

Q Infinite stream of characters,  
After a new character comes, check if the  
current stream of characters forms a  
palindromic string or not.

Google

# can't store  
string

a	✓
ab	X
abc	X
abcb	X
abcba	✓
abcbaK...	X

$S = \text{reverse}(S) \Rightarrow \text{palindrome}$  Hash

FH S BH

abcba  
↑↑↑↑↑

$$FH = a \cdot p^0 + b \cdot p^1 + c \cdot p^2 + b \cdot p^3 + a \cdot p^4$$

$$BH = a \cdot p^0 + b \cdot p^1 + c \cdot p^2 + b \cdot p^3 + a \cdot p^4$$

palindrome  $\Rightarrow FH = BH$

		FH	BH
$i=0$	a	$a \cdot p^0$	$a \cdot p^0$
$i=1$	ab	$a \cdot p^0 + b \cdot p^1$	$a \cdot p^1 + b \cdot p^0$
$i=2$	abc	$a \cdot p^0 + b \cdot p^1 + c \cdot p^2$	$a \cdot p^2 + b \cdot p^1 + c \cdot p^0$
$i=3$ ↓	abcb	$a \cdot p^0 + b \cdot p^1 + c \cdot p^2 + b \cdot p^3$	$a \cdot p^3 + b \cdot p^2 + c \cdot p^1 + b$

$$FH_{new} = FH_{old} + \text{new-char} * p^i$$

$$BH_{new} = (BH_{old} * p) + \text{new-char}$$

Q8

Given a string  $s$ , check if you can rearrange the string  $s$  such that there is no BORING substring in  $s$ .

Boring substring  $\rightarrow$  Size = 2  
 $\rightarrow$  both characters are adjacent to each other in English alphabet

$S = a(bcd)$

acbd

c a d b  
 b d a c

ab ba boring  
 cd dc  
aa?

B.F:-

Generate all permutations and check!

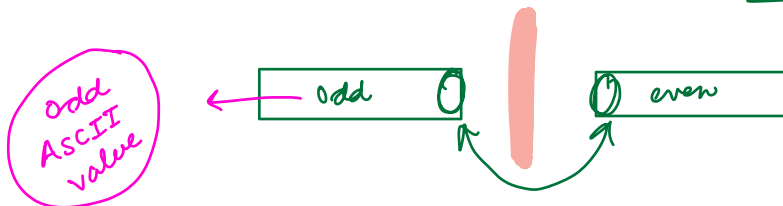
$n! \neq n$

S

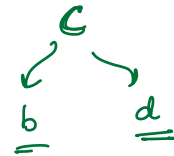
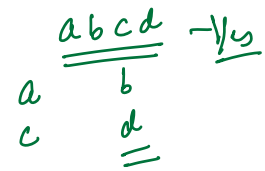
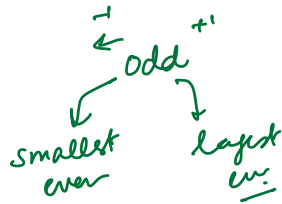
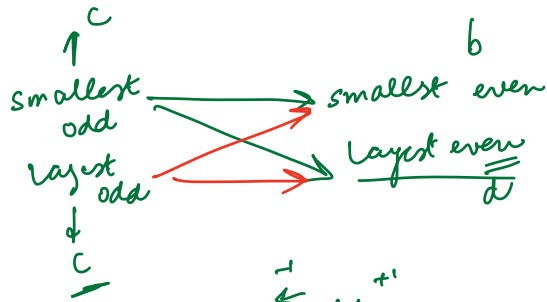
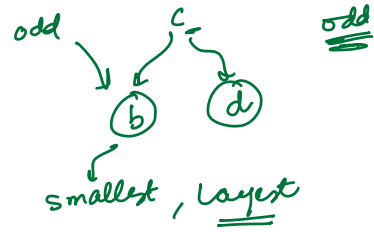
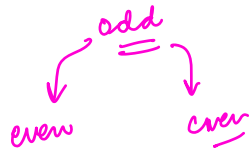
odd characters :- Yes  
 even charact :- Yes

a-97 c=99. --

b d f --



acabdac  
 aacca ~~bd~~ db  
13 \* 13 = 0



Q Find length of longest substring which contains all unique / distinct characters.

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
a	e	b	c	a	b	g	e	b	@	#	g	b	k	d	b	#

B.F:

consider all possible substrings

B.S:

(0,0)	✓	(1,1)	✗
(0,1)	✓	(1,2)	✗
(0,2)	✓	⋮	
(0,3)	✓	⋮	
(0,4)	✗	(1,4)	

$l=0, r=0$

if (current char is <sup>set</sup> already present in set)

$ans = \max(ans, r-l);$

while (  $arr[l] \neq curr\_ch$  )

{

$l++;$  // remove your  $arr[l]$  from set

}

$l++;$

}

else {

// insert in set

$r++;$

}

$T.C: O(n)$

$S.C: O(n)$

optim:-

store the prev  
occurrence  
& then directly  
jump

- optimisation with HM:
- 1) detect duplicate with right condition  
↳ when your prev index is present inside the window
  - 2) update your map
  - 3) directly jump to prevIndex+1

Q count all permutations of A in B as a substring.

A: a b c  
 B: a b c b a c a b c      ans = 5

permutation:- rearrangement

abc      3!  
 bac  
 bca  
 cba

A: a c a  
 B: a c a a      ans = 2

B.F:-

generate all permutations

$m! \times n$       length of A

↓  
 some set of elements are  
 just rearranged

⇓  
 just focus on freq of elements

A: a b c  
 B: a b c b a c a b c

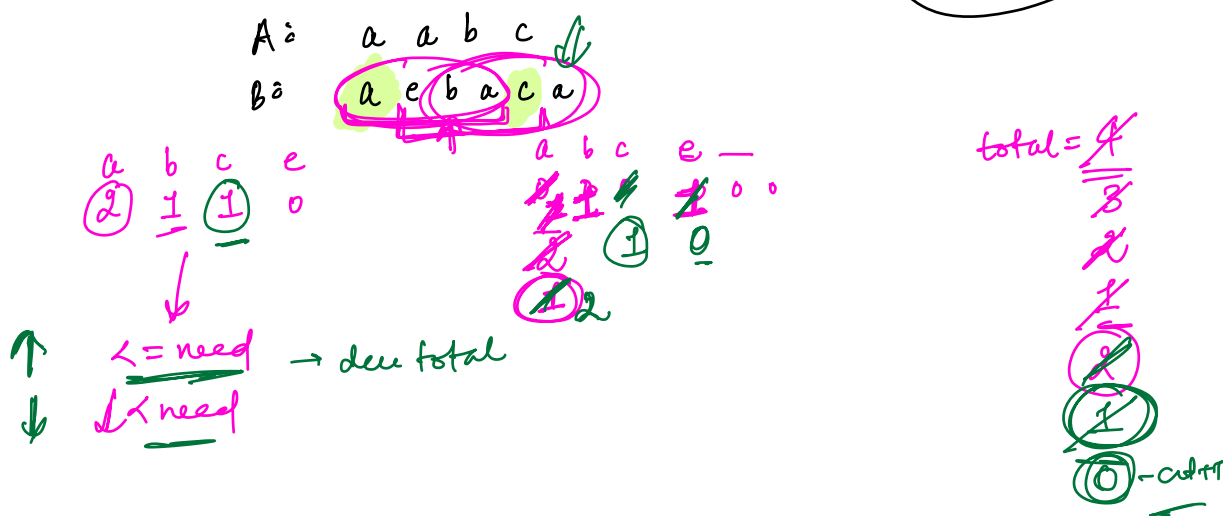
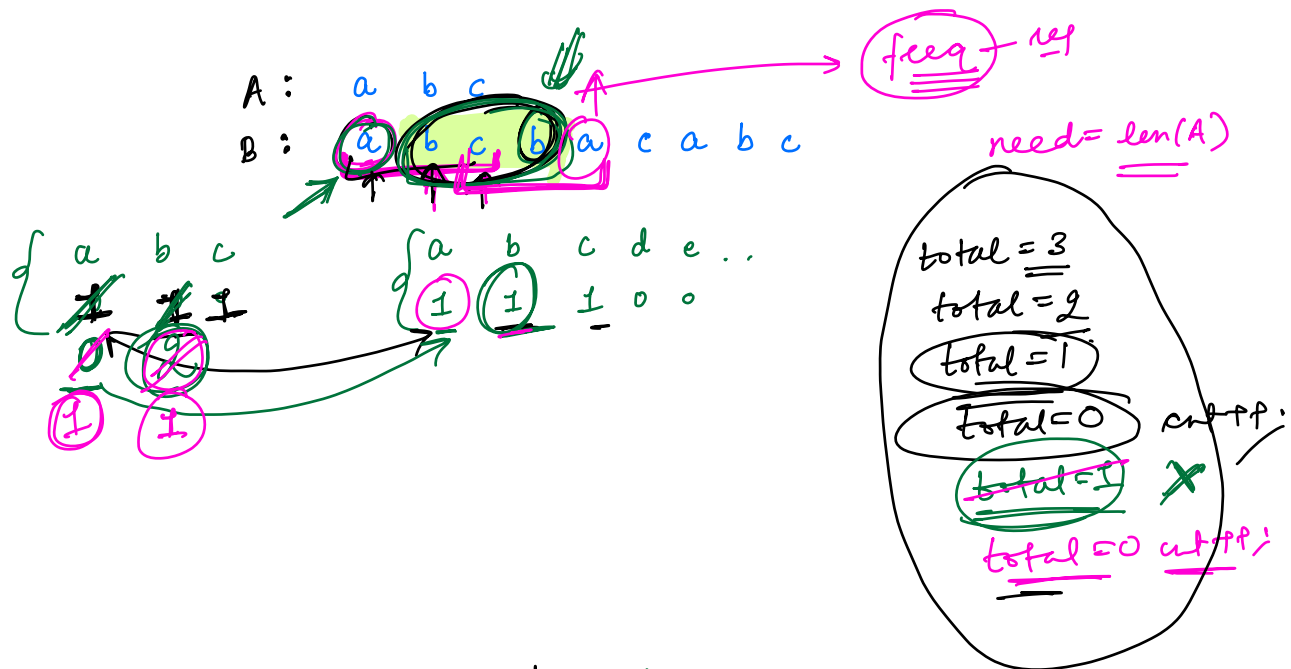
a	b	c
1	1	1
a	b	c
1	1	1

- 1) calculate freq array/HM for string A
- 2) build freq array for first window of size = length of A

traverse the freq & compare  
 ↳ count++

do iteration

T.C:-  $O(n \times 26) = O(n)$



element comes in → increase its freq  
↓  
≤ needed freq ⇒ total--;  
> freq ⇒ extra X

element goes out → decrease its freq  
< needed freq total++