

KU-STAR Research Internship

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Kyoto University

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Presentation Overview

Overview

About me

Research Topic at Kyoto University

Essential things for Kyoto University for research

Future Research Interests

Thank You



About me

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- A man with dark hair and glasses, wearing a dark blue shirt and a backpack, is taking a selfie. He is standing in front of a large, multi-story brick building at night. A large, well-lit tree is in the background, and a clock tower is visible on the building's roof. Several people are walking in the distance.



Research Topic at Kyoto University

Approximating the number of **equivalence classes** of a given relation.



Research Topic at Kyoto University

Approximating the number of **equivalence classes** of a given relation.

And how does it help?

Research Topic at Kyoto University

Approximating the number of **equivalence classes** of a given relation.

And how does it help?

Well, It helps in quantifying the sensitive **information leaked** by a computer program as **entropy**.

A set of small, light-blue navigation icons typically found in Beamer presentations, including symbols for back, forward, search, and other navigation functions.

A question for the audience

Example: How many equivalence classes does the following relation have, where x, y are 32 bit integers ?

$$x \sim y \Leftrightarrow x \equiv y \equiv 0 \pmod{8} \text{ or } x = y \quad (1)$$

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$$(x \equiv y \equiv 0 \pmod{8}) \vee (x = y) \rightarrow \boxed{\text{Our Algorithm}} \rightsquigarrow 7 \cdot 2^{29}$$



Research Topic at Kyoto University

- ▶ Model counting is the problem of counting the number of solutions to a given set of constraints.
- ▶ The problem of Model Counting ($\#SAT$) is $\#P$ -complete.
- ▶ Therefore, we work with an (ϵ, δ) approximation algorithm \mathcal{A} , whose output n over a problem instance \mathcal{F} satisfies,

$$\Pr[n \leftarrow \mathcal{A}(\mathcal{F}) : \frac{\#\mathcal{F}}{1+\epsilon} \leq n \leq \#\mathcal{F}(1+\epsilon)] \geq 1 - \delta$$

- ▶ In simple words, it gives a good enough number with high probability, for small values of ϵ and δ .
- ▶ For instance, we might want to count the number of equivalence classes of the given relation

$$x \sim y \Leftrightarrow x \equiv y \equiv 0 \pmod{8} \vee x = y \quad (2)$$



Research Topic at Kyoto University

- ▶ Recently, a scalable approximation algorithm for model counting over boolean constraints was proposed by Chakraborty et al.
- ▶ We want to generalize this algorithm to simple arithmetic constraints like modulo, addition, subtraction, etc. over integers (finite fields like \mathbb{Z}_n) and lists, using SMT solvers (SAT modulo theory) like Z3.
- ▶ This has applications in computer security, it would be the main ingredient to quantify the sensitive information leaked by a computer programme.



Essential things at Kyoto University for research

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Future Research Interests

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Thank You

Thank You for your
Attention!

