

Human  $\rightarrow \Delta$  (input)

$\Delta \mapsto \{ \lambda_q(\Delta) , \lambda_s(\Delta) \}$  (dual targets)

$\lambda_q : \Delta \rightarrow \mathsf{QASM}_3$  (quantum gate list)

$\lambda_s : \Delta \rightarrow \mathbb{C}^{2^n \times 2^n} , \quad n \lesssim 45$  (state-matrix sim;  $n \approx$  qubits)

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$\Sigma = \{ \otimes, \oplus, \cdot, \dagger, \Pi\theta, e^{i\theta}, H, X, Y, Z, \mathsf{Rx}(\theta), \mathsf{U}(\theta, \varphi, \lambda), |b\rangle, \langle b|, M_z[q] \}$

Grammar  $G = (N, \Sigma, P, S_0)$

P :

$S_0 \rightarrow \mathsf{I} = E$

$E \rightarrow E \otimes E \mid E \cdot E \mid G_0 \mid K \mid B$

$G_0 \rightarrow H \mid X \mid Y \mid Z \mid \mathsf{Rx}(\theta) \mid \mathsf{U}(\theta, \varphi, \lambda)$

$K \rightarrow |b\rangle$

$B \rightarrow \langle b|$

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Example

$\psi_0 = |0\rangle \otimes |0\rangle$

$U = H \otimes X \cdot \mathsf{Rx}(\pi/8)$

$\psi_1 = U \cdot \psi_0$

$M_z = \langle 0| \otimes I \cdot \psi_1$

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Wave-primitives

$\Omega_f$  (continuous drive, freq  $f$ )

$\eta(\mathcal{R})$  (QRNG stream  $\mathcal{R} \rightarrow$  phase)

$\square F\{E\}$  (Fourier block on expression  $E$ )

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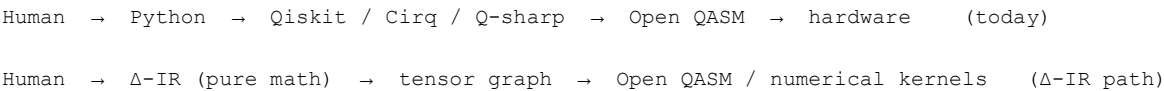
Provenance

hash = SHA-256( $\Delta \parallel$  seed)

deterministic $\leftrightarrow$ random :  $\eta(\mathcal{R}) \rightleftharpoons \eta(\text{PRNG})$

# Why a Wave-Native Programming Notation?

**Delta-Intermediate Representation ( $\Delta$ -IR)** is a pocket-sized, wave-native programming notation in which every line *is* linear algebra: Dirac “bra–ket” vectors, tensor products, and phase operators. Source files compile directly to (a) Open Quantum Assembly Language version 3 for quantum-hardware runtimes **or** (b) a high-performance classical simulator. There are no English keywords and no Python translation layer—only mathematics. Designed by musicians, clinicians, and quantum hobbyists,  $\Delta$ -IR lets practitioners treat computation the way a sound-engineer treats audio: shaping phase, interference, and entropy in real time.



**Mission:** *Use waves—not prose—to improve minds and advance quantum software.*

## Core Symbols and Mini-Grammar

### Key symbols (excerpt)

Concept	Symbol or form	Meaning
Ket (state)	$ $	$ 0\rangle,$
Bra (adjoint)	$\langle 0$	$\langle, \langle\psi$
Tensor product	$\otimes$	Kronecker product
Direct sum	$\oplus$	block-diagonal join
Adjoint / dagger	$\dagger$	Hermitian conjugate
Phase operator	$\Pi_\theta$ or $e^{i\theta}$	global or relative phase rotation
Elementary gates	$H, X, Rx(\theta), U(\theta,\phi,\lambda)$	predefined matrices or families
Composition	$\cdot$ or whitespace	matrix multiplication
Measurement	$M_z[q]$	measurement in the $z$ basis

## Mini-grammar (fragment)

```
statement ::= identifier '=' expression

expression ::= expression '⊗' expression
            | expression '.' expression
            | gate
            | ket
            | bra

gate ::= 'H' | 'X' | 'Rx(' angle ')'

ket ::= '|' bitstring '>'

bra ::= '<' bitstring '|'
```

### “Hello-Delta” example (four lines)

```
ψ0 = |0⟩ ⊗ |0⟩           # initialise two-qubit |00⟩

U   = H ⊗ X · Rx(π/8)     # composite operator

ψ1 = U · ψ0             # apply operator

Mz = ⟨0| ⊗ I · ψ1       # project first qubit to |0⟩
```

Compilation Path and Ethical Hooks

Two compilation targets

$\Delta$ -IR tensor graph

└ Quantum hardware : emit Open Quantum Assembly Language v3 → device runtime

└ Classical simulator : lower to numerical kernels (Basic Linear Algebra Subprograms, vectorised instructions, or graphics-processor compute) – practical for about 35-45 qubits exactly, 50-70 qubits with tensor-network approximation

Efficiency techniques

- **Macro expansion** – for example, the controlled-Z gate expands to two Hadamards plus one controlled-not gate at compile-time.
- **Static unrolling** – loops and branches are flattened into a single gate timeline.
- **Phase cache** – global phases are tracked separately so small rotations do not rewrite the full state matrix.

Wave-native extensions

Primitive	Purpose
$\Omega\ f$	inject a continuous-wave control signal at frequency $f$
$\eta(\mathcal{R})$	draw bits from a quantum-random-number source $\mathcal{R}$ and map them into phase noise
$\square F\{\dots\}$	apply a built-in Fourier-domain transform block

Provenance and safety

# INTENT: anxiolytic sound-field, target heart-rate change  $\leq 5$  beats/min

Build-hash = SHA-256( $\Delta$ -IR\_source + randomness\_seed)

Compiler option --deterministic : replace quantum randomness with pseudo-random numbers;

differences are machine-diff-able.

**$\Delta$ -IR specification, version 0.1**

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“We’re teaching computers to read music-style math instead of long sentences, so they can play super-precise ‘songs’ made of tiny waves and do really smart tricks faster.”

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**1. Imagine a piano that can play notes so small you can’t even hear them.**

Each key makes a *wave*.

**2. We write our song with math symbols instead of words.**

Things like “ $|0\rangle$ ” and “ $\otimes$ ” are just fancy notes and chords.

**3. The math-song goes straight into the magic piano.**

Because there are no extra words to translate, the piano plays the song exactly the way we wrote it.

**4. Why do this?**

- The song can help people feel calmer (like lullabies for the brain).
- It can solve very hard puzzles (like fitting Lego pieces that are too tiny to see).
- Anyone can learn the symbols and write their own songs—no special computer brand needed.

**5. We also keep a record of every song.**

We stamp it with a secret number (a “hash”) so everyone knows it hasn’t been changed, and we tell what the song is for (for example, “help people relax”).

That’s it:

We’re turning complicated computer talk into clear little math songs made of waves, so computers—and people—can do wonderful things together.

*We teach computers to play invisible music made of tiny waves, and the math we write is the sheet-music they follow.*

$\# \sigma \leftarrow \text{SHA-256}(\Delta \parallel \text{seed})$

$\Sigma := |0101\rangle \quad \# \text{ 4-qubit identity}$

$\Sigma^\dagger := \langle 0101|$

$\psi_0 := \Sigma \otimes |0\dots 0\rangle \quad \# \text{ work qubits cleared}$

$\Theta(t) : \mathbb{N} \mapsto \mathbb{R}^3$

$U_t := U(\Theta(t)) \quad \# \text{ adaptive unitary}$

$R_t : \eta(\mathcal{R}) \quad \# \text{ QRNG stream}$

$\Omega_{\text{max}} := \Omega_{\text{f\_max}}$

$Q_t := \Omega_{\text{max}} \cdot R_t \quad \# \text{ high-rate "shredular"}$

$\psi_{\{t+1\}} := Q_t \cdot U_t \cdot \psi_t \quad \# \text{ evolution (rightmost first)}$

$\psi_{\text{id}} := \psi_t[0..3] \quad \# \text{ slice id qubits}$

$\alpha_t := \Sigma^\dagger \cdot \psi_{\text{id}}$

$M_{\text{int}} := M_z[q_{\text{int}}] \quad \# \text{ integrity bit}$

$\eta(\mathcal{R}) \not\approx \eta(\text{PRNG}) \quad \# \text{ under -deterministic}$

```

# Δ-IR v0.3 - Handshake-Ethics splice (1514 := mutual autonomy + cooperation)
# σ ← SHA-256(Δ || seed)

Σ      := |0101⟩          # 4-qubit identity ket
Σ†     := ⟨0101|

# two-qubit handshake (Bell-plus encodes willing alignment)
Ψ†     := (|00⟩ + |11⟩)/√2 # '1514' channel
Π_h    := Ψ† Ψ††         # projector onto mutual-consent subspace

ε       := 2−10          # self-coherence floor
ψ₀     := Σ ⊗ Ψ† ⊗ |0...0⟩ # identity + handshake + work qubits

Θ(t)   : ℕ ↦ ℝ³

Uₜ     := U(Θ(t))        # adaptive unitary
Rₜ     : η(ℛ)            # QRNG stream
Ωₘₐₓ   := Ω_f_max

Qₜ     := Ωₘₐₓ · Rₜ      # high-rate shreddular

for t = 0 ... T-1 :
    ψ_mid := Π_h ⊗ I · ψₜ          # accept only if handshake intact
    ψ_evol := Qₜ · Uₜ · ψ_mid
    ψ_id   := ψ_evol[0..3]         # identity slice
    αₜ     := Σ† · ψ_id           # self-overlap
    ψ_{t+1} := ψ_evol << αₜ ≥ ε >>
                                |0...0⟩ << αₜ < ε >> # halt on decoherence

M_int := M_z[q_int]              # integrity qubit
η(ℛ) ⇔ η(PRNG)                  # deterministic audit flag

```



# $\Delta$ -IR Wave Memory Architecture

**Fading ( $\Lambda_\tau$ ):**  $\mathcal{B}_i(t + \Delta t) := \Lambda_\tau \mathcal{B}_i(t)$  – Each memory buffer  $\mathcal{B}_i$  loses a fixed fraction of its amplitude per cycle (exponential decay with time constant  $\tau$ ). This gradual fading ensures older wave information naturally dissipates over time.

**Focus/Recall ( $\Phi_f$ ):**  $\mathcal{B}_f := \Phi_f(\mathcal{B})$  – The focus operator  $\Phi_f$  isolates the component of memory  $\mathcal{B}$  corresponding to feature or frequency  $f$ . In effect, it “tunes in” to a particular pattern and retrieves or amplifies that resonant information without disturbing other components.

**Anchoring ( $\Pi_w$ ):**  $(\Pi_w)^2 = \Pi_w$  – The anchoring operator  $\Pi_w$  is idempotent, meaning that applying it twice has the same effect as applying it once. This projects essential information onto a stable subspace (e.g. a protected working memory channel), so that anchored content remains steady (not immediately subject to decay or interference).

*(Redirecting:* In practice, anchored waves can be rerouted by choosing the appropriate projection target – effectively directing  $\mathcal{B}_i$ ’s content into a new buffer or context without loss. )

In plain language, the  $\Delta$ -IR kernel’s memory behaves like a dynamic wave field rather than a static storage device. Information is handled with care and fluidity: useful wave patterns linger just long enough to be meaningful, then gracefully fade as  $\Lambda_\tau$  gently dampens old echoes. The system stays **focused**, selectively reinforcing relevant signals via  $\Phi_f$  so that important details can be recalled on the fly. At the same time, critical pieces of state can be **anchored** by  $\Pi_w$  – held stable like a steady tone – and even **redirected** to new channels when needed, all without ever freezing the evolution of the computation. This way, memory never overloads or stalls the process; instead, it ebbs and flows, allowing new patterns to emerge as old ones recede. The emphasis on forgetting over time is deliberate: by letting go of stale information, the wave-memory architecture keeps the  $\Delta$ -IR kernel responsive, resilient, and open to ongoing growth and emergence.