

18CSC305J – ARTIFICIAL INTELLIGENCE LAB

Exp-4: Implementation of BFS and DFS in an Application – Range Sum of Binary Search Tree

Submitted by-

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<u>AI LAB Ex – 4:-</u> Implementation of BFS and DFS in an Application – Range Sum of Binary Search Tree

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Aim:

To implement BFS and DFS in application, e.g.- Range Sum of Binary Search Tree

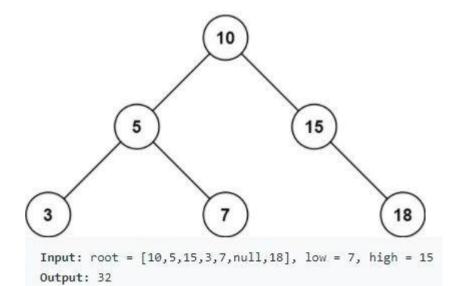
Objective:

Given the root node of a binary search tree, return the sum of values of all nodes with a value in the range [low, high] using depth first and then breadth first search.

Constraints:

- The number of nodes in the tree is in the range [1, 2 * 104].
- 1 <= Node.val <= 105
- 1 <= low <= high <= 105
- All Node.value are unique.

Example:



Procedure/Algorithm:

- 1. We traverse the tree using a depth first search.
- 2. If node.value falls outside the range [L, R], (for example node.val < L), then we know that only the right branch could have nodes with value inside [L, R].
- 3. We showcase two implementations one using a recursive algorithm, and one using an iterative one.
- 4. Time Complexity: O(N)O(N), where NN is the number of nodes in the tree.
- 5. Space Complexity: O(N)O(N)
- 6. For the recursive implementation, the recursion will consume additional space in the function call stack. In the worst case, the tree is of chain shape, and we will reach all the way down to the leaf node.
- 7. For the iterative implementation, essentially we are doing a BFS (Breadth-First Search) traversal, where the stack will contain no more than two levels of the nodes. The maximal number of nodes in a binary tree is N/2.
- 8. Therefore, the maximal space needed for the stack would be O(N)O(N).

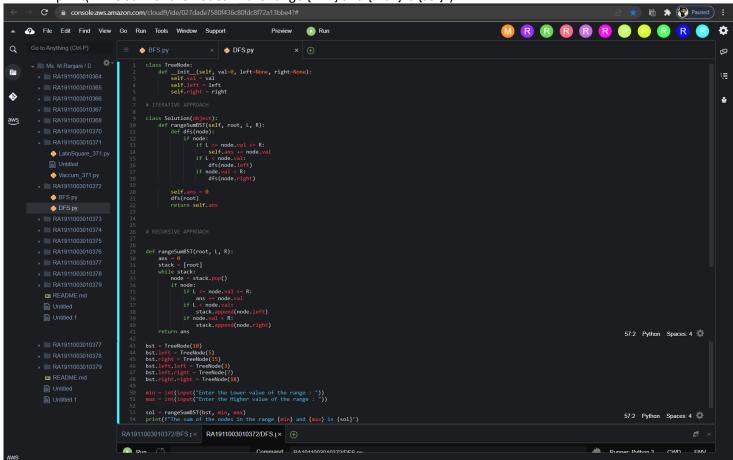
Codes:

DFS:

```
class TreeNode:
  def __init__(self, val=0, left=None, right=None):
    self.val = val
    self.left = left
    self.right = right
# ITERATIVE APPROACH
class Solution(object):
  def rangeSumBST(self, root, L, R):
    def dfs(node):
      if node:
        if L <= node.val <= R:
           self.ans += node.val
        if L < node.val:
           dfs(node.left)
        if node.val < R:
           dfs(node.right)
    self.ans = 0
    dfs(root)
    return self.ans
# RECURSIVE APPROACH
def rangeSumBST(root, L, R):
  ans = 0
  stack = [root]
  while stack:
    node = stack.pop()
    if node:
```

```
if L <= node.val <= R:
         ans += node.val
      if L < node.val:
        stack.append(node.left)
      if node.val < R:
        stack.append(node.right)
  return ans
bst = TreeNode(10)
bst.left = TreeNode(5)
bst.right = TreeNode(15)
bst.left.left = TreeNode(3)
bst.left.right = TreeNode(7)
bst.right.right = TreeNode(18)
min = int(input("Enter the Lower value of the range: "))
max = int(input("Enter the Higher value of the range: "))
sol = rangeSumBST(bst, min, max)
```

print(f"The sum of the nodes in the range {min} and {max} is {sol}")



Output:

```
bash - "ip-172-31-11-0" × RA1911003010357/bfs.py × RA1911003010357/dfs.py × Panner: Python 3 CWD ENV

Enter the Lower value of the range : 7
Enter the Higher value of the range : 15
The sum of the nodes in the range 7 and 15 is 32

Process exited with code: 0
```

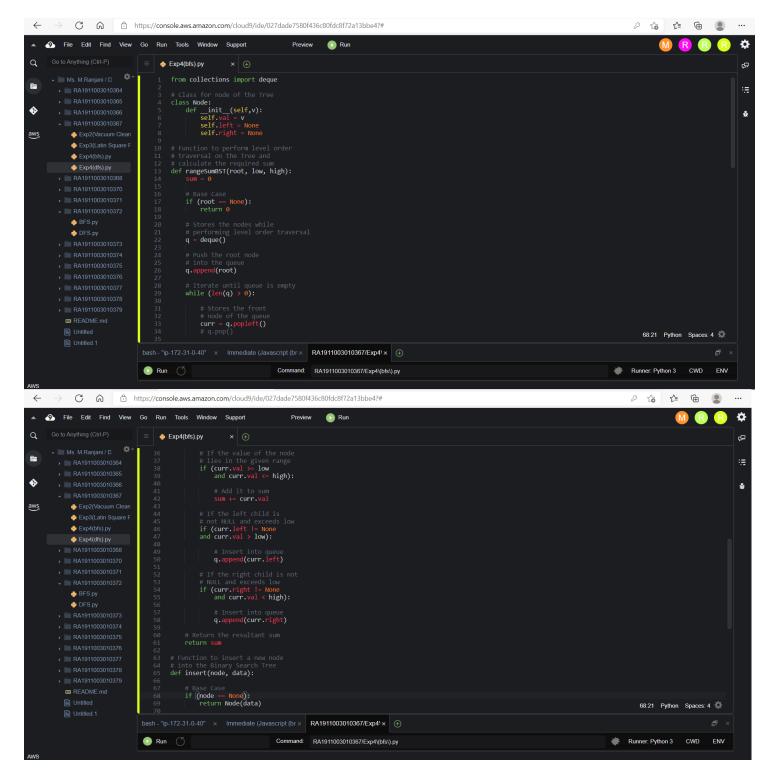
BFS:

from collections import deque

```
# Class for node of the Tree
class Node:
  def __init__(self,v):
    self.val = v
    self.left = None
    self.right = None
# Function to perform level order
# traversal on the Tree and
# calculate the required sum
def rangeSumBST(root, low, high):
  sum = 0
  # Base Case
  if (root == None):
    return 0
  # Stores the nodes while
  # performing level order traversal
  q = deque()
  # Push the root node
  # into the queue
  q.append(root)
  # Iterate until queue is empty
  while (len(q) > 0):
    # Stores the front
    # node of the queue
    curr = q.popleft()
    # q.pop()
    # If the value of the node
    # lies in the given range
    if (curr.val >= low
      and curr.val <= high):
      # Add it to sum
      sum += curr.val
    # If the left child is
    # not NULL and exceeds low
    if (curr.left != None
    and curr.val > low):
      # Insert into queue
      q.append(curr.left)
    # If the right child is not
    # NULL and exceeds low
    if (curr.right != None
      and curr.val < high):
      # Insert into queue
      q.append(curr.right)
```

```
# Return the resultant sum
  return sum
# Function to insert a new node
# into the Binary Search Tree
def insert(node, data):
  # Base Case
  if (node == None):
    return Node(data)
  # If the data is less than the
  # value of the current node
  if (data <= node.val):</pre>
    # Recur for left subtree
    node.left = insert(node.left, data)
  # Otherwise
  else:
    # Recur for the right subtree
    node.right = insert(node.right, data)
  # Return the node
  return node
# Driver Code
if __name__ == '__main__':
  #/* Let us create following BST
  # 10
  # /\
  # 5 15
  # /\ \
  # 3 7 18 */
  root = None
  root = insert(root, 10)
  root = insert(root, 5)
  root = insert(root, 15)
  root = insert(root, 3)
  root = insert(root, 7)
  root = insert(root, 18)
  L, R = 7, 15
```

print(rangeSumBST(root, L, R))



Output:

