

**TD N° 1: Subroutine (In class)**

**Exercise 1:**

Write the Subroutine (procedure or function) to resolve the following problems:

- 1- Calculation of the factorial of N ( $N! = 1 \times 2 \times 3 \times \dots \times N$ , with  $0! = 1$ ).
- 2- Calculation of the sum  $S = 1 + 2 + \dots + N$ .
- 3- Calculation of the Maximum between two integers A and B.
- 4- Calculation of the  $n^{\text{th}}$  power ( $n \geq 0$ ) of a non-zero positive real number.
- 5- Calculation of the number of even digits in an integer N.
- 6- Calculation of the quotient and the remainder of the integer division of an integer A by an integer B.
- 7- **Optional:** Try to solve the previous problems using Recursion

**Exercise 2:**

- 1- Write a Subroutine "**Permute**" allowing you to swap two characters.
- 2- Let CH be a String. Using the previous Subroutine, write an algorithm to reverse the String CH.

**Exercise 3:**

- 1- Write two functions allowing you to calculate respectively the Greatest Common Divisor (GCD) and the Least Common Multiple (LCM) of two non-zero natural numbers.
- 2- Let T be an array of N non-zero natural integers, ( $2 \leq N \leq 50$ ). Using the previous functions, write an algorithm allowing to:
  - Display the GCD and LCM of the elements of T.
  - Display all prime pairs of T.

**Exercise 4:**

- 1- Write a **Mirror** function to return the mirror of a natural number.  
(example:  $\text{Mirror}(23568) = 86532$ )
- 2- Write an **IntFrac** procedure allowing you to calculate the integer part and the fractional part of a real number.  
(example:  $X = 235.2601$ , integer part = 235, fractional part = 0.2601)
- 3- Write a **Fexpo** procedure allowing you to transform a fractional part into the exponential form ( $M \times 10^n$ , with  $M \geq 0$ ).  
(example:  $F = 0.2601$ ,  $M = 2601$  and  $n = 4$ ).
- 4- Let T be an array of N non-zero natural integers, ( $N \leq 50$ ). Using the previous Subroutines, write an algorithm to display elements whose integer part is the mirror of the fractional part.  
(example:  $X = 23658.85632$ )

**Exercise 5:**

- Write a Subroutine **SYM** allowing you to check whether a square matrix of order N is symmetrical ( $N \leq 20$ ).
- Let A be a matrix of  $N \times N$  integers with  $N \leq 20$ . Write an algorithm that fills this matrix and checks if it is symmetric using the Subroutine SYM, and, in this case, displays the non-duplicate values as well as their respective positions.

1	3	7	5	2
3	-1	2	1	-2
7	2	2	6	0
5	1	6	8	-5
2	-2	0	-5	-2

## Complementary Exercises (if we have time)

### Exercise 6:

Write a parameterized ANAGRAM action that checks if two words are anagrams. Knowing that a word is said to be an anagram of another word if they are made up of the same letters.

*Examples:*

*DOG is an anagram of CHINA, NICHE,*

*FREEZE is not an anagram of ALGER*

### Exercise 7:

- 1- Write a **DecToBin** Procedure which allows you to convert a positive integer into a string of binary characters ('0' or '1') representing its Binary code.
- 2- Write a **BinToDec** Procedure which allows you to convert a binary character string ('0' or '1') representing a Binary code in an integer.
- 3- Write an **XOR** Function which allows you to calculate the exclusive or (XOR) between two binary characters, we recall that:

$$A \text{ XOR } B = '0' \text{ if } A=B \text{ else it's '1'}$$

- 4- Write a **BinToGray** Procedure which allows you to convert a string representing a code Binary into a string representing the equivalent Gray code.
- 5- Write a **GrayToBin** Procedure which allows you to convert a string representing a code of Gray into a string representing the equivalent Binary code.
- 6- Using the previous Subroutines, write a transcoding algorithm which, following a choice given as input (Decimal, Binary, Gray), displays the two other equivalent codes.

### Exercise 8:

A number is called prodigious if it is divisible by the product of its non-zero digits.

Example:  $A=2016$ ,  $2 \times 1 \times 6 = 12$  and 2016 are divisible by 12.

- 1- Write a **PRODIGIOUS** Subroutine that checks if an integer A is prodigious.
- 2- Let M be a square matrix NxN integers ( $N \leq 50$ ). Write an algorithm that replaces the prodigious elements of the diagonal with the sum of the elements of the corresponding line, then displays the matrix if it has undergone modifications.