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Power, Identity, and Resistance-2

MCM' and the Tendency of the Rate of Profit

In Capital, Marx asks how a capitalist can purchase something with a certain value and sell it at a higher value. Marx claims that the defining characteristic of a capitalistic society is the ruling class' ability to valorize their capital, defined by the equation MCM'. Capitalist ownership of surplus value, the increasing proportion of constant capital to variable capital, and the declining rate of profit provide as the basis for Marx's claim that the capitalist mode of production will necessarily be replaced. I will define the model that Smith presents, contrast with Marx, and show that the structural contradictions in capitalism that Marx presents as necessitating a post-capitalist economy correctly follow from the calculation of $\lim_{t \rightarrow \infty}$, but fails to provide bounds on the timing of this eventuality. Instead of viewing the declining rate of profit as a indicator of capitalisms inevitable demise, I demonstrate the tendency of the rate of profit to fall is the enabling factor that allows for surplus value to be redistributed, in the form of lower cost technology, enabling wage-laborers to enter the hussle.

An essential distinction to both Smith and Marx is the distinction between the value of commodities and the price of commodities **distinction between price/value** A key feature of Smith's model claims maximal individual liberty is ideal for economic and technological growth because the function *optimal_action(someone_else)* is incomputable. **By pursuing his own**

interest he frequently promotes that of the society more effectually than when he really intends to promote it (Smith 423). Smith claims that services rarely have value after the service is complete and that it is exchangable commodities that are valuable. **services which perish generally in the very instant of their performance, and does not fix or realise itself in any vendible commodity (Smith 39).** Smith describes a commodity by its exchange value/worth, W , derived by the sum of the constant capital, variable capital, and surplus value, given by $c + L + s = W$. **quote** Ignoring economies of scale for this paper, I assume linearity with commodity quantity q to arrive at $\forall q \in \mathbb{N}, \forall c, L, s \in \mathbb{R}^+, q(c + L + s) = qW = qc + qL + qs$. The nation's economy will be defined as a graph on a function $f(t) = G_t(V_t, E_t)$. Defining this graph on a function allows for any vertex in set of vertices V , and for any edge in the set of edges E to change continuously. Now to define what each vertex and edge is (person and instantaneous time trade respectively): We will assume, following Smith's claim that there are uncountably many complexities regarding human action that necessitate individual liberty. **quote** We can define three important types that generate this model, commodities, people, and trades. A Commodity is a tuple containing: quantity/amount q , per-unit constant capital cost c , the per-unit variable capital cost L , and resulting per-unit surplus value s . Let the set of all commodities (past and present) be an infinite ordered-set denoted C with cardinality $m = |C|$. A Person i at a given time t is denoted P_{it} defined by: a list of values for all commodities, called a Portfolio, $A_{it} = q, c, L, s_1, q, c, L, s_2, \dots, q, c, L, s_m$, an arbitrary uncountable bitstring (0s and 1s) B_{it} that cannot be computed a priori by someone else and is assumed to be random, and a function, where given one's own bitstring, and a proposed trade e_{ijt} , a binary decision is computed instantaneously,

$g_{it} : (B_{it}, e_{ijt}) \mapsto \{x | x \in \{0, 1\}\}$. A Trade at time t is an instantaneous bidirected edge between the two Persons and N-Person trades are reduced to atomic instantaneous 2 Person Trades and no overdraws in Trades are allowed. Exercising a use-value can be represented as a vertex with an edge to itself, called a loop, in which a trade with one's own commodities consumes their existence. Notationally: $q_{ijta} = V_{ita} \cdot A_{jq} =$ the quantity q of commodity j that person i owns at time a , similarly for the constant capital, variable capital, and surplus value. An example of labor in this model: P_i Trades with P_j for assets A and Trades, typically money, with P_k . P_k expends their own assets through work/labour by a series of Trades with P_i in which A is augmented into a new commodity with surplus value, owned by P_i . Note, Money::Commodity, but acts as a commodity that serves as a primary mode of conversion for commodities associated with a consumable use-value, as the use-value of money is to employ it and generate a surplus value, given by MCM', **all commodities are merely particular equivalents of money, the latter being their universal equivalent, they, with regard to the latter as the universal commodity, play the parts of particular commodities (Marx 89.)** This quote is based off of the mean-value theorem (MVT); we can convert all commodities into a single value for monetary wealth by summing up $q(c + L + s)$ for all commodities, for a given set of people, trades, etc. This is a common theme for both Smith and Marx: the directional regression to a If we let $\mathbf{V} := \bigcup_{t \leq t_a} V_t \in G_t$ and $\mathbf{E} := \bigcup_{t \leq t_a} E_t \in G_t$ maximal set of all people and trades, then we can define the wealth of a nation at time t_a as $\sum_i^n \sum_j^m q_{ijta} * (c_{ijta} + L_{ijta} + s_{ijta})$. The reason that it is not a sum over all $t < t_a$ is that the surplus value accumulated through production is stored in the constant capital of the current commodities owned by people. **quote** This framework

makes easy to interpret the valorization of capital. For example, if a Person i at time t with commodities/assets A can employ their capital in a succession of Trades and conclude with more Commodities than starting, then they have valorized their capital via arbitrage. Profitting off of the discrepancies in prices is not a zero sum game, as the arbitrageur is forcing price stability by taking profits from commodity producers, who subsequently need to employ more constant capital to reduce the per-unit variable capital cost. We now want to extend this model to account for the class dynamics of MCM' that Marx presents as necessitating a post-capitalist mode of production and show that the discretization of individuals into homogeneous classes violates Smith's key assertion that it is impossible to calculate the optimal action for any given individual.

quote on MCM' and classes something about supply demand and normal distributions

Marx claims that the worker is completely reduced to selling their labor for wages that are spent entirely on the means of subsistence and reproduction. **quote** Let α be a set of assets defining the means of subsistence, and therefore a death condition given by: $\{A_i - x < 0 | x \in \alpha\}$ We want to extend this model to explain labor/class relations, the labor theory of value, and the relative diminution of the variable part of capital to constant capital. We can extend the type Person, with an attribute characterizing their class, where a Person is a wage-laborer β or a capitalist γ , $P_i :: \beta$ and $P_i :: \gamma$ respectively. **Quote on use value being equivalent to exchange value**

Marx identifies the apparent nonlinear behavior of the proportion of constant capital to variable capital as technology advances. **quote** However, it is not clear that this eventuality is one that will necessarily be witnessed. Zeno's paradox is a simple analogy for the amount of time it will take for the proportion of constant capital to entirely encompass that of variable capital, which is

the real precondition for a post-capitalist mode of production. We can only say what the behavior is of $\lim_{t \rightarrow \infty}$, but not when it will happen.

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"though the market price of every particular commodity is in this manner continually gravitating, if one may say so, towards the natural price, yet sometimes particular accidents, sometimes natural causes, and sometimes particular regulations of police, may, in many commodities, keep up the market price, for a long time together, a good deal above the natural price (Smith 59).