

# DSA CheatSheet

[HashSet](#)

[HashMap](#)

[Binary Search](#)

[Two Pointers or Iterators](#)

[Sliding Window](#)

[Prefix Sum](#)

[Bit Manipulation](#)

[Intervals](#)

[Matrix](#)

[ArrayList](#)

[Stack](#)

[Heaps \(Level 3\)](#)

[BFS/DFS \(Level 3\)](#)

[Trees](#)

[Graphs \(Level 3\)](#)

[Sorting](#)

[Dynamic Programming \(Level 3\)](#)

[Recursion](#)

[Topological Sort \(Level 3\)](#)

[Greedy \(Level 3\)](#)

[Backtracking \(Level 3\)](#)

[References](#)

## HashSet

- When you have to find a **unique element** or check if the set of elements have **duplicates**
  - [Contains Duplicates](#)

- When you have to keep track of a **unique set of elements**
  - [Happy Number](#)
- To **achieve faster lookups or  $O(1)$  time complexity**.

## HashMap

- When you have to find the **frequency or count of occurrences**
  - [First Unique Integer](#), [Majority Element](#), [Word Frequencies](#)
- When you have to **store the mapping of keys to their value**
  - [Two Sum In Unsorted Array](#), [Three Sum](#)
- To **achieve faster lookups or  $O(1)$  time complexity**.
- **Anagram/Permutation/Palindrome** - which you can solve by keeping track of the number of occurrences of characters
  - [Valid Anagram](#), [Find All Anagrams In a String](#), [Permutation Palindrome](#)

## Binary Search

- When you are given a **sorted array**
  - [Search in a rotated sorted array](#), [Find Minimum in Rotated Sorted Array](#)
- To perform **search** operation in  **$O(\log N)$**  time complexity
  - [Find Peak Element](#), [Find First and Last Position of Element in Sorted Array](#)
- Problems related to “Maximize the minimum” or “Minimize the maximum” something is usually solved using **Binary Search(Important)**.
  - [Koko Eating Bananas](#), [Capacity to ship packages within D Days](#), [Find Smallest divisor given a threshold](#)

## Two Pointers or Iterators

- In Two Pointers - the set of pointers move in either of the pattern given below
  - One pointer starts from the **beginning** while the other pointer starts from the **end**
    - [Container with Most Water](#), [Squares of Sorted Array](#), [Rotate Array](#)
  - One will be a **slow-runner** and the other **fast-runner** also known as the **Hare & Tortoise algorithm**. This approach is quite useful when dealing with **cyclic linked lists** or arrays.
    - [Detect LinkedList Cycle](#), [Remove Nth Node from the end of the list](#), [Middle of the LinkedList](#)

- In scenarios when you have to track two variables or nodes in a linear data structure such as **LinkedList, Arrays and ArrayList** it is more commonly used. It is often useful when searching for pairs.
  - [Remove Duplicates from Sorted Array](#), [Move Zeroes](#)
- Two Pointers is especially helpful to solve problems **Inplace or O(1) Space complexity**.
  - [Reverse a Linked List](#), [Dutch National Flag Problem or Sort Colours](#)

## Sliding Window

- **The Sliding Window** technique is used when we're supposed to consider all **subarray/substrings** with some particular constraint such that it is possible to increment/decrement the window size in each iteration.
  - [Longest Substring without repeating characters](#), [Longest Substring with at most K Distinct Character](#), [Length of the Longest substring without repeating characters](#)
- It's also implemented by using **TwoPointers** which act as a **window** that is constant in size or grows or shrinks with respect to the problem you are solving.
  - [Minimum Window Substring](#), [Fruits into Basket](#)

## Prefix Sum

- Whenever the **value at a particular position of an array** depends on all **previous elements** or all the next elements, we can either use prefix sum or suffix sum.
  - [Product of Array](#), [Find Pivot Index](#), [Minimum size subarray sum](#)
- As values are precomputed it reduces the time complexity to **O(n)**.
- When the **subarray sum** is to be **equal to a given value**
  - [Zero Sum Subarrays](#), [Prefix Sum Array applications](#)

## Bit Manipulation

- XOR of  **$A \oplus A = 0$**  and  **$A \oplus 0 = A$** . Thus used to find **unique elements**.
  - [Single Number](#), [Missing Numbers](#), [Single Number - 2](#)
- To remove the last set bit -  **$A \& (A-1)$** 
  - [Number of 1 bits or Hamming Weight](#), [Counting Bits](#)

- To find Union of A and B - or operation **A | B** and to find the intersection of A and B - and operation **A & B**
  - [Sum of two Numbers](#)
- Bit Masking is the act of applying a **mask** to a value defining which **bits** you want to keep, and which **bits** you want to clear. **Masking**. << to shift bits to **left** and >> or >>> to shift bits to **right**.
  - [Reverse Bits](#)

## Intervals

- If you hear the term **overlapping intervals** or are asked to produce a list with mutually exclusive intervals/**non-overlapping intervals**.
  - [Insert Interval](#), [Non-overlapping intervals](#)
- **Sorting by start time** or **end time makes** it easier to solve
  - [Merge Intervals](#), [Meeting Rooms](#)
- **Heap** may be applicable to solve intervals
  - [Minimum Meeting Rooms](#)

## Matrix

- Matrix problems are about understanding **boundary conditions** and the finding **pattern** or **logic** by trying out the **sample inputs**.
  - [Set Matrix Zeroes](#), [Spiral Matrix](#), [Rotate Image](#), [Diagonal Traverse](#)

## ArrayList

- When we need to **dynamically insert elements** (not fixed size). Otherwise same characteristics as an array
  - [Find all numbers disappeared in an array](#), [Intersection of two arrays](#), [Minimum Index sum of two lists](#)

## Stack

- When you are asked to find the **next greater** or **next smaller** element then it can be done using a **stack** in O(n)
  - [Largest Rectangle in Histogram](#), [Daily Temperatures](#)

- Last In First Out (**LIFO**) principle helps to solve **mathematical** expressions
  - [Evaluate reverse polish notation](#), [Valid Parentheses](#)
- Any problem solved by **recursion** can be converted to an **iterative solution** using a **stack**. This helps in avoiding **stack overflow** problems as recursion uses an internal stack
  - [Preorder Traversal](#), [Inorder Traversal](#)

## Heaps (Level 3)

- When you have to find **Top K or K smallest/Largest elements**
  - [Top k frequent elements](#), [Reorganize String](#), [Ugly Number - 2](#)
- When to choose MinHeap vs MaxHeap (counter-intuitive)
  - When you want to keep track of **K smallest** elements, use **MaxHeap** (the parent node is always larger than the child node value).
    - [Last stone weight](#)
  - When you want to keep track of **K largest** elements, use **MinHeap** (the parent node always has a smaller value than the child nodes).
  - [Kth largest element in an array](#), [Kth largest element in a stream](#)
- If you're asked to **sort an array** to find an exact element or **minimum number**
  - [Sort Characters by Frequency](#), [Minimum Meeting Rooms](#), [Task Scheduler](#)
- Whenever you're given '**K**' **sorted arrays**, you can use a Heap to efficiently perform a **sorted traversal of all the elements** of all array
  - [Merge K Sorted Lists](#), [K Pairs with Largest Sums](#)
- **Two Heaps** - In some problems, where we are given a set of elements such that we can divide them into two parts. We are interested in knowing the **smallest element** in one part and the **biggest element** in the other part. As the name suggests, this technique uses a **Min-Heap** to find the smallest element and a **Max-Heap** to find the biggest element.
  - [Find Median from data stream](#)

## BFS/DFS (Level 3)

### Trees

- In **Trees**, When you have to traverse **level by level** - **BFS**

- [Binary Tree Level Order Traversal](#), [Binary Tree ZigZag Level order Traversal](#), [Minimum Depths of Binary tree](#), [Path sum](#)
- **In Trees**, When you have to traverse **Depth wise - DFS**
  - **In Order, Postorder and PreOrder** traversal
    - **The last element** of the array in **Post Order** traversal is the **root node**
      - [Postorder Traversal](#), [Construct Binary Tree from postorder and inorder](#)
    - **The middle element** of the array in **In Order** traversal is the **root node**.  
**In order traversal of a BST** gives values in **ascending order**
      - [Validate Binary Tree](#), [Inorder successor](#)
      - [Inorder Traversal](#),
    - **The first element** in **preorder** traversal is the **root node**
      - [Preorder Traversal](#), [Lowest Common Ancestor](#)

## Graphs (Level 3)

- **In Graphs/Grid**
  - Problems related to **min number of steps or shortest path** can sometimes be done by creating a **graph** and doing a **BFS** on it
    - [Word Ladder](#) or [Minimum Knight Moves](#) or [Shortest path to get keys](#)
  - When you need to **start BFS for multiple vertices** as well as calculate the **travel depth**
    - [Rotten oranges](#), [Walls and gates](#)
  - When **Root to leaf** traversal is needed - **DFS**
    - [Number of islands](#), [Flood Fill](#), [Clone graph](#)
  - In both cases, we need to keep **track of visited cells**
    - [Graph Valid Tree](#)
- **DFS/BFS is not just limited to Graph/Grid** problems. They can be used in any problem where it is possible to **connect two entities** and some path is formed.
  - [String Transformation](#), [Word Ladder](#)

## Sorting

- When elements in an **orderly fashion** are required to solve the problem such as Binary Search or Intervals.

- [Chocolate Distribution](#), [Minimum Meeting Rooms](#), [Sort List](#)

## Dynamic Programming (Level 3)

- **DP** problems usually have a pattern of count number of distinct ways, max/min value.  
Maximum/minimum subarray/subset
  - [Climbing Stairs](#), [Maximum Product Subarray](#)
- **DP** is used in most of the problems where some value is to be minimized/maximized.
  - [Perfect Squares](#), [Coin Change](#)
- **Overlapping Subproblem** is the main characteristic of **Dynamic Programming**
  - [Perfect Squares](#), [House Robber](#), [Coin Change](#)
- Finding the **state variable**, **recurrence** relation and **base cases** are key steps in DP
  - [Longest increasing subsequence](#), [Longest common subsequence](#)

## Recursion

- Any problems which have **repetitive functions or subproblems** can be solved by recursion
  - [Reverse String](#), [All paths from source to target](#), [Same tree](#)
- If it is possible to draw a **recursion tree** that forms a **DAG**, then only that problem can be solved by **recursion**. [Visualization](#)
  - When you need to explore all combinations recursion is used
    - [Perfect Squares](#) or [Permutations](#) or All [subarrays](#)

## Topological Sort (Level 3)

- “Topological sorting” using BFS or DFS only works with graphs that are **directed and acyclic**.
- It provides a linear sorting based on the required ordering between vertices in directed acyclic graphs. ie If you’re asked to update all **objects in sorted order** or If you have a class of objects that follow a particular order
  - [Task Scheduling](#)
- To be specific, given vertices u and v, to reach vertex v, we must have reached vertex u first. In “topological sorting”, u has to appear before v in the ordering. The most popular algorithm for “topological sorting” is **Kahn’s algorithm**.

- [Alien Dictionary](#)
- [Minimum Height Trees](#)

## Greedy (Level 3)

- **Greedy** Approach - when we can make a choice of the maximum or minimum at any given point
  - [Integer to Roman](#) or [Jump game](#) or [Best time to sell stock - maximize profit](#)

## Backtracking (Level 3)

- All Permutations/Subsets - **Backtracking**
  - [Letter Combinations of Phone Number](#) or [Permutations](#) or [Subsets](#)
- Backtracking is a general algorithm for finding all (or some) solutions to some computational problems, which incrementally builds candidates to the solution and abandons a candidate ("backtracks") as soon as it determines that the candidate cannot lead to a valid solution.
  - [Generate Parentheses](#), [Combination Sum](#) and [Word Search](#).

## References

- [Smarter way to prepare for coding interviews](#)
- [Sliding Window for beginners](#)
- [Binary Search for beginners](#)
- [Graph for beginners](#)
- [DP for beginners](#)