

```
import matplotlib.pyplot as plt
import seaborn as sns
import numpy as np
import pandas as pd
from scipy import stats
```

▼ Analyzing the average heights of NBA *Players*

```
df2 = pd.read_csv('players.csv')
df2.head()
```

	Name	Games Played	MIN	PTS	FGM	FGA	FG%	3PM	3PA	3P%	...	Age	Birth_Place	Birthdate
0	AJ Price	26	324	133	51	137	37.2	15	57	26.3	...	29.0	us	October 7, 1986
1	Aaron Brooks	82	1885	954	344	817	42.1	121	313	38.7	...	30.0	us	January 14, 1985
2	Aaron Gordon	47	797	243	93	208	44.7	13	48	27.1	...	20.0	us	September 16, 1995
3	Adreian Payne	32	740	213	91	220	41.4	1	9	11.1	...	24.0	us	February 19, 1991
4	Al Horford	5	2318	1156	519	965	53.8	11	36	30.6	...	29.0	do	June 3, 1986

```
df2.shape
```

(490, 34)

▼ Hypothesis Testing

One Sample Significance Test for Mean is extremely similar to that for Proportion. We will go through almost an identical process.

The hypotheses are defined as follows:

- **Null Hypothesis:** The average height of an NBA player is 200.66 cm.
- **Alternate Hypothesis:** The average height of an NBA player is not 200.66 cm.

Significance Level, α is at 0.05. Assuming Null Hypothesis to be true.

```
h0_mean = 200.66 #google search
```

```
h1_mean = df2['Height'].mean() #z=(x-mu)/sig/sqrt(n)
h1_mean #z=(x-mu)/sigma
```

197.44075829383885

```

sigma = df2['Height'].std()/np.sqrt(len(df2))
sigma

0.3948442447237618

z = (h1_mean - h0_mean)/sigma
z

-8.15319394718129

#p_val=(1-stats.norm.cdf(abs(z)))*2...#ONE·TAIL·I.E·LOWER·TAIL·PART
p_val=(1-stats.norm.cdf(abs(z)))*2...#TWO·TAIL.....#pval·or·prob·value.....pval<alpha
p_val

4.440892098500626e-16

```

```
df2.head()
```

	Name	Games Played	MIN	PTS	FGM	FGA	FG%	3PM	3PA	3P%	...	Age	Birth_Place	Birthdate
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4	Al Horford	76	2318	1156	519	965	53.8	11	36	30.6	...	29.0	do	June 3, 1986

The p value obtained is much lesser than the significance level α . We therefore reject the null hypothesis and accept the alternate hypothesis (the negation). We can therefore arrive at the following conclusion from this analysis:

The average height of NBA Players is NOT 6'7".

```

n1 = len(df2)
mu1 = df2["Height"].mean()
sd1 = df2["Height"].std()

(n1, mu1, sd1)

(490, 197.44075829383885, 8.740249940352058)

# import statsmodels.api as sm

# sm.stats.ztest(df2["Height"].dropna(),alternative='two-sided')

```

(464.05470862910346, 0.0)

Using Python libraries.

```
from statsmodels.stats.weightstats import ztest as ztest
```

```
ztest(df2['Height'].dropna(), value=200.66)
```

```
(-7.566341847897391, 3.838810356044806e-14)
```

Since the p-value is extremely small, we reject the null hypothesis that the average height of players is 200.66

Analyzing DEPRESSION in India by Gender

Are men as likely to commit suicide as women?

This is the question we will attempt at answering in this section. To answer this question, we will use suicide statistics shared by the National Crime Records Bureau (NCRB), Govt of India. To perform this analysis, we need to know the sex ratio in India. The Census 2011 report states that there are 940 females for every 1000 males in India.

Let p denote the fraction of women in India.

▼ **H0: MEN AND WOMEN ARE EQUALLY LIKELY TO DEPRESS (NULL)**

H1: MEN AND WOMEN ARE NOT EQUALLY LIKELY TO DEPRESS (ALTERNATE)

```
p = 940/(940+1000)    # Female population proportion
p
```

```
0.4845360824742268
```

```
1-0.4845360824742268
```

```
0.5154639175257731
```

```
df = pd.read_excel('Suicides.xlsx')
df.head()
```

	State	Year	Type_code	Type	Gender	Age_group	Total
0	A & N Islands	2001	Causes	Illness (Aids/STD)	Female	0-14	0
1	A & N Islands	2001	Causes	Bankruptcy or Sudden change in Economic	Female	0-14	0
2	A & N Islands	2001	Causes	Cancellation/Non-Settlement of Marriage	Female	0-14	0
3	A & N Islands	2001	Causes	Disappearance of Person	Female	0-14	0

```
df.shape
```

```
(237519, 7)
```

```
df['Gender'].value_counts()
```

```
Male      118879
Female    118640
Name: Gender, dtype: int64
```

Step 2: Decide on the Statsitical Test

We will be using the One Sample Z-Test here.

Step 3: Compute the p-value

```
h0_prop = p
h0_prop
```

```
0.4845360824742268
```

```
h1_prop = df['Gender'].value_counts()['Female']/len(df)
h1_prop
```

```
0.49949688235467476
```

```
sigma_prop = np.sqrt((h0_prop * (1 - h0_prop))/len(df))
sigma_prop
```

```
0.0010254465276083747
```

```
z = (h1_prop - h0_prop)/sigma_prop
z
```

```
14.589546580591277
```

```
p_val = (1-stats.norm.cdf(z))*2 # pval<alpha
```

```
p_val
```

```
0.0
```

```
df['Gender'].value_counts()['Male ']
```

```
118879
```

```
from statsmodels.stats import weightstats as stests
```

```
**Using Python library**
```

```
from statsmodels.stats.proportion import proportions_ztest
z, pval = proportions_ztest(h0_prop,len(df),h1_prop)
```

```
print(z,pval)
```

```
-170438.12406155787 0.0
```

p-value > z-value, we accept the null hypothesis.

▼ Analyzing Literacy Rates

Two Sample test

```
df3 = pd.read_csv('cities.csv')
df3.head()
```



	name_of_city	state_code	state_name	dist_code	population_total	population_male	pop
0	Abohar	3	PUNJAB	9	145238	76840	
1	Achalpur	27	MAHARASHTRA	7	112293	58256	
2	Adilabad	28	ANDHRA PRADESH	1	117388	59232	
3	Adityapur	20	JHARKHAND	24	173988	91495	
4	Adoni	28	ANDHRA PRADESH	21	166537	82743	

5 rows × 22 columns

```
df3['state_name'].value_counts()
```

```
UTTAR PRADESH      63
WEST BENGAL        61
MAHARASHTRA        43
ANDHRA PRADESH     42
MADHYA PRADESH     32
TAMIL NADU         32
GUJARAT            29
RAJASTHAN          29
```

BIHAR	26
KARNATAKA	26
HARYANA	20
PUNJAB	16
NCT OF DELHI	15
ORISSA	10
JHARKHAND	10
CHHATTISGARH	9
KERALA	7
UTTARAKHAND	6
ASSAM	4
JAMMU & KASHMIR	3
PUDUCHERRY	2
MANIPUR	1
MEGHALAYA	1
ANDAMAN & NICOBAR ISLANDS	1
CHANDIGARH	1
NAGALAND	1
TRIPURA	1
MIZORAM	1
HIMACHAL PRADESH	1

Name: state_name, dtype: int64

```

punjab = df3[df3['state_name'] == 'PUNJAB']['effective_literacy_rate_total']
delhi = df3[df3['state_name'] == 'NCT OF DELHI']['effective_literacy_rate_total']

```

```

punjab_mean = punjab.mean()
punjab_std = punjab.std()

```

```

punjab_mean, punjab_std

(83.440624999999998, 5.381935796408821)

```

```

delhi_mean = delhi.mean()
delhi_std = delhi.std()

```

```

delhi_mean, delhi_std

(83.658, 4.6569551671206195)

```

From the above calculations, it can be seen that the mean and the standard deviations of Punjab and Delhi literacy rates differ slightly. The next step is to determine if this difference is a statistically significant one.

For hypothesis testing, the following are defined:

- **Null Hypothesis:** The true mean literacy rate for Punjab and Delhi are the same.
- **Alternate Hypothesis:** The true mean literacy rate for Punjab and Delhi are not the same.

The threshold value of α is assumed to be 0.05. Assuming Null Hypothesis is true.

```

h0_mean = 0
mean_diff = delhi_mean - punjab_mean
sigma_diff = np.sqrt((delhi_std**2)/len(delhi) + (punjab_std**2)/len(punjab))
mean_diff, sigma_diff

```

```

(0.2173750000000183, 1.8044784525904138)

```

Since we are dealing with sample sizes less than 30, using the t-statistic will be more appropriate. To use student's t though, we need to calculate the degree of freedom. This is done as follows:

```
deg = (((delhi_std**2)/len(delhi) + (punjab_std**2)/len(punjab)) ** 2) / (((delhi_std**2)/len(delhi) + (punjab_std**2)/len(punjab))
deg
```

```
28.82681788840003
```

```
z = (mean_diff - h0_mean) / sigma_diff
z
```

```
0.12046417051307332
```

```
p = (1-stats.t.cdf(z, deg))*2
p
```

```
0.904951180450877
```

The value of p obtained here is much higher than the significance level α . Therefore, we cannot reject the null hypothesis. It stands.

The true mean literacy rate for Punjab and Delhi are the same.

Using Python library

```
from statsmodels.stats import weightstats as stests
# z, pval = stests.ztest()
```

```
stests.ztest(delhi, x2=punjab, alternative='two-sided')
```

```
(0.1198880354206678, 0.9045718424630748)
```

p-value greater than the alpha value, we accept the null hypothesis.

