

# C interfaces to GALAHAD DPS

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# **Chapter 1**

# GALAHAD C package dps

# 1.1 Introduction

# 1.1.1 Purpose

Given a real n by n symmetric matrix H, this package construct a symmetric, positive definite matrix M so that H is diagonal in the norm  $\|v\|_M = \sqrt{v^T M v}$  induced by M. Subsequently the package can be use to solve the trust-region subproblem

(1) minimize 
$$q(x) = \frac{1}{2}x^THx + c^Tx + f$$
 subject to  $\|x\||_M \leq \Delta$ 

or the regularized quadratic problem

(2) minimize 
$$q(x) + \frac{1}{p}\sigma ||x|||_M^p$$

for a real n vector c and scalars f,  $\Delta > 0$ ,  $\sigma > 0$  and  $p \geq 2$ .

A factorization of the matrix H will be required, so this package is most suited for the case where such a factorization, either dense or sparse, may be found efficiently.

#### 1.1.2 Authors

N. I. M. Gould, STFC-Rutherford Appleton Laboratory, England.

C interface, additionally J. Fowkes, STFC-Rutherford Appleton Laboratory.

Julia interface, additionally A. Montoison and D. Orban, Polytechnique Montréal.

#### 1.1.3 Originally released

August 2011, C interface December 2021.

#### 1.1.4 Terminology

#### 1.1.5 Method

The required solution  $x_*$  necessarily satisfies the optimality condition  $Hx_* + \lambda_* Mx_* + c = 0$ , where  $\lambda_* \geq 0$  is a Lagrange multiplier that corresponds to the constraint  $\|x\|_M \leq \Delta$  in the trust-region case (1), and is given by  $\lambda_* = \sigma \|x_*\|^{p-2}$  for the regularization problem (2). In addition  $H + \lambda_* M$  will be positive semi-definite; in most instances it will actually be positive definite, but in special `hard' cases singularity is a possibility.

The matrix  $\boldsymbol{H}$  is decomposed as

$$H = PLDL^TP^T$$

by calling the GALAHAD package SLS. Here P is a permutation matrix, L is unit lower triangular and D is block diagonal, with blocks of dimension at most two. The spectral decomposition of each diagonal block of D is computed, and each eigenvalue  $\theta$  is replaced by  $\max(|\theta|, \theta_{\min})$ , where  $\theta_{\min}$  is a positive user-supplied value. The resulting block diagonal matrix is B, from which we define the **modified-absolute-value** 

$$M = PLBL^TP^T$$
;

an alternative due to Goldfarb uses instead the simpler

$$M = PLL^T P^T.$$

Given the factors of H (and M), the required solution is found by making the change of variables  $y=B^{1/2}L^TP^Tx$  (or  $y=L^TP^Tx$  in the Goldfarb case) which results in `'diagonal" trust-region and regularization subproblems, whose solution may be easily obtained suing a Newton or higher-order iteration of a resulting `'secular" equation. If subsequent problems, for which H and c are unchanged, are to be attempted, the existing factorization and solution may easily be exploited.

The dominant cost is that for the factorization of the symmetric, but potentially indefinite, matrix H using the GALA-HAD package SLS.

#### 1.1.6 Reference

The method is described in detail for the trust-region case in

N. I. M. Gould and J. Nocedal (1998). The modified absolute-value factorization for trust-region minimization. In 'High Performance Algorithms and Software in Nonlinear Optimization' (R. De Leone, A. Murli, P. M. Pardalos and G. Toraldo, eds.), Kluwer Academic Publishers, pp. 225-241,

while the adaptation for the regularization case is obvious. The method used to solve the diagonal trust-region and regularization subproblems are as given by

H. S. Dollar, N. I. M. Gould and D. P. Robinson (2010). On solving trust-region and other regularised subproblems in optimization. Mathematical Programming Computation **2(1)** 21-57

with simplifications due to the diagonal Hessian.

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#### 1.1.7 Call order

To solve a given problem, functions from the dps package must be called in the following order:

- dps\_initialize provide default control parameters and set up initial data structures
- · dps\_read\_specfile (optional) override control values by reading replacement values from a file
- dps\_import import control and matrix data structures
- dps\_reset\_control (optional) possibly change control parameters if a sequence of problems are being solved
- · one of
  - dps\_solve\_tr\_problem solve the trust-region problem (1)
  - dps\_solve\_rq\_problem solve the regularized-quadratic problem (2)
- · optionally one of
  - dps\_resolve\_tr\_problem resolve the trust-region problem (1) when the non-matrix data has changed
  - dps\_resolve\_rq\_problem resolve the regularized-quadratic problem (2) when the non-matrix data has changed
- dps information (optional) recover information about the solution and solution process
- · dps terminate deallocate data structures

See Section ?? for examples of use.

#### 1.1.8 Symmetric matrix storage formats

The symmetric n by n coefficient matrix H may be presented and stored in a variety of convenient input formats. Crucially symmetry is exploited by only storing values from the lower triangular part (i.e, those entries that lie on or below the leading diagonal).

Both C-style (0 based) and fortran-style (1-based) indexing is allowed. Choose control.f\_indexing as false for C style and true for fortran style; the discussion below presumes C style, but add 1 to indices for the corresponding fortran version.

Wrappers will automatically convert between 0-based (C) and 1-based (fortran) array indexing, so may be used transparently from C. This conversion involves both time and memory overheads that may be avoided by supplying data that is already stored using 1-based indexing.

#### 1.1.8.1 Dense storage format

The matrix H is stored as a compact dense matrix by rows, that is, the values of the entries of each row in turn are stored in order within an appropriate real one-dimensional array. Since H is symmetric, only the lower triangular part (that is the part  $H_{ij}$  for  $0 \le j \le i \le n-1$ ) need be held. In this case the lower triangle should be stored by rows, that is component i\*i/2+j of the storage array val will hold the value  $H_{ij}$  (and, by symmetry,  $H_{ji}$ ) for  $0 \le j \le i \le n-1$ .

#### 1.1.8.2 Sparse co-ordinate storage format

Only the nonzero entries of the matrices are stored. For the l-th entry,  $0 \le l \le ne-1$ , of H, its row index i, column index j and value  $H_{ij}$ ,  $0 \le j \le i \le n-1$ , are stored as the l-th components of the integer arrays row and col and real array val, respectively, while the number of nonzeros is recorded as ne = ne. Note that only the entries in the lower triangle should be stored.

#### 1.1.8.3 Sparse row-wise storage format

Again only the nonzero entries are stored, but this time they are ordered so that those in row i appear directly before those in row i+1. For the i-th row of H the i-th component of the integer array ptr holds the position of the first entry in this row, while ptr(n) holds the total number of entries. The column indices ptr(n), and values ptr(n) of the entries in the i-th row are stored in components ptr(n), ..., ptr(i+1)-1 of the integer array col, and real array val, respectively. Note that as before only the entries in the lower triangle should be stored. For sparse matrices, this scheme almost always requires less storage than its predecessor.

# Chapter 2

# File Index

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Here is a list of all files with brief descriptions:	
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# **Chapter 3**

# **File Documentation**

# 3.1 galahad\_dps.h File Reference

```
#include <stdbool.h>
#include <stdint.h>
#include "galahad_precision.h"
#include "galahad_cfunctions.h"
#include "galahad_sls.h"
```

# **Data Structures**

- struct dps control type
- · struct dps\_time\_type
- struct dps\_inform\_type

#### **Functions**

- void dps\_initialize (void \*\*data, struct dps\_control\_type \*control, int \*status)
- void dps\_read\_specfile (struct dps\_control\_type \*control, const char specfile[])
- void dps\_import (struct dps\_control\_type \*control, void \*\*data, int \*status, int n, const char H\_type[], int ne, const int H\_row[], const int H\_col[], const int H\_ptr[])
- void dps\_reset\_control (struct dps\_control\_type \*control, void \*\*data, int \*status)
- void dps\_solve\_tr\_problem (void \*\*data, int \*status, int n, int ne, real\_wp\_ H\_val[], real\_wp\_c[], real\_wp\_f, real\_wp\_radius, real\_wp\_x[])
- void dps\_solve\_rq\_problem (void \*\*data, int \*status, int n, int ne, real\_wp\_ H\_val[], real\_wp\_ c[], real\_wp\_ f, real\_wp\_ power, real\_wp\_ weight, real\_wp\_ x[])
- void dps\_resolve\_tr\_problem (void \*\*data, int \*status, int n, real\_wp\_c[], real\_wp\_f, real\_wp\_radius, real-wp\_x[])
- void dps\_resolve\_rq\_problem (void \*\*data, int \*status, int n, real\_wp\_c[], real\_wp\_f, real\_wp\_power, real-wp\_wp\_weight, real\_wp\_x[])
- void dps\_information (void \*\*data, struct dps\_inform\_type \*inform, int \*status)
- void dps\_terminate (void \*\*data, struct dps\_control\_type \*control, struct dps\_inform\_type \*inform)

# 3.1.1 Data Structure Documentation

# 3.1.1.1 struct dps\_control\_type

control derived type as a C struct

Examples

dpst.c.

#### **Data Fields**

<b>L</b> I	findovina	use C or Fortron energe metals indessing
bool	f_indexing	use C or Fortran sparse matrix indexing
int	error	unit for error messages
int	out	unit for monitor output
int	problem	unit to write problem data into file problem_file
int	print_level	controls level of diagnostic output
int	new_h	how much of $\boldsymbol{H}$ has changed since the previous call. Possible values are
		0 unchanged
		1 values but not indices have changed
		2 values and indices have changed
int	taylor_max_degree	maximum degree of Taylor approximant allowed
real_wp_	eigen_min	smallest allowable value of an eigenvalue of the block diagonal factor of ${\cal H}$
real_wp_	lower	lower and upper bounds on the multiplier, if known
real_wp_	upper	see lower
real_wp_	stop_normal	stop trust-region solution when $   x  _M - \delta  \leq \max(s,t)$ .stop_normal * delta, .stop_absolute_normal )
real_wp_	stop_absolute_normal	see stop_normal
bool	goldfarb	use the Goldfarb variant of the trust-region/regularization norm rather than the modified absolute-value version
bool	space_critical	if space is critical, ensure allocated arrays are no bigger than needed
bool	deallocate_error_fatal	exit if any deallocation fails
char	problem_file[31]	name of file into which to write problem data
char	symmetric_linear_solver[31]	symmetric (indefinite) linear equation solver
char	prefix[31]	all output lines will be prefixed by prefix(2:LEN(TRIM(.prefix))-1) where prefix contains the required string enclosed in quotes, e.g. "string" or 'string'
struct sls_control_type	sls_control	control parameters for the Cholesky factorization and solution

# 3.1.1.2 struct dps\_time\_type

time derived type as a C struct

#### **Data Fields**

real_wp_	total	total CPU time spent in the package
real_wp_	analyse	CPU time spent reordering H prior to factorization.
real_wp_	factorize	CPU time spent factorizing H.
real_wp_	solve	CPU time spent solving the diagonal model system.
real_wp_	clock_total	total clock time spent in the package
real_wp_	clock_analyse	clock time spent reordering H prior to factorization
real_wp_	clock_factorize	clock time spent factorizing H
real_wp_	clock_solve	clock time spent solving the diagonal model system

# 3.1.1.3 struct dps\_inform\_type

inform derived type as a C struct

# Examples

dpst.c.

#### **Data Fields**

int	status	return status. See DPS_solve for details
int	alloc_status	STAT value after allocate failure.
int	mod_1by1	the number of 1 by 1 blocks from the factorization of H that were modified when constructing ${\cal M}$
int	mod_2by2	the number of 2 by 2 blocks from the factorization of H that were modified when constructing ${\cal M}$
real_wp_	obj	the value of the quadratic function
real_wp_	obj_regularized	the value of the regularized quadratic function
real_wp_	x_norm	the M-norm of the solution
real_wp_	multiplier	the Lagrange multiplier associated with the constraint/regularization
real_wp_	pole	a lower bound $\max(0,\text{-lambda\_1}),$ where lambda_1 is the left-most eigenvalue of $(H,M)$
bool	hard_case	has the hard case occurred?
char	bad_alloc[81]	name of array that provoked an allocate failure
struct dps_time_type	time	time information
struct sls_inform_type	sls_inform	information from SLS

# 3.1.2 Function Documentation

# 3.1.2.1 dps\_initialize()

```
void dps_initialize (
     void ** data,
```

```
struct dps_control_type * control,
int * status )
```

Set default control values and initialize private data

#### **Parameters**

in,out	data	holds private internal data	
out	control	is a struct containing control information (see dps_control_type)	
out	status	is a scalar variable of type int, that gives the exit status from the package. Possible values are (currently):	
		0. The import was succesful.	

#### **Examples**

dpst.c.

#### 3.1.2.2 dps\_read\_specfile()

Read the content of a specification file, and assign values associated with given keywords to the corresponding control parameters. By default, the spcification file will be named RUNDPS.SPC and lie in the current directory. Refer to Table 2.1 in the fortran documentation provided in \$GALAHAD/doc/dps.pdf for a list of keywords that may be set.

#### Parameters

in,out	control	is a struct containing control information (see dps_control_type)
in	specfile	is a character string containing the name of the specification file

#### 3.1.2.3 dps\_import()

Import problem data into internal storage prior to solution.

#### **Parameters**

in	control	is a struct whose members provide control paramters for the remaining prcedures (see
		dps_control_type)
in,out	data	holds private internal data
in,out	status	is a scalar variable of type int, that gives the exit status from the package. Possible values are:
		1. The import was succesful, and the package is ready for the solve phase
		<ul> <li>-1. An allocation error occurred. A message indicating the offending array is written on unit control.error, and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>
		<ul> <li>-2. A deallocation error occurred. A message indicating the offending array is written on unit control.error and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>
		<ul> <li>-3. The restriction n &gt; 0 or requirement that type contains its relevant string 'dense', 'coordinate' or 'sparse_by_rows' has been violated.</li> </ul>
in	n	is a scalar variable of type int, that holds the number of variables
in	H_type	is a one-dimensional array of type char that specifies the symmetric storage scheme used for the Hessian. It should be one of 'coordinate', 'sparse_by_rows' or 'dense'; lower or upper case variants are allowed
in	ne	is a scalar variable of type int, that holds the number of entries in the lower triangular part of H in the sparse co-ordinate storage scheme. It need not be set for any of the other schemes.
in	H_row	is a one-dimensional array of size ne and type int, that holds the row indices of the lower triangular part of H in the sparse co-ordinate storage scheme. It need not be set for any of the other three schemes, and in this case can be NULL
in	H_col	is a one-dimensional array of size ne and type int, that holds the column indices of the lower triangular part of H in either the sparse co-ordinate, or the sparse row-wise storage scheme. It need not be set when the dense or diagonal storage schemes are used, and in this case can be NULL
in	H_ptr	is a one-dimensional array of size n+1 and type int, that holds the starting position of each row of the lower triangular part of H, as well as the total number of entries, in the sparse row-wise storage scheme. It need not be set when the other schemes are used, and in this case can be NULL

#### Examples

dpst.c.

# 3.1.2.4 dps\_reset\_control()

```
void dps_reset_control (
          struct dps_control_type * control,
          void ** data,
          int * status )
```

Reset control parameters after import if required.

#### **Parameters**

in	control	is a struct whose members provide control paramters for the remaining prcedures (see dps_control_type)	
in,out	data	holds private internal data	
in,out	status	is a scalar variable of type int, that gives the exit status from the package. Possible values are:	
		1. The import was succesful, and the package is ready for the solve phase	

# 3.1.2.5 dps\_solve\_tr\_problem()

```
void dps_solve_tr_problem (
    void ** data,
    int * status,
    int n,
    int ne,
    real_wp_ H_val[],
    real_wp_ c[],
    real_wp_ f,
    real_wp_ radius,
    real_wp_ x[])
```

Find the global minimizer of the trust-region problem (1).

# Parameters

in,out	data	holds private internal data
in,out	status	is a scalar variable of type int, that gives the exit status from the package.  Possible values are:
		0. The run was succesful
		<ul> <li>-1. An allocation error occurred. A message indicating the offending array is written on unit control.error, and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>
		<ul> <li>-2. A deallocation error occurred. A message indicating the offending array is written on unit control.error and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>
		<ul> <li>-3. The restriction n &gt; 0 or requirement that type contains its relevant string 'dense', 'coordinate' or 'sparse_by_rows' has been violated.</li> </ul>
		<ul> <li>-9. The analysis phase of the factorization failed; the return status from the factorization package is given in the component inform.factor_status</li> </ul>
		<ul> <li>-10. The factorization failed; the return status from the factorization package is given in the component inform.factor_status.</li> </ul>
		-16. The problem is so ill-conditioned that further progress is impossible.
		-40. An error has occured when building the preconditioner.

#### **Parameters**

in	n	is a scalar variable of type int, that holds the number of variables
in	ne	is a scalar variable of type int, that holds the number of entries in the lower triangular part of the Hessian matrix ${\cal H}.$
in	H_val	is a one-dimensional array of size ne and type double, that holds the values of the entries of the lower triangular part of the Hessian matrix ${\cal H}$ in any of the available storage schemes.
in	С	is a one-dimensional array of size n and type double, that holds the linear term $c$ in the objective function. The j-th component of c, j = 0,, n-1, contains $c_j$ .
in	f	is a scalar variable pointer of type double, that holds the value of the holds the constant term $f$ in the objective function.
in	radius	is a scalar variable pointer of type double, that holds the value of the trust-region radius, $\Delta>0.$
out	X	is a one-dimensional array of size n and type double, that holds the values $x$ of the optimization variables. The j-th component of x, j = 0,, n-1, contains $x_j$ .

#### **Examples**

dpst.c.

# 3.1.2.6 dps\_solve\_rq\_problem()

Find the global minimizer of the regularized-quadartic problem (2).

#### **Parameters**

in, out	data	holds private internal data
,	1	i '

#### **Parameters**

in,out	status	is a scalar variable of type int, that gives the exit status from the package.  Possible values are:
		0. The run was succesful
		<ul> <li>-1. An allocation error occurred. A message indicating the offending array is written on unit control.error, and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>
		<ul> <li>-2. A deallocation error occurred. A message indicating the offending array is written on unit control.error and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>
		<ul> <li>-3. The restriction n &gt; 0 or requirement that type contains its relevant string 'dense', 'coordinate' or 'sparse_by_rows' has been violated.</li> </ul>
		<ul> <li>-9. The analysis phase of the factorization failed; the return status from the factorization package is given in the component inform.factor_status</li> </ul>
		<ul> <li>-10. The factorization failed; the return status from the factorization package is given in the component inform.factor_status.</li> </ul>
		-16. The problem is so ill-conditioned that further progress is impossible.
		-40. An error has occured when building the preconditioner.
in	n	is a scalar variable of type int, that holds the number of variables
in	ne	is a scalar variable of type int, that holds the number of entries in the lower triangular part of the Hessian matrix ${\cal H}$ .
in	H_val	is a one-dimensional array of size ne and type double, that holds the values of the entries of the lower triangular part of the Hessian matrix ${\cal H}$ in any of the available storage schemes.
in	С	is a one-dimensional array of size n and type double, that holds the linear term $c$ in the objective function. The j-th component of c, j = 0,, n-1, contains $c_j$ .
in	f	is a scalar variable pointer of type double, that holds the value of the holds the constant term $f$ in the objective function.
in	weight	is a scalar variable pointer of type double, that holds the value of the regularization weight, $\sigma>0$ .
in	power	is a scalar variable pointer of type double, that holds the value of the regularization power, $p\geq 2$ .
out	х	is a one-dimensional array of size n and type double, that holds the values $x$ of the optimization variables. The j-th component of x, j = 0,, n-1, contains $x_j$ .

# 3.1.2.7 dps\_resolve\_tr\_problem()

```
real_wp_ f,
real_wp_ radius,
real_wp_ x[] )
```

Find the global minimizer of the trust-region problem (1) if some non-matrix components have changed since a call to dps\_solve\_tr\_problem.

#### **Parameters**

in,out	data	holds private internal data	
in,out	status	is a scalar variable of type int, that gives the exit status from the package.  Possible values are:	
		0. The run was succesful	
		<ul> <li>-1. An allocation error occurred. A message indicating the offending array is written on unit control.error, and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>	
		<ul> <li>-2. A deallocation error occurred. A message indicating the offending array is written on unit control.error and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>	
		<ul> <li>-3. The restriction n &gt; 0 or requirement that type contains its relevant string 'dense', 'coordinate' or 'sparse_by_rows' has been violated.</li> </ul>	
		<ul> <li>-16. The problem is so ill-conditioned that further progress is impossible.</li> </ul>	
in	n	is a scalar variable of type int, that holds the number of variables	
in	С	is a one-dimensional array of size n and type double, that holds the linear term $c$ in the objective function. The j-th component of c, j = 0,, n-1, contains $c_j$ .	
in	f	is a scalar variable pointer of type double, that holds the value of the constant term $f$ in the objective function.	
in	radius	is a scalar variable pointer of type double, that holds the value of the trust-region radius, $\Delta>0.$	
in,out	Х	is a one-dimensional array of size n and type double, that holds the values $x$ of the optimization variables. The j-th component of x, j = 0,, n-1, contains $x_j$ .	

#### Examples

dpst.c.

#### 3.1.2.8 dps\_resolve\_rq\_problem()

```
void dps_resolve_rq_problem (
    void ** data,
    int * status,
    int n,
    real_wp_ c[],
    real_wp_ f,
    real_wp_ power,
```

```
real_wp_ weight,
real_wp_ x[] )
```

Find the global minimizer of the regularized-quadartic problem (2) if some non-matrix components have changed since a call to dps\_solve\_rq\_problem.

#### **Parameters**

in,out	data	holds private internal data	
in,out	status	is a scalar variable of type int, that gives the exit status from the package.  Possible values are:  • 0. The run was succesful	
		<ul> <li>-1. An allocation error occurred. A message indicating the offending array is written on unit control.error, and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>	
		<ul> <li>-2. A deallocation error occurred. A message indicating the offending array is written on unit control.error and the returned allocation status and a string containing the name of the offending array are held in inform.alloc_status and inform.bad_alloc respectively.</li> </ul>	
		-16. The problem is so ill-conditioned that further progress is impossible.	
in	n	is a scalar variable of type int, that holds the number of variables	
in	С	is a one-dimensional array of size n and type double, that holds the linear term $c$ in the objective function. The j-th component of c, j = 0,, n-1, contains $c_j$ .	
in	f	is a scalar variable pointer of type double, that holds the value of the holds the constant term $f$ in the objective function.	
in	weight	is a scalar variable pointer of type double, that holds the value of the regularization weight, $\sigma>0$ .	
in	power	is a scalar variable pointer of type double, that holds the value of the regularization power, $p\geq 2$ .	
in,out	Х	is a one-dimensional array of size n and type double, that holds the values $x$ of the optimization variables. The j-th component of x, j = 0,, n-1, contains $x_j$ .	

#### 3.1.2.9 dps\_information()

#### Provides output information

#### **Parameters**

in,out	data	holds private internal data	
out	inform	is a struct containing output information (see dps_inform_type)	
out	status	is a scalar variable of type int, that gives the exit status from the package. Possible values are (currently):	
GALAHAD 4.0		O. The values were recorded succesfully     C interfaces to GALAHAD DPS	

# Examples

dpst.c.

# 3.1.2.10 dps\_terminate()

# Deallocate all internal private storage

#### **Parameters**

in,out	data	holds private internal data
out	control	is a struct containing control information (see dps_control_type)
out	inform	is a struct containing output information (see dps_inform_type)

# **Examples**

dpst.c.

# **Chapter 4**

# **Example Documentation**

# 4.1 dpst.c

This is an example of how to use the package.

```
/* dpst.c */
/\star Full test for the DPS C interface using C sparse matrix indexing \star/
#include <stdio.h>
#include <string.h>
#include <math.h>
#include "galahad_precision.h"
#include "galahad_cfunctions.h"
#include "galahad_dps.h"
int main(void) {
    // Derived types
    void *data;
    struct dps_control_type control;
     struct dps_inform_type inform;
     // Set problem data
    int n = 3; // dimension of H
int m = 1; // dimension of A
int H_ne = 4; // number of elements of H
    int H_dense_ne = 6; // number of elements of H
int H_row[] = {0, 1, 2, 2}; // row indices, NB lower triangle
int H_col[] = {0, 1, 2, 0};
int H_ptr[] = {0, 1, 2, 4};
real_wp_ H_val[] = {1.0, 2.0, 3.0, 4.0};
     real_wp_ H_dense[] = {1.0, 0.0, 2.0, 4.0, 0.0, 3.0};
     real_wp_ f = 0.96;
     real_wp_ radius = 1.0;
    real_wp_ half_radius = 0.5;
real_wp_ c[] = {0.0, 2.0, 0.0};
     char st;
     int status;
    real_wp_ x[n];
printf(" C sparse matrix indexing\n\n");
printf(" basic tests of storage formats\n\n");
for( int storage_type=1; storage_type <= 3; storage_type++){</pre>
     // Initialize DPS
       dps_initialize( &data, &control, &status );
     // Set user-defined control options
       control.f_indexing = false; // C sparse matrix indexing
strcpy(control.symmetric_linear_solver,"sytr ") ;
       switch(storage_type){
          case 1: // sparse co-ordinate storage
    st = 'C';
               \ensuremath{//} import the control parameters and structural data
               // solve the problem
               dps_solve_tr_problem( &data, &status, n, H_ne, H_val,
                                           c, f, radius, x );
          case 2: // sparse by rows
   st = 'R';
   // import the control parameters and structural data
```

```
dps_solve_tr_problem( &data, &status, n, H_ne, H_val,
                            c, f, radius, x );
      break;
case 3: // dense
    st = 'D';
    // import the control parameters and structural data
          break:
      }
     dps_information( &data, &inform, &status );
     printf("format %c: DPS_solve_problem exit status = %1i, f = %.2f\n",
           st, inform.status, inform.obj);
     switch(storage_type){
      case 1: // sparse co-ordinate storage
   st = 'C';
   // solve the problem
          dps_resolve_tr_problem( &data, &status, n,
                              c, f, half_radius, x );
      break;
case 2: // sparse by rows
st = 'R';
dps_resolve_tr_problem( &data, &status, n,
                              c, f, half_radius, x );
      dps_information( &data, &inform, &status );
     // Delete internal workspace
     dps_terminate( &data, &control, &inform );
  }
}
```