

## Section04

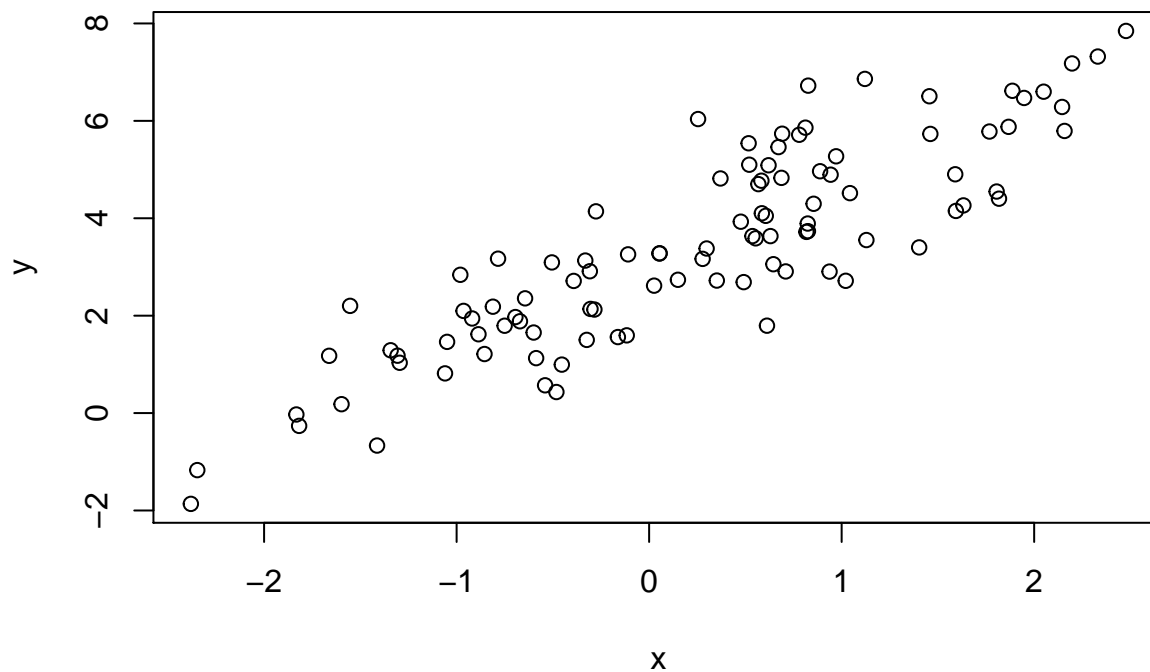
```
b_ols <- function(data, y_var, X_vars, intercept = TRUE) {  
  # Require the 'dplyr' package  
  require(dplyr)  
  
  # Create the y matrix  
  y <- data %>%  
    # Select y variable data from 'data'  
    select_(.dots = y_var) %>%  
    # Convert y_data to matrices  
    as.matrix()  
  
  # Create the X matrix  
  X <- data %>%  
    # Select X variable data from 'data'  
    select_(.dots = X_vars)  
  
  # If 'intercept' is TRUE, then add a column of ones  
  # and move the column of ones to the front of the matrix  
  if (intercept == T) {  
    # Bind on a column of ones  
    X <- cbind(1, X)  
    # Name the column of ones  
    names(X) <- c("ones", X_vars)  
  }  
  
  # Convert X_data to a matrix  
  X <- as.matrix(X)  
  
  # Calculate beta hat  
  beta_hat <- solve(t(X) %*% X) %*% t(X) %*% y  
  
  # If 'intercept' is TRUE:  
  # change the name of 'ones' to 'intercept'  
  if (intercept == T) rownames(beta_hat) <- c("intercept", X_vars)  
  
  # Return beta_hat  
  return(beta_hat)  
}  
  
# Load the 'dplyr' package  
library(dplyr)
```

```
## Warning: package 'dplyr' was built under R version 3.3.2  
##  
## Attaching package: 'dplyr'  
## The following objects are masked from 'package:stats':  
##  
##   filter, lag  
## The following objects are masked from 'package:base':
```

```
##
## intersect, setdiff, setequal, union
# Set the seed
set.seed(12345)
# Set the sample size
n <- 100
# Generate the x and error data from N(0,1)
the_data <- tibble(
  x = rnorm(n),
  e = rnorm(n))
# Calculate  $y = 3 + 1.5x + e$ 
the_data <- mutate(the_data, y = 3 + 1.5 * x + e)

## Warning: package 'bindrcpp' was built under R version 3.3.2
# Plot to make sure things are going well.
plot(
  # The variables for the plotw
  x = the_data$x, y = the_data$y,
  # Labels and title
  xlab = "x", ylab = "y", main = "Our generated data")
```

**Our generated data**



```
b_ols(data = the_data, y_var = "y", X_vars = "x", intercept = F)

##          y
## x 2.16881

library(lfe)
```

```
## Loading required package: Matrix
```

```

# With an intercept:
felm(y ~ x, data = the_data) %>% summary()

##
## Call:
##   felm(formula = y ~ x, data = the_data)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -2.20347 -0.60278 -0.01114  0.61898  2.60970
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)  3.02205     0.10353   29.19  <2e-16 ***
## x            1.59454     0.09114   17.50  <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 1.011 on 98 degrees of freedom
## Multiple R-squared(full model): 0.7575   Adjusted R-squared: 0.755
## Multiple R-squared(proj model): 0.7575   Adjusted R-squared: 0.755
## F-statistic(full model):306.1 on 1 and 98 DF, p-value: < 2.2e-16
## F-statistic(proj model): 306.1 on 1 and 98 DF, p-value: < 2.2e-16

# Without an intercept:
felm(y ~ x - 1, data = the_data) %>% summary()

##
## Call:
##   felm(formula = y ~ x - 1, data = the_data)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
##  0.3592  2.0732  2.8736  3.7755  5.5697
##
## Coefficients:
##      Estimate Std. Error t value Pr(>|t|)
## x    2.1688     0.2757   7.867 4.62e-12 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 3.132 on 99 degrees of freedom
## Multiple R-squared(full model): -1.351   Adjusted R-squared: -1.375
## Multiple R-squared(proj model): -1.351   Adjusted R-squared: -1.375
## F-statistic(full model):-56.89 on 1 and 99 DF, p-value: 1
## F-statistic(proj model): 61.89 on 1 and 99 DF, p-value: 4.62e-12

# The estimates
b_w <- b_ols(data = the_data, y_var = "y", X_vars = "x", intercept = T)
b_wo <- b_ols(data = the_data, y_var = "y", X_vars = "x", intercept = F)
# Plot the points
plot(
  # The variables for the plot
  x = the_data$x, y = the_data$y,
  # Labels and title

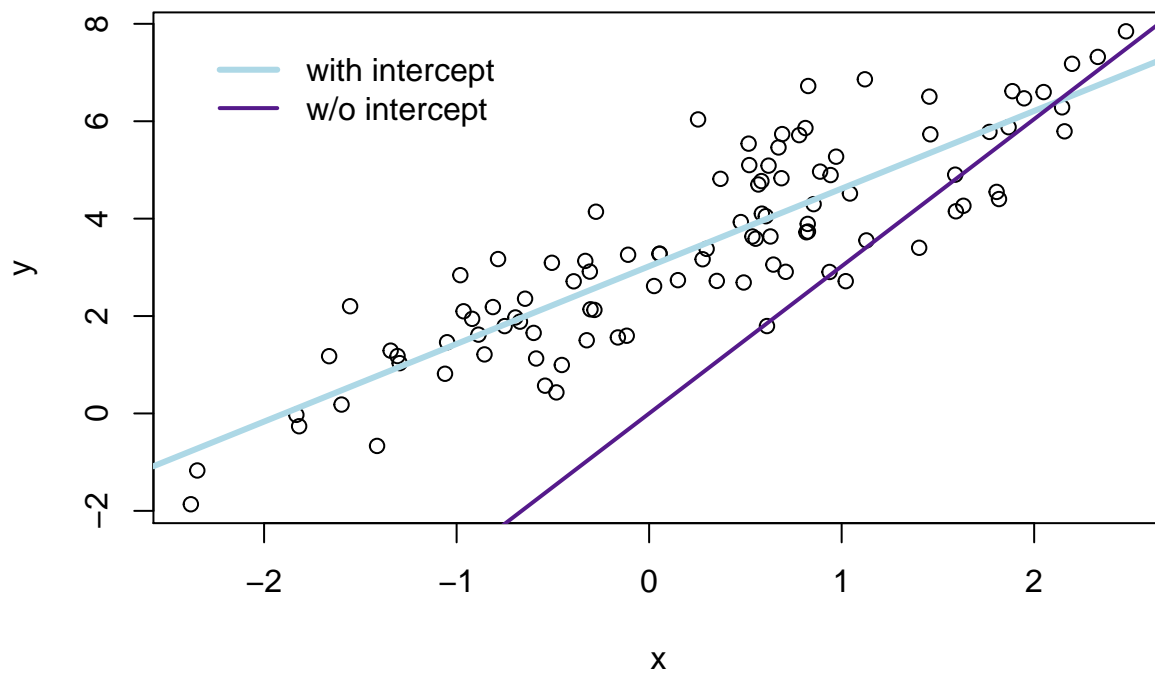
```

```

xlab = "x", ylab = "y", main = "Our generated data")
# Plot the line from the 'with intercept' regression in yellow
abline(a = b_w[1], b = b_w[2], col = "lightblue", lwd = 3)
# Plot the line from the 'without intercept' regression in purple
abline(a = 0, b = b_w[1], col = "purple4", lwd = 2)
# Add a legend
legend(x = min(the_data$x), y = max(the_data$y),
      legend = c("with intercept", "w/o intercept"),
      # Line widths
      lwd = c(3, 2),
      # Colors
      col = c("lightblue", "purple4"),
      # No box around the legend
      bty = "n")

```

**Our generated data**



## CANNED REGRESSIONS

$y \sim x$   $y \sim x + I(x^2)$  #how to get a squared term  $y \sim x:z$  #just gives  $xz$   $y \sim x*z$  #gives you  $x$ ,  $z$  and  $xz$