Corridor Ramp Metering

Using Particle Filter Model Predictive Control

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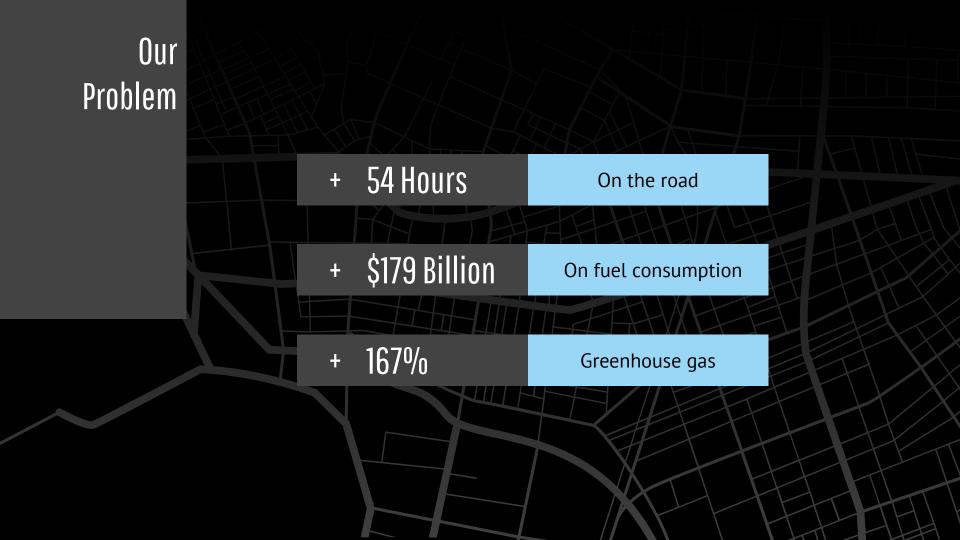


Executive Summary



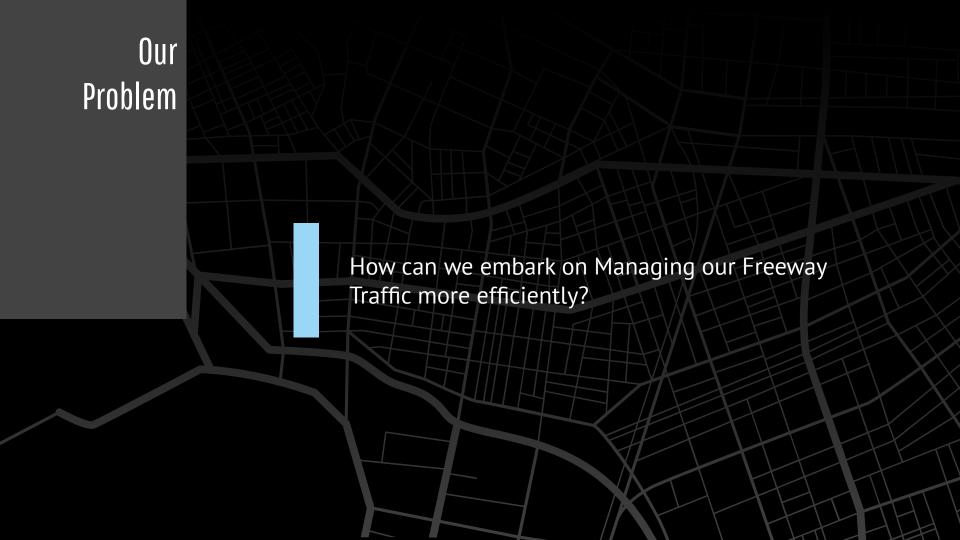






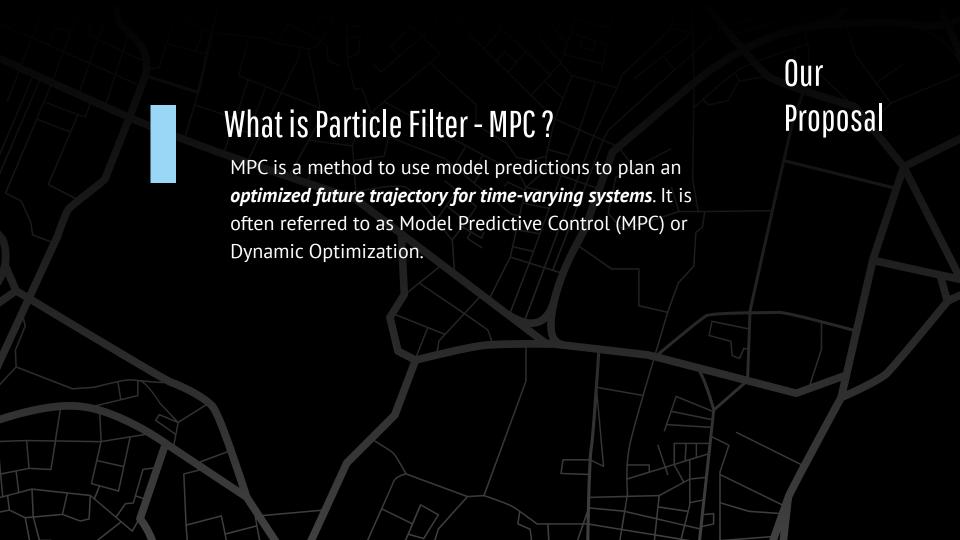
Our Problem

The local traffic responsive metering methods is inversely proportional to the density of traffic and is not suited for non linear non gaussian system control resulting in daily congestion experienced throughout all urban areas









How does it work?

Model predictive control has a number of manipulated variables (MV) and Uncontrolled variables (UCV). The MVs are manipulated numerically to achieve the optimization objective of a desired application performance.

The numerical solution is compared to a desired trajectory and the difference is minimized by re-adjustment of MV in the model so that a response as close as possible to the desired objective is achieved. After first control action is taken and optimized the entire process is repeated at the next time instance (30 seconds). The process is repeated because objective targets may change or updated measurements may require the readjustment of state estimates.

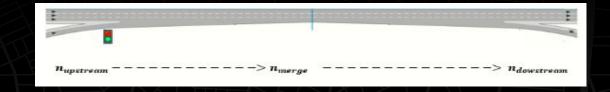
Our Proposal

How does it work? The purpose of the method is to filter out the best manipulated variable MV to accomplish an optimized future trajectory for time-varying systems. At the start a large number of MVs are tried in the model and the output is compared to a desired trajectory or a measured value. The MV with the best outcome is resampled again to minimize the difference between the outcome and the desired trajectory.

Our Proposal



Density Evolution Model



The density evolution model will follow the transformation of upstream flow parameters of N lane freeway to downstream via the equation:

$$n_{ds}(T) = \frac{1}{V_{ups}(t)} \left(Q_{ups}(t) + \frac{q_{ramp}(t)}{\aleph} \right) - \frac{1}{\aleph} \frac{q_{exit}(T)}{V_{merge}}$$

Where V merge is given by

$$V_{merge} = min\{V_{ups}(t), \frac{5280 \aleph V_{ups}(t)}{\tau \underline{c}(\aleph Q_{ups}(t) + q_{ramp}(t))} - \frac{L}{\tau \underline{c}}\}$$

Density Evolution Model

In this model the Ramp Meter Discharge Rate (qramp) is the manipulated variable MV and the downstream exit rate (qexit) is an uncontrolled variable UCV.

The time T is the delayed response of downstream variables to the upstream actions at the time t.

Our Model Overview

In our model we have applied PF-MPC to control the discharge rates of all ramp meters along a freeway corridor with the goal of smoothing the traffic flow parameters (Volume, Density and Speed) along the freeway to avoid traffic flow breakdown that causes daily traffic congestion.

All discharge rates are tried for every controller along a route at every step of time in the model and the best solution is filtered out to be sent to the controller every 30 seconds

Our Data

In our findings, we demonstrate our conclusions through existing real-time field data from the publicly accessible California Department of Transportation Performance Measurement System (PeMS) and Caltrans District 12 Ramp Metering Information System.

24 hours worth data at 30 seconds interval on Highway -78 was collected from Caltrans RMIS system for the purpose of experimenting with the PF-MPC and training the TensorFlow.

Some freeway sensors had sporadic reporting that was replaced with the previous 30 second data to attain continuity of data.

Tensor Flow

we train a model that takes in the input [upstream volume, upstream speed, discharge rate, number of lanes] to predict the values [downstream volume, downstream speed]. The model that we use is called "Sequential Model". We use TensorFlow to create this model.

We use the data from PeMS to train this model because PeMS data contains all four input and two output data.



Data from PeMS

	ld	Name	Time	V_ups	Q_ups	q_ramp	q_exit	V_merge	postmile	Q_ds	V_ds
0	201	Jefferson St	05:30:00	73	213	0.0	0.0	73.0	0.858	335.0	63.0
1	200	El Camino Real	05:30:00	63	335	0.0	0.0	63.0	1.594	274.0	59.0
2	199	Plaza Dr	05:30:00	59	274	0.0	120.0	59.0	3.586	335.0	52.0
3	24	Emerald Dr	05:30:00	52	335	0.0	120.0	52.0	4.474	517.0	79.0
4	205	Vista Village Dr	05:30:00	79	517	600.0	120.0	79.0	6.320	548.0	78.0
12594	398	Las Posas Rd/Grand Ave	19:29:00	82	975	0.0	0.0	82.0	11.364	761.0	66.0
12595	180	San Marcos Blvd	19:29:00	66	761	0.0	480.0	66.0	12.274	914.0	68.0
12596	234	Twin Oaks VIIy Rd	19:29:00	68	914	360.0	0.0	68.0	13.022	670.0	67.0
12597	236	Barham/Woodland	19:29:00	67	670	0.0	360.0	67.0	14.860	853.0	62.0
12598	13006	Nordahl Rd	19:29:00	62	853	0.0	0.0	62.0	15.596	792.0	55.0

11760 rows × 11 columns

Input & Output

						in	put				out	put	
Ī.		ld	Name	Time	V_ups	Q_ups	q_ramp	q_exit	V_merge	postmile	Q_ds	V_ds	
	0	201	Jefferson St	05:30:00	73	213	0.0	0.0	73.0	0.858	335.0	63.0	
	1	200	El Camino Real	05:30:00	63	335	0.0	0.0	63.0	1.594	274.0	59.0	
	2	199	Plaza Dr	05:30:00	59	274	0.0	120.0	59.0	3.586	335.0	52.0	
	3	24	Emerald Dr	05:30:00	52	335	0.0	120.0	52.0	4.474	517.0	79.0	
	4	205	Vista Village Dr	05:30:00	79	517	600.0	120.0	79.0	6.320	548.0	78.0	
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	12598	13006	Nordahl Rd	19:29:00	62	853	0.0	0.0	62.0	15.596	792.0	55.0	

11760 rows × 11 columns

Training Model

```
# Fit model
   def get compiled model():
       model = tf.keras.Sequential([
            tf.keras.layers.Dense(16, activation='relu'),
           tf.keras.layers.Dense(32, activation='relu'),
            tf.keras.layers.Dense(2, activation='softmax')
       ])
       tf.keras.optimizers.Adam(
10
            learning_rate=0.0001, beta_1=0.9, beta_2=0.999, epsilon=1e-07, amsgrad=False,
11
            name='Adam'
12
13
14
       model.compile(optimizer='adam',
15
                      loss=tf.keras.losses.BinaryCrossentropy(from_logits=True),
                      metrics=['accuracy']
16
17
18
19
       return model
20
21
   model = get_compiled_model()
   model.fit(X_train, y_train, epochs=15)
```





Optimal q_ramp

	ld	Name	Q_ups	Time	V _ups	q_exit	V_merge	postmile	Q_ds	V_ds	n_ups	q_ramp
	1 200	El Camino Real	335	05:30:00	63	0.0	63.0	1.594	274.0	59.0	5.317460	968.0
	2 199	Plaza Dr	274	05:30:00	59	120.0	59.0	3.586	335.0	52.0	4.644068	968.0
	3 24	Emerald Dr	335	05:30:00	52	120.0	52.0	4.474	517.0	79.0	6.442308	968.0
	4 205	Vista Village Dr	517	05:30:00	79	120.0	79.0	6.320	548.0	78.0	6.544304	968.0
	5 198	Escondido Ave	548	05:30:00	78	0.0	78.0	6.886	853.0	71.0	7.025641	968.0
1259	398	Las Posas Rd/Grand Ave	975	19:29:00	82	0.0	82.0	11.364	761.0	66.0	11.890244	968.0
1259	5 180	San Marcos Blvd	761	19:29:00	66	480.0	66.0	12.274	914.0	68.0	11.530303	968.0
1259	6 234	Twin Oaks VIIy Rd	914	19:29:00	68	0.0	68.0	13.022	670.0	67.0	13.441176	968.0
1259	7 236	Barham/Woodland	670	19:29:00	67	360.0	67.0	14.860	853.0	62.0	10.000000	968.0
1259	8 13006	Nordahl Rd	853	19:29:00	62	0.0	62.0	15.596	792.0	55.0	13.758065	968.0

Particle Filter

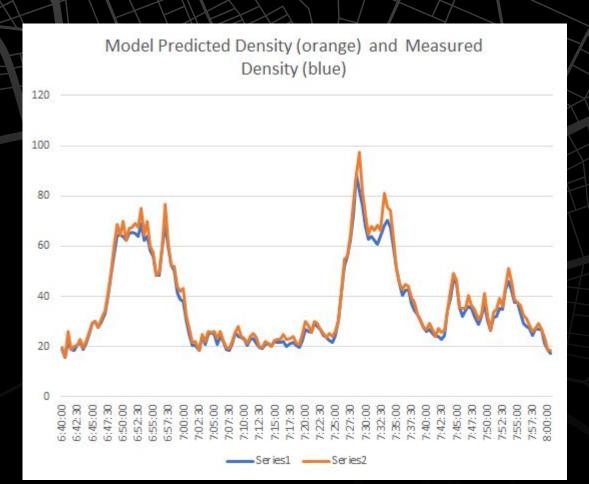
		ld	Name	Q_ups	Time	V _ups	q_exit	V_merge	postmile	Q_ds	V_ds	n_ups	q_ramp
	1	200	El Camino Real	335	05:30:00	63	0.0	63.0	1.594	274.0	59.0	5.317460	964.585767
	2	199	Plaza Dr	274	05:30:00	59	120.0	59.0	3.586	335.0	52.0	4.644068	964.585767
	3	24	Emerald Dr	335	05:30:00	52	120.0	52.0	4.474	517.0	79.0	6.442308	964.585767
	4	205	Vista Village Dr	517	05:30:00	79	120.0	79.0	6.320	548.0	78.0	6.544304	964.585767
	5	198	Escondido Ave	548	05:30:00	78	0.0	78.0	6.886	853.0	71.0	7.025641	964.585767
125	594	398	Las Posas Rd/Grand Ave	975	19:29:00	82	0.0	82.0	11.364	761.0	66.0	11.890244	964.585767
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125	596	234	Twin Oaks VIIy Rd	914	19:29:00	68	0.0	68.0	13.022	670.0	67.0	13.441176	964.585767
125	597	236	Barham/Woodland	670	19:29:00	67	360.0	67.0	14.860	853.0	62.0	10.000000	964.585767
125	598	13006	Nordahl Rd	853	19:29:00	62	0.0	62.0	15.596	792.0	55.0	13.758065	964.585767

split training set X = input_df[['Q_ups', 'V_ups', 'q_ramp', 'num_lanes']] y = input_df[['0_ds', 'V_ds']] X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.20, random_state=42) def get_compiled_model(): model = tf.keras.Sequential([tf.keras.layers.Dense(3, activation='relu'), tf.keras.layers.Dense(4, activation='relu'), tf.keras.layers.Dense(2, activation='softmax') learning_rate=8.0001, beta_1=8.9, beta_2=0.999, epsilon=1e-87, amsgrad=False, names 'Ldan' model.compile(ontimizers'adom'. loss=tf.keras.losses.BinaryCrossentropy(from_logits=True), metrics=['accuracy'] return model model = get_compiled_model() model.fit(X_train, y_train, epochs=15) ========] - 1s lms/step - loss: -51.5832 - accuracy: 0.5592 273/273 I=+ Epoch 3/15 273/273 [== 73us/step = loss: -2918203,0046 = accuracy: 0,952 Epoch 4/15 273/273 June 273/273 [== Epoch 6/15 273/273 [== lms/step - loss: -30346665.9854 - accuracy: 0.9496 273/273 [------ 8s lms/step - loss: -47788554.3658 - accuracy: 8.9495: 8s 618.8972 - accuracy: 0. Epoch 8/15 Fnoch 9/15 273/273 [=== ## 8 1ms/step - loss: -96371197.7226 - accuracy: #.9518 273/273 [=== les/sten = loss: -127324434.0197 = accuracy: 8.0488 Feach 11/15 273/273 [usu 988us/step - loss: -168816996.4388 - accuracy: 8.9524 Epach 12/15 273/273 [=== 1ms/step = loss: -207308297.6934 = accuracy: 0.9512 957us/step - loss: -259907161.0511 - accuracy: 0.9525 Epoch 14/15 273/273 [=== Out[48]: <tensorflow.python.keras.callbacks.History at 0x7fa02c764310>

TensorFlow model

TensorFlow after the training session it was exposed to test data with resulting output at 95% accuracy.

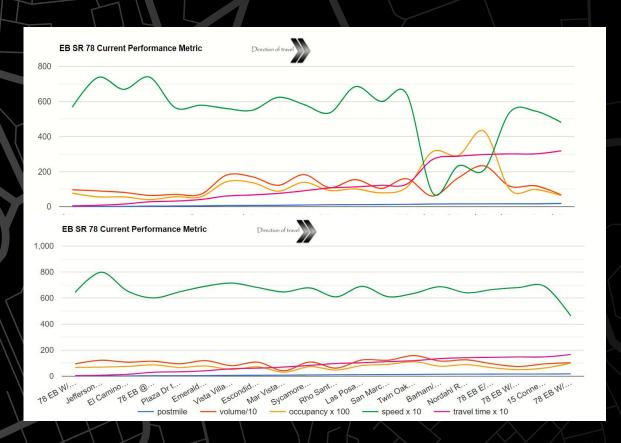
We compared the TensorFlow output for downstream densities to the output density of our model. The TensorFlow output of the downstream density values had close correspondence to the density evolution model



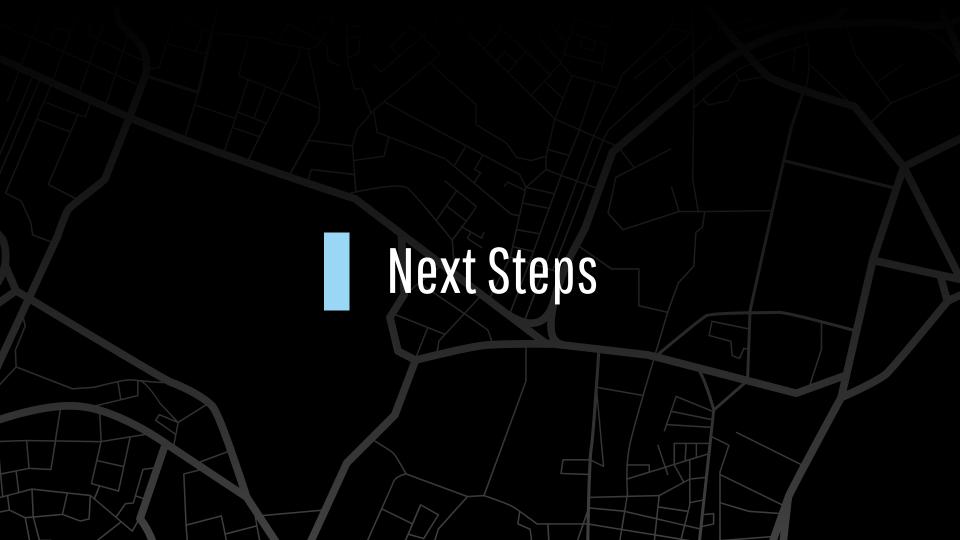
How good is our model?

We tried our traffic model on real time data obtained from Caltrans D11- RMIS system.

The model predictions and the real time data correspond very closely to each other. The slight discrepancies are very minute and can be attributed to the detector's sensitivity setting in the field.



A snapshot of the Freeway Condition before and after the application of the Particle Filter





Sources

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