

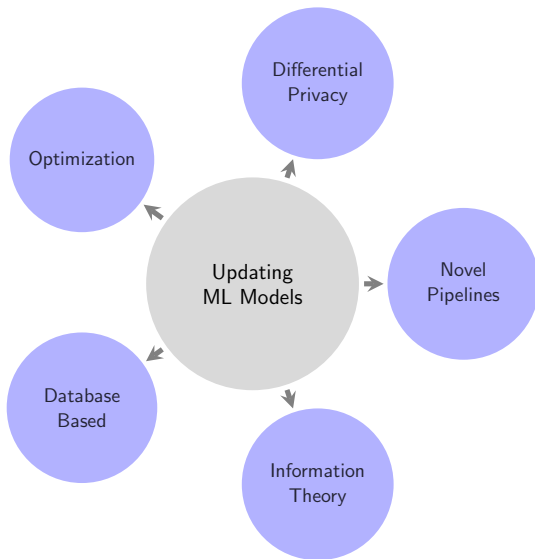
Updating ML Models

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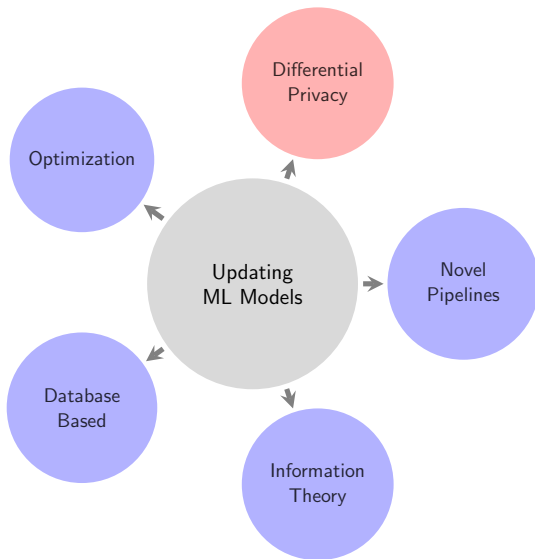
Overview

- 1 Motivation
- 2 Problem Overview
- 3 Approaches
 - Differential Privacy
 - Optimization
 - Database Based
 - Information Theory
 - Novel Pipelines
- 4 Next Directions



Common Terminology

- Fixed training Dataset \mathcal{D}
- Learning Algorithm A (can be randomized)
- Datapoints to be remove $\mathcal{D}_{\mathcal{R}}$, where $|\mathcal{D}_{\mathcal{R}}| = r$, remaining dataset $\mathcal{D}' = \mathcal{D} - \mathcal{D}_{\mathcal{R}}$
- Naive approach is retraining from scratch, i.e, $A(\mathcal{D}')$
- Mechanism M which offers an efficient way to update the model



Certified Data Removal [Guo et al., 2020]

- A outputs a model in hypothesis space \mathcal{H}
- Defines ϵ -certified removal, $\forall \mathcal{T} \subseteq \mathcal{H}$

$$e^{-\epsilon} \leq \frac{P(M(A(\mathcal{D}), \mathcal{D}_{\mathcal{R}}) \in \mathcal{T})}{P(A(\mathcal{D}') \in \mathcal{T})} \leq e^{\epsilon}$$

- Insufficiency of Parametric indistinguishability
 - Approximate removal processes leaves a gradient residual
 - Residuals can reveal the prior presence of that training sample

Removal Mechanism for Linear Classifiers

- A empirical risk $L(\mathbf{w}; \mathcal{D})$ with a convex loss function $\ell(\mathbf{w}^T \mathbf{x}, y)$
- $\mathbf{w}^* = A(\mathcal{D}) = \operatorname{argmin}_{\mathbf{w}} L(\mathbf{w}; \mathcal{D})$
- To remove a single point $\mathcal{D}_{\mathcal{R}} = \{(\mathbf{x}_n, y_n)\}$
- Newton Update Step: $\mathbf{w}^- = M(\mathbf{w}^*, (\mathbf{x}_n, y_n)) = \mathbf{w}^* - H_{\mathbf{w}^*}^{-1} \nabla$
- Where $H_{\mathbf{w}^*} = \nabla^2 L(\mathbf{w}^*, \mathcal{D}')$ and $\nabla = \lambda \mathbf{w}^* + \nabla \ell((\mathbf{w}^*)^T \mathbf{x}_n, y_n)$
- $H_{\mathbf{w}^*}^{-1} \nabla$ is from *influence function* literature

Influence Function

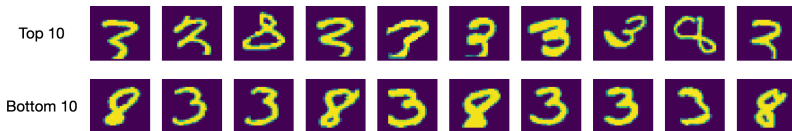


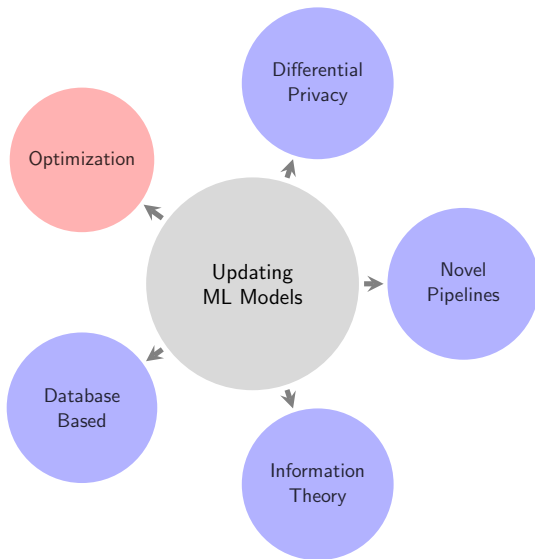
Figure 3. MNIST training digits sorted by norm of the removal update $\|\mathbf{H}_w^{-1} \Delta\|_2$. The samples with the highest norm (**top**) appear to be atypical, making it harder to undo their effect on the model. The samples with the lowest norm (**bottom**) are prototypical 3s and 8s, and hence are much easier to remove.

Certifying Removal

- \mathbf{w}^- is approximate close to minimizer of $L(\mathbf{w}; \mathcal{D}')$
- $\nabla L(\mathbf{w}^-; \mathcal{D}')$ is gradient residual and if non-zero, reveals Information
- Even a small $\|\nabla L(\mathbf{w}^-; \mathcal{D}')\|_2$ doesn't guarantee certifiable removal
- Therefore, perturb loss at training time

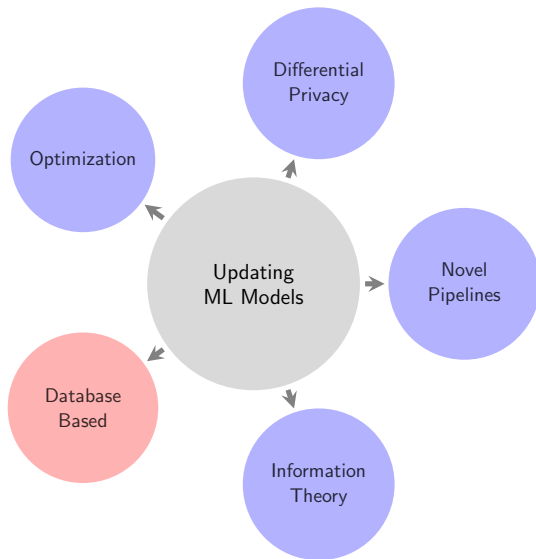
$$L_b(\mathbf{w}; \mathcal{D}) = \sum_{i=1}^n \ell(\mathbf{w}^T \mathbf{x}_i, y_i) + \frac{\lambda n}{2} \|\mathbf{w}\|_2^2 + \mathbf{b}^T \mathbf{w}$$

Where $\mathbf{b} \in \mathbb{R}^d$ drawn randomly from some distribution



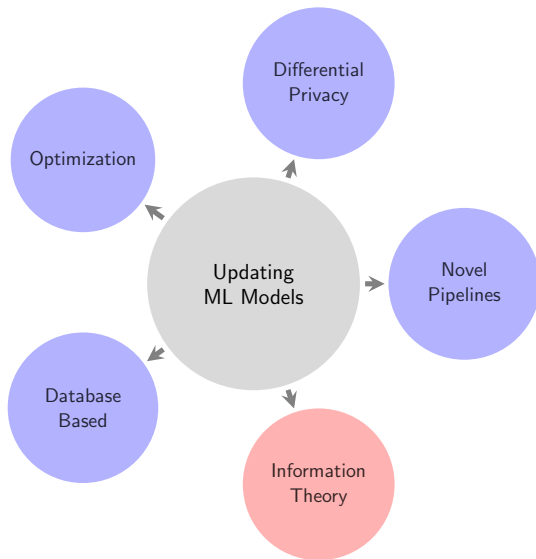
DeltaGrad [Wu et al., 2020a]





PrIU [Wu et al., 2020b]

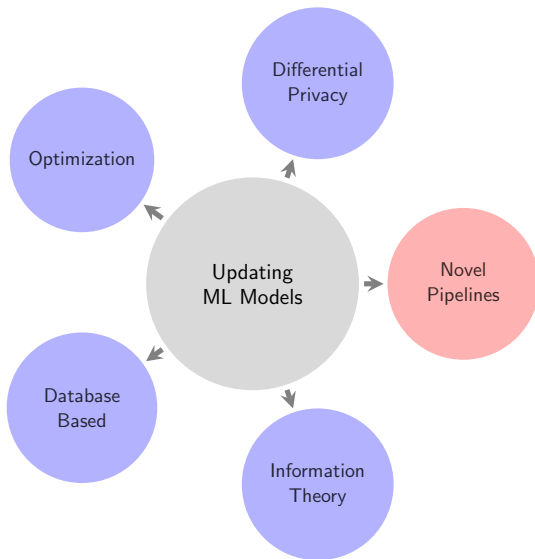




Eternal Sunshine of the Spotless Net

[Golatkar et al., 2020]





Machine Unlearning: SISA [Bourtoule et al., 2020]



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