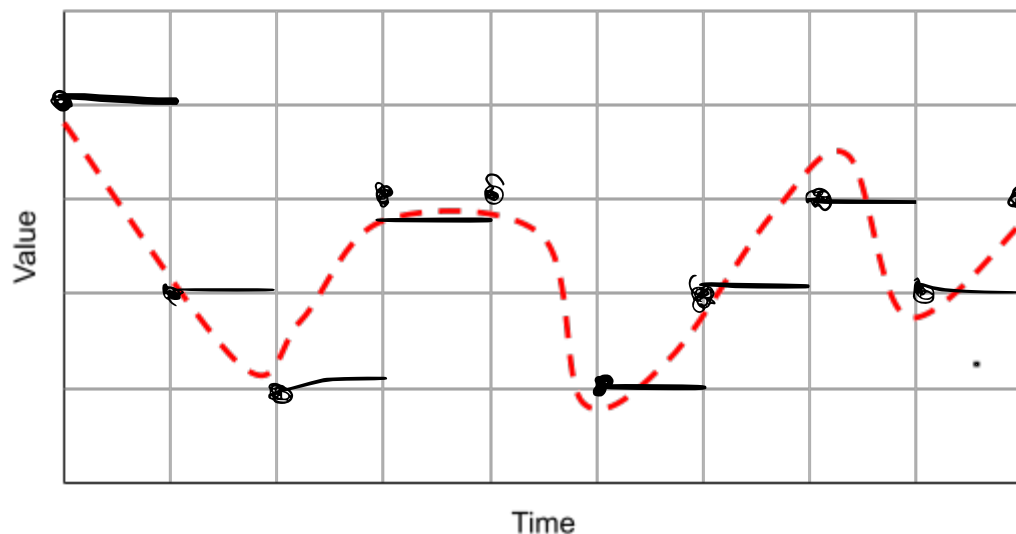


## HW2: Sampling and unsigned positional numbers (CS220-01, 02)

1) In the diagrams below, the dotted line is the analog signal to be sampled. (a) On the top diagram, draw the approximated curve interpreted after digital sampling using **truncation** and **linear interpolation**. (b) On the bottom diagram, draw the approximated curve interpreted after digital sampling using **rounding** and **discrete interpolation**.



in part a  
these  
connecting  
lines are  
supposed to  
be linear  
←



\*I'm not exactly sure if for the discrete interpolation we connect the lines afterwards, but the example from lectures did not so I left it out just in case.

- 2) What is the range of coefficients for numbers in Base 12?

$$0 : 12-1 = 0 : 11 \text{ range}$$

- 3) Show the math to find the range of 3 digit unsigned numbers in Base 7.

$$\begin{aligned} B^k &\rightarrow 7^3 \text{ is total number of digits} \\ &= 343 \text{ digits} \\ \text{range} &= 0:343-1 = [0-342] \end{aligned}$$

- 4) Show the math to find the range of 7 digit unsigned numbers in Base 3.

$$\begin{aligned} B^k &\rightarrow 3^7 = 2187 \\ \text{range} &= [0 - 2187 - 1] = [0- 2186] \end{aligned}$$

- 5) What are the four major issues that can occur as a side effect of the digital sampling of an analog signal?

- (a) inaccurate values
- (b) aliasing - can get lengthy misrepresentations of data
- (c) miss anomalies
- (d) might overemphasize anomalies

- 6) (a) Write the complete coefficient-base-exponent form equation for the number  $3261_7$  and (b) calculate its decimal equivalent.

(a)  $3 \cdot 7^3 + 2 \cdot 7^2 + 6 \cdot 7^1 + 1 \cdot 7^0$

(b)  $3 \cdot 343 + 2 \cdot 49 + 6 \cdot 7 + 1 = 1170$

- 7) (a) Write the complete coefficient-base-exponent form equation for the number  $C2D_{14}$  and (b) calculate its decimal equivalent.

(a)  $C = 12, D = 13; 12 \cdot 16^2 + 2 \cdot 16^1 + 13 \cdot 16^0$

(b)  $12 \cdot 256 + 2 \cdot 16 + 13 = 3117$

- 8) (a) Write the complete coefficient-base-exponent form equation for the number  $10231_4$  and (b) calculate its decimal equivalent.

(a)  $1 \cdot 4^4 + 0 \cdot 4^3 + 2 \cdot 4^2 + 3 \cdot 4^1 + 1 \cdot 4^0$

(b)  $256 + 32 + 12 + 1 = 301$

- 9) Show your work to find the period of a 50 KHz digital waveform.

Googled how to do this since I don't think this was in the lectures.

$$T = 1/f \text{ where } T = \text{period and } f \text{ is freq.}$$

$$50 \text{ kHz} = 50000 \text{ Hz}$$

$$T = 1/50000 = 0.00002$$

- 10) In the image below, circle the rising edge transition, draw a square around the negative-going pulse, and underline the positive going pulse.

