MACHINE LEARNING PROJECT



Submitted By:

GROUP 2

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Breast Cancer Classification

PHASE 2

Problem Definition:

Breast cancer is one of the main causes of cancer death worldwide. Early diagnostics significantly increases the chances of correct treatment and survival, but this process is tedious and often leads to a disagreement between pathologists. Computer-aided diagnosis systems showed the potential for improving diagnostic accuracy. But early detection and prevention can significantly reduce the chances of death. It is important to detect breast cancer as early as possible. Breast cancer is a cancer in which the cells of breast tissue get altered and undergo uncontrolled division, resulting in a lump or mass in that region. It is generally diagnosed as one of the two types:

- Benign (Non-cancerous)
- Malignant (Cancerous)

Python packages used:

- Numpy v1.19.1
- Matplotlib v3.3.1
- Plotly v4.9.0
- Seaborn v0.10.1
- Sci-kit learn v0.23.2

Numpy is a general-purpose array-processing package. It provides a high-performance multidimensional array object, and tools for working with these arrays. It is the fundamental package for scientific computing with Python. Besides its obvious scientific uses, Numpy can also be used as an efficient multi-dimensional container of generic data.

Matplotlib is one of the most popular Python packages used for data visualization. It is a cross-platform library for making 2D plots from data in arrays. One of the greatest benefits of visualization is that it allows us visual access to huge amounts of data in easily digestible visuals. Matplotlib consists of several plots like line, bar, scatter, histogram etc.

The Plotly Python library is an interactive, open-source plotting library that supports over 40 unique chart types covering a wide range of statistical, financial, geographic, scientific, and 3-dimensional use-cases.

Seaborn is a library mostly used for statistical plotting in Python. It is built on top of Matplotlib and provides beautiful default styles and color palettes to make statistical plots more attractive.

Scikit-learn (Sklearn) is the most useful and robust library for machine learning in Python. It provides a selection of efficient tools for machine learning and statistical modeling including classification, regression, clustering and dimensionality reduction via a consistent interface in Python. This library, which is largely written in Python, is built upon NumPy, SciPy and Matplotlib.

Datasets:

- 1. The Wisconsin breast cancer diagnostic data set for predictive analysis
 - Attribute Information:
 - 1) ID number
 - 2) Diagnosis (M = malignant, B = benign)
 - Ten real-valued features are computed for each cell nucleus:
 - a) radius (mean of distances from center to points on the perimeter)
 - b) texture (standard deviation of gray-scale values)
 - c) perimeter
 - d) area
 - e) smoothness (local variation in radius lengths)
 - f) compactness (perimeter² / area 1.0)
 - g) concavity (severity of concave portions of the contour)
 - h) concave points (number of concave portions of the contour)
 - i) symmetry
 - j) fractal dimension ("coastline approximation" 1)

All columns contain numerical data except the "diagnosis" attribute. This diagnosis attribute contains cancer type, i.e.- M(for malignant) or B(for benign), it is text data.

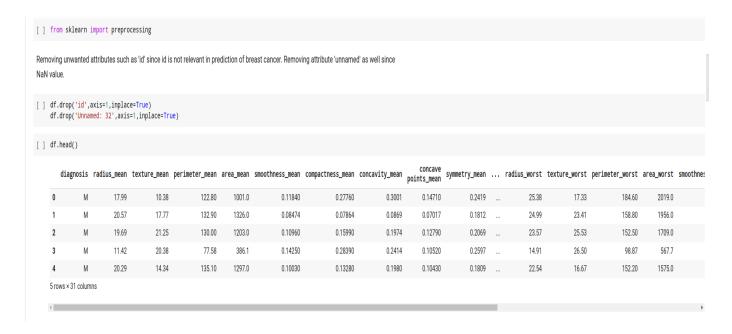
- Data Set 1: Colab notebook link for the first dataset used
- Data Set 2: Colab notebook link for the second dataset used
- Data Set 3: Colab notebook link for the third dataset used

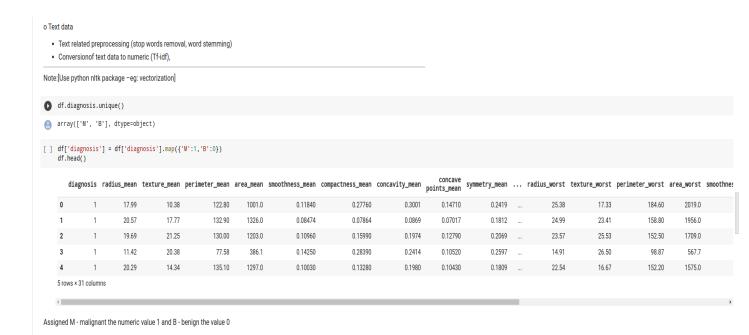
Prepare Data:

- Data Pre-processing:
 - Numerical data
 - Normalization
 - Standardization
 - Imputing Missing values
 - Discretization

1) Normalization:

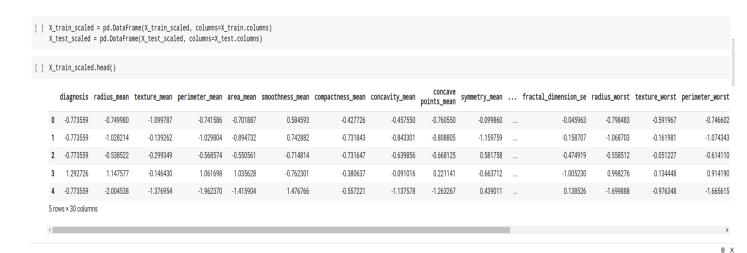
- a) Removing unwanted attributes such as 'id' since id is not relevant in prediction of breast cancer.
- b) Removing attribute 'unnamed' as well since NaN value.





2) Standardization:

```
[ ] from sklearn.model_selection import train_test_split
    X_train, X_test, y_train, y_test = train_test_split(df.drop('compactness_worst', axis=1),
                                                  df['compactness_worst'],
                                                  test_size=0.3,
                                                 random_state=0)
    X_train.shape, X_test.shape
    ((398, 30), (171, 30))
[ ] from sklearn.preprocessing import StandardScaler
    scaler = StandardScaler()
    # fit the scaler to the train set, it will learn the parameters
    scaler.fit(X_train)
   # transform train and test sets
    X_train_scaled = scaler.transform(X_train)
    X_test_scaled = scaler.transform(X_test)
[] scaler.mean_
   2.89186935e-01, 8.37181407e-02])
```



3) Discretization:

```
+ Code + Text
[ ] df['binned']=pd.cut(x=df['radius_worst'], bins=[0,25,50,100,200])
                                                                                                                                                                                                                                                                                                                                                                                                                                                                      1 V O 1 1 1
                                                                                          <bound method NDFrame.head of
                                                             21.56
20.13
           564
565
                                                                                             28.08
                                                              16,60
                                                                                                                                 108.30
           567
568
                                                                                                                                 140.10
                                                                                                                                                          1265.0
181.0
                                                                                                                                  47.92

        compactness_mean
        concavity_mean
        concave points_mean

        0.27760
        0.30010
        0.14710

        0.07864
        0.08690
        0.07017

        0.15990
        0.19740
        0.12790

        0.28390
        0.24140
        0.10520

                                         0.10960
0.14250
                                        0.10030
                                                                                  0.13280
                                                                                                                       0.19800
                                                                                                                                                                        0.10430
           564
                                         0.11100
                                                                                  0.11590
                                                                                                                       0.24390
                                                                                                                                                                        0.13890
                                         0.09780
0.08455
0.11780
0.05263
                                                                                  0.11390
0.10340
0.10230
0.27700
0.04362
                                                                                                                       0.14400
0.09251
0.35140
0.00000

        symmetry_mean
        ...
        texture_worst
        perimeter_worst

        0.2419
        ...
        17.33
        184.60

        0.1812
        ...
        23.41
        158.80

        0.2069
        ...
        25.53
        152.50

        0.2597
        ...
        26.50
        98.87

        0.1809
        ...
        16.67
        152.20

                                                                                                                                                       2019.0
1956.0
                                    0.1726 ...
0.1752 ...
0.1590 ...
0.2397 ...
           564
565
566
567
568
                                                                                       39.42
30.37
                                                                                                                             184.60
59.16
                      smoothness_worst compactness_worst concavity_worst \ 0.16220 0.66560 0.7119
```

• >

| | diagnosis | radius_mean | texture_mean | perimeter_mean | area_mean | smoothness_mean | compactness_mean | concavity_mean | concave points_mean | symmetry_mean | perimeter_worst | area_worst | smoothness_worst | compactness_worst |
|--------|---------------|-------------|--------------|----------------|-----------|-----------------|------------------|----------------|---------------------|---------------|---------------------|------------|------------------|-------------------|
| 0 | 1 | 17.99 | 10.38 | 122.80 | 1001.0 | 0.11840 | 0.27760 | 0.30010 | 0.14710 | 0.2419 | 184.60 | 2019.0 | 0.16220 | 0.66560 |
| 1 | 1 | 20.57 | 17.77 | 132.90 | 1326.0 | 0.08474 | 0.07864 | 0.08690 | 0.07017 | 0.1812 | 158.80 | 1956.0 | 0.12380 | 0.18660 |
| 2 | 1 | 19.69 | 21.25 | 130.00 | 1203.0 | 0.10960 | 0.15990 | 0.19740 | 0.12790 | 0.2069 | 152.50 | 1709.0 | 0.14440 | 0.42450 |
| 3 | 1 | 11.42 | 20.38 | 77.58 | 386.1 | 0.14250 | 0.28390 | 0.24140 | 0.10520 | 0.2597 | 98.87 | 567.7 | 0.20980 | 0.86630 |
| 4 | 1 | 20.29 | 14.34 | 135.10 | 1297.0 | 0.10030 | 0.13280 | 0.19800 | 0.10430 | 0.1809 | 152.20 | 1575.0 | 0.13740 | 0.20500 |
| | | | | | | | | | | | | | | |
| 564 | 1 | 21.56 | 22.39 | 142.00 | 1479.0 | 0.11100 | 0.11590 | 0.24390 | 0.13890 | 0.1726 | 166.10 | 2027.0 | 0.14100 | 0.21130 |
| 565 | 1 | 20.13 | 28.25 | 131.20 | 1261.0 | 0.09780 | 0.10340 | 0.14400 | 0.09791 | 0.1752 | 155.00 | 1731.0 | 0.11660 | 0.19220 |
| 566 | 1 | 16.60 | 28.08 | 108.30 | 858.1 | 0.08455 | 0.10230 | 0.09251 | 0.05302 | 0.1590 | 126.70 | 1124.0 | 0.11390 | 0.30940 |
| 567 | 1 | 20.60 | 29.33 | 140.10 | 1265.0 | 0.11780 | 0.27700 | 0.35140 | 0.15200 | 0.2397 | 184.60 | 1821.0 | 0.16500 | 0.86810 |
| 568 | 0 | 7.76 | 24.54 | 47.92 | 181.0 | 0.05263 | 0.04362 | 0.00000 | 0.00000 | 0.1587 | 59.16 | 268.6 | 0.08996 | 0.06444 |
| 569 ro | vs × 33 colum | ns | | | | | | | | | | | | |
| 4 | | | | | | | | | | | | | |) |

```
df['height_bin']=pd.cut(x=df['radius_mean'], bins=[0,25,50,100,200],
                                                      labels=[ " very small", "small", "medium", "huge",])
       print(df.head())

        diagnosis
        radius_mean
        texture_mean
        perimeter_mean
        area_mean
        \text{1001.0}

        1
        17.99
        10.38
        122.80
        1001.0

        1
        20.57
        17.77
        132.90
        1326.0

0
                                                                           21.25
20.38
14.34
                                               19.69
11.42
                                                                                                        130.00
77.58
                                                                                                                               1203.0
386.1
                                               20.29
                                                                                                        135.10
                                                                                                                                1297.0

        smoothness_mean
        compactness_mean
        concavity_mean
        concave points_mean
        \text{0.11840}

        0.11840
        0.27760
        0.3001
        0.14710

        0.08474
        0.07864
        0.0869
        0.07017

                             0.10960
0.14250
                                                                 0.15990
0.28390
                                                                                                   0.1974
                                                                                                                                           0.12790
0.10520
                             0.10030
                                                                 0.13280
                                                                                                    0.1980
                                                                                                                                           0.10430
                          0.2419 ...
                                                                       184.60
158.80
                                                                                               2019.0
1956.0
                                                                                                                                   0.1622
0.1238
                                                                       152.50
98.87
                                                                                                1709.0
567.7
                            0.2069 ...
                                                                                                                                    0.1444
                          0.2597 ...
0.1809 ...
                                                                                                                                    0.2098
                                                                       152.20
                                                                                                1575.0
                                                                                                                                    0.1374

        compactness_worst
        concavity_worst
        concave points_worst
        symmetry_worst
        \\ 0.4601

        0.1866
        0.7119
        0.2654
        0.4601

        0.1866
        0.2416
        0.1860
        0.2750

                                   0.4245
                                                                     0.4504
                                                                                                                  0.2430
                                                                                                                                                 0.3613
                                   0.8663
                                                                     0.6869
                                                                                                                 0.2575
                                                                                                                                                 0.6638
                                   0.2050
                                                                     0.4000
                                                                                                                  0.1625
                                                                                                                                                 0.2364
                                                                  binned height_bin
              fractal_dimension_worst
                                            0.11890 (25, 50] very small

0.08902 (0, 25) very small

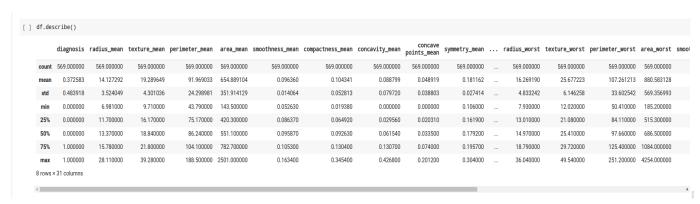
0.08758 (0, 25) very small

0.17300 (0, 25) very small

0.07678 (0, 25) very small
       [5 rows x 33 columns]
```

Data Summarization:

- Use statistical methods to understand the data and apply the required methods
- For instance, we can calculate various statistics on all numeric columns with just one function: describe():



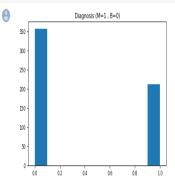
A data summary in Python can be created for a specific part of the DataFrame. We just need to filter the relevant part before applying the functions.

We group the rows by the distinct values in a column with the groupby() function. The following code groups the rows by product group.

```
[ ] df.groupby("diagnosis")

<
```





Data Visualization:

• Histogram



|] | df.head(2 |) | | | | | | | | | | | | | | |
|---|---------------|--------|-------------|--------------|----------------|-----------|-----------------|------------------|----------------|------------------------|---------------|---------------------|------------|------------------|---------------------|--|
| | diagno | sis | radius_mean | texture_mean | perimeter_mean | area_mean | smoothness_mean | compactness_mean | concavity_mean | concave points_mean | symmetry_mean | perimeter_worst | area_worst | smoothness_worst | compactness_worst c | |
| | 0 | 1 | 17.99 | 10.38 | 122.8 | 1001.0 | 0.11840 | 0.27760 | 0.3001 | 0.14710 | 0.2419 | 184.6 | 2019.0 | 0.1622 | 0.6656 | |
| | 1 | 1 | 20.57 | 17.77 | 132.9 | 1326.0 | 0.08474 | 0.07864 | 0.0869 | 0.07017 | 0.1812 | 158.8 | 1956.0 | 0.1238 | 0.1866 | |
| | 2 rows × 33 o | columr | ns | | | | | | | | | | | | | |

• Line plot

• Scatter plot:



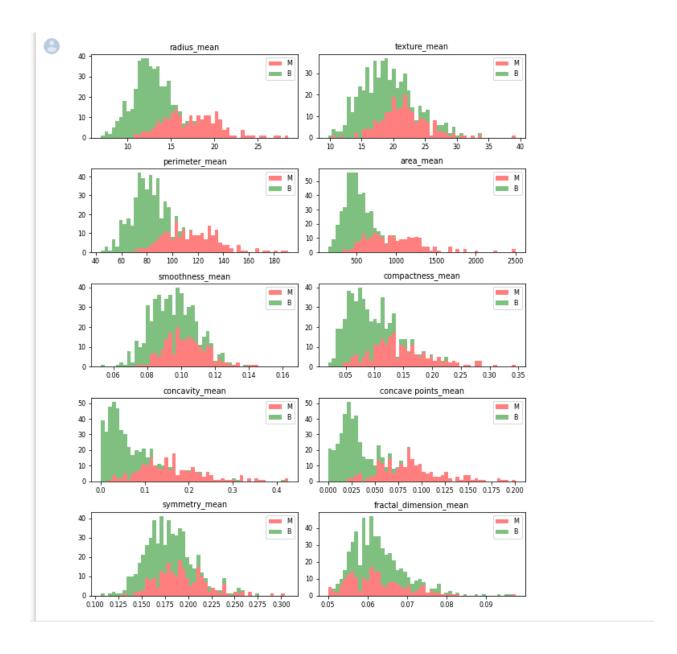
Nucleus features vs diagnosis:

```
[ ] features_mean=list(df.columns[1:11])

dfM=df[df['diagnosis'] ==1]
  dfB=df[df['diagnosis'] ==0]
```

Stack the data:

```
plt.rcParams.update({'font.size': 8})
fig, axes = plt.subplots(nrows=5, ncols=2, figsize=(8,10))
axes = axes.ravel()
for idx,ax in enumerate(axes):
    ax.figure
    binwidth= (max(df[features_mean[idx]]) - min(df[features_mean[idx]]))/50
    ax.hist([dfM[features_mean[idx]],dfB[features_mean[idx]]), bins=np.arange(min(df[features_mean[idx]]), max(df[features_mean[idx]]) + binwidth, binwidth), alpha=0.5,stacked=
    ax.legend(loc='upper right')
    ax.set_title(features_mean[idx])
plt.tight_layout()
plt.show()
```



Observations:

- mean values of cell radius, perimeter, area, compactness, concavity and concave points can be used in classification of the cancer. Larger values of these parameters tend to show a correlation with malignant tumors.
- mean values of texture, smoothness, symmetry or fractal dimension does not show a particular preference of one diagnosis over the other. In any of the histograms there are no noticeable large outliers that warrants further cleanup.

Positive correlated features:

```
#seaborn version :
palette ={0 : 'lightblue', 1 : 'gold'}
edgecolor = 'grey'
# Plot +
fig = plt.figure(figsize=(12,12))
plt.subplot(221)
ax1 = sns.scatterplot(x = df['perimeter_mean'], y = df['radius_worst'], hue = "diagnosis",
                     data = df, palette = palette, edgecolor=edgecolor)
plt.title('perimeter mean vs radius worst')
plt.subplot(222)
ax2 = sns.scatterplot(x = df['area_mean'], y = df['radius_worst'], hue = "diagnosis",
                     data = df, palette =palette, edgecolor=edgecolor)
plt.title('area mean vs radius worst')
plt.subplot(223)
ax3 = sns.scatterplot(x = df['texture_mean'], y = df['texture_worst'], hue = "diagnosis",
                     data = df, palette =palette, edgecolor=edgecolor)
plt.title('texture mean vs texture worst')
plt.subplot(224)
ax4 = sns.scatterplot(x = df['area_worst'], y = df['radius_worst'], hue = "diagnosis",
                    data = df, palette =palette, edgecolor=edgecolor)
plt.title('area mean vs radius worst')
fig.suptitle('Positive correlated features', fontsize = 20)
plt.savefig('1')
plt.show()
```

Positive correlated features perimeter mean vs radius worst area mean vs radius worst 35 30 30 radius_worst radius_worst 15 10 10 40 120 140 1500 2500 area_mean perimeter_mean texture mean vs texture worst area mean vs radius worst 50 diagnosis diagnosis 0 45 30 40 radius_worst texture_worst 30 20 25

15

10

500 1000 1500 2000 2500 3000 3500 4000

- Box plot

15

10

25 texture_mean



Data Interpretation

Record all your findings and summary about data

Creating a test set and a training set

Since this data set is not ordered, I am going to do a simple 70:30 split to create a training data set and a test data set.

```
[ ] traindf, testdf = train_test_split(df, test_size = 0.3)
```

Model Classification

```
from sklearn.model_selection import train_test_split
    from sklearn.linear_model import LogisticRegression
    from sklearn.model_selection import KFold
    from sklearn.ensemble import RandomForestClassifier
    from sklearn.tree import DecisionTreeClassifier, export_graphviz
    from sklearn import metrics
[ ] #Generic function for making a classification model and accessing the performance.
    from sklearn.model_selection import cross_validate
    def classification_model(model, data, predictors, outcome):
      #Fit the model:
      model.fit(data[predictors],data[outcome])
      #Make predictions on training set:
      predictions = model.predict(data[predictors])
      #Print accuracy
      accuracy = metrics.accuracy_score(predictions,data[outcome])
      print("Accuracy : %s" % "{0:.3%}".format(accuracy))
[ ] #Perform k-fold cross-validation with 5 folds
      kf = KFold(data.shape[0], n_splits=5)
      error = []
      for train, test in kf:
        # Filter training data
        train_predictors = (data[predictors].iloc[train,:])
        # The target we're using to train the algorithm.
        train_target = data[outcome].iloc[train]
        # Training the algorithm using the predictors and target.
        model.fit(train_predictors, train_target)
        #Record error from each cross-validation run
        error.append(model.score(data[predictors].iloc[test,:], data[outcome].iloc[test]))
        print("Cross-Validation Score : %s" % "{0:.3%}".format(np.mean(error)))
      #Fit the model again so that it can be refered outside the function:
      model.fit(data[predictors],data[outcome])
```

Logistic Regression model

Logistic regression is widely used for classification of discrete data. In this case we will use it for binary (1,0) classification.

Based on the observations in the histogram plots, we can reasonably hypothesize that the cancer diagnosis depends on the mean cell radius, mean perimeter, mean area, mean compactness, mean concavity and mean concave points. We can then perform a logistic regression analysis using those features as follows:

```
predictor_var = ['radius_mean', 'perimeter_mean', 'area_mean', 'compactness_mean', 'concave points_mean']
outcome_var='diagnosis'
model=LogisticRegression()
classification_model(model,traindf,predictor_var,outcome_var)

Accuracy: 87.940%

The prediction accuracy is reasonable. What happens if we use just one predictor? Use the mean_radius:

[] predictor_var = ['radius_mean']
model=LogisticRegression()
```

Accuracy : 87.186%

The accuracy of the predictions are good but not great.

classification_model(model,traindf,predictor_var,outcome_var)

Decision Tree Model

```
[ ] predictor_var = ['radius_mean', 'perimeter_mean', 'area_mean', 'compactness_mean', 'concave points_mean']
    model = DecisionTreeClassifier()
    classification_model(model,traindf,predictor_var,outcome_var)

Accuracy : 100.000%
```

Here we are over-fitting the model probably due to the large number of predictors. Let use a single predictor, the obvious one is the radius of the cell.

```
[ ] predictor_var = ['radius_mean']
model = DecisionTreeClassifier()
classification_model(model,traindf,predictor_var,outcome_var)
```

The accuracy of the prediction is much much better here. But does it depend on the predictor?

Using a single predictor gives a 97% prediction accuracy for this model but the cross-validation score is not that great.

Random Forest

```
[] # Use all the features of the nucleus
predictor_var = features_mean
model = RandomForestClassifier(n_estimators=100,min_samples_split=25, max_depth=7, max_features=2)
classification_model(model, traindf,predictor_var,outcome_var)

Accuracy : 94.472%

Using all the features improves the prediction accuracy and the cross-validation score is great.
```

An advantage with Random Forest is that it returns a feature importance matrix which can be used to select features. So lets select the top 5 features and use them as predictors.

```
[ ] #Create a series with feature importances:
    featimp = pd.Series(model.feature_importances_, index=predictor_var).sort_values(ascending=False)
    print(featimp)
    concave points_mean
                              0.275236
    concavity_mean
                              0.173132
                              0.170957
    area mean
    perimeter_mean
                              0.117815
    radius_mean
                              0.115605
    texture mean
                              0.049910
                              0.044423
    compactness_mean
    smoothness_mean
                              0.029888
    fractal_dimension_mean
                             0.012835
                              0.010200
    symmetry_mean
    dtype: float64
[ ] # Using top 5 features
    predictor_var = ['concave points_mean','area_mean','radius_mean','perimeter_mean','concavity_mean',]
    model = RandomForestClassifier(n_estimators=100, min_samples_split=25, max_depth=7, max_features=2)
    classification_model(model,traindf,predictor_var,outcome_var)
    Accuracy: 93.970%
```

Using the top 5 features only changes the prediction accuracy a bit but I think we get a better result if we use all the predictors.

What happens if we use a single predictor as before? Just check.

```
[ ] predictor_var = ['radius_mean']
  model = RandomForestClassifier(n_estimators=100)
  classification_model(model, traindf,predictor_var,outcome_var)
```

This gives a better prediction accuracy too but the cross-validation is not great.

Using on the test data set

```
[] # Use all the features of the nucleus
predictor_var = features_mean
model = RandomForestClassifier(n_estimators=100,min_samples_split=25, max_depth=7, max_features=2)
classification_model(model, testdf,predictor_var,outcome_var)
```

Accuracy : 97.076%

The prediction accuracy for the test data set using the above Random Forest model is 97%

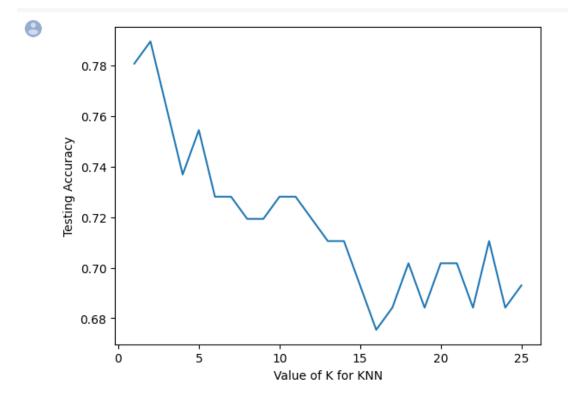
KNN:

```
[ ] from sklearn.neighbors import KNeighborsClassifier
    k_range=range(1,26)
    scores={}
    h_score = 0  # to find the best score
    best_k=0 # to find the best k
    scores_list=[]
    for k in k_range:
        knn=KNeighborsClassifier(n_neighbors=k)
        knn.fit(X_train,y_train)
        prediction_knn=knn.predict(X_test)
        scores[k]=accuracy_score(y_test,prediction_knn)
        if scores[k]>h_score:
            h_score = scores[k]
            best_k = k
        scores_list.append(accuracy_score(y_test,prediction_knn))
    print('The best value of k is {} with score : {}'.format(best_k,h_score))
```

The best value of k is 2 with score : 0.7894736842105263

```
[] #Plotting accuracy for different values of k

plt.plot(k_range,scores_list)
plt.xlabel('Value of K for KNN')
plt.ylabel('Testing Accuracy')
plt.show()
```



knn=KNeighborsClassifier(n_neighbors=best_k)

Accuracy on test set: 0.789

```
knn.fit(X_train,y_train)

prediction_knn=knn.predict(X_test)
accuracy_knn=accuracy_score(y_test,prediction_knn)*100
print('accuracy_score :',accuracy_score(y_test,prediction_knn)*100,'%')
print('mean_squared_error :',mean_squared_error(y_test,prediction_knn)*100,'%')
accuracy_score : 78.94736842105263 %
mean_squared_error : 21.052631578947366 %

[] scores_dict['KNeighborsClassifier'] = accuracy_knn
print("Accuracy with KKN: " +str(accuracy_knn))
Accuracy with KKN: 78.94736842105263

[] print("Accuracy on training set: {:.3f}".format(knn.score(X_train, y_train)))
print("Accuracy on test set: {:.3f}".format(knn.score(X_test, y_test)))
Accuracy on training set: 0.890
```

Support Vector Classifier:

```
[ ] from sklearn.svm import SVC

model = SVC(C=2.0,kernel='rbf',gamma='auto').fit(X_train,y_train)
Y_predict = model.predict(X_test)
print('Accuracy score : {}%'.format(accuracy_score(y_test,Y_predict)*100))
scores_dict['SVC'] = accuracy_score(y_test,Y_predict)*100

Accuracy score : 62.28070175438597%
```

Performing K Fold Cross Validation:

```
from sklearn.model_selection import cross_val_score
from sklearn.model_selection import KFold

acc_scores={}
cv = KFold(n_splits=3,shuffle=True)
cv_score_lr = cross_val_score(DecisionTreeClassifier(), X, y, cv=cv)
print(cv_score_lr)

mean_accuracy_lr = sum(cv_score_lr)/len(cv_score_lr)
mean_accuracy_lr = mean_accuracy_lr*100
mean_accuracy_lr = round(mean_accuracy_lr, 2)
print("Mean Accuracy In Desicion Tree Classifier: "+str(mean_accuracy_lr)+"%")
acc_scores['Desicion Tree Classifer']=mean_accuracy_lr
```

[0.92105263 0.91578947 0.8994709]
Mean Accuracy In Desicion Tree Classifier: 91.21%

```
[ ] from sklearn.model_selection import cross_val_score
    cv = KFold(n_splits=3, shuffle=True)
    cv_score_lr = cross_val_score(KNeighborsClassifier(), X, y, cv=cv)
    print(cv_score_lr)

mean_accuracy_lr = sum(cv_score_lr)/len(cv_score_lr)
    mean_accuracy_lr = mean_accuracy_lr*100
    mean_accuracy_lr = round(mean_accuracy_lr, 2)
    print("Mean Accuracy In KNN: "+str(mean_accuracy_lr)+"%")
    acc_scores['K Neighbors Classifier']=mean_accuracy_lr
```

[0.78421053 0.67894737 0.68253968] Mean Accuracy In KNN: 71.52%

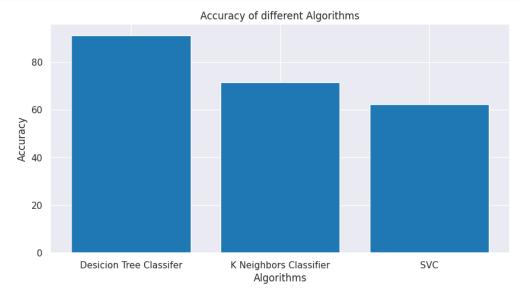
```
[ ] from sklearn.model_selection import cross_val_score
    cv = KFold(n_splits=3, shuffle=True)
    cv_score_lr = cross_val_score(SVC(), X, y, cv=cv)
    print(cv_score_lr)
    mean_accuracy_lr = sum(cv_score_lr)/len(cv_score_lr)
    mean_accuracy_lr = mean_accuracy_lr*100
    mean_accuracy_lr = round(mean_accuracy_lr, 2)
    print("Mean Accuracy In SVC: "+str(mean_accuracy_lr)+"%")
    acc_scores['SVC']=mean_accuracy_lr

[0.62105263 0.62631579 0.61904762]
Mean Accuracy In SVC: 62.21%
```

Comparing the 3 Models

```
[ ] # comparing the accuracy of the 3 models

plt.figure(figsize=(10,5))
plt.bar(acc_scores.keys(),acc_scores.values())
plt.title('Accuracy of different Algorithms')
plt.xlabel('Algorithms')
plt.ylabel('Accuracy')
plt.show()
```



Conclusion

- By comparing the 3 models (decision tree, KNN, SVC) we get to know that Decision tree has the highest accuracy
- Mean Accuracy In Decision Tree Classifier: 91.21%
- We will see if we can improve this more by tweaking the model further and trying out other models in a later version of this analysis.

Resources:

- Geeks for Geeks
- Kaggle
