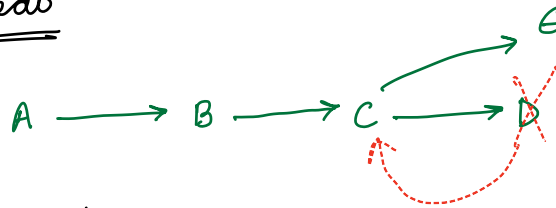


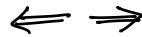


LIFO :- Last In first out

undo/redo



browser history

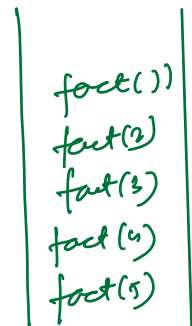
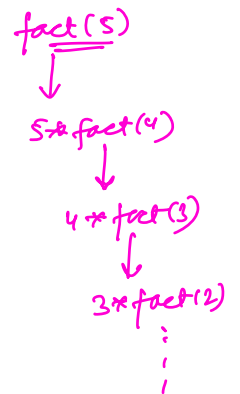


Stack

→ DS which follows LIFO behaviour

```
int fact(int n)
{
    if (n == 0 || n == 1) return 1;

    return n * fact(n-1);
}
```



operations by stack :-

push(x) :- insert the data x at top  
pop() :- delete the data from top  
top() :- access to top-most element  
isEmpty() :- if stack is empty

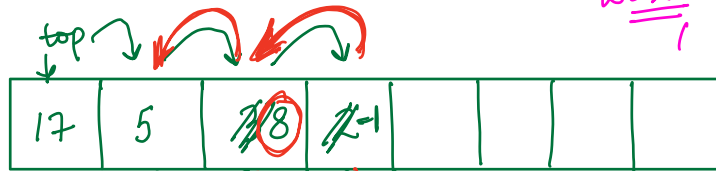
push	17	
push	5	
push	3	
push	2	
pop		
top	→ 3	
pop		
push	8	
push	-1	
pop		
top	→ 8	

-1  
8  
~~2~~  
~~3~~  
5  
17

# Implementation of stack → linear

## • arrays

push	17
push	5
push	3
push	2
pop	
top	
pop	
push	8
push	-1
pop	
top	



top = -1;

```

push( x )
{
    top++;
    arr[top] = x;
}

```

```

pop()
{
    top--;
}

```

```

top()
{
    return arr[top];
}

```

```

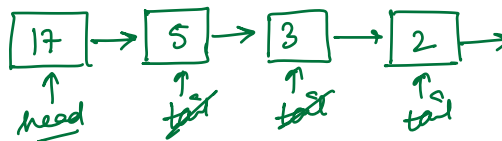
isEmpty()
{
    if (top == -1)
        return true;
    return false;
}

```

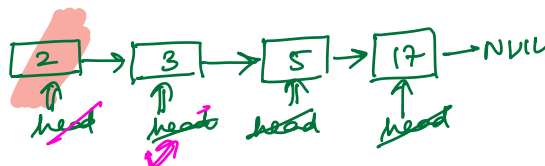
## • linked list

push	17
push	5
push	3
push	2
pop	
top	
pop	
push	8
push	-1
pop	
top	

head = NULL;      tail;

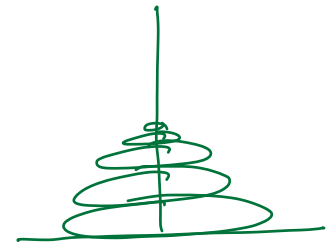
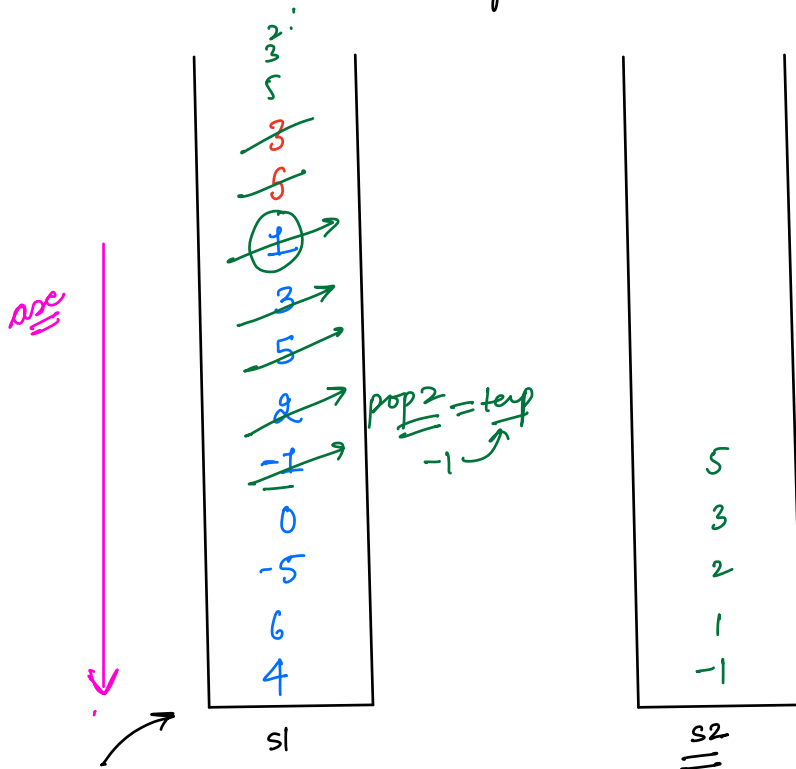


insert always at head!



head = head.next;

- Sort the stack using another stack.



s2 ↓  
descend order

Always maintain  
your s2 in  
desc order

```

while( !s1.empty() )
{
    int x = s1.top();
    s1.pop();
    while( x < s2.top() )
    {
        temp = s2.top();
        s1.push(temp);
        s2.pop();
    }
    s2.push(x);
}

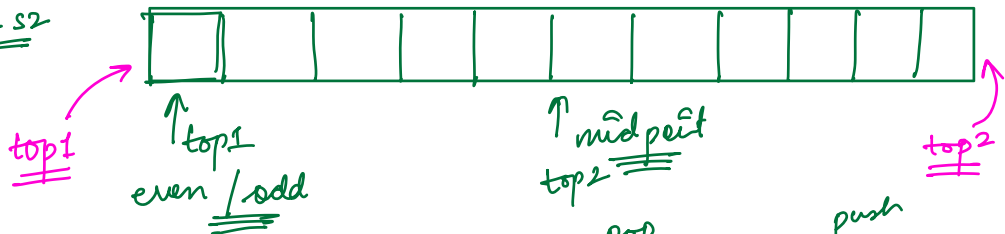
```

T.C :  $O(n^2)$

// move all the element back to s1.

Q Implement 2 stacks using a single array.

push  $x \rightarrow s1$   
push  $x \rightarrow \underline{s2}$



pop  
{  
top--;  
}  
top

push  
{  
top--;  
, arr[top] = x

push  $\rightarrow s1 \rightarrow x$   
push  $\rightarrow s2 \rightarrow x$   
pop  $\rightarrow s1$   
pop  $\rightarrow s2$   
top s1

Q Implement a stack - one more operation

all: O(1)

T.C: O(1)  $\leftarrow$  getMin()  $\rightarrow$  return min of all elements currently present in stack.

7  
 $\uparrow$   
push

5

2

getMin()  
 $\downarrow$   
2

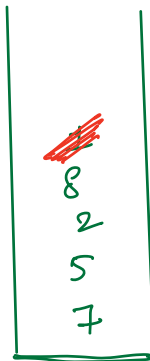
8

getMin()  
 $\downarrow$   
2

1

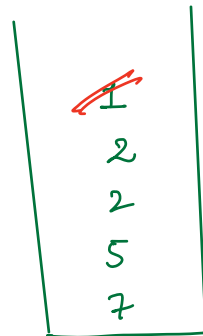
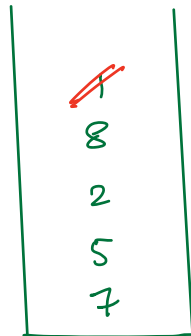
getMin()  
 $\downarrow$   
1

pop() getMin()



min = INT\_MAX

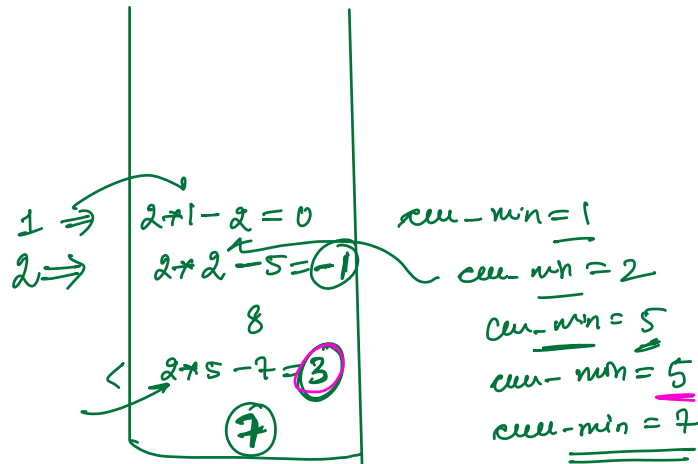
getMin()  
d  
return s2.top();  
 $\downarrow$



$\uparrow$   
min stack

push()  
d  
s1.push(x);  
minStack.push();  
 $\rightarrow$  curr\_min = min(curr\_min, x);  
}

$$\text{prev-min} = 2 * \text{cur-min} - s.\text{top}();$$



```

{ getMin()
{ return cur-min;
}

```

$$2 * x - \text{cur-min}$$

$\uparrow$   
inverted

$$x < \text{cur-min}$$

$$2x - \text{cur-min} < x$$

pop()

```

{
if (s.top() < cur-min)
{ int prev-min;
prev-min = 2 * cur-min - s.top();
cur-min = prev-min;
}
s.pop();
}

```

```

{ push(x)
{
if (x < cur-min)
{
s.push(2 * x - cur-min);
cur-min = x;
}
else { s.push(x); cur-min = min(cur, x); }
}
}

```

Q

Maximum frequency stack  $\rightarrow$  operation

$O(1)$   $\rightarrow$  return the element with max  
freq & if two elements  
have same freq return  
whichever is closest to the top

5 7 2 5 2 1 7 5 6 2 7

	7	freq
	2	2
	6	5
	5	5
	7	7
	1	2
	2	2
	5	5
	2	2
	7	7
	5	5

pop will  
cause issues

HM + stack  
 $\downarrow$   
freq