```
import numpy as np
          from time import process_time
        Proving matrix multiplication properties
          #Matrices
 In [3]:
          a=np.array([[1,2],[3,7]])
          b=np.array([[-1,10],[3,1]])
          c=np.array([[1,-2],[3,5]])
         Commutive property
In [35]:
          ## AB!=BA
          print(f'A.B: \n\n{np.matmul(a,b)} \n')
          print(f'B.A: \n\n{np.matmul(b,a)}')
         A.B:
         [[ 5 12]
          [18 37]]
         B.A:
         [[29 68]
          [ 6 13]]
        Associative property of multiplication
In [44]: \#\# A(BC) = (AB)C
          print(f'A(BC): \n\n {np.matmul(a,np.matmul(b,c))} \n')
          print(f'(AB)C): \n\n {np.matmul(np.matmul(a,b),c)}')
         A(BC):
          [[ 41 50]
          [129 149]]
         (AB)C):
          [[ 41 50]
[129 149]]
        Distributive properties
In [11]: \#A(B+C) = AB + AC
          print(f'A(B+C): \n {np.matmul(a, b+c)}')
          print(f'AB + AC: \n \{np.matmul(a,b) + np.matmul(a,c)\}')
         A(B+C):
          [[12 20]
          [42 66]]
         AB + AC:
          [[12 20]
          [42 66]]
        Multiplicative identity property
In [47]: \#\# IA = A \text{ and } AI = A
          print(f'A \n{a}')
          print(f'I.A \setminus n \{np.matmul(np.identity(2), a)\}')
         [[1 2]
          [3 7]]
         I.A=A:
          [[1. 2.]
          [3. 7.]]
        Multiplicative property of zero
 In [6]: ## 0A= 0 and A0=0
          print(f'A0= 0: \n {np.matmul(a,np.zeros_like(a))}')
         A0= 0:
          [[0 0]]
          [0 0]]
        Dimension property
 In [7]: \#mxn and nxp = mxp
          print(f'mxn and nxp: \n {np.matmul(a,b)}')
         mxn and nxp:
          [[ 5 12]
          [18 37]]
        Calculating inverse of a matrix
        matrix definition
In [20]:
          a= np.array([[8,3,1],[0,1,3],[9,1,0]])
Out[20]: array([[8, 3, 1],
                [0, 1, 3],
[9, 1, 0]])
        calculating the inverse
          np.matmul(np.linalg.inv(a), a)
In [30]:
Out[30]: array([[ 1.00000000e+00, 0.00000000e+00, -3.46944695e-18],
                 [ 0.00000000e+00, 1.00000000e+00, 0.00000000e+00], [ 1.66533454e-16, 5.55111512e-17, 1.000000000e+00]])
        Show how numpy is faster than traditional loop
        We will use the example of dot product to see how fast numpy is. First the traditional list
         l1= [i for i in range(10000)]
          12= [i for i in range(10000)]
          start=process_time()
          dot= 0
          for i, j in zip(l1, l2):
```

dot += i*j
end=process_time()

print(end-start)

start=process_time()

end= process_time()
print(end-start)

print(np.dot(arr1,arr2))

arr1= np.array([i for i in range(10000)])
arr2= np.array([i for i in range(10000)])