

Amro Elbahrawy
40221760
COMP 6481
Assignment 1

Part 1:

Q1)
a) input: the input text (string) P , K , (char)
output: encrypted text (string)

```
for loop (i=0 to length of P) {  
    C = P[i] + (K+i)(mod 3)  
    print C  
}
```

b) input: C (string), K (char)
output: original text P

```
for loop (i=0 to length of C) {  
    P = C[i] - (K+i)(mod 3)  
    print P  
}
```

c) Time complexity is $O(n)$ for both algorithms.

d) Space complexity is also $O(n)$ for both algorithms.

Q2)

Input = Array of integers A, int X
output = two ints, SumG, SumL

```
int SumG, SumL
```

```
for loop(i=0, i < A.length(), i++) {  
    if (A[i] > X) {  
        add A[i] to SumG }  
    if (A[i] < X) {  
        add A[i] to SumL }  
}  
print SumG, SumL
```

a) time complexity is $O(n)$

b) space complexity is also $O(n)$
because of array storage.

Q3) Input = Sorted array A, int X
output = SumG, SumL

current = middle index

```
while(A[current] != X) {
```

```
    current = floor(current + (A.length / 2))
```

```
}
```

```
if (A[current] > X) {
```

```
    loop(j=0, j < current) {
```

```
        add A[j] to SumL, continue if A[j] = X
```

```
    }
```

```
    loop(k=current, k < A.length) {
```

```
        add A[k] to SumG
```

```
    }
```

```
}
```


Q3 cont.)

```
else if (A[current] < x) {  
    loop( i = 0 ; i < current + 1 ) {  
        add A[i] to sum L  
    }  
    loop( j = (current + 1) ; j < A.length ) {  
        add A[j] to sum G, continue if equal  
    }  
    print sum G, sum L;  
}
```

a) it would be $O(n \log n)$ in the worst case, because we are searching and summing. The search can take $\log(n)$ in the worst case -

b) space complexity is $O(n)$

$$\frac{7}{2} = 3.5$$

$$\frac{6}{2} = 3$$



Q4) input: Array of ints A
output: A modified

```
if (A.length is odd)
    mid = floor(A.length/2)
else
    mid = (length/2)
```

```
for (int i = 0; i < mid-1) {
    temp = A[i];
    A[i] = A[i+1];
    A[i+1] = temp;
}
```

```
if (A.length is odd)
    mid++;
for (i = mid; i < A.length-1) {
    A[i+1] = A[i] + A[i+1];
}
return A;
```

b) Time complexity is $O(n)$ because both loops traverse only half of the array

c) Space complexity is $O(n)$ since the array and 2 more constants are required to store data.