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1 Study of EFT effects in loop induced Higgs processes ¹

1.1 Introduction

The Standard Model Effective Field Theory (SMEFT) approach is a powerful tool to look for hints of new physics. It allows to study large sets of experimental data without assuming that the theory used is valid to arbitrarily high energies. In the SMEFT, the Standard Model (SM) as we know it is just an effective theory at energies around the electroweak scale. Beyond the Standard Model (BSM) physics manifests at higher scales, Λ , and is parameterised in terms of higher-dimensional operators that conserve the same fields and symmetries as the SM. At any mass dimension, a complete bases of non-redundant operators can be worked out and the full Lagrangian can be written as a power expansion

$$\mathcal{L}_{SMEFT} = \mathcal{L}_{SM} + \sum_{d>4} \sum_i \frac{c_i}{\Lambda^{d-4}} \mathcal{O}_i^{(d)}, \quad (1)$$

where \mathcal{L}_{SM} is the SM Lagrangian, c_i are the Wilson coefficients and \mathcal{O}^d the set of independent operators for dimension d . Operators with $d = 5, 7$ violate lepton and/or baryon number conservation [1, 2]. Thus, dimension-6 operators represent the leading deviation from the SM and will be the focus of this work. The modification of a cross section by the insertion of one dimension-6 operator in the amplitudes can be written as

$$\sigma = \sigma_{SM} + \sum_i \sigma_i^{int} \frac{c_i}{\Lambda^2} + \sum_{i,j} \sigma_{(i,j)}^{BSM} \frac{c_i c_j}{\Lambda^4}, \quad (2)$$

where σ_{SM} is the SM cross section of a given process, σ_i^{int} is the interference between the SM and BSM amplitudes and $\sigma_{(i,j)}^{BSM}$ represents the pure BSM correction to the SM cross section. The leading term is formally σ_i^{int} and the one that will be investigated in this work.

Several bases of independent operators can be found in the literature [3–6]. In the context of the study of the Higgs boson, the SILH basis [4] has been commonly used. However, it is not optimised for, for example, diboson processes. Even if the translation between bases is known and has been automated [7, 8], experimental collaborations have started to publish their EFT interpretations in the Warsaw basis also in the Higgs sector [9, 10] to facilitate future global fits of electroweak, Higgs and top data.

The procedure to test the EFT effects for a given set of measurements can be tedious in practice and a big effort has been devoted to develop public code to perform this task in an automatic and generic way [11]. For the Warsaw basis, different Universal FeynRules Output (UFO) [12] models are available which can be interfaced with modern event generators.

The SMEFTsim code [13] is a well documented UFO implementation of the full set of dimension-6 operators in the Warsaw basis. Its main scope is the estimation of the leading SMEFT corrections to the SM. The effective Lagrangian is truncated at Λ^{-2} and not supported for next-to-leading-order (NLO) simulations. For Higgs data interpretation the model has become of common use due to its completeness [9, 14]. To reproduce all the main Higgs production and decay channels in the SM, the loop-induced processes ($hgg, h\gamma\gamma, hZ\gamma$) are included as effective vertices. However, this implementation might not result satisfactory for reasons as the ones exposed below:

- Only operators with the same point-like structure as the effective vertices included to reproduce loop-induced processes can modify the cross sections of these processes. That means that, for example, a modification of the top Yukawa will not affect the gluon-gluon fusion Higgs production process.
- Given the truncation of the Lagrangian, operators that enter in the shifts to input parameters and that will modify the cross section of any tree-level process does not modify the cross section of loop-induced processes.

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- A reliable computation of the Higgs plus jet production in gluon-gluon fusion requires top quark loop amplitudes at high p_T and the implementation of $gggH$ vertices.
- The $gg \rightarrow ZH$ process cannot be simulated.

To overcome these concerns the SMEFT@NLO tool [15] can be used for the loop induced Higgs processes. The tool includes a complete implementation of the SMEFT compatible with NLO QCD predictions. In this work, we study the $gg \rightarrow ZH$ and $gg \rightarrow H$ processes using this tool.

1.2 Comparison between models

The SMEFTsim and SMEFT@NLO tools have been validated against each other [16] for the top sector. In this section we compare both models at leading order (LO) by checking the cross sections of the $pp \rightarrow ZH$ and $pp \rightarrow t\bar{t}H$ processes. The comparison is made at the cross section level and, thus, not expected to be in perfect agreement since it will be affected by phase-space integration. The main goal of this comparison is to show the mapping between the different Wilson coefficients naming and to ensure that the setup used for both models is consistent.

For both models we use the m_Z, m_W, G_F scheme of electroweak parameters². The latest versions of the models available in December 2019 is used. The MADGRAPH 2.6.6 generator is used to obtain the cross sections results. The definition of the ZH and ttH processes is as follows for the SM results:

```
define p = p b b~
generate p p > h t t~ SMHLOOP=0 NP=0
and
generate p p > h l+ l- SMHLOOP=0 NP=0 .
```

The values of several parameters like m_W , mt , α_S or Γ_H differ in the default settings of the models and they were set to the same values.

The tables below show the comparison between the predictions obtained for SM in both models as well as the interference terms, obtained with the $NP^2=1$ ($NP^2=2$) for the SMEFTsim (SMEFT@NLO) model.

In the tables and throughout this note, the same definitions of operators and fields as provided in [17] are used. g_s is the strong coupling constant and v denotes the vacuum expectation value of the Higgs field ϕ . Q is the third generation left-handed quark $SU(2)$ -doublet, t is right handed $SU(2)$ -singlet top quark. $G_{\mu\nu}^A$, $B_{\mu\nu}$, $W_{\mu\nu}^I$ are the fields strength tensors. Finally T^A is the generator of the fundamental representation of $SU(3)$ and $\tau^{\mu\nu} = \frac{1}{2}[\gamma^\mu, \gamma^\nu]$ with γ^μ the Dirac gamma matrices.

For the ttH production mode differences are observed for the ctG operator. These differences are acknowledged by the authors of the models and reside in the absence of five-point interactions and higher in the SMEFTsim model. It will be corrected in future versions of the model.

For the \mathcal{O}_{uW} and \mathcal{O}_{uB} operators defined as,

$$\mathcal{O}_{tB} = i(\bar{Q}\sigma^{\mu\nu}t)\tilde{\phi}B_{\mu\nu} + h.c.; \quad \mathcal{O}_{tW} = i(\bar{Q}\tau^{\mu\nu}\tau_3 t)\tilde{\phi}W_{\mu\nu}^I + h.c.$$

there is no one-to-one correspondence between the models in their latest versions. The SMEFT@NLO version released on 2019/04/03 was used instead to compare these two operators.

The prediction for the operators shown in Table 3 agree in their absolute value but not in their sign. The way in which they are implemented in the model is also different. While in SMEFTsim the absolute

²We use the SMEFTsim_A_U35_MwScheme_UFO model for SMEFTsim and the SMEFTatNLO_U2_2_U3_3_cG_4F_LO_UFO-LO model for SMEFT@NLO

Operator	W. coefficient	SMEFTsim	SMEFTatNLO
	SM-SM	0.0251 ± 0.0001	0.0255 ± 0.0003
$\partial_\mu(\phi^\dagger\phi)\partial^\mu(\phi^\dagger\phi)$	$c_{pd} (c_{H\Box})$	0.00304 ± 0.00001	0.00308 ± 0.00003
$(\phi^\dagger D_\mu\phi)^\dagger(\phi^\dagger D_\mu\phi)$	$c_{pDC} (c_{HDD})$	0.00041 ± 0.00001	0.00043 ± 0.00006
$\left(\phi^\dagger\phi - \frac{v^2}{2}\right) B^{\mu\nu} B_{\mu\nu}$	$c_{pBB} (c_{HB})$	0.00231 ± 0.00001	0.00229 ± 0.00004
$\left(\phi^\dagger\phi - \frac{v^2}{2}\right) W_I^{\mu\nu} W_{\mu\nu}^I$	$c_{pW} (c_{HW})$	0.01818 ± 0.00007	0.0183 ± 0.0002
$\left(\phi^\dagger\phi - \frac{v^2}{2}\right) B^{\mu\nu} W_{\mu\nu}^I$	$c_{pWB} (c_{HWB})$	0.00838 ± 0.00004	0.0084 ± 0.0001
$i(\phi^\dagger \overleftrightarrow{D}_\mu\phi)(\bar{d}_i\gamma^\mu d_i)$	$c_{pd} (c_{Hd})$	-0.0044 ± 0.0002	-0.00444 ± 0.00004
$i(\phi^\dagger \overleftrightarrow{D}_\mu\phi)(\bar{e}\gamma^\mu e)$	$c_{pe} + c_{pmu} (c_{He})$	-0.002853 ± 0.000007	-0.00285 ± 0.00001
$i(\phi^\dagger \overleftrightarrow{D}_\mu\phi)(\bar{l}_{1,2}\gamma^\mu l_{1,2})$	$c_{pl1} + c_{pl2} (c_{Hl1})$	0.00324 ± 0.00002	0.00327 ± 0.00002
$i(\phi^\dagger \overleftrightarrow{D}_\mu\tau_I\phi)(\bar{l}_{1,2}\gamma^\mu \tau^I l_{1,2})$	$c_{3pl1} + c_{3pl2} (c_{Hl3})$	-0.00588 ± 0.00002	-0.00590 ± 0.00005

Table 1: Comparison of the SM and interference predictions for the $Z(l^+l^-)H$ process between the SMEFTsim and SMEFT@NLO. The operators definitions are consistent with those given in SMEFT@NLO. The Wilson coefficients use an analogous definition to those provided in the UFO model in SMEFT@NLO and SMEFTsim in parenthesis.

Operator	W. coefficient	SMEFTsim	SMEFTatNLO
	SM-SM	0.402 ± 0.001	0.402 ± 0.003
$\partial_\mu(\phi^\dagger\phi)\partial^\mu(\phi^\dagger\phi)$	$c_{pd} (c_{H\Box})$	0.049 ± 0.001	0.04876 ± 0.00002
$(\phi^\dagger D_\mu\phi)^\dagger(\phi^\dagger D_\mu\phi)$	$c_{pDC} (c_{HDD})$	-0.01218 ± 0.00002	-0.01222 ± 0.00008
$\left(\phi^\dagger\phi - \frac{v^2}{2}\right) B^{\mu\nu} B_{\mu\nu}$	$c_{pBB} (c_{HB})$	0.0000893 ± 0.0000002	0.0000897 ± 0.0000008
$\left(\phi^\dagger\phi - \frac{v^2}{2}\right) W_I^{\mu\nu} W_{\mu\nu}^I$	$c_{pW} (c_{HW})$	0.00042 ± 0.000001	0.000423 ± 0.000004
$\left(\phi^\dagger\phi - \frac{v^2}{2}\right) B^{\mu\nu} W_{\mu\nu}^I$	$c_{pWB} (c_{HWB})$	-0.0002499 ± 0.0000005	-0.000253 ± 0.000002
$i(\phi^\dagger \overleftrightarrow{D}_\mu\phi)(\bar{d}_i\gamma^\mu d_i)$	$c_{pd} (c_{Hd})$	-0.0000761 ± 0.0000003	-0.000076 ± 0.000002
$\left(\phi^\dagger\phi - \frac{v^2}{2}\right) \bar{Q}t\tilde{\phi} + h.c.$	cuHABs-ctp	-0.0488 ± 0.0001	-0.0494 ± 0.0003
$ig_s(\bar{Q}\tau^{\mu\nu}T_A t)\tilde{\phi}G_{\mu\nu}^A + h.c.$	cuGABs-ctG	-0.3393 ± 0.0009	0.407 ± 0.002
$i(\phi^\dagger \overleftrightarrow{D}_\mu\tau_I\phi)(\bar{l}_{1,2}\gamma^\mu \tau^I l_{1,2})$	$c_{3pl1} + c_{3pl2} (c_{Hl3})$	-0.0489 ± 0.0001	-0.0491 ± 0.0002

Table 2: Comparison of the SM and interference predictions for the $t\bar{t}H$ process between the SMEFTsim and SMEFT@NLO. The operators definitions are consistent with those given in SMEFT@NLO. The Wilson coefficients use an analogous definition to those provided in the UFO model in SMEFT@NLO and SMEFTsim in parenthesis.

value and the phase of these complex operators can be changed by the user, only the real part can be tuned by the user in SMEFT@NLO.

Other differences come from two-fermion operators involving quarks. In SMEFTsim the couplings of all quarks enter equally, while in SMEFT@NLO the top vertices are parameterized separately.

1.3 $gg \rightarrow Z(l^+l^-)H$

The study of $gg \rightarrow Z(l^+l^-)H$ was performed using the SMEFT@NLO model. The renormalization and factorization scales were set to $M_H = 125$ GeV and the PDF set NNPDF2.3 for the parametrisation of the proton structure. The generated events were passed through the PYTHIA parton shower. A more in depth study of the SMEFT effects for this process was performed in [18] using the main set of operators affecting the cross sections using merged samples of up to one additional parton. Here we have considered all the operators available at NLO in SMEFT@NLO which provide diagrams with a non-zero

Operator	W. coefficient	SMEFTsim	SMEFTatNLO
$i(\bar{Q}\sigma^{\mu\nu}t)\tilde{\phi}B_{\mu\nu} + h.c.$	$c_{tB} (c_{uB})$	-0.000828 ± 0.000002	-0.00085 ± 0.00001
$i(\bar{Q}\tau^{\mu\nu}\tau_I t)\tilde{\phi}W_{\mu\nu}^I + h.c.$	$c_{tW} (c_{uW})$	-0.002219 ± 0.000006	0.00223 ± 0.00002

Table 3: Comparison of the SM and interference predictions for the ttH process between the SMEFTsim and SMEFT@NLO for c_{tB} ($|c_{uB}|$) and c_{tW} ($|c_{uW}|$). The operator definition are given in the way they are implemented in SMEFT@NLO .

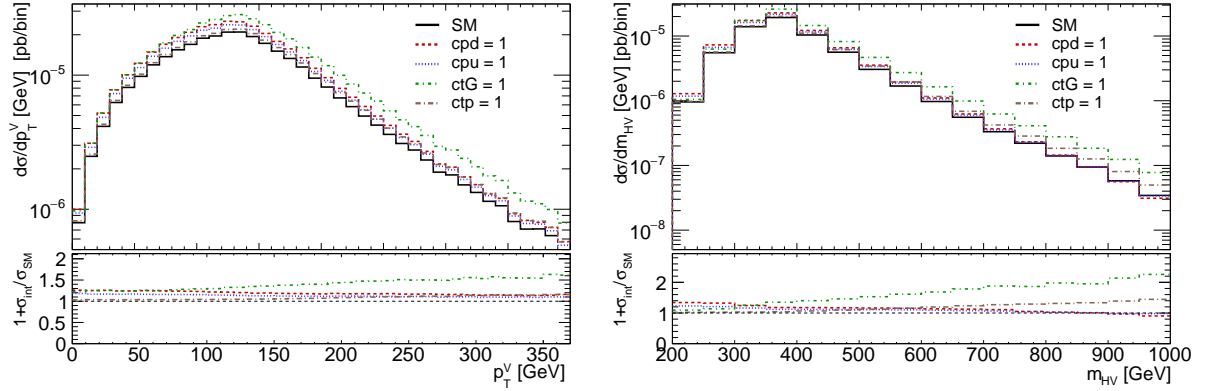


Fig. 1: Differential distributions as a function of p_T^V and m_{HV} for the SM predictions and its interference with operators with Wilson coefficients c_{tG} , c_{pd} , c_{pu} and c_{tp} at the lowest order in QCD. The value of Λ was set to 1 TeV

interference with the SM.

In Figure 1.3, differential distributions as functions of p_T^V and m_{HV} are shown. The BSM effects caused by c_{pq3i} , c_{pu} , c_{tG} and c_{tp} is shown. Many other operators modify the cross section of this process but only some examples of those that distort significantly the shape of the SM prediction for $c_i = 1$ are shown.

In addition to differential cross sections, measurements of the Higgs couplings in terms of Simplified Template Cross Sections (STXS) [19] also provide constraining power of the SMEFT parameters. A parametrisation in bins of the STXS in stage 1.2 [20] for $gg \rightarrow Z(l^+l^-)H$ is provided in Table ??.

1.4 $gg \rightarrow H$

The SMEFT effects in the Higgs production through gluon-gluon fusion is examined using the SMEFT@NLO package. As in Section 1.3, the study of this process is already available in the literature [21] for a limited set of operators. In this work we have considered all operators that have a non-zero interference with the SM. Those operators were found to be: $\mathcal{O}_{\phi G}$, \mathcal{O}_{tG} , $\mathcal{O}_{t\phi}$, $\mathcal{O}_{d\phi}$, $\mathcal{O}_{\phi DC}$, $\mathcal{O}_{\phi l1}^{(3)}$ and $\mathcal{O}_{\phi l2}^{(3)}$. The last four operators enters in the process though shifts to the inputs parameters and dot modify the shape of the SM predictions.

SETUP, check with Simone

PLOTS

In Table ??, we provide the parametrisation of the $gg \rightarrow H$ STXS bins in stage 1.2.

The parametrization of c_{pG} for the $gg \rightarrow H$ production mode is different in the SMEFTsim and SMEFT@NLO for 1-jet and 2-jet . It has been checked that for the 0-jet case the values of the inclusive cross section in those models is the same. In this case, the same SMEFT effects are observed. However, when we add jets to the final state, the parametrization changes significantly (it can be compared to the

Bin	Parametrization
$gg \rightarrow Hll(p_T^V < 75 \text{ GeV})$	-0.0012 c_{pDC} +0.121 c_{dp} -0.056 c_{pe} +0.064 c_{pl1} +0.064 c_{pl2} - 0.0566 c_{pmu} -0.331 c_{pq3i} -0.117 c_{3pl1} -0.117 c_{3pl2} +0.249 c_{pd} - 0.166 c_{pQ3} -0.129 c_{pQM} -0.332 c_{pqMi} +0.047 c_{pt} +0.165 c_{pu} +0.250 c_{tG} +0.0369 c_{tp}
$gg \rightarrow Hll(75 < p_T^V < 150 \text{ GeV})$	+0.0030 c_{pDC} +0.122 c_{dp} -0.057 c_{pe} +0.065 c_{pl1} +0.065 c_{pl2} - -0.0568 c_{pmu} -0.285 c_{pq3i} -0.118 c_{3pl1} -0.118 c_{3pl2} +0.213 c_{pd} - 0.142 c_{pQ3} -0.098 c_{pQM} -0.283 c_{pqMi} +0.0262 c_{pt} +0.142 c_{pu} +0.316 c_{tG} +0.0454 c_{tp}
$gg \rightarrow Hll(0\text{-jet}, 150 < p_T^V < 250 \text{ GeV})$	+0.025 c_{pDC} +0.120 c_{dp} -0.057 c_{pe} +0.065 c_{pl1} +0.065 c_{pl2} - 0.0561 c_{pmu} -0.233 c_{pq3i} -0.116 c_{3pl1} -0.118 c_{3pl2} +0.17 c_{pd} - 0.115 c_{pQ3} -0.029 c_{pQM} -0.229 c_{pqMi} -0.027 c_{pt} +0.112 c_{pu} +0.439 c_{tG} +0.084 c_{tp}
$gg \rightarrow Hll(\geq 1\text{-jet}, 150 < p_T^V < 250 \text{ GeV})$	+0.016 c_{pDC} +0.122 c_{dp} -0.0569 c_{pe} +0.065 c_{pl1} +0.065 c_{pl2} - 0.0572 c_{pmu} -0.244 c_{pq3i} -0.118 c_{3pl1} -0.117 c_{3pl2} +0.183 c_{pd} - 0.122 c_{pQ3} -0.050 c_{pQM} -0.245 c_{pqMi} -0.0111 c_{pt} +0.121 c_{pu} +0.411 c_{tG} +0.072 c_{tp}
$gg \rightarrow Hll(p_T^V > 250 \text{ GeV})$	+0.049 c_{pDC} +0.120 c_{dp} -0.0585 c_{pe} +0.066 c_{pl1} +0.066 c_{pl2} - -0.0581 c_{pmu} -0.197 c_{pq3i} -0.116 c_{3pl1} -0.116 c_{3pl2} +0.153 c_{pd} - 0.099 c_{pQ3} +0.031 c_{pQM} -0.199 c_{pqMi} -0.0820 c_{pt} +0.099 c_{pu} +0.544 c_{tG} +0.134 c_{tp}

Table 4: Parametrization of the $gg \rightarrow ZH$ bins of the STXS as defined in its stage 1.2 with the parameters definitions of the SMEFT@NLO model. The numbers are rounded according to their statistical uncertainty.

Bin	Parametrization
$gg \rightarrow H (200 < p_T^H < 300 \text{ GeV})$	1.7 c_{tG} -0.06 c_{3pl1} -0.06 c_{3pl2} +0.12 c_{dp} -0.03 c_{pDC} -0.12 c_{tp} +45 c_{pG}
$gg \rightarrow H (300 < p_T^H < 450 \text{ GeV})$	1.9 c_{tG} -0.06 c_{3pl1} -0.06 c_{3pl2} +0.12 c_{dp} -0.03 c_{pDC} -0.12 c_{tp} +50 c_{pG}
$gg \rightarrow H (450 < p_T^H < 650 \text{ GeV})$	2.5 c_{tG} -0.06 c_{3pl1} -0.06 c_{3pl2} +0.12 c_{dp} -0.025 c_{pDC} -0.11 c_{tp} +65 c_{pG}
$gg \rightarrow H (p_T^H > 650 \text{ GeV})$	4 c_{tG} -0.07 c_{3pl1} -0.07 c_{3pl2} +0.12 c_{dp} -0.025 c_{pDC} -0.12 c_{tp} +90 c_{pG}
$gg \rightarrow H (0\text{-jet}, p_T^H < 10 \text{ GeV})$	1.57 c_{tG} -0.060 c_{3pl1} -0.060 c_{3pl2} +0.121 c_{dp} -0.030 c_{pDC} -0.122 c_{tp} +38 c_{pG}
$gg \rightarrow H (0\text{-jet}, p_T^H > 10 \text{ GeV})$	1.58 c_{tG} -0.060 c_{3pl1} -0.060 c_{3pl2} +0.121 c_{dp} -0.030 c_{pDC} -0.121 c_{tp} +38 c_{pG}
$gg \rightarrow H (1\text{-jet}, p_T^H < 60 \text{ GeV})$	1.59 c_{tG} -0.060 c_{3pl1} -0.060 c_{3pl2} +0.121 c_{dp} -0.030 c_{pDC} -0.121 c_{tp} +39.3 c_{pG}
$gg \rightarrow H (1\text{-jet}, 60 < p_T^H < 120 \text{ GeV})$	1.60 c_{tG} -0.060 c_{3pl1} -0.060 c_{3pl2} +0.121 c_{dp} -0.030 c_{pDC} -0.121 c_{tp} +40.6 c_{pG}
$gg \rightarrow H (1\text{-jet}, 120 < p_T^H < 200 \text{ GeV})$	1.64 c_{tG} -0.063 c_{3pl1} -0.063 c_{3pl2} +0.126 c_{dp} -0.031 c_{pDC} -0.124 c_{tp} +43.6 c_{pG}

Table 5: Parametrization of the $gg \rightarrow H$ bins with no jet, 0-jet and 1-jet selection of the STXS as defined in its stage 1.2 with the parameters definitions of the SMEFT@NLO model. The numbers are rounded according to their statistical uncertainty.

one shown in [10]). This is expected due to the different implementation of the process and different

Bin	Parametrization
$gg \rightarrow H (\geq 2\text{-jet}, m_{jj} < 350 \text{ GeV}, p_T^H < 60 \text{ GeV})$	$1.62 c_{tG} - 0.061 c_{3pl1} - 0.061 c_{3pl2} + 0.126 c_{dp} - 0.031 c_{pDC} - 0.122 c_{tp} + 41 c_{pG}$
$gg \rightarrow H (\geq 2\text{-jet}, m_{jj} < 350 \text{ GeV}, 60 < p_T^H < 120 \text{ GeV})$	$+1.63 c_{tG} - 0.061 c_{3pl1} - 0.061 c_{3pl2} + 0.120 c_{dp} - 0.031 c_{pDC} - 0.121 c_{tp} + 40.8 c_{pG}$
$gg \rightarrow H (\geq 2\text{-jet}, m_{jj} < 350 \text{ GeV}, 120 < p_T^H < 200 \text{ GeV})$	$+1.69 c_{tG} - 0.062 c_{3pl1} - 0.062 c_{3pl2} + 0.120 c_{dp} - 0.030 c_{pDC} - 0.122 c_{tp} + 45 c_{pG}$
$gg \rightarrow H (\geq 2\text{-jet}, 350 < m_{jj} < 700 \text{ GeV}, p_T^H < 200 \text{ GeV}, p_T^{Hjj} < 25 \text{ GeV})$	$+1.5 c_{tG} - 0.056 c_{3pl1} - 0.056 c_{3pl2} + 0.113 c_{dp} - 0.027 c_{pDC} - 0.113 c_{tp} + 42 c_{pG}$
$gg \rightarrow H (\geq 2\text{-jet}, 350 < m_{jj} < 700 \text{ GeV}, p_T^H < 200 \text{ GeV}, p_T^{Hjj} > 25 \text{ GeV})$	$+1.60 c_{tG} - 0.060 c_{3pl1} - 0.060 c_{3pl2} + 0.117 c_{dp} - 0.028 c_{pDC} - 0.126 c_{tp} + 40 c_{pG}$
$gg \rightarrow H (\geq 2\text{-jet}, m_{jj} > 700 \text{ GeV}, p_T^H < 200 \text{ GeV}, p_T^{Hjj} < 25 \text{ GeV})$	$+1.7 c_{tG} - 0.058 c_{3pl1} - 0.058 c_{3pl2} + 0.12 c_{dp} - 0.033 c_{pDC} - 0.12 c_{tp} + 48 c_{pG}$
$gg \rightarrow H (\geq 2\text{-jet}, m_{jj} > 700 \text{ GeV}, p_T^H < 200 \text{ GeV}, p_T^{Hjj} > 25 \text{ GeV})$	$+1.7 c_{tG} - 0.062 c_{3pl1} - 0.062 c_{3pl2} + 0.114 c_{dp} - 0.031 c_{pDC} - 0.118 c_{tp} + 44 c_{pG}$

Table 6: Parametrization of the $gg \rightarrow H$ bins with 2 or more jets selection of the STXS as defined in its stage 1.2 with the parameters definitions of the SMEFT@NLO model. The numbers are rounded according to their statistical uncertainty.

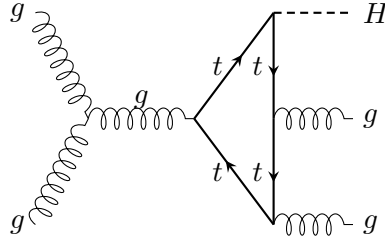


Fig. 2: Example diagram contributing to $gg \rightarrow H + j$ which is not considered in SMEFTsim but it is implemented in SMEFT@NLO.

diagrams included. In Figure 2 is depicted an example diagram which is included in SMEFT@NLO and not considered in SMEFTsim.

1.5 Summary and conclusions

In the absence of hints for new physics in the LHC, the SMEFT approach started to be widely adopted by the experimental collaborations for the interpretation of their measurements. In order to be able to have predictions for the SMEFT, implementation of the SM plus dimension-6 Lagrangian in form of UFO files that can be interfaced with modern event generators are needed. Two different tools: SMEFTsim and SMEFT@NLO has been used and compare to study the $gg \rightarrow H$ and $gg \rightarrow ZH$ loop-induced processes. For the former, which is mainly meant for performing LO calculations, the $gg \rightarrow ZH$ process cannot be simulated and only one-loop functions for $gg \rightarrow H$ are implemented. It lacks, for example, of $gg \rightarrow Hg$ one loop-function exists making the calculation of Higgs plus jets unreliable. It also truncates the Lagrangian for contributions that have a loop suppression on top of the Λ^{-2} .

In this work we have compared both tools for the ttH and ZH production processes. The agreement between the predictions for the SM and interference terms is excellent except for the \mathcal{O}_{tG} operator. Some other operators like \mathcal{O}_{tW} , \mathcal{O}_{tZ} , or two-fermion currents involving quarks cannot be directly compared. It would be helpful for the user to have a clear mapping between each operator in both models.

The SMEFT effects have been studied by means of the distortion of the SM prediction shape and normalization in differential cross sections as well as the parametrization of STXS bins. Only the interference effects have been shown. For $gg \rightarrow H$ **Fill with conclusions of the plots** The parametrisation in terms of STXS bins for $\mathcal{O}_{\phi G}$ differs from others that can be found in the literature using SMEFTsim due to the differences in the implementation of this process in both tools. For $gg \rightarrow ZH$, with $Z \rightarrow l^+l^-$, many operators change the cross sections. However, most of them just introduce a deviation in the normalization of the SM predictions at the interference level without distorting the SM shape. Among the ones that have an energy dependence we can find: \mathcal{O}_{tG}, \dots

The use of SMEFTsim for EFT interpretations of Higgs measurements can result insatisfactory for Higgs loop-induced processes. In this cases, as we have shown, the SMEFT@NLO tool can be used instead. The NLO effects on the decays have not been studied here. This work could have been extended with studies of $H \rightarrow \gamma\gamma$ and $H \rightarrow Z\gamma$. They exist in the literature [22] for $H \rightarrow \gamma\gamma$. However, none of the tools are able to provide the NLO QED corrections for these processes in the SMEFT.

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