$$\int_{-\infty}^{\infty} |f(x)| dx = \int_{-\pi}^{\pi} |dx = 4\pi |$$

$$C(w) = \frac{1}{1\pi} \int_{-\infty}^{\infty} f(x) e^{-iwx} dx = \frac{1}{1\pi} \int_{-\pi}^{\pi} e^{-iwx} dx = \frac{e^{iw\pi} - iw\pi}{1\pi iw}$$

$$= \frac{\sinh(iw\kappa)}{\kappa iw} = \frac{\sin(w\kappa)}{\kappa w}$$

$$\implies f(\pi) = \int_{-\infty}^{\infty} \frac{\sin(w\pi) e^{iw\pi}}{\sin w} dw$$

$$=\frac{1}{\pi}\int_{-\infty}^{\infty}\frac{\sin(w\pi)\left[\cos(wx)+i\sin(wx)\right]}{w}dw$$

$$= \frac{\mathbf{r}}{r} \int_{0}^{\infty} \frac{\sin(w \, r) \cos(w \, x)}{w} \, dw$$

$$\alpha(w) = \frac{\sin(w\pi)}{\pi w}$$

$$\alpha(w) = \frac{\sin(w\pi)}{\pi w} \qquad b(w) = 0 : ig = 0 ; g$$

 c_{q} c_{q}

ررسوت ذر

$$\int_{-\infty}^{\infty} |f(x)| dx = \int_{-\alpha}^{\alpha} k dx = \forall \alpha k$$

$$F_s\{f\} = \int \frac{Y}{\pi} \int_{0}^{\alpha} k \sin wx \, dx = \int \frac{Y}{\pi} k \left(\frac{1 - \cos(\alpha w)}{w}\right)$$

$$F_{c}\left\{f\right\} = \left[\frac{r}{R} \int_{a}^{Q} k \cos wx \, dx = \int_{R}^{r} \left(\frac{k \sin(\alpha w)}{w}\right)^{2} dx$$

رديده ليه در