

MERGING

- Step 1 : Start
- Step 2 : Declare the variables
- Step 3 : Read the size of first array
- Step 4 : Read elements of first array in sorted order
- Step 5 : Read the size of second array
- Step 6 : Read the element of second array in sorted array order
- Step 7 : Repeat Step 8 and 9 while $i < m$ and $j < n$
- Step 8 : Check if $a[i] < b[j]$ then $c[k++] = a[i++]$
- Step 9 : Else $c[k++] = b[j++]$
- Step 10 : Repeat Step 11 while $i < m$
- Step 11 : $c[k++] = a[i++]$
- Step 12 : Repeat Step 13 while $j < n$
- Step 13 : $c[k++] = b[j++]$
- Step 14 : Print the first array
- Step 15 : Print the second array
- Step 16 : Print the merged array
- Step 17 : End

STACK OPERATIONS

Step 1 : Start

Step 2 : Declare the node and the required variables

Step 3 : Declare the function for push pop display and search

Step 4 : Read the choice from the user to push, pop display or search an element.

Step 5 : if the user choose to push an element, then read the element to be pushed and call the function to push the element by passing the value to the function.

Step 5.1 : Declare the new node and allocate memory for the new node

Step 5.2 : Set new node \Rightarrow data = value

Step 5.3 : Check if top == null then set newnode \Rightarrow next = null

Step 5.4 : Else set new node \Rightarrow next = top

Step 5.5 : Set top = new node and then print insertion is successful

Step 6 : if the user choose to pop an element

From the stack then call the function to pop the element.

Step 6.1 : check if $top == \text{Null}$ then print stack is empty

Step 6.2 : Else declare a pointer variable temp and initialize it to top

Step 6.3 : print the element that is being deleted

Step 6.4 : Set $temp \rightarrow next = temp$

Step 6.5 : free the temp

Step 7 : if the user choose to display the element in the stack then call the function to display the element in the stack

Step 7.1 : check if $top == \text{Null}$ then print stack is empty.

Step 7.2 : Else declare a pointer variable temp & initialize it to top

Step 7.3 : Repeat Steps below while $temp \rightarrow next != \text{null}$

Step 7.4 : print $temp \rightarrow data$

Step 7.5 : Set $temp = temp \rightarrow next$

Step 8 : if the user choose to search an element from the stack then call the function to search an element

Step 8.1 : Declare a pointer variable ptr and other necessary variable

Step 8.2 : Initialize ptr = top

Step 8.3 : Check if ptr = null then Print Stack empty

Step 8.4 : Get the element to be searched

Step 8.5 : Repeat Step 8.6 to 8.8 while ptr != null

Step 8.6 : Check if ptr → data == item then print element founded and to be located and
Set flag = 1

Step 8.7 : Else Set flag = 0

Step 8.8 : increment i by 1 and Set ptr = ptr → next

Step 8.9 : Check if flag = 0 then print the element not found

Step 9 : End

Circular Queue Operations

Step 1 : Start

Step 2 : Declare the queue and other variables

Step 3 : Declare the functions for enqueue, dequeue, search and display

Step 4 : Read the choice from the user

Step 5 : if the user choose the choice enqueue then read the element to be inserted from the user and call the enqueue function by passing the value.

Step 5.1 : check if $front == -1$ & $rear == -1$ then set $front = 0$, $rear = 0$ and set $queue[rear] = element$.

Step 5.2 : Else if $rear + 1 \% max == front$ or $front == rear + 1$ then print queue is overflow

Step 5.3 : Else set $rear = rear + 1 \% max$ and set $queue[rear] = element$

Step 6 : if the user choice is the option dequeue then call the function dequeue.

Step 6.1 : check if $front == -1$ and $rear == -1$ then print queue is underflow

Step 6.2 : Else check if $\text{front} == \text{rear}$ then print the element is to be deleted then set $\text{front} = -1$ and $\text{rear} = -1$

Step 6.3 : Else print the element to be dequeued set $\text{front} = \text{front} + 1 \% \text{max}$

Step 7 : if the user choice is to display the queue then call the function display

Step 7.1 : check if $\text{front} = -1$ and $\text{rear} = -1$ then print queue is empty

Step 7.2 : Else repeat the Step 7.3 while $i < \text{rear}$

Step 7.3 : print $\text{queue}[i]$ and set $i = i + 1 \% \text{max}$

Step 8 : if the user choose the Search then call the function to search an element in the queue.

Step 8.1 : Read the element to be searched in the queue

Step 8.2 : check if $\text{item} == \text{queue}[i]$ then print item found and its position and increment i by 1

Step 8.3 : check if $i == 0$ then print item not found

Step 9 : Stop

Doubly linked list operation.

- Step 1 : Start
- Step 2 : Declare a structure and related variable
- Step 3 : Declare functions to create a node, insert a node in the beginning at the end and gives position, display the list and search an element in the list
- Step 4 : Define function to create a node, declare the required variables.
- Step 4.1 : Set memory allocated to the node = temp
then set temp \rightarrow prev = null and temp \rightarrow next = null
- Step 4.2 : Read the value to be inserted to the node
- Step 4.3 : Set ~~se~~ temp \rightarrow n = data and increment count by 1
- Step 5 : Read the choice from the user to perform different operation on the list
- Step 6 : if the user choose to perform insertion operation at the beginning then call the function to perform the insertion

Step 6.1 : Check if $\text{head} == \text{null}$ then call the function to create a node perform step 4 to 4.3

Step 6.2 : Set $\text{head} = \text{temp}$ and $\text{temp1} = \text{head}$

Step 6.3 : Else call the function to create a node Perform step 4 to 4.3 then set $\text{temp} \rightarrow \text{next} = \text{head}$, set $\text{head} \rightarrow \text{prev} = \text{temp}$ and $\text{head} = \text{temp}$

Step 7 : if the user choice is to perform insertion at the end of the list, then call the function to perform the insertion at the end -

Step 7.1 : Check if $\text{head} == \text{null}$ then call the function to create a new node then set $\text{temp} = \text{head}$ and then set $\text{head} = \text{temp1}$

Step 7.2 : Else call the function to create a new node then set $\text{temp1} \rightarrow \text{next} = \text{temp}$, $\text{temp} \rightarrow \text{prev} = \text{temp1}$ and $\text{temp1} = \text{temp}$

Step 8 : if the user choose to perform insertion in the list at any position then call the function to perform the insertion operation

Step 8.1 : Declare the necessary variable.

Step 8.2 : Read the position where the node need to be inserted, Set $\text{temp2} = \text{head}$

Step 8.3 : check if $\text{pos} < 1$ or $\text{pos} > \text{count} + 1$ then print the position is out of range

Step 8.4 : check if head and $\text{pos} = 1$ then print "Empty list cannot insert other than 1st position"

Step 8.5 : check if $\text{head} == \text{null}$ and $\text{pos} = 1$ then call the function to create newnode then set $\text{temp} = \text{head}$ and $\text{head} = \text{temp}$

Step 8.6 : while $i < \text{pos}$ then set $\text{temp2} = \text{temp2} \rightarrow \text{next}$ increment i by 1.

Step 8.7 : call the function to create a new node and then set $\text{temp} \rightarrow \text{prev} = \text{temp2}$ $\text{temp} \rightarrow \text{next} = \text{temp2} \rightarrow \text{next}$ $\text{prev} = \text{temp}$, $\text{temp2} \rightarrow \text{next} = \text{temp}$

Step 9 : if the user choose to perform deletion operation in the list then all the function do performs the deletion operation.

Step 9.1 : Declare the necessary variable.

Step 9.2 : Read the position where node need to be deleted Set temp2 = head

Step 9.3 : check if $pos < 1$ or $pos > count + 1$ then print Position out of range

Step 9.4 : check if head == null then print the list is empty

Step 9.5 : while $i < pos$ then temp2 = temp2 \rightarrow next and increment i by 1

Step 9.6 : check if $i == 1$ then check if temp2 \rightarrow next == null then print node deleted free (temp2)
Set temp2 = head = null

Step 9.7 : check if temp2 \rightarrow next == null then temp2 \rightarrow Prev \rightarrow next = null then free (temp2) then print node deleted

Step 9.8 : temp2 \rightarrow next \rightarrow prev = temp2 \rightarrow prev then check if $i != 1$ then temp2 \rightarrow prev \rightarrow next = temp2 \rightarrow next

Step 9.9 : Check if $i == 1$ then head = temp2 \rightarrow next then print node deleted then free temp2 and decrement count by 1

Step 10 : if the user choose to perform the display operation then call the function to display the list

Step 10.1 : Set temp2 = 0

Step 10.2 : check if temp2 = null then print list is empty

Step 10.3 : while temp2 \rightarrow next1 = null then print temp2 \rightarrow u then temp2 = temp2 \rightarrow next

Step 11 : if the user choose to ~~pre~~ perform the search operation then call the function to search operation.

Step 11.1 : Declare the necessary variable

Step 11.2 : Set temp2 = head

Step 11.3 : check if temp2 == null then print the list is empty

Step 11.4 : Read the value to be searched

Step 11.5 : while temp2 != null the check if temp2 \rightarrow == data then print element found at Position count + 1

Step 11.6 : Else set temp2 = temp2 \rightarrow next and increased count

Step 11.7 : print element not found in the list

Step 12 : Stop

Set Operations

Step 1: Start

Step 2: Declare the necessary variable

Step 3: Read the choice from the user to perform Set operation.

Step 4: if the user choose to perform union.

Step 4.1: Read the cardinality of 2 Sets

Step 4.2: check if $m \neq n$ then print cannot perform union.

Step 4.3: Else read the elements in both the sets

Step 4.4: Repeat the Step 4.5 to 4.7 until $i \leq m$

Step 4.5: $C[i] = A[i] \cup B[i]$

Step 4.6: print $C[i]$

Step 4.7: increment i by 1

Step 5: Read the choice from the user to perform intersection.

Step 5.1: Read the cardinality of 2 Sets

Step 5.2: check if $m \neq n$ then print cannot perform intersection.

Step 5.3 : Else read the elements in both the sets

Step 5.4 : Repeat the Step 5.5 to 5.7 until $i < n$

Step 5.5 : $C[i] = A[i] \& B[i]$

Step 5.6 : Print $C[i]$

Step 5.7 : increment i by 1

Step 6 : if the user choose to perform set difference operation.

Step 6.1 : Read the cardinality of 2 sets

Step 6.2 : Check if $m \neq n$ then print cannot perform set difference operation.

Step 6.3 : Else read the element in both sets

Step 6.4 : Repeat the Step 6.5 to 6.8 until $i < n$

Step 6.5 : check if $A[i] == 0$ then $C[i] = 0$

Step 6.6 : Else if $B[i] == 1$ then $C[i] = 0$

Step 6.7 : Else $C[i] = 1$

Step 6.8 : increment i by 1

Step 7 : Repeat the Step 7.1 & 7.2 until $i < n$

Step 7.1 : print $C[i]$

Step 7.2 : increment i by 1

Binary Search Tree

Step 1 : Start

Step 2 : Declare a structure and structure pointers for insertion deletion and search operation and also declare a function for inorder traversal.

Step 3 : Declare a pointer as root and also the required variable

Step 4 : Read the choice from the user to perform insertion, deletion, searching and inorder traversal

Step 5 : If the user choose to perform insertion operation then read the value which is to be inserted to the tree from the user

Step 5.1 : pass the value to be inserted pointer and also the root pointer

Step 5.2 : check if ! root then allocate memory for the root.

Step 5.3 : Set the value to the info part of the

and then set left and right part of the root
to the null and return root

Step 5.4: check if $\text{root} \rightarrow \text{info} > x$ then call the insert
Pointer to insert to left of the root

Step 5.5: check if $\text{root} \rightarrow \text{info} < x$ then call the insert
Pointer to insert to the right of the root

Step 5.6: Return the root

Step 6: if the user choose to performs deletion
operation then read the element to be deleted
from the tree pass the root pointer and
the item to the delete pointer

Step 6.1: check if not ptr then print node not found

Step 6.2: Else if $\text{ptr} \rightarrow \text{info} < x$ then call delete pointer
by passing the right pointer and the item

Step 6.3: Else if $\text{ptr} \rightarrow \text{info} > x$ then call delete pointer
by passing the left pointer and the item

Step 6.4: check if $\text{ptr} \rightarrow \text{info} == \text{item}$ then check
if $\text{ptr} \rightarrow \text{left} == \text{ptr} \rightarrow \text{right}$ then tree
ptr & return null

Step 6.5 : Else if $ptr \rightarrow left == null$ then set $p1 = ptr \rightarrow right$ and free ptr , return $p1$.

Step 6.6 : Else if $ptr \rightarrow right == null$ then set $p1 = ptr \rightarrow left$ and free ptr , return $p1$.

Step 6.7 : Else set $p1 = ptr \rightarrow right$ and $p2 = ptr \rightarrow right$.

Step 6.8 : while $p1 \rightarrow left$ not equal to null, set $p1 \rightarrow left = ptr \rightarrow left$ and free ptr , return $p2$.

Step 6.9 : Return ptr .

Step 7 : if the user choose to perform Search operation then call the pointer to perform Search operation.

Step 7.1 : Declare the necessary pointers and variable.

Step 7.2 : Read the element to be searched.

Step 7.3 : while ptr check if $item > ptr \rightarrow info$ then $ptr = ptr \rightarrow right$.

Step 7.4 : Else if $item < ptr \rightarrow info$ then $ptr = ptr \rightarrow left$.

Step 7.5 : Else break

Step 7.6 : check if ptr then print that the element is found

Step 7.7 : Else print element not found in tree and return root

Step 8 : if the user choose to perform traversal then call the traversal function and pass the root pointer.

Step 8.1 : if root not equals to null recursively call function by passing root \rightarrow left

Step 8.2 : point root \rightarrow info

Step 8.3 : call the traversal function recursively by passing root \rightarrow right

Disjoint Sets

Step 1: Start

Step 2: Declare the structure and related structure variable

Step 3: Declare a function makeset()

Step 3.1: Repeat Step 3.2 to 3.4 until $i < n$

Step 3.2: dis.parent[i] is set to 1

Step 3.3: Set dis.rank[i] is equal to 0

Step 3.4: increment i by 1

Step 4: Declare a function display set

Step 4.1: Repeat Step 4.2 and 4.3 until $i < n$

Step 4.2: print dis.parent[i]

Step 4.3: increment i by 1

Step 4.4: Repeat Step 4.5 and 4.6 until $i < n$

Step 4.5: print dis.rank[i]

Step 4.6: increment i by 1

Step 5: Declare a function find and pass x to the function

Step 5.1: check if dis.parent[x] != x then set the return value to the dis.parent(x)

Step 5.2 : returns disparent (x)

Step 6 : Declare a function union and pass two variables x and y

Step 6.1 : Set x Set do find (x)

Step 6.2 : Set y Set do find (y)

Step 6.3 : check if x Set == y Set then returns

Step 6.4 : check if dis rank [x Set] < dis rank [y Set] then

Step 6.5 : Set ~~parent~~ y set = dis. parent (y Set)

Step 6.6 : Set -1 to dis rank [x Set]

Step 6.7 : Else if check dis rank (x Set) > dis. rank (y Set)

Step 6.8 : Set x Set to dis parent (y Set)

Step 6.9 : Set -1 to dis rank [y set]

Step 6.10 : Else dis. parent [y set] = x Set

Step 6.11 : Set dis rank [x Set] + 1 to dis rank [x Set]

Step 6.12 : Set -1 to dis rank [y Set]

Step 7 : Read the number of elements.

- Step 8 : call the function makeset
- Step 9 : Read the choice from user to perform
Performs union find and display operation
- Step 10 : if the user choice to perform union operation
read the element to perform union then
call the function to perform union
operation.
- Step 11 : if the user choose to perform final
operation read the element to check if
connected.
- Step 11.1 : check if $\text{find}(x) == \text{find}(y)$ then print
connected component
- Step 11.2 : Else print not connected component
- Step 12 : if the user choose to perform display
operation call the function display &c
- Step 13 : end.