

## Problem Statement

The four adjacent digits in the 1000-digit number that have the greatest product are  $9 \times 9 \times 8 \times 9 = 5832$ .

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73167176531330624919225119674426574742355349194934
96983520312774506326239578318016984801869478851843
85861560789112949495459501737958331952853208805511
12540698747158523863050715693290963295227443043557
66896648950445244523161731856403098711121722383113
62229893423380308135336276614282806444486645238749
30358907296290491560440772390713810515859307960866
70172427121883998797908792274921901699720888093776
65727333001053367881220235421809751254540594752243
52584907711670556013604839586446706324415722155397
53697817977846174064955149290862569321978468622482
83972241375657056057490261407972968652414535100474
82166370484403199890008895243450658541227588666881
16427171479924442928230863465674813919123162824586
17866458359124566529476545682848912883142607690042
24219022671055626321111109370544217506941658960408
07198403850962455444362981230987879927244284909188
84580156166097919133875499200524063689912560717606
05886116467109405077541002256983155200055935729725
71636269561882670428252483600823257530420752963450
```

Find the thirteen adjacent digits in the 1000-digit number that have the greatest product. What is the value of this product?

## Solution

Honestly, overall not a very interesting problem. There are two complications in this problem: the number and product might exceed the maximum number of digits the data types can hold and divide by zero errors. Nominally, though, I would implement a class that would handle the representation as well as basic arithmetic. Python addresses the first one with it's own internal way of handling integer representation. However, for fun, I implemented a version of this code in python. Note, in languages like FORTRAN, you can create data types of arbitrary size, also avoiding this problem. I'm not completely up-to-date on what languages like Java or C++ can do, but there is likely already a library that exists to solve this problem.

As for the second complication, the naive algorithm of multiplying by the next number and dividing by the previous number to create the product breaks due to the inclusion of zero. In the code, each product is calculated from scratch at each index giving an order  $nk$  algorithm, where  $n$  is the number of adjacent

digits of interest and  $k$  is the number of digits in the number. In this case  $n = 13$  and  $k = 1000$ .

The solution then is:

$$5 \times 5 \times 7 \times 6 \times 6 \times 8 \times 9 \times 6 \times 6 \times 4 \times 8 \times 9 \times 5 = 23514624000 \quad (1)$$