
Aurkitu 5 akatsak ondoko Matematikako sarreretan:

$B = \begin{pmatrix} 3 & 0 & 0 \\ 0 & 1 & 1 \\ 0 & 1 & 1 \end{pmatrix}$ matrizea ortogolaki diagonalizatu:

```
In[1]:= B = {{3, 0, 0}, {0, 1, 1}, {0, 1, 1}}
```

```
Out[1]= {{3, 0, 0}, {0, 1, 1}, {0, 1, 1}}
```

```
In[5]:= pol = Det[B - x * IdentityMatrix[3]]  
          |determinante |matriz identidad
```

```
(3 - x) (-2 x + x2)
```

```
In[6]:= CharacteristicPolynomial[B, x]  
          |polinomio característico
```

```
Out[6]= -6 x + 5 x2 - x3
```

```
In[7]:= s = Eigensystem[B]  
          |autovalores y autove
```

```
Out[7]= {{3, 2, 0}, {{1, 0, 0}, {0, 1, 1}, {0, -1, 1}}}
```

```
In[14]:= von = Orthogonalize[s[[2]]];  
          |ortogonaliza
```

```
p = Transpose[von];  
    |transposición
```

```
MatrixForm[p]  
    |forma de matriz
```

```
Out[16]//MatrixForm=
```

$$\begin{pmatrix} 1 & 0 & 0 \\ 0 & \frac{1}{\sqrt{2}} & -\frac{1}{\sqrt{2}} \\ 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \end{pmatrix}$$

```
In[17]:= d = Transpose[p] . B . p  
          |transposición
```

```
Out[17]= {{3, 0, 0}, {0, 2, 0}, {0, 0, 0}}
```