

Total 5 Balls \rightarrow 3 Red Balls & 2 Blue Balls.

I pick one ball. What is prob that the ball is a Blue Ball?

$$P(BB) = \frac{2}{5}$$

I pick up the 2nd Ball, What is the prob that it is again a Blue Ball?

Total Balls = 4 \Rightarrow If 1st pick was a red ball
2 R & 2 B

$$\text{2nd pick } P(B|B) = 2/4$$

Total Balls = 4 \Rightarrow If 1st pick was a blue ball
3 R & 1 B.
 $P(B|B) = 1/4$

Total Balls = 5 \Rightarrow 3 Red Balls & 2 Blue Balls

I pick 2 balls? What is prob that both the balls are blue balls?

1st pick:-

$$P(B|B) = \frac{2}{5}$$

2nd pick Blue Ball :-

$$P(BB) = 1/4$$

$P(BB)$ in 1st time \times $P(BB)$ in 2nd time

$$\frac{2}{5} \times \frac{1}{4} = \frac{2}{20}$$

<u>Century</u>	<u>Win</u>		
	False	True	
False	160	154	314
True	16	30	<u>46</u>
	176	184	360

$$P(\underline{IW} | \underline{SC}) = 30 / 46$$

$$P(\underline{IL} | \underline{SC}) = \underline{16 / 46}$$

Given that Sachin is scoring Century

$$W = \frac{30}{46} \quad L = \frac{16}{46}$$

		N_m		
		<u>F</u>	<u>T</u>	
<u>C</u>	<u>F</u>	160	154	314
	<u>T</u>	16	30	46
		176	184	360

$$P(C | \underline{IW}) = 30/184$$

$$IW = \underline{184}$$

$$P(SC | \underline{IL}) = \frac{16}{176}$$

$$IL = 176$$

		W^m		
		\bar{F}	\check{T}	
C	F	160	154	314
	\check{T}	16	(30)	46
		176	184	<u>360</u>

$$\frac{\frac{30}{\cancel{360}}}{\frac{184}{\cancel{360}}} = \frac{30}{184}$$

$$P(W \cap C) = 30/360$$

$$\frac{30}{\cancel{360}} / \frac{46}{\cancel{360}} = \frac{30}{46}$$

$$P(W) = 184/360$$

$$P(C) = 46/360$$

$$P(W \cap C) = \frac{30}{360}$$

$$P(C|W) = 30/184$$

$$P(W|C) = 30/46$$

$$P(C|W) = \frac{P(W \cap C)}{P(W)}$$

$$P(C) = \frac{46}{360}$$

$$P(W|C) = \frac{P(W \cap C)}{P(C)}$$

$$P(A), \underline{P(B)}, \underline{P(A \cap B)}$$

$$\boxed{P(A|B) = \frac{P(A \cap B)}{P(B)}} \leftarrow$$

Conditional
Probability ✓

$$\boxed{P(A|B) \times P(B) = P(A \cap B)} \leftarrow \text{Multiplication Rule}$$

$$\underline{P(C|W)} = 30/184$$

$$\frac{P(W)}{P(C)} = \frac{184/360}{46/360}$$

$$\frac{\frac{30}{\cancel{184}} \times \frac{\cancel{184}}{\cancel{360}}}{\frac{46}{\cancel{360}}} = \frac{30}{46} = \underline{\underline{P(W|C)}}$$

$$P(A), P(B), P(A|B)$$

$$P(B|A) = \frac{P(A|B) \times P(B)}{P(A)}$$

↳ Bayes Theorem

↳ Backbone of Naive Bayes
Algorithm

		W	
		F	T
C	F	160	154
	T	16	30
		<u>176</u>	<u>184</u>
			<u>360</u>

$$P(C|W) = \frac{30}{184}$$

$$P(W|C) = \frac{30}{46}$$

$$P(W) = \frac{184}{360}$$

$$P(C) = \frac{46}{360}$$

$$P(W \cap C) = \frac{30}{360}$$

$$\frac{P(W \cap C)}{P(C)} = \frac{30/\cancel{360}}{46/\cancel{360}} = \frac{30}{46}$$

$$P(W \cap C)/P(W) = \frac{30/\cancel{360}}{184/\cancel{360}} = \frac{30}{184}$$

Conditional Probability $\Rightarrow P(A|B) = \frac{P(A \cap B)}{P(B)}$

Multiplication Rule $\Rightarrow P(A|B) \times P(B) = P(A \cap B)$

Bayes Theorem $\Rightarrow \underline{\underline{P(B|A) = \frac{P(A|B) \times P(B)}{P(A)}}}$

$$\underline{P(c|x)} = \frac{P(x|c) P(c)}{P(x)}$$

$P(c) \Rightarrow$ Class Prior Probability

$P(x) \Rightarrow$ Predictor Prior Probability

$P(x|c) \Rightarrow$ Likelihood

$P(c|x)$ \Rightarrow Posterior Probability

Three types of Bayes Theorem

1. Gaussian Naive Bayes \leftarrow target is continuous
2. Multinomial Naive Bayes \leftarrow target is multinomial categorical.
3. Bernoulli's Naive Bayes \leftarrow target is Binary categorical