Week 3: Visualising One Variable

Visual Data Analytics
University of Sydney





Outline

- Nominal/Ordinal Data
 - Bar
 - Lollipop
 - Pie/donut
- Numeric data
 - Box plot
 - Histograms
 - Kernel density

Motivation

- Understand the distribution of a variable
 - Find outliers
 - Find multi-modality
 - Find skew
- Understanding the distribution is about generating interesting questions for further analysis.
- Thinking probabilistically is about thinking about distributions and not just the mean.

Examples

- We will use two dataets that can be directly loaded from the seaborn package.
 - The taxis dataset with data on pickup and drop off locations, fares, payment type etc., in New York City.
 - The diamonds dataset with information on size, cut clarity, price, etc. of diamonds.
- These contain categorical (nominal and ordinal) and numeric variables.

Categorical variables

The bar chart

- Categories displayed on one axis (usually x).
- The frequency of each observation is displayed on the other axis (usually y).
- The frequency is mapped to the *length* of each bar.
- For this reason always include zero on the y axis.

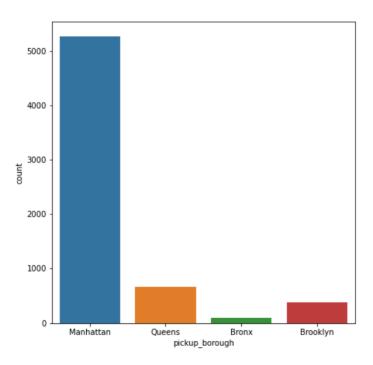
Taxis data

```
import seaborn as sns
taxisdat = sns.load_dataset('taxis')
taxisdat
```

```
##
                     pickup
                                        dropoff
                                                       pickup borough
                                                                       dropoff
        2019-03-23 20:21:09 2019-03-23 20:27:24
                                                            Manhattan
## 0
                                                                             Ma
## 1
        2019-03-04 16:11:55 2019-03-04 16:19:00
                                                            Manhattan
                                                                             Ma
        2019-03-27 17:53:01 2019-03-27 18:00:25
                                                            Manhattan
## 2
                                                                             Ma
## 3
        2019-03-10 01:23:59 2019-03-10 01:49:51
                                                            Manhattan
                                                                             Ma
## 4
        2019-03-30 13:27:42 2019-03-30 13:37:14
                                                            Manhattan
                                                                             Ma
## ...
## 6428 2019-03-31 09:51:53 2019-03-31 09:55:27
                                                            Manhattan
                                                                             Ma
## 6429 2019-03-31 17:38:00 2019-03-31 18:34:23
                                                               Queens
## 6430 2019-03-23 22:55:18 2019-03-23 23:14:25
                                                             Brooklyn
                                                                              В
## 6431 2019-03-04 10:09:25 2019-03-04 10:14:29
                                                             Brooklyn
## 6432 2019-03-13 19:31:22 2019-03-13 19:48:02
                                                             Brooklyn
##
## [6433 rows x 14 columns]
```

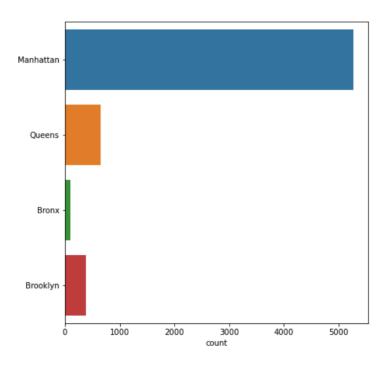
Bar plot of pick up borough

```
sns.countplot(data = taxisdat, x='pickup borough')
```



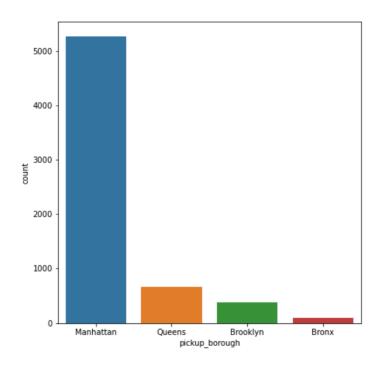
Change orientation

```
sns.countplot(data = taxisdat, y='pickup_borough')
```



Order by frequency

```
sns.countplot(data = taxisdat, x='pickup_borough', order = taxisdat['pi
```



Data are nominal - this is fine.

Ordinal data

- For nominal data it is suitable, to order according to frequency.
- This is not the case for ordinal data
- Always order according to categories of the variable.
- Diamonds dataset has clarity as an ordinal variable
 - Categories ordered as IF, VVS1, VVS2, VS1, VS2, SI1, SI2, I1.

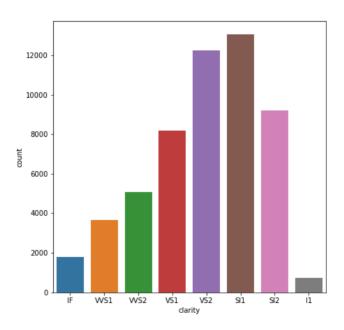
Diamonds data

```
diam = sns.load_dataset('diamonds')
diam
```

```
##
                         cut color clarity
                                              depth
                                                      table
                                                              price
           carat
                                                                         Χ
## 0
            0.23
                       Ideal
                                  Ε
                                         SI2
                                               61.5
                                                       55.0
                                                                326
                                                                      3.95
                                                                            3.98
                                                                                   2.4
            0.21
                     Premium
                                                                                   2.3
## 1
                                  Ε
                                         SI1
                                               59.8
                                                       61.0
                                                                326
                                                                      3.89
                                                                            3.84
                        Good
                                  Ε
## 2
            0.23
                                         VS1
                                               56.9
                                                       65.0
                                                                327
                                                                      4.05
                                                                            4.07
                                                                                   2.3
                     Premium
                                  Ι
## 3
            0.29
                                         VS2
                                               62.4
                                                       58.0
                                                                334
                                                                      4.20
                                                                            4.23
                                                                                   2.6
## 4
            0.31
                        Good
                                  J
                                         SI2
                                               63.3
                                                       58.0
                                                                335
                                                                      4.34
                                                                            4.35
                                                                                   2.7
## ...
                                         . . .
## 53935
            0.72
                       Ideal
                                  D
                                         SI1
                                               60.8
                                                       57.0
                                                               2757
                                                                      5.75
                                                                            5.76
                                                                                   3.5
## 53936
            0.72
                        Good
                                         SI1
                                               63.1
                                                       55.0
                                                               2757
                                                                      5.69
                                                                            5.75
                                                                                   3.6
                                  D
## 53937
            0.70
                  Very Good
                                  D
                                         SI1
                                               62.8
                                                       60.0
                                                               2757
                                                                      5.66
                                                                            5.68
                                                                                   3.5
## 53938
            0.86
                     Premium
                                  Н
                                         SI2
                                               61.0
                                                       58.0
                                                               2757
                                                                      6.15
                                                                            6.12
                                                                                   3.7
## 53939
            0.75
                       Ideal
                                         SI2
                                               62.2
                                                       55.0
                                                               2757
                                                                      5.83
                                                                            5.87
                                                                                   3.6
                                  D
##
## [53940 rows x 10 columns]
```

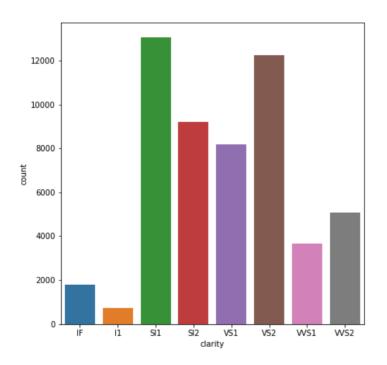
Ordinal

```
diam = sns.load_dataset('diamonds')
sns.countplot(data=diam,x='clarity')
```



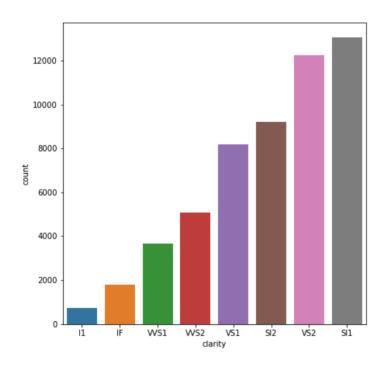
Categories ordered by levels of variable - this is fine.

Incorrect plot



Incorrect. Categories in alphabetical order.

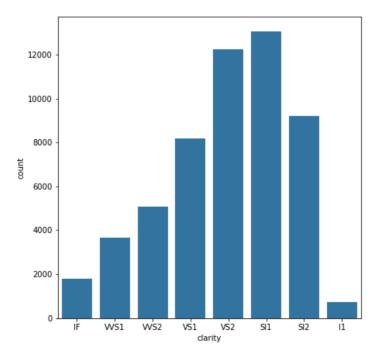
Incorrect plot



Incorrect. Ordered by frequency.

Single color

```
diam = sns.load_dataset('diamonds')
sns.countplot(data=diam,x='clarity',color='tab:blue')
```



Coloring

- Although by default categories have different colors this is not strictly necessary.
 - The default behaviour may be different for different package versions.
- Arguably it is distracting, especially when there are more categories.
- Later on we will use color to display data
 - For example grouping by a second variable and mapping that to color.
- This will be covered later on.

Lollipop charts

- If there are
 - A large number of categories,
 - If the categories all have similar frequencies,
- then consider using a lollipop chart.
- This can be done with some data munging using value counts and the stem function in matplotlib.

Data preparation

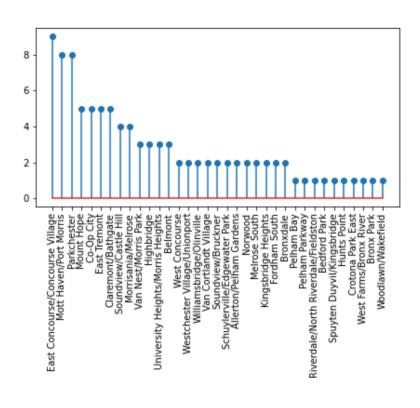
For simpler graph, will only consider pickup in Bronx

```
freq = taxisdat[taxisdat['pickup borough']=='Bronx'].value counts('pick')
freq
## pickup zone
## East Concourse/Concourse Village
                                           9
## Mott Haven/Port Morris
## Parkchester
                                           8
## Mount Hope
                                           5
## Co-Op City
                                           5
## East Tremont
## Claremont/Bathgate
## Soundview/Castle Hill
                                           4
## Morrisania/Melrose
## Van Nest/Morris Park
## Highbridge
## University Heights/Morris Heights
## Belmont
```

Lollipop plot (code)

```
import matplotlib.pyplot as plt
plt.stem(freq)
plt.xticks(range(0,len(freq.index)), freq.index, rotation='vertical')
plt.show()
```

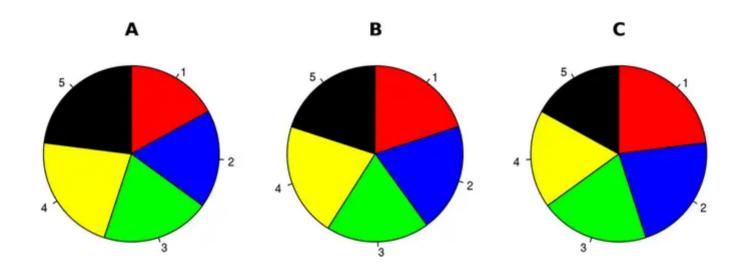
Lollipop plot (output)



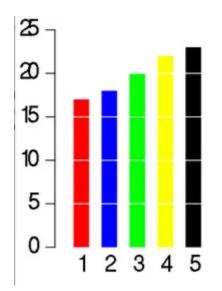
Pie charts

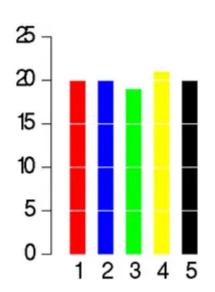
- Pie charts are considered to be poor practice by visualisation experts since
 - It is difficult to compare sizes of angles.
 - It is difficult to make comparisons unless categories are close.
 - They do not handle large numbers of categories.
- Following examples come from a Business Insider article by Walt Hickey.

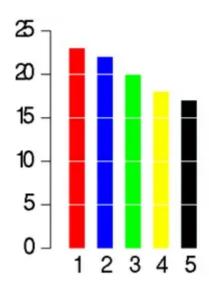
Pie chart



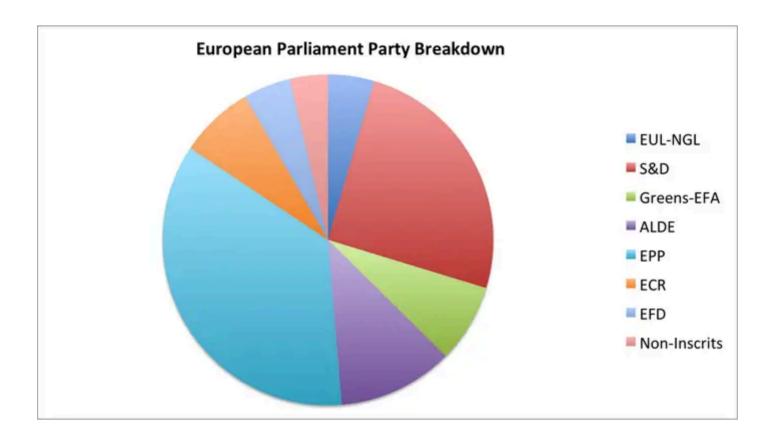
Bar chart



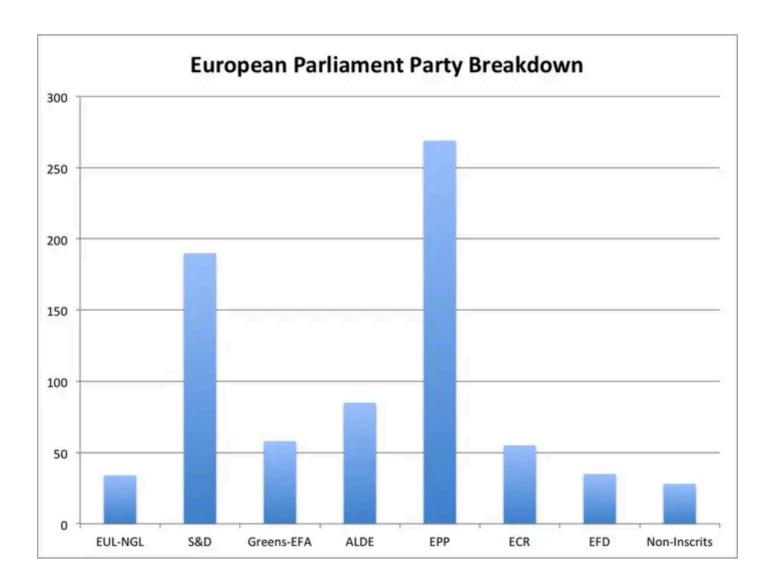




Pie chart



Bar chart



How to do pie charts

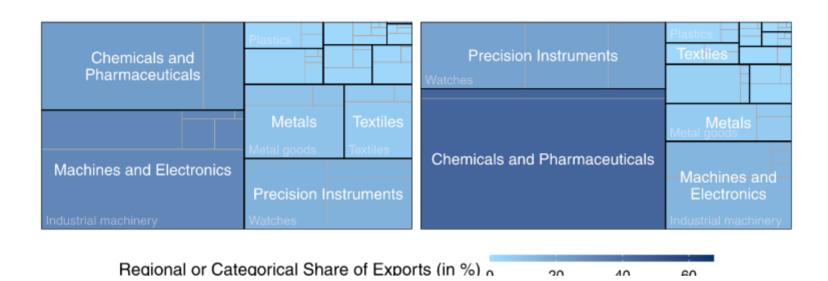
- If you absolutely MUST do a pie chart a guide can be found at this link.
- A donut chart is a pie chart with a hole. It is even worse than a pie chart.



Treemaps

- Even bar charts can struggle when the number of categories is truly huge.
- One way to handle this is using a treemap.
- See this example
- These are particularly well suited when categories follow a hierarchy.
- The following example considers Swiss exports that are classified into 12 categories and 48 subcategories.

Swiss Exports



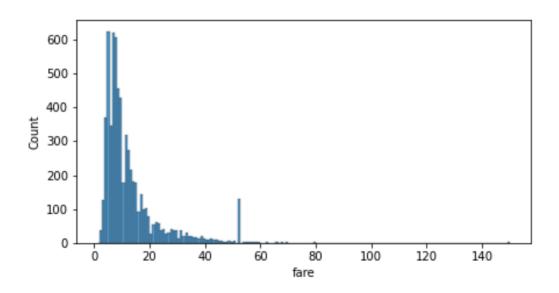
Numerical Data

Histogram

- The equivalent of a bar chart for numerical data is a histogram.
- The area of each bar represents the frequency within a certain interval.
- If all bars have equal width then frequency is mapped to the length of the bars too.
- Zero should always be included on the y axis (but not necessarily x axis).

Histogram

```
sns.histplot(taxisdat['fare'])
```

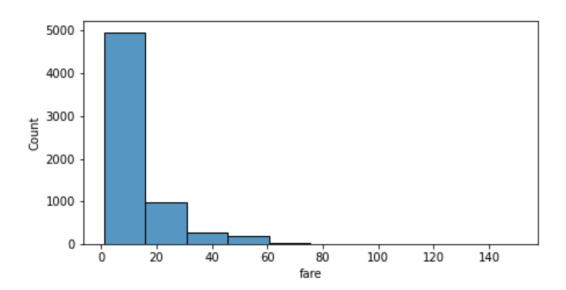


What do we see?

- Right skew
 - Should we use mean or median as measure of central tendency?
- A few big outliers.
- A spike (second 'mode') at around \$50
 - Could represent a fixed fee (e.g. from airport).

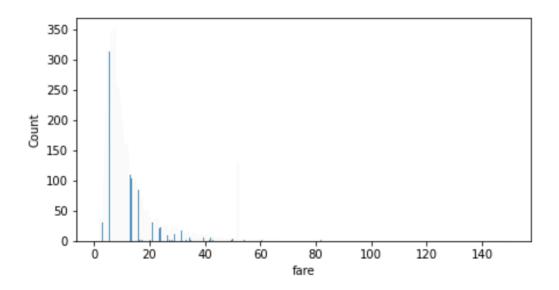
Change number of bins

```
sns.histplot(taxisdat['fare'], bins=10)
```



Change number of bins

```
sns.histplot(taxisdat['fare'], bins=2000)
```



Lessons

- By having too many (or too few) bins we can miss out on important features of data.
- In the above example the spike of fares around \$50 is not seen when the number of bins is changed.
- In general default choice of bin number is good, however it is always a good idea to experiment.

Kernel density estimate (KDE)

- A kernel density estimates the probability density function (pdf) of data.
- For data x_1, x_2, \ldots, x_n the KDE is given by

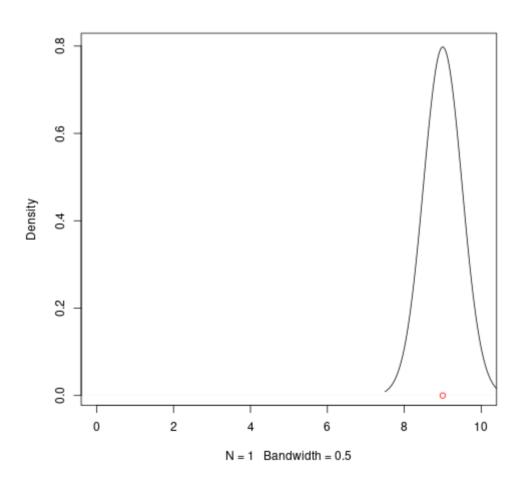
$$\hat{f}\left(x
ight) = rac{1}{n} \sum_{i=1}^n K_h(x-x_i)$$

- The function $K_h(.)$ is called the *kernel*.
- Can take many forms.
- The function depends on a bandwidth h (to be explained soon).

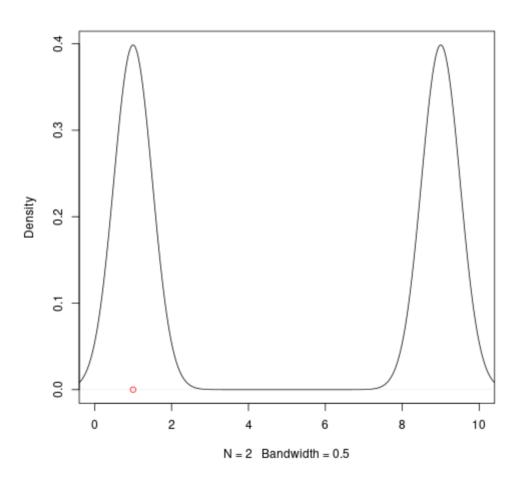
Intuition behind KDE

- If I observe a point in some location, that evidence supports that there is probability that a point comes from a nearby region.
- Imagine I drop a mountain of sand at the location I observe the data point.
- The shape of the sand is the kernel function.
- If I repeat this for n observations the result is the KDE.

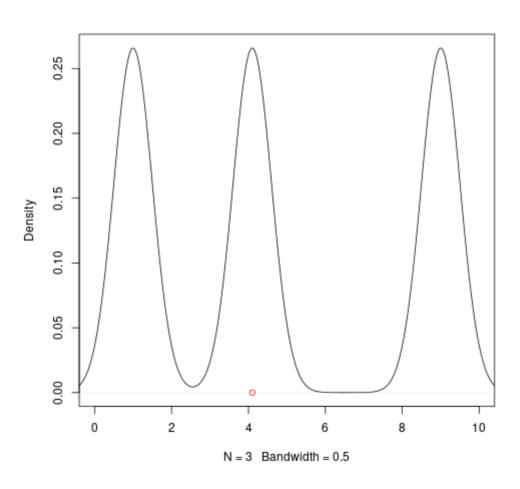
KDE (n-1)



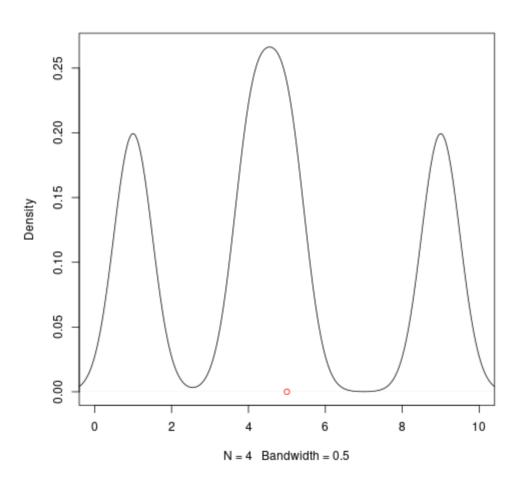
KDE (n=2)



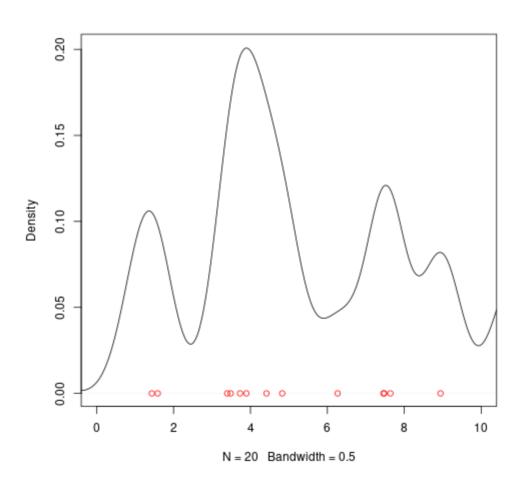
KDE (n=3)



KDE (n=4)



KDE (n=20)

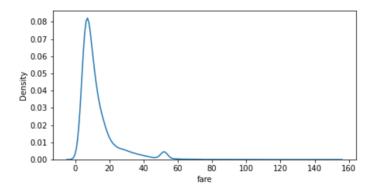


The bandwidth

- ullet The bandwidth h controls whether the mountain of sand is 'peaked' or 'flat' .
- For small bandwidth the mountain of sand is more peaked and the KDE is more wiggly.
- For large bandwidth the mountain of sand is more flat and the KDE is more smooth.
- This is similar to the role of the number of bins in the histogram.
- There are sensible defaults used by visualisation packages.

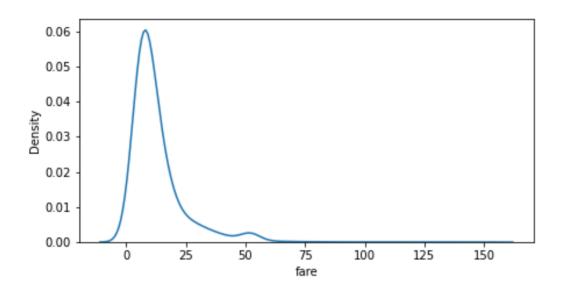
KDE plot

```
sns.kdeplot(taxisdat['fare'])
```



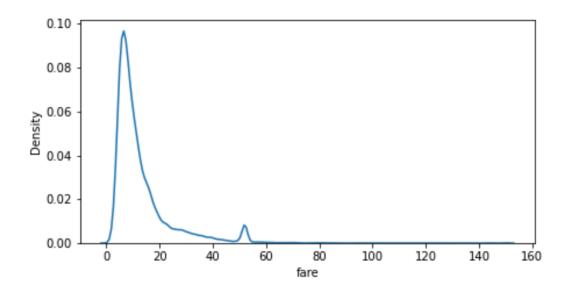
KDE plot (double default BW)

```
sns.kdeplot(taxisdat['fare'], bw adjust = 2)
```



KDE plot (half default BW)

```
sns.kdeplot(taxisdat['fare'], bw_adjust = 0.5)
```

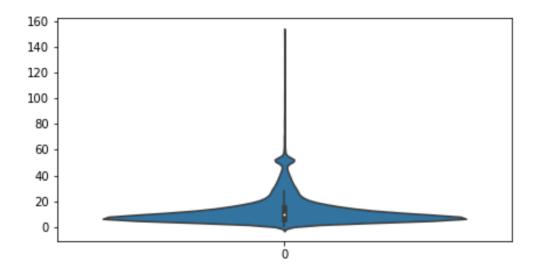


Violin plot

- A violin plot mirrors a KDE and fills it in.
- It is particularly useful for making comparisons of density according to a grouping variable.
- We will cover this next week.

Violin plot

```
sns.violinplot(taxisdat['fare'])
```

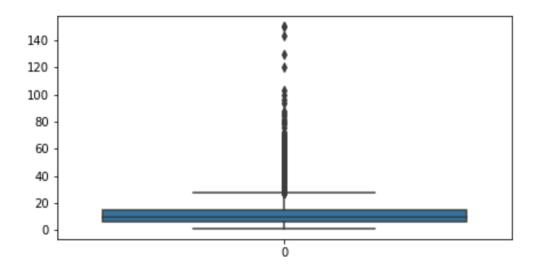


Boxplot

- Inside the violin plot is a boxplot.
- The boxplot is a summary of five statistics
 - Median
 - First Quartile
 - Third Quartile
 - Minimum
 - Maximum

Box plot

```
sns.boxplot(taxisdat['fare'])
```



Fences

- For most implementations, a boxplot actually shows an upper and lower fence rather than the maximum and minimum.
- The upper (lower) fence is given by the third (first) quartile plus (minus) 1.5 times the IQR.
- The maximum (minimum) is shown instead if it is less (greater) than the upper (lower) fence.

Boxplots v KDE

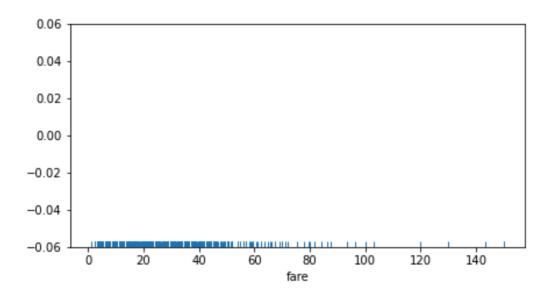
- Note that in this example the spike at around \$50 is lost in the boxplot.
- However it is clearer that there are four outliers above \$110.
- There is no right and wrong answer, it all depends on what you are trying to visualise.

Rug plot

- The final plot we will consider is a rug plot.
- The rug plot can highlight outliers.
- It is harder to understand the shape of the distribution using a rug plot, especially for large sample sizes.
- As a univariate plot, a jittered rug plot (strip plot) works better.

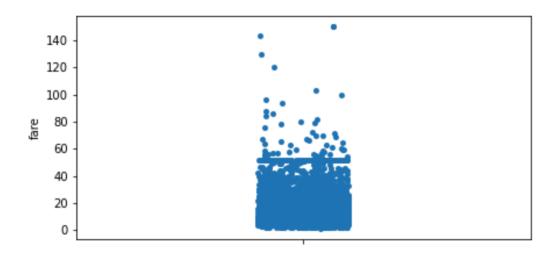
Rug plot

```
sns.rugplot(taxisdat['fare'])
```



Rug plot (jittered)

```
sns.stripplot(y=taxisdat['fare'])
```



Wrap-up

Conclusions

- Univariate plots are useful for
 - Understanding distribution of a variable
 - Finding outliers
 - Finding frequent values
 - Seeing whether data are skewed.
- Always remember that univariate plots generate questions. To answer these questions requires domain knowledge and further analysis.

Questions