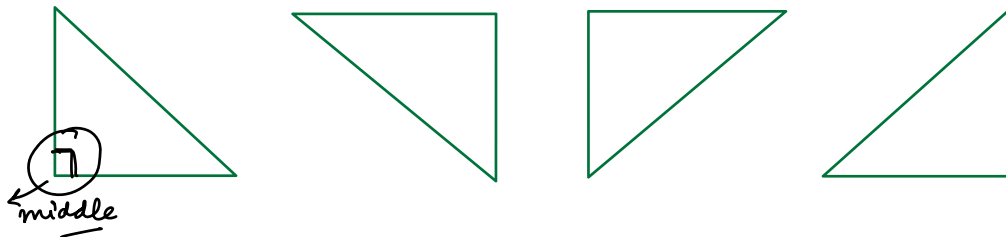
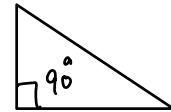
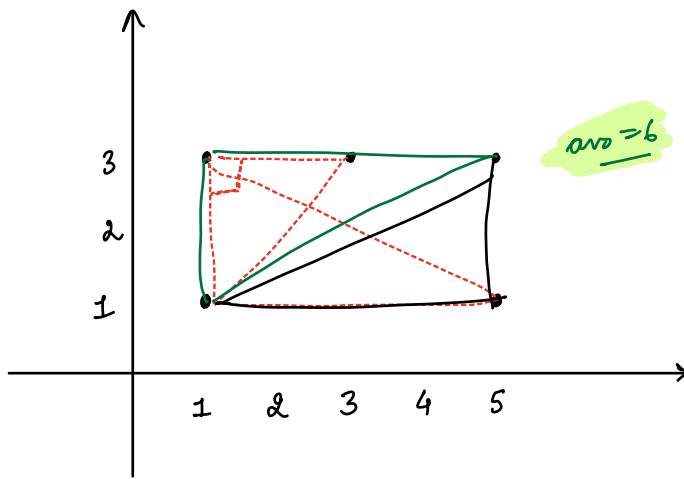
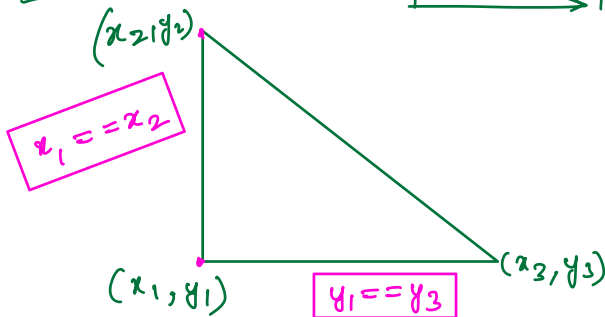


## Hashing-2

Q Given coordinates of  $N$  points on a 2D-plane.  
 Count no. of right-angle triangles using the given set of points such that two small sides of  $\triangle$  should be parallel to  $x$ -axis &  $y$ -axis.



B-F: consider all possible triplets & check if a triplet matches.



T.C:  $O(n^3)$

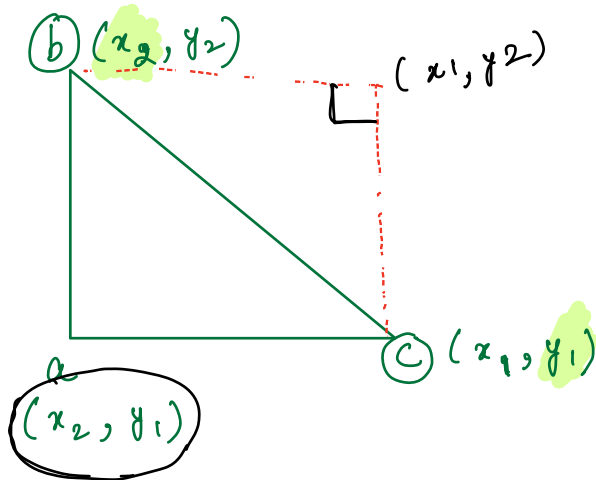
$\downarrow$   
 $O(n^2)$

```

for (int i=0; i<n; i++) → middle
    for (j=0; j<n; j++) → vertical
        if (i==j) continue;
        for (k=0; k<n; k++) → h2
            if (i==k || j==k) continue;
            if (x[i] == x[j] && y[i] == y[k])
                cnt++;
    }

```

If I have 2 points of the triangle, can you find out the 3<sup>rd</sup> point?

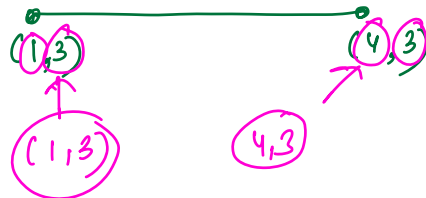


$O(1)$   $O(1)$

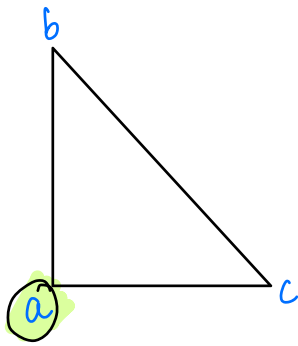
```

for (i=0; i<n; i++)
    for (j=i+1; j<n; j++)
        if (x[i] == x[j] && y[i] == y[j])
            continue;
        check(x[i], y[j]) cnt++;
        check(x[j], y[i]) cnt++;
    }
    → hashset (pairs)
    (x, y)

```

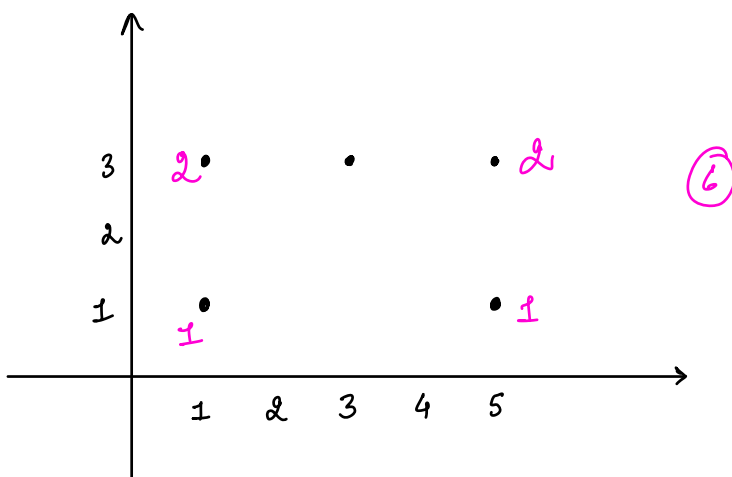
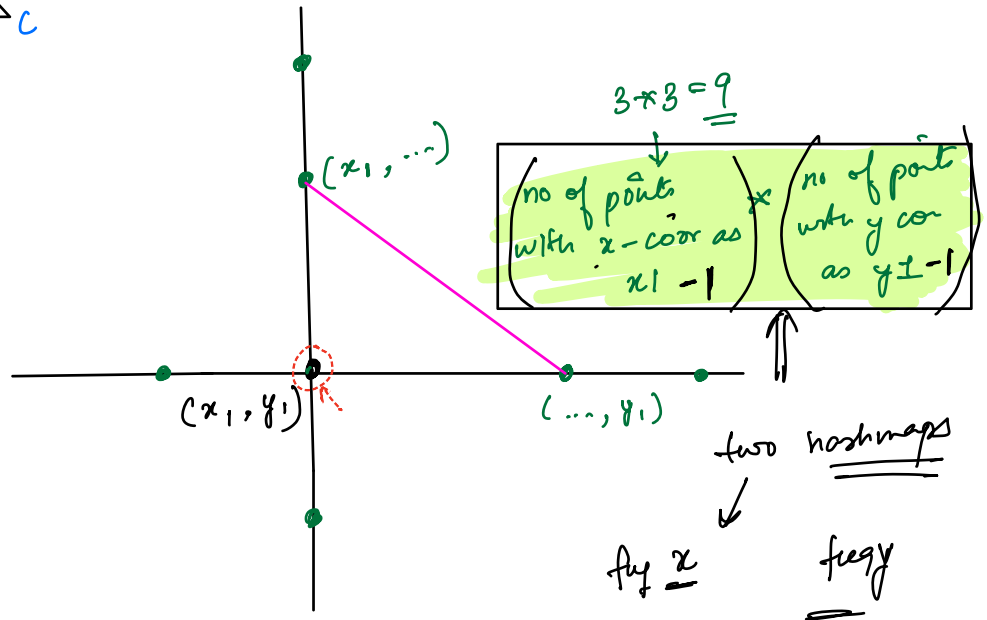


T.C:  $O(n^2)$   
S.C:  $O(n)$

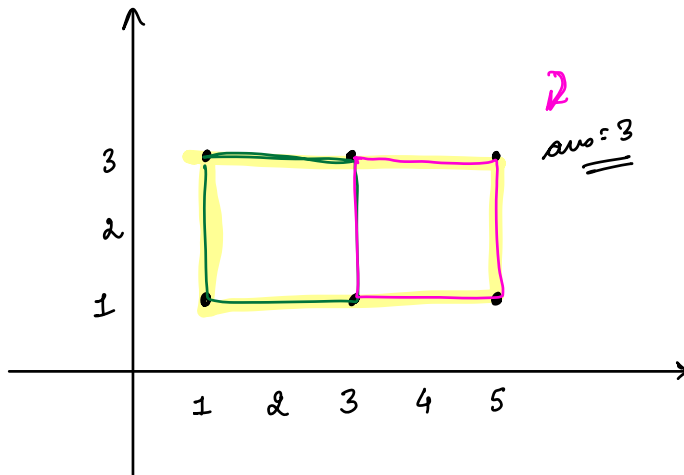


$O(n)$

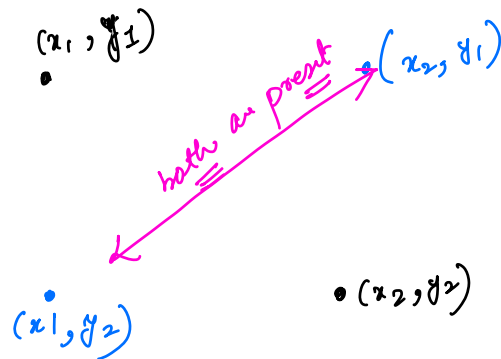
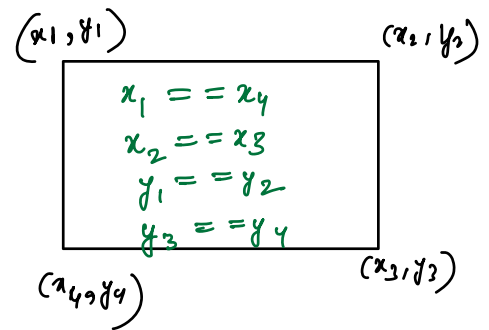
idea 3- consider every single point as a middle pt & then find how many  $\triangle$  can be formed with that pts as middle pts



Q Find count of rectangles in a 2D-plane.  
 Find count of rectangles □ we can form s.t. sides are parallel to x-axis and y-axis




B.F.:- consider all quadruples



$\Rightarrow O(n^2)$

Q given a string  $s$  & an integer  $k$ .

Find if  $s$  can be rearranged to form a string which is concatenation of  $k$  equal strings.

$s = \text{"abbbbabba"}$  

$k = 3$

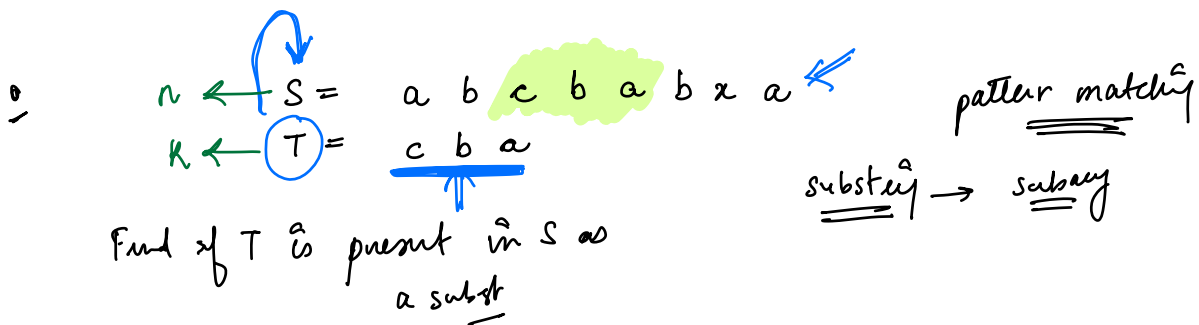


$\frac{abb}{bba}$	$\frac{abb}{bba}$	$\frac{abb}{bba}$
-------------------	-------------------	-------------------

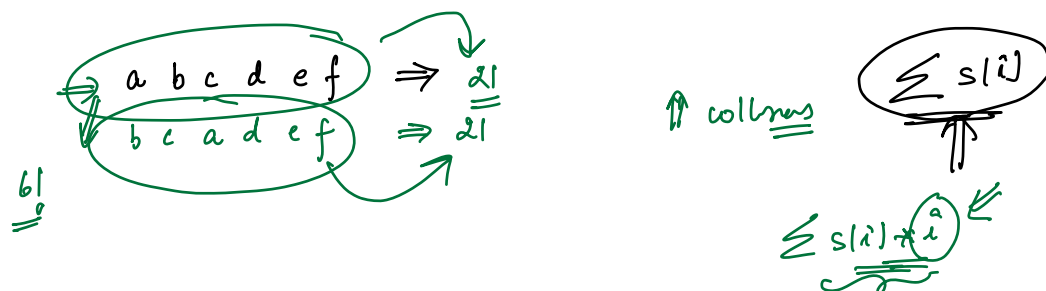
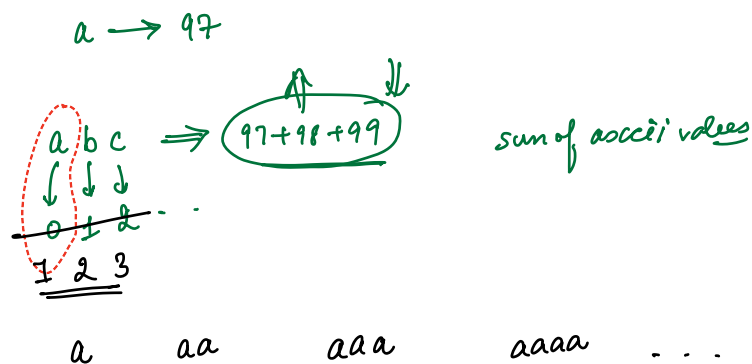
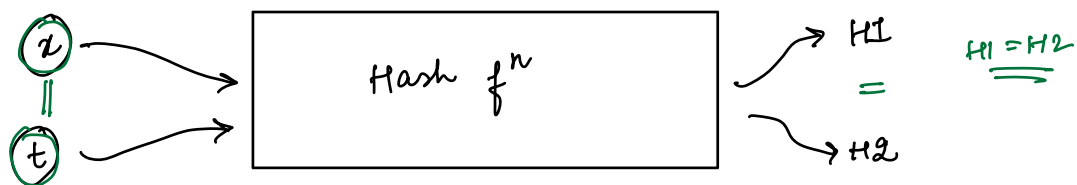
— — —  $k$  buckets

hashmap

count of even char  $\% k == 0$



BoF:  $n \neq k$

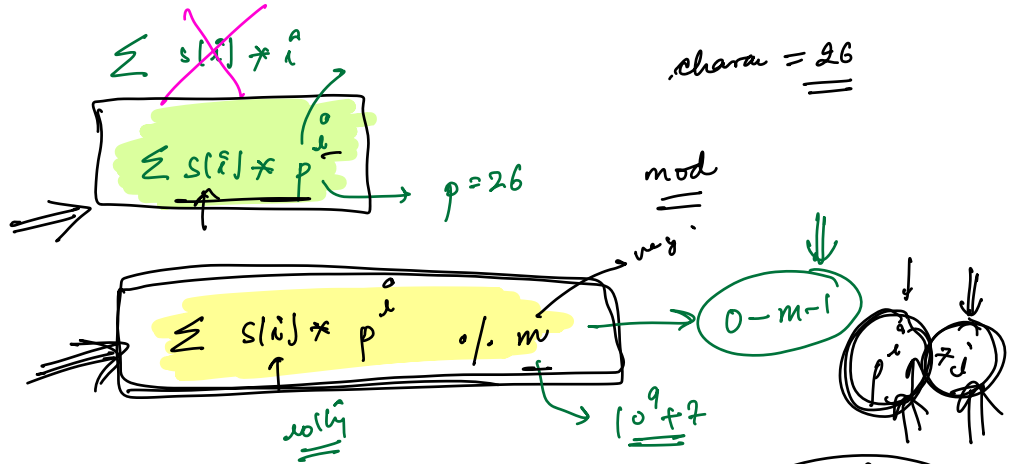


1 2 3 4 5  $\Rightarrow$

$$5 \times 10^0 + 4 \times 10^1 + 3 \times 10^2 + 2 \times 10^3 + 1 \times 10^4$$

base, no of dig.

aa  
ba



0 - - - h2 - h1 - - - m-1

$s_1 \rightarrow h(s_1) \rightarrow 0$

$s_2 \rightarrow 1/m \approx 10^{-9}$

$s_3 \rightarrow 2/m \approx 10^{-9}$

$\vdots$

$s_{n+1}$

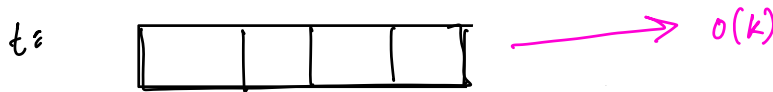
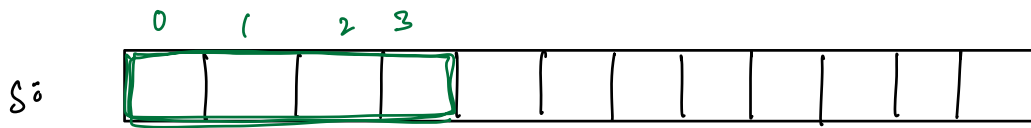
playism

$n/m$

$10^5 / 10^9 \approx 10^{-4}$

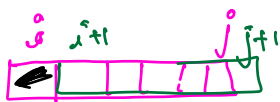
$n \approx 10^5$

0.0001



$$h(*) = h(s[0-3]) \quad \text{match}$$

$\downarrow$   
 $O(k)$



$$\leq s[i] * p^i \text{ mod } m$$

$$h(s[i-j]) = (s[i] + s[i+1] * p + s[i+2] * p^2 + s[i+3] * p^3 \dots$$

$$\sum_{k=i}^j s[k] * p^{k-i} \text{ mod } m = H - 1$$

$$h(s[i+1-j+1]) = (s[i+1] + s[i+2] * p + s[i+3] * p^2 \dots + s[j] * p^{j-i-1} + s[j+1] * p^{j-i}) \text{ mod } m$$

$$H = \left( \frac{H - s[i]}{p} + s[j+1] * p^{j-i} \right) \text{ mod } m \rightarrow O(1)$$

$c=26$   
 $p=31$

$p^{-1} \text{ mod } m$  (precompute)

$p^{m-2} \text{ mod } m \rightarrow \log(m)$  (precompute)

Pattern

$O(n+k)$

Rabin Karp Algorithm

Z algorithm



$$\frac{H - \text{outgoing value}}{p} + \text{incoming} * p^{K-1} \text{ o/a m}$$

pattern in a text → Rabin Karp