Exercise 2.23

Show that $\tau(m \circ n) = \tau(n \circ m)$.

$$T(mon) = T(mn) = \frac{trace^{r}(mn)}{det(mn)} = \frac{trace^{r}(nm)}{det(nm)} = T(nom)$$

Exercise 1.3

Let p and q be distinct points in \mathbb{C} with nonequal real parts, and let A be the Euclidean circle centred on \mathbb{R} and passing through p and q. Express the Euclidean centre c and the Euclidean radius r of A in terms of Re(p), Im(p), Re(q), and Im(q).

$$\implies (c - \kappa_p)^{\ell} + \eta_p^{\ell} = (c - \kappa_q)^{\ell} + \eta_q^{\ell} \implies c = \frac{(\eta)^{\ell} - (p)^{\ell}}{\chi(\kappa_q - \kappa_p)}$$

$$q = e^{i\theta}z + \lambda$$
 $\Rightarrow z = e^{i\theta}q^{-1} + \lambda \Rightarrow q^{-1} = \frac{z - \lambda}{e^{i\theta}}$

 $q \circ C \circ q^{-1}(z) = q \circ C \circ \left(\frac{z-\alpha}{e^{i\theta}}\right) = q \circ \left(\frac{\overline{z-\alpha}}{e^{-i\theta}}\right) = e^{i\theta}\left(\frac{\overline{z}-\overline{\alpha}_{\bullet}}{e^{-i\theta}}\right) + \alpha_{\bullet}$

$$= e^{(i\theta)}(\overline{z}-\overline{a}) + a.$$

علے زمال کون ماری منراب، فوش توین کا اے۔ داریم:

$$T(m) = (a+d)^{Y} = a^{Y} + trace(m)$$

$$det(m_{\gamma}) = det(m_{\gamma}) = 1 \qquad \text{ in } i \quad c \; 2 \leq 1 \qquad c \; m_{\gamma} = \frac{-z-1}{-z-\gamma} = m_{\gamma} = \frac{z+1}{z+\gamma} \quad \text{ of } i = 1 \qquad \text{ in } i = 1 \qquad \text{ of } i = 1 \qquad \text{ o$$

.
$$T(m_1) = \forall \neq T(m_2) = -\forall$$
 $q = \pm 1$ l_1