THROUGHOUT THESE NOTES, IN USING SUBSCRIPT WHERE ANDREW IS USING SUPERSCRIPT CON COZ IM RACIST, ALSO, COPURIGHT.

CNN NOTES

Binary Classification

Eg: Image > 1 (cat) vs 0 (non cat)

umoll into >> 3 matrices -> feature vector

Red pixel intensity

Streen ""

Blue ""

Dimensions of α :

(64×64×3) ×1 ⇒ 12288 ×1

n = nx = 12288

(x,y) = x e Rhx, y e {0,1}

he bain , ne test

me training examples: $(x', y'), (x^2, y^2), \dots, (x^m, y^m)$ mo of training examples

x = gkxxm

4 = R1xm

Logichic Regression Oriven: α , you want $\hat{y} = \mathbb{P}(y=1|x)$ XERMX parameters, WEIRMX, BER

Output $\vec{y} = \vec{w} \times + \vec{b}$ but this not have range (0,1).

=> y= 6 (wTx +b) => signoid function

Our task is to have good wo and b so that if is a very good estimation of y being 1

Logistic Regression cost Punction.

g over: ((ai, y,) --- (an, ym)} we want y; 000 ≈ y;

Loss (error) Runchion:

is reasonable but gradient descent gos bonkens. $f(\vec{y}, y) = \frac{1}{2}(\vec{y} - y)^2$

+ (1-y)log(1-y)) $L(\vec{y}, y) = -(y \log \vec{y})$

= -log \hat{y} . You want small loss function so large \hat{y} : $\hat{y} \rightarrow 1$ 1f y=1 · Llý,y)

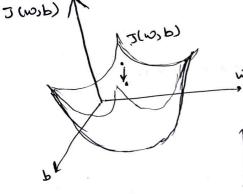
= (my-log(1-y)) y small, ite ý-0

Cost function: T(N,b) = 1 = 1 (\(\hat{y}_i\), \(y_i\) = 1 \(\hat{y}_i\) \(\hat{y}_i\)

Now we need to find suitable w, b which minimizes value of cost function deligity Jlns, b).

Gradient Descent!

Gradient descent takes a grandeme and w, b and in iterations, moves in the steepest downward slope available.



 $\begin{array}{c}
\uparrow \\
\downarrow \\
h
\end{array}$

Repeat ξ $W := W - K \frac{d Tro)}{dw} \xi$

Basically the intribon is just to keep approaching minima.

Then he explains deciratives for 17 noinnes because American students are durib

Computation Braph

 $T(a_{1}b_{2}c) = 3(a + bc) \qquad u = bc \quad V = a+u \quad J = 3v$ $u \qquad a = 5 \qquad |v| \qquad |v| = a+u \qquad J = 3v$ $b = 3 \qquad |v| = bc \qquad V = a+u \qquad J = 3v$

COMPUTATION BRAPH: L -R gets output You CAN BO EXCHAND TO BET DERIVATINGE.

$$A = 5$$

$$b = 3$$

$$C = 2$$

$$V = a + u$$

$$T = 2v$$

Thus To find $\frac{dJ}{do} = \frac{dJ}{dc} = \frac{dJ}{dc}$ use

and $\frac{dJ}{dv} \times \frac{g}{da}$: $\frac{dJ}{da} = g$

Incitarty $\frac{dJ}{du} = \frac{3}{3}$ $\frac{dJ}{db} = \frac{dJ}{du} \times \frac{du}{db} = \frac{3c}{3c}$

Logistic Regression Gradient Jescent.

 $Z = W_1 \times 1 + W_2 \times 2 + b$ A = G(2)

 $\frac{dl}{da} = -\frac{y}{a} + \frac{1-y}{1-a}$ $\frac{dL}{dz} = \frac{dL}{da} \times \frac{da}{dz}$

6 = a-y

 $\frac{dL}{dw} = x_1 \frac{dL}{dz} \quad \frac{dL}{dw_2} = x_2 \frac{dL}{dz} \quad \frac{dL}{dlo} = \frac{dL}{dz}$

$$J(w,b) = \frac{1}{m} \sum_{i=1}^{\infty} \mathcal{L}(a_i,y)$$

$$\frac{\partial}{\partial w_i} \mathcal{F}(w_i, b) = \frac{1}{m} \sum_{i=1}^{\infty} \frac{\partial}{\partial w_i} \mathcal{J}(\alpha_i, y_i)$$

$$\frac{\partial}{\partial w_i} \mathcal{F}(x_i, y_i)$$

$$\frac{dz}{dz} = ai - yi$$

$$\frac{dS}{dz} = Qi - yi$$

$$\frac{dJ}{dw} = X_i dz_i$$

$$\frac{dJ}{dw_2} + X_2 i dz_i$$

$$\frac{dJ}{dw_2} + X_2 i dz_i$$

$$\frac{dJ}{dw_2} + X_2 i dz_i$$

···· dwn

$$w_1 = w_1 - \kappa \frac{dJ}{dw_1}$$
; $w_2 = w_2 - \kappa \frac{dJ}{dw_2}$; $w_3 = w_3 - \kappa \frac{dJ}{dw_3}$

6 V 2 2 2

Vectorization Z=(wTx asb

Vectorizing Legislic Regussia.

Training eranbly

Z = WTx 1 +6

a= 6(Z1)

 $a_2 = 6(Z_2)$ $a_3 = 6(Z_3)$

22 = WTX2 Hb & 3 = WTX3 Hb

 $X = \begin{cases} x_1 & x_2 & --- & x_m \\ 1 & 1 \end{cases} \quad (x_1, x_2)$

[2122--- 2m] = WTX + [b b b -- b]
1xm.

2 = [2, 2, --- Zm] = [Wrx, Hb Wrx, + b Wrx, +6]

Z = up. dot (w.T,x) HB - makes an appropriate metrice with all elements b.

A = Ca az au] = 6(2).

A = [a, -- an] Y = [y' -- ym].

du = 0

dw+= 404

Qw = x2022

dw1= m

dh =c

db + = d2

db 5 = d22

dp (=m.

db = 2 = 1 up. sur (12)

dw = 1 xdz +

= in [Kider + --- Kunden]

Removed Pirst Porloop. Hyper Parameters.

Parameters: W[1], b[1], W[2], b[2], W[3], b[3].

Hyperparameters: Learning rate &

iterations, # hidden beyond, # hidden units

thoia of autration function.

Later: Monientun, mimibal size, etc.

Provadient descent for neural getworks: Paerameters: w[1], b[1], w[2], b[2] nx=ncol, nci] n [2] =1 [nci], nco] (nci], 1) [nci], nci] (nci) Const function = J(waz, bliz, wlzz, bliz) = 1 2 2/3, y)

m 2 2/3, y)

alz

alz mandient descent: for i=1 tom: Compute: (y(i), i=1,-m) $d\omega Li] = \frac{dJ}{d\omega ci}$, $d\omega Li] = \frac{dJ}{d\omega Li}$ WES = WLI] - X dW[] -Randon Initialization W(weight) meds to be initialized enoundamy was less say $\omega G_{3} = zeroes a_{1}G_{1} = a_{1}G_{2}$ $b_{1}G_{2} = c_{0}G_{3}$ in this case afiJ = afiJ dzfiJ = dzzfiJAnd no make how much the exect same function. You update, you'll keep company ". w[1] = up. random. randa ((32)) \$ 0.01 blid -con a zeroes w/2 = np. randen. 8 0.01 you keep weight small b[2] = renoes So sigmoid Harm doesn't tend to 1 or 0 avos

Week 4 DEEP LAYER NEURAL NETWORK 1 hidden leger and Shallow 1 5 hidden lagen > 1/n $N^{[1]} = 5$, $n^{[2]} = 5$, $n^{[3]} = 3$, $n^{[4]} = n^{[4]} = 1$ 4 Layer NN ali] = activation = g(zli]), whi] = weights for zli]
bli] = s bias for zli] Forward Propagation x = z[1] = whi]x + b[1]; a[1] = g[1] (z[1]) 262] = wf27 ala +6 [2]; ala] = g[2] (22] zlu] = w[u] al3], b[u] > a[u] = g[u](z[u]) = oŷ Renewic: Z[l] = W[4] all -1 + bfi) ali] = goi (z[i]) Vcetorizer: ZDIZ = WDIZ AFOZ , BLIZ A [1] = 9[1] (z [e]) Z(2) = w(2) ALI LBUI

\$ q=q(zcuz)=Acuz]

Matrice dimension -s get them night.

backward Rendians.

a CL-17 was Pas dw[i]

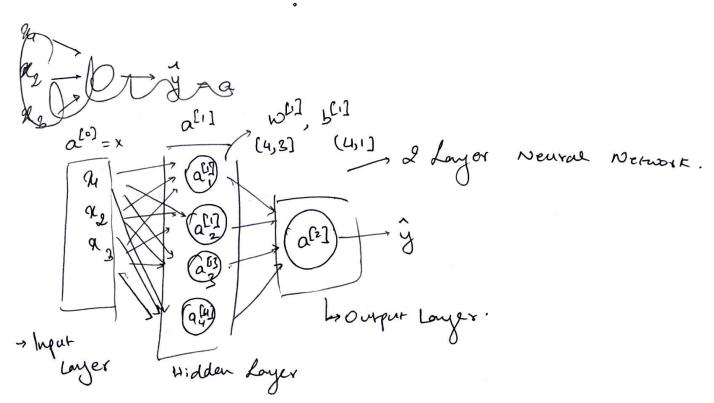
denent wise multiplace dzle] = dalel (gly (zlu) dwsi1 = Azsel. a se-177 dbsi7 = dzsel d a sel = wsir. dzsi

alo]. dwczz dwliz d 662] d 6(2) aprej

will = wer- xdwlej Per = Per = A apres



What are Neural Networks?



$$2^{(1)} = w_1^{(1)} + b_1^{(1)}$$
 $a_1^{(1)} = 6(Z^{(1)})$
 $a_1^{(1)} = \log (Z^{(1)})$

Similarly 4 nodes

$$\begin{aligned} & Z^{[1]} = (w^{[1]}_{1})^{T} \alpha + b^{[1]}_{1}, & \alpha^{[1]}_{1} = \sigma(z^{[1]}_{1}) \\ & Z^{[1]}_{2} = (w^{[1]}_{2})^{T} \alpha + b^{[1]}_{2}, & \alpha^{[1]}_{2} = \sigma(z^{[1]}_{2}) \end{aligned} \qquad \text{whiling a for loop} \\ & Z^{[1]}_{3} = (w^{[1]}_{2})^{T} \alpha + b^{[1]}_{3}, & \alpha^{[1]}_{3} = \sigma(z^{[1]}_{2}) \end{aligned} \qquad \text{here is inneficent} \\ & Z^{[1]}_{4} = (w^{[1]}_{4})^{T} \alpha + b^{[1]}_{4}, & \alpha^{[1]}_{4} = \sigma(z^{[1]}_{4}) \end{aligned}$$

$$\begin{bmatrix} -w_1^{L/2T} - v_2^{L/2T} - v_3^{L/2T} - v_4^{L/2T} -$$

$$\alpha^{[i]} = \left\{ \begin{array}{l} \alpha_1^{[i]} \\ \alpha_2^{[i]} \\ \alpha_3^{[i]} \end{array} \right\} = 0 \left(2^{[i]} \right)$$

> Given input x

$$Z^{(1)} = W^{(1)}_{, \alpha} a[0] + b^{(1)}_{, \alpha} a^{(1)} = \sigma(z^{(1)})$$

$$\alpha[1] = \sigma(z^{(1)}), \quad z[2] = w[2] \alpha[1] + b[2]$$

$$\alpha[2] = \sigma(z^{(2)}).$$

Multiple example training examples.

for i=1 to m

$$Z^{(1)}(i) = w^{(1)} \times^{i} + b^{(1)}$$

$$a^{(1)}(i) = \sigma(z^{(1)}(i))$$

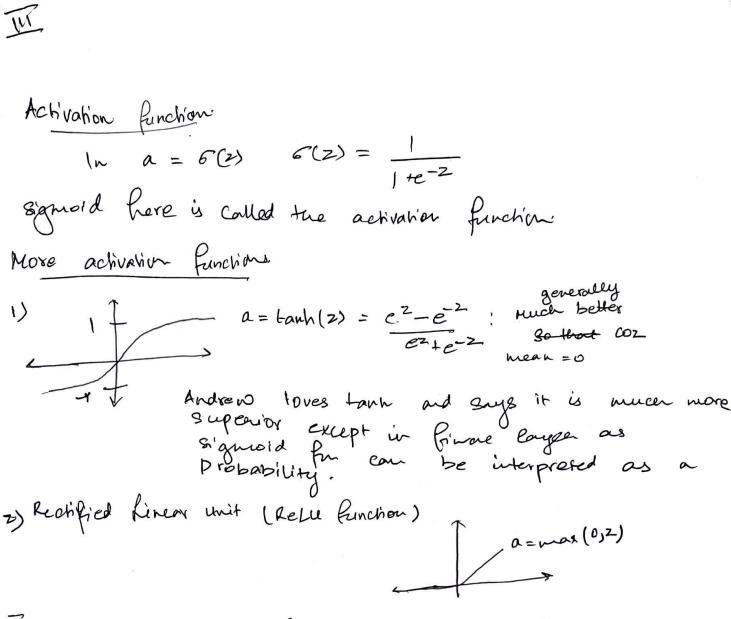
$$z^{(2)}(i) = w^{(2)} \alpha^{(1)}(i) + b^{(2)}$$

$$a^{(2)}(i) = 6(z^{(2)}(i))$$

$$= 6(z^{(2)}(i))$$
and (i) to add (ii) to all training examples.

$$X = \begin{bmatrix} x_{1} & x_{2} & ... & x_{m} \\ 1 & 1 \end{bmatrix} \quad (n_{2}, m_{3}) \quad Z^{[1]} = W^{[1]} \\ A^{[1]} = 6(Z^{[1]}) \\ Z^{[2]} = \begin{bmatrix} 1 \\ 21 \\ 1 \end{bmatrix} \quad Z^{[1]}(2) - ... \quad Z^{[1]}(m_{3}) \end{bmatrix} \quad Z^{[2]} = W^{[2]} A^{[1]} + b^{[2]} \\ A^{[2]} = 6(Z^{[2]})$$

$$A[i] = \left[a^{(i)}(i) a^{(i)}(2i) \dots a^{(i)}(m) \right]$$



Osenerally: In Binary - systems, sigmoid is preflored.

and the if you don't know what to do, use Relu.

Josephy Relu (a= max (0.012,2) or (0.0012,2)
you get the him.

W

Assadient descent for neural getworks:

Paerameters: w[i], b[i], w[2], b[2] n x=nCo1, nCi], n [2] =1 [n(1), nlo] (nc13,1) [nc23, nc12) (n(2),1)

Cost function = J(w[1], b[1], w[2], b[2]) = 1 2 L(y,y)

n = 121

(a/2) mandient descent:

for i = 1 tom:

Compute: (q'(i), i=1,-m) $d \omega Li = \frac{d T}{d \omega Ci T}$, $d \omega Li = \frac{d T}{d \omega Li Li T}$ blis = blis - xdwlis

Randon Initialization

w(weight) meds to be initialized enoundarry con less say osci] = zeroes afi] = ali? bli] = [o]

in this case afi] = afi]

dzf1 = dzz[1]

And no matter how much you update, you'll keep computing . w [] = up. random. randa ((22)) \$ 0.01

blid - con a zeroes

w/2 = np. randen. 4 0.01

b[2] = revoes

you keep weight small So signicial tank doesn't tend to 1 or 0 avos