

# Open system Interconnection (OSI)

## DataLink Layer Polling & CSMA/CD

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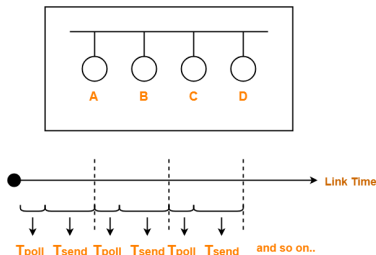
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# Access Control: Polling

- In this access control method
  - A polling is conducted in which all the stations willing to send data participates.
  - The polling algorithm chooses one of the stations to send the data.
  - The chosen station sends the data to the destination.
  - After the chosen station has sent the data, the cycle repeats.



Polling Access Control Method

- 1  $T_{poll}$  = Time taken for polling
- 2  $T_{send}$  = Time taken for sending the data = Transmission delay + Propagation delay =  $T_t + T_p$



# Efficiency

- Efficiency ( $\eta$ ) = Useful Time / Total Time
  - Useful time = Transmission delay of data packet =  $T_t$
  - Useless time = Time wasted during polling + Propagation delay of data packet =  $T_{poll} + T_p$

$$\text{Efficiency } (\eta) = \frac{T_t}{T_{poll} + T_t + T_p}$$

- **Advantages**
  - Unlike in Time Division Multiplexing, no slot is ever wasted.
  - It leads to maximum efficiency and bandwidth utilization.
- **Disadvantage**
  - Time is wasted during polling.
  - Link sharing is not fair since each station has the equal probability of winning in each round.
  - Few stations might starve for sending the data.



# Important Formulas-

- Efficiency ( $\eta$ ) =  $T_t / (T_{poll} + T_t + T_p)$
- Effective Bandwidth / Bandwidth Utilization / Throughput = Efficiency( $\eta$ )  $\times$  Bandwidth
- Maximum Available Effective Bandwidth = Total number of stations  $\times$  Bandwidth requirement of 1 station



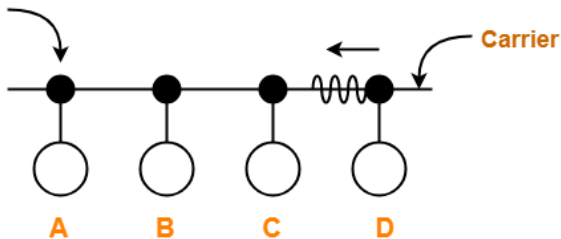
- CSMA / CD stands for Carrier Sense Multiple Access / Collision Detection.
- This access control method works as follows-
  - Step-01: Sensing the Carrier-
    - Any station willing to transmit the data senses the carrier.
    - If it finds the carrier free, it starts transmitting its data packet otherwise not.
  - **How?**
    - Each station can sense the carrier only at its point of contact with the carrier.
    - It is not possible for any station to sense the entire carrier.
    - Thus, there is a huge possibility that a station might sense the carrier free even when it is actually not.



## Example-

- At the current instance,
  - If station A senses the carrier at its point of contact, then it will find the carrier free.
  - But the carrier is actually not free because station D is already transmitting its data.
  - If station A starts transmitting its data now, then it might lead to a collision with the data transmitted by station D.

Point of Contact  
for station-A



(Bus Topology)



## Step-02: Detecting the Collision-

- In CSMA / CD,
  - It is the responsibility of the transmitting station to detect the collision.
  - For detecting the collision, CSMA / CD implements the following condition.
  - This condition is followed by each station-
    - **Transmission delay  $\geq 2 \times$  Propagation delay**
  - Meaning-According to this condition,
    - Each station must transmit the data packet of size whose transmission delay is at least twice its propagation delay.
    - If the size of data packet is smaller, then collision detection would not be possible.



# Length Of Data Packet

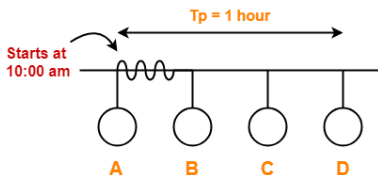
- As we know:
  - Transmission delay = Length of data packet (L) / Bandwidth (B)
  - Propagation delay = Distance between the two stations (D) / Propagation speed (V)
- Substituting values in the above condition, we get-
  - $L / B \geq 2 \times D / V$
  - $L \geq 2 \times B \times D / V$





# Understanding the Condition To Detect Collision With Example

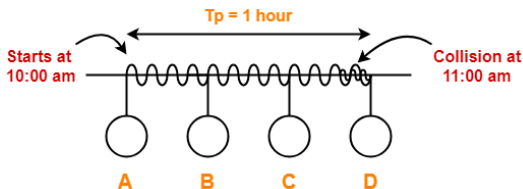
- Consider at time 10:00 am, station A senses the carrier.
- It finds the carrier free and starts transmitting its data packet to station D.
- Let the propagation delay be 1 hour.



- Let us consider the scenario at time 10:59:59:59 when the packet is about to reach the station D.



- At this time, station D senses the carrier.
- It finds the carrier free and starts transmitting its data packet.
- Now, as soon as station D starts transmitting its data packet, a collision occurs with the data packet of station A at time 11:00 am.



- After collision occurs, the collided signal starts travelling in the backward direction.
- The collided signal takes 1 hour to reach the station A after the collision has occurred.
- For station A to detect the collided signal, it must be still transmitting the data.



- So, transmission delay of station A must be  $\geq 1 \text{ hour} + 1 \text{ hour} \geq 2 \text{ hours}$  to detect the collision.
- That is why, for detecting the collision, condition is  $T_t \geq 2T_p$ .
- **Two cases are possible-**
  - **Case-01:** If no collided signal comes back during the transmission,
    - It indicates that no collision has occurred.
    - The data packet is transmitted successfully.
  - **Case-02:** If the collided signal comes back during the transmission,
    - It indicates that the collision has occurred.
    - The data packet is not transmitted successfully.
    - Step-03 is followed.



## Step-03: Releasing Jam Signal

- Jam signal is a 48 bit signal.
- It is released by the transmitting stations as soon as they detect a collision.
- It alerts the other stations not to transmit their data immediately after the collision.
- Otherwise, there is a possibility of collision again with the same data packet.
- Ethernet sends the jam signal at a frequency other than the frequency of data signals.
- This ensures that jam signal does not collide with the data signals undergone collision.

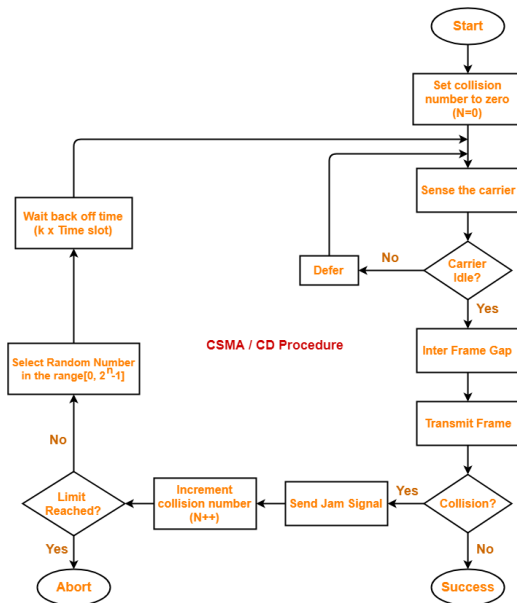


## Step-04: Waiting For Back Off Time

- After the collision, the transmitting station waits for some random amount of time called as back off time.
- After back off time, it tries transmitting the data packet again.
- If again the collision occurs, then station again waits for some random back off time and then tries again.
- The station keeps trying until the back off time reaches its limit.
- After the limit is reached, station aborts the transmission.
- Back off time is calculated using Back Off Algorithm.



# CSMA / CD Flowchart



# Efficiency

- Efficiency ( $\eta$ ) = Useful Time / Total Time
- Before a successful transmission,
  - There may occur many number of collisions.
  - $2 \times T_p$  time is wasted during each collision.
- **Thus,**
  - Useful time = Transmission delay of data packet =  $T_t$
  - Useless time = Time wasted during collisions + Propagation delay of data packet =  $c \times 2 \times T_p + T_p$
  - Here,  $c$  = Number of contention slots / collision slots.

$$\text{Efficiency } (\eta) = \frac{T_t}{c \times 2 \times T_p + T_t + T_p}$$

- Here,  $c$  is a variable.
- This is because number of collisions that might occur before a successful transmission are variable.



# Probabilistic Analysis shows-

- Average number of collisions before a successful transmission =  $e$
- Substituting  $c = e$  in the above relation, we get-

$$\text{Efficiency } (\eta) = \frac{T_t}{e \times 2 \times T_p + T_t + T_p}$$

OR

$$\text{Efficiency } (\eta) = \frac{T_t}{T_t + 6.44 \times T_p}$$

OR

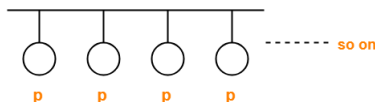
$$\text{Efficiency } (\eta) = \frac{1}{1 + 6.44 \times a}, \text{ where } a = T_p / T_t$$





# Probabilistic Analysis

- Consider-Number of stations connected to a CSMA / CD network =  $n$
- Probability of each station to transmit the data =  $p$
- According to the statement Binomial Distribution can help us to know the probability of success.



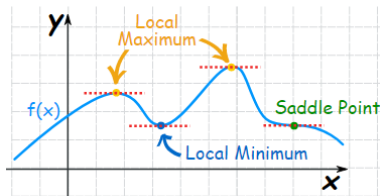
- A binomial distribution can be thought of as simply the probability of a SUCCESS or FAILURE outcome in an experiment or survey that is repeated multiple times.
  - A coin is tossed 10 times, what is the probability of getting exactly 6 heads.
  - $n=10, x=6, p_s=0.5, p_f=0.5$
  - $P(x) = {}^nC_x * p^x * (1 - p)^{n-x}$



- Transmission will be successful only when-
  - One station transmits the data
  - Other (n-1) stations do not transmit the data.
- Thus, Probability of successful transmission is given by-

$$P_{\text{successful transmission}} = {}^n C_1 \times p \times (1-p)^{n-1}$$

- Now, let us find the maximum value of P<sub>successful transmission</sub>.
- As we don't know the fixed value of  $n$  and  $x$ , we take the help of maxima and minima.
  - In a smoothly changing function a maximum or minimum is always where the function flattens out (slope is zero) (except for a saddle point).



- Where is the slope zero? The Derivative tells us!
  - For maximum value, we put-

$$\frac{dP_{\text{successful transmission}}}{dp} = 0$$

- On solving, At  $p = 1/n$ , we get the maximum value of  $P_{\text{successful transmission}}$
- Thus substitute the value of  $p$  in

$$P_{\text{successful transmission}} = {}^nC_1 \times p \times (1-p)^{n-1}$$

- $(P_{\text{successful transmission}})_{\text{max}} = (1 - 1/n)^{n-1}$
- If there are sufficiently large number of stations i.e.  $n \rightarrow \infty$ , then we have-

$$\begin{aligned} \lim_{n \rightarrow \infty} (P_{\text{successful transmission}})_{\text{max}} &= \lim_{n \rightarrow \infty} \left(1 - \frac{1}{n}\right)^{n-1} \\ &= \frac{1}{e} \end{aligned}$$



- Number of times a station must try before successfully transmitting the data packet =  $1 / P_{\max}$  (Using Poissons distribution)
- $= 1 / (1/e) = e$
- From here, we conclude-
  - Average number of collisions that might occur before a successful transmission =  $e$
- **Important Notes-**
  - CSMA / CD is used in wired LANs.
  - CSMA / CD is standardized in IEEE 802.3
  - CSMA / CD only minimizes the recovery time.
  - It does not take any steps to prevent the collision until it has taken place.
- **Important Formulas-**
  - Condition to detect collision: Transmission delay  $\geq 2 \times$  Propagation delay
  - Minimum length of data packets in CSMA / CD =  $2 \times \text{Bandwidth} \times \text{Distance} / \text{Speed}$
  - Efficiency of CSMA / CD =  $1 / (1 + 6.44 \times a)$  where  $a = T_p / T_t$
  - Probability of successful transmission =  $n C_1 \times p \times (1-p)^{n-1}$
  - Average number of collisions before a successful transmission =  $e$



*Thank You*

