

Open system Interconnection (OSI)

DataLink Layer

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September 16, 2020



Sliding Window Protocol

- Sliding window protocol is a flow control protocol.
- It allows the sender to send multiple frames before needing the acknowledgments.
- Sender slides its window on receiving the acknowledgments for the sent frames.
- This allows the sender to send more frames.
- It is called so because it involves sliding of senders window.
- Maximum number of frames that sender can send without acknowledgment = Sender window size
- **Optimal Window Size**

In a sliding window protocol, optimal sender window size = $1 + 2a$



Derivation

- As we know $\eta = \frac{T_t}{T_t + 2 \times T_p}$
- To get 100% efficiency, we must have-
 - $\eta = 1$
 $1 = \frac{T_t}{T_t + 2 \times T_p}$
 $T_t = T_t + 2 \times T_p$
 - Thus
 - To get 100% efficiency, transmission time must be $T_t + 2T_p$ instead of T_t .
 - This means sender must send the frames in waiting time too.
 - Now, let us find the maximum number of frames that can be sent in time $T_t + 2T_p$.
 - We have-
 - In time T_t , sender sends one frame.
 - Thus, In time $T_t + 2T_p$, sender can send $(T_t + 2T_p)/T_t$ frames i.e. $1 + 2a$ frames.
 - Thus, to achieve 100% efficiency, window size of the sender must be $1 + 2a$.



Required Sequence Numbers

- Each sending frame has to be given a unique sequence number.
- Maximum number of frames that can be sent in a window $= 1 + 2a$.
- So, minimum number of sequence numbers required $= 1 + 2a$.
 - To have $1+2a$ sequence numbers, Minimum number of bits required in sequence number field $= \lceil \log_2(1 + 2a) \rceil$
- **Note:**
 - When minimum number of bits is asked, we take the ceil.
 - When maximum number of bits is asked, we take the floor



Choosing a Window Size

- The size of the senders window is bounded by-
- **Receivers Ability**
 - Receivers ability to process the data bounds the sender window size.
 - If receiver can not process the data fast, sender has to slow down and not transmit the frames too fast.
- **Sequence Number Field**
 - Number of bits available in the sequence number field also bounds the sender window size.
 - If sequence number field contains n bits, then 2^n sequence numbers are possible.
 - Thus, maximum number of frames that can be sent in one window = 2^n .
- For n bits in sequence number field,
Sender Window Size = $\min(1+2^n, 2^n)$



Implementations of Sliding Window Protocol

- The two well known implementations of sliding window protocol are
 - Go back N Protocol
 - Selective Repeat Protocol

Implementation of Sliding Window Protocol



Implementations of Sliding Window Protocol

- Efficiency of any flow control protocol may be expressed as-

$$\text{Efficiency } (\eta) = \frac{\text{Number of frames sent in one window}}{\text{Total number of frames that can be sent in one window}}$$

OR

$$\text{Efficiency } (\eta) = \frac{\text{Sender Window Size in the Protocol}}{\text{Optimal Sender Window Size}}$$

OR

$$\text{Efficiency } (\eta) = \frac{\text{Sender Window Size in the Protocol}}{1 + 2a}$$

- In Stop and Wait ARQ, sender window size = 1.

$$\text{Efficiency of Stop and Wait ARQ} = \frac{1}{1+2a}$$



PRACTICE PROBLEMS BASED ON SLIDING WINDOW PROTOCOL-

- Q1 If transmission delay and propagation delay in a sliding window protocol are 1 msec and 49.5 msec respectively, then-
- 1 What should be the sender window size to get the maximum efficiency?
 - 2 What is the minimum number of bits required in the sequence number field?
 - 3 If only 6 bits are reserved for sequence numbers, then what will be the efficiency?

• **Solution-** Given- **Transmission delay = 1 msec, Propagation delay = 49.5 msec**

To get the maximum efficiency,

$$\text{sender window size} = 1 + 2a = 1 + 2 \times \frac{49.5 \text{ msec}}{1 \text{ msec}} = 100$$

For maximum efficiency, sender window size = 100



PRACTICE PROBLEMS BASED ON SLIDING WINDOW PROTOCOL-

- Minimum number of bits required in the sequence number field= $\lceil \log_2(1 + 2a) \rceil = \lceil \log_2(100) \rceil$
- If only 6 bits are reserved in the sequence number field, then-
Maximum sequence numbers possible = $2^6 = 64$
- Now,
Efficiency = $\frac{\text{Sender window size in the protocol}}{\text{Optimal sender window size}} = \frac{64}{100} = 64\%$



PRACTICE PROBLEMS BASED ON SLIDING WINDOW PROTOCOL-

- Q2 If transmission delay and propagation delay in a sliding window protocol are 1 msec and 99.5 msec respectively, then-
- 1 What should be the sender window size to get the maximum efficiency?
 - 2 What is the minimum number of bits required in the sequence number field?
 - 3 If only 7 bits are reserved for sequence numbers, then what will be the efficiency?

● **Solution-** Given- **Transmission delay = 1 msec, Propagation delay = 99.5 msec**

- 1: To get the maximum efficiency, **sender window size = 1 + 2a**
- 2: Minimum number of bits required in the sequence number field
- 3: Efficiency = Sender window size in the protocol / Optimal sender window size



PRACTICE PROBLEMS BASED ON SLIDING WINDOW PROTOCOL-

Q3 A 3000 km long trunk operates at 1.536 Mbps and is used to transmit 64 byte frames and uses sliding window protocol. If the propagation speed is $6 \mu\text{sec} / \text{km}$, how many bits should the sequence number field be?

● **Solution-** Given- **Distance = 3000 km Bandwidth = 1.536 Mbps Packet size = 64 bytes Propagation speed = $6 \mu\text{sec} / \text{km}$**

● **Calculating Transmission Delay-**

$$\text{Transmission delay}(T_t) = \frac{\text{Packetsize}}{\text{Bandwidth}} = \frac{(64 \times 8 \text{bits})}{(1.536 \times 10^6 \text{bitspersec})}$$

● **Calculating Propagation Delay**

For 1km propagation delay = $6 \mu\text{sec}$

For 3000 km, propagation delay = $3000 \times 6 \mu\text{sec} = 18000 \mu\text{sec}$

● **Calculating Value Of a-**

$$a = \frac{T_p}{T_t} = \frac{18000 \mu\text{sec}}{333.33 \mu\text{sec}}$$



PRACTICE PROBLEMS BASED ON SLIDING WINDOW PROTOCOL-

- **Calculating Bits Required in Sequence Number Field-**

Bits required in sequence number field = $\lceil \log_2(1 + 2a) \rceil$

- Thus, Minimum number of bits required in sequence number field = 7
- With 7 bits, number of sequence numbers possible = 128
- We use only $(1+2a) = 109$ sequence numbers and rest remains unused.



PRACTICE PROBLEMS BASED ON SLIDING WINDOW PROTOCOL-

Q4 Compute approximate optimal window size when packet size is 53 bytes, RTT is 60 msec and bottleneck bandwidth is 155 Mbps.

- **Solution** Given- **Packet size = 53 bytes, RTT = 60 msec, Bandwidth = 155 Mbps**

- **Calculating Propagation Delay**

$$\text{Propagation delay}(T_p) = \frac{\text{Round Trip Time}}{2} = 30\text{msec}$$

- **Calculating Value of a-**

$$a = \frac{T_p}{T_t}$$

- **Calculating Optimal Window Size-**

$$\text{Optimal window size} = 1 + 2a$$



Q5 : A sliding window protocol is designed for a 1 Mbps point to point link to the moon which has a one way latency (delay) of 1.25 sec. Assuming that each frame carries 1 KB of data, what is the minimum number of bits needed for the sequence number?

- **Solution** Given- Bandwidth = 1 Mbps, Propagation delay (T_p) = 1.25 sec, Packet size = 1 KB

- **Calculating Transmission Delay**

$$\text{Transmission delay}(T_t) = \frac{\text{Packet size}}{\text{Bandwidth}} = \frac{(2^{10} \times 8 \text{ bits})}{(10^6 \text{ bits per sec})}$$

- **Calculating Value of a**

$$a = \frac{T_p}{T_t} = \frac{1.25 \text{ sec}}{8.192 \text{ msec}}$$

- **Calculating Bits Required in Sequence Number Field**

Bits required in sequence number field = $\lceil \log_2(1 + 2a) \rceil$

- With 9 bits, number of sequence numbers possible = 512.



Q6: Host A is sending data to host B over a full duplex link. A and B are using the sliding window protocol for flow control. The send and receive window sizes are 5 packets each. Data packets (sent only from A to B) are all 1000 bytes long and the transmission time for such a packet is $50 \mu s$. Acknowledgment packets (sent only from B to A) are very small and require negligible transmission time. The propagation delay over the link is $200 \mu s$. What is the maximum achievable throughput in this communication?

- **Solution** Given-

Sender window size = Receiver window size = 5, Packet size = 1000 bytes, Transmission delay (T_t) = $50 \mu s$, Propagation delay (T_p) = $200 \mu s$

- **Calculating Bandwidth**

$$\text{Transmission delay} = \frac{\text{Packet size}}{\text{Bandwidth}}$$
$$\text{Bandwidth} = \frac{\text{Packet Size}}{\text{Transmission delay}(T_t)} = \frac{(1000 \times 8 \text{ bits})}{(50 \times 10^{-6} \text{ sec})}$$



- **Calculating Value of a-**

$$a = \frac{T_p}{T_t}$$

- **Calculating Optimal Window Size-**

$$\text{Optimal window size} = 1 + 2a$$

- **Calculating Efficiency-**

$$\text{Efficiency}(\eta) = \frac{\text{Sender window size}}{\text{Optimal window size}}$$

- **Calculating Maximum Achievable Throughput-**

$$\text{Maximum achievable throughput} = \text{Efficiency}(\eta) \times \text{Bandwidth}$$

Q7: Station A uses 32 byte packets to transmit messages to station B using a sliding window protocol. The round trip delay between A and B is 80 msec and the bottleneck bandwidth on the path between A and B is 128 Kbps. What is the optimal window size that A should use?



- **Solution** Given- Packet size = 32 bytes, Round Trip Time = 80 msec, Bandwidth = 128 Kbps
- **Calculating Transmission Delay-**

$$\text{Transmission delay (Tt)} = \frac{\text{Packetsize}}{\text{Bandwidth}} = \frac{(32 \times 8 \text{ bits})}{(128 \times 103 \text{ bits per sec})}$$
- **Calculating Propagation Delay-**

$$\text{Propagation delay (Tp)} = \frac{\text{Round Trip Time}}{2}$$
- **Calculating Value of a-**

$$a = \frac{T_p}{T_t}$$
- **Calculating Optimal Window Size-**

$$\text{Optimal window size} = 1 + 2a$$



Thank You

