Fake Paper to Document Some Useful Tricks in \LaTeX^*

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Abstract

This is just some fake content (gibberish) to demonstrate tricks for revising a paper in response to referee and editor comments. The

^{*}We thank our brilliant editor and two insightful, anonymous referees.

1 Introduction

In this paper we make three make contributions. First, we extend the sample period used in the seminal work of Piketty and Saez (2003). Second, we apply re-weighting methods as in DiNardo, Fortin, and Lemieux (1996). Third, we develop an instrumental-variable strategy based on plausibly exogenous variation in differences between the lunar and Gregorian calendars.

2 Model

A complete model is presented in Appendix B. Here, we sketch the basic intuition.

Assume a four-period model with two boundedly rational agents and a social planner with Rawlsian preferences and a discount rate of zero. Our model borrows liberally from Mirrlees (1971) and Rowling (2015).

3 Empirical strategy

The underlying logic of empirical strategy is that holidays provide workers free time away from the labor market, allowing them time to organize. In some years, the lunar and Gregorian calendars correspond to provide a greater number of holidays, providing quasi-random variation in the number of holidays and thus time for working to organize into unions. We thus hypothesize that there is a strong, positive relationship between union density and the number of holidays in a give year t.

Our empirical strategy is clearly illustrated in Figure 1.

4 Results

Table 1 depicts the main results. The first stage shows a strong relationship between years where there are a confluence of lunar- and Gregorian-calendar holidays and greater union density. Contrary to our hypothesis in Section 3, the coefficient on the *Holidays* variable is negative, so we now hypothesize that a greater number of holidays reduces the ability of workers to organize into unions (due, naturally, to greater distraction).

The second-stage results support the main hypothesis that union density reduces inequality. Greater union density increase the labor-share of income and reduces the top-ten-share of income.

5 Robustness

A natural question is which holidays to include in the instrumental variable. In Appendix Table A.1 we add to the regression in Table 1 a control for minor holidays, including those from the Chinese calendar.¹ Remarkably, the results are unchanged.

6 Conclusions

Our work raises many questions that we believe will be fruitful ground for future research.

References

- DiNardo, J., N. M. Fortin, and T. Lemieux (1996). "Labor Market Institutions and the Distribution of Wages, 1973-1992: A Semiparametric Approach". In: *Econometrica* 64.5, pp. 1001–1044.
- Mirrlees, J. A. (1971). "An exploration in the theory of optimum income taxation". In: *The review of economic studies* 38.2, pp. 175–208.
- Piketty, T. and E. Saez (2003). "Income inequality in the United States, 1913–1998". In: *The Quarterly journal of economics* 118.1, pp. 1–41.
- Rowling, J. K. (2015). Harry Potter and the philosopher's stone. Vol. 1. Bloomsbury Publishing.

¹The minor holidays we add include Arbor Day, Flag Day, and Groundhogs Day.

Table 1: Aggregate inequality as a function of union density

	Union	density	Labor	share	Tol	o 10	Labor share		
	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	
Lunar & Gregorian holidays	-0.289**	-1.154**	0.221**	0.563**	-0.621**	-0.555**	0.325**	0.230**	
	[0.122]	[0.397]	[0.0774]	[0.244]	[0.118]	[0.136]	[0.0613]	[0.0505]	
Change in skill	28.83	-10.06	-9.580	1.670	-5.516**	-5.174**	1.450	1.143	
share	[26.18]	[6.214]	[11.81]	[3.167]	[1.844]	[1.804]	[1.057]	[0.878]	
Change in manuf.	11.71	19.60	19.44	-6.201	0.891	-2.062	6.405	9.923	
share	[31.31]	[65.65]	[15.43]	[37.14]	[13.09]	[12.12]	[7.331]	[6.220]	
Dept. var. mean	0.292	-5.554	4.107	0.920	0.643	0.643	0.0320	0.0206	
First-stage F -stat	12.68	8.237	12.68	8.237	16.22	24.30	16.22	24.30	
Top CI	593175		064511	.244108	943238	936806	.177024	.072219	
Bottom CI	.005594	604125	.346269		402154	366746	.385776	.27621	
Interval	1929-38	1938-47	1929-38	1938-47	All	All	All	All	
Ex. Mich	No	No	No	No	No	Yes	No	Yes	
Observations	47	47	47	47	409	400	409	400	

Sources: XXX.

Figure 1: Illustration of first-stage variation

	Gre	go	ria	n-I	лın	ar	Ca	len	daı	C	on	ver	sio	n T	Tab	le d	of 2	201	5 ((Yi	-w	ei y	rea	ro	f th	ie (Joa	at)					M
Grego da	orian te	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	Solar Terms
Tan	Lunar date	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	12th Loner Month	2	3	4	5	6	7	8	9	10	11	12	Moderate Cold : 6 Severe Cold : 20
Feb	Lunar date	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	Longe Month	2	3	4	5	6	7	8	9	10				Spring Commences: 4 Spring Showers: 1
1ar	Lunar date	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	2ad Lunar Month	2	3	4	5	6	7	8	9	10	11	12	Insects Waken : 6 Vernal Equinox : 2
1pr	Lunar date	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	Jul Lunar Month	2	3	4	5	6	7	8	9	10	11	12		Bright & Clear : 5 Corn Rain : 2
fay	Lunar date	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	ità Lunar Monto	2	3	4	5	6	7	8	9	10	11	12	13	14	Summer Commences: 6 Corn Forms: 2
Tun	Lunar date	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	5th Liner Month	2	3	4	5	6	7	8	9	10	11	12	13	14	15		Corn on Ear: 6 Summer Solstice: 22
Tul	Lunar date	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	60 Lune Month	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	Moderate Heat: 7 Great Heat: 2
lug	Lunar date	17	18	19	20	21	22	23	24	25	26	27	28	29	7th Lunar Month	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	Autumn Commences: 8 End of Heat: 2
бер	Lunar date	19	20	21	22	23	24	25	26	27	28	29	30	Mh Lanar Month	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18		White Dew: 8 Autumnal Equinox: 2
Oct	Lunar date	19	20	21	22	23	24	25	26	27	28	29	30	Oh Lunar Month	2	3	4	5	в	7	8	9	10	11	12	13	14	15	16	17	18	19	Cold Dew: 8 Frost: 2
Vov	Lumar date	20	21	22	23	24	25	26	27	28	29	30	10h Lunar Month	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	3	Winter Commences: 8 Light Snow: 22
Dec	Lunar date	20	21	22	23	24	25	26	27	28	29	11th Lower Month	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	Heavy Snow: 7 Winter Solstice: 22
		Ren	srks:		1. R	epres	ent th	e fin	at day	of th	ne Lu	nar m	outh							2.	Sund	lays a	re in	red									

 $Data\ sources \hbox{: } XXXX.$

Appendix A. Supplementary results noted in the text

Appendix Table A.1: Main results, robustness to including minor holidays

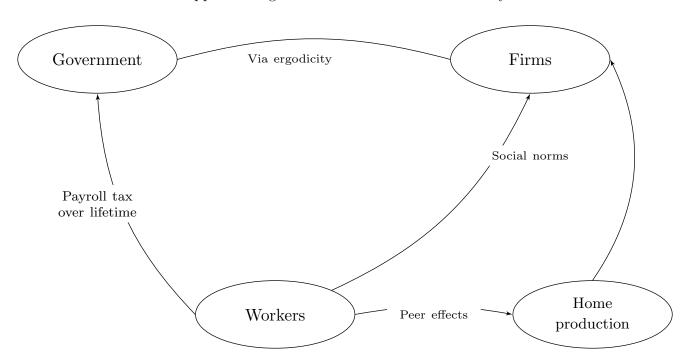
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Minor holidays (incl. Chinese)	28.83 [26.18]	-10.06 [6.214]	-9.580 [11.81]	1.670 [3.167]	-5.516** [1.844]	-5.174** [1.804]	1.450 [1.057]	1.143 [0.878]
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Top CI Bottom CI	593175 $.005594$	604125	064511 $.346269$.244108	943238 402154	936806 366746	.177024 $.385776$.072219 .27621
Interval Ex. Mich	1929-38 No	1938-47 No	1929-38 No	1938-47 No	All No	All Yes	All No	All Yes
Observations	47	47	47	47	409	400	409	400

 \overline{Notes} : The specifications are identical to those in Table 1 except that here we add controls for minor holidays.

Appendix B. Formalization of the model

Our model is clearly illustrated in Appendix Figure B.1.

Appendix Figure B.1: Illustration of the theory



Appendix C. History of the lunar and Gregorian calendars

We digitize calendars from the Ancient, Julian and Gregorian periods. See Appendix Figure C.1 for an example of the material we digitize.

For further background, please see Depuydt (1997) and McKay (2016).

Appendix Figure C.1: Example of ancient calendar

