

Dipole Dark Matter (v2)

- The Dipole DM model extends the SM by adding three Dirac Fermions and a real scalar, all singlets under the SM gauge group:

$$\chi_2, \chi_1, \chi_0 \text{ and } \phi$$

- The Lagrangian of the model is given by:

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \mathcal{L}_\phi + \mathcal{L}_\chi + \mathcal{L}_{H\chi} + \mathcal{L}_{\text{dipole}},$$

$$\mathcal{L}_\phi = (\partial^\mu \phi)^2 - \mu_2^2 |\phi|^2 - \lambda_2 \phi^4 - \lambda_3 \phi^2 |H|^2,$$

$$\mathcal{L}_\chi = i\bar{\chi}_i \partial \chi_i - \tilde{M}_{ij} \bar{\chi}_i \chi_j - (y_\chi)_{ij} \bar{\chi}_i \chi_j \phi,$$

$$\mathcal{L}_{H\chi} = \frac{(C_{H\chi\chi})_{ij}}{\Lambda} \bar{\chi}_i \chi_j |H|^2.$$

$$\mathcal{L}_{\text{dipole}} = \frac{(C_{\gamma\chi\chi})_{ij}}{\Lambda} \bar{\chi}_i \sigma^{\mu\nu} \chi_j F_{\mu\nu}$$

Dipole Dark Matter (v2)

- Mass eigenstates: $\chi_2, \chi_1, \chi_0, S$

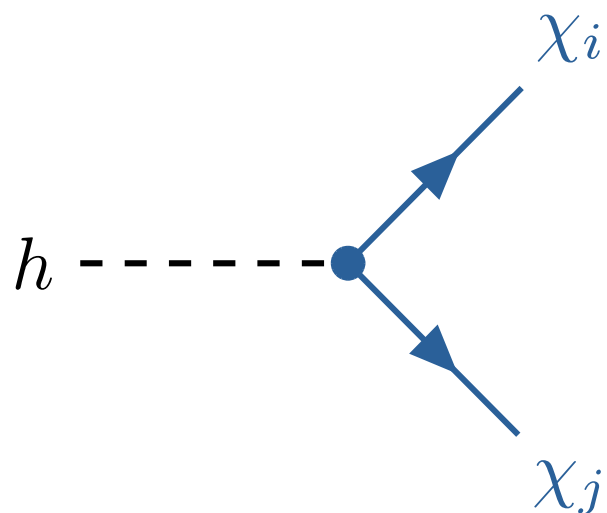
$$h = (\sqrt{2}H^0 - v) \cos \alpha - (\sqrt{2}\phi - v_D) \sin \alpha ,$$

$$S = (\sqrt{2}\phi - v_D) \cos \alpha + (\sqrt{2}H^0 - v) \sin \alpha .$$

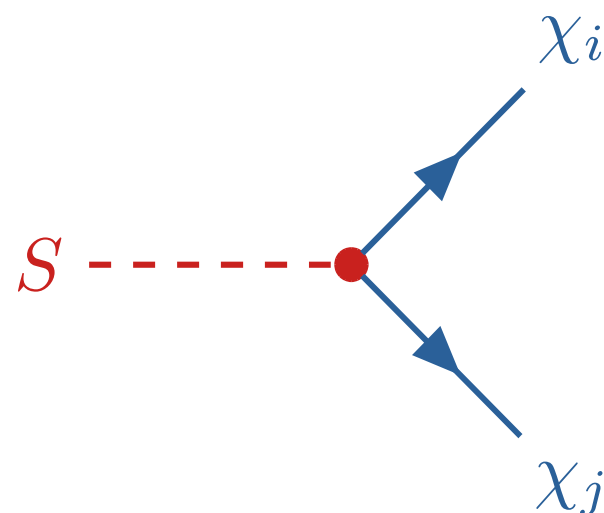
- We assume the following mass hierarchy:

$$m_S > m_{\chi_2} > m_{\chi_1} > m_{\chi_0} > m_h/2$$

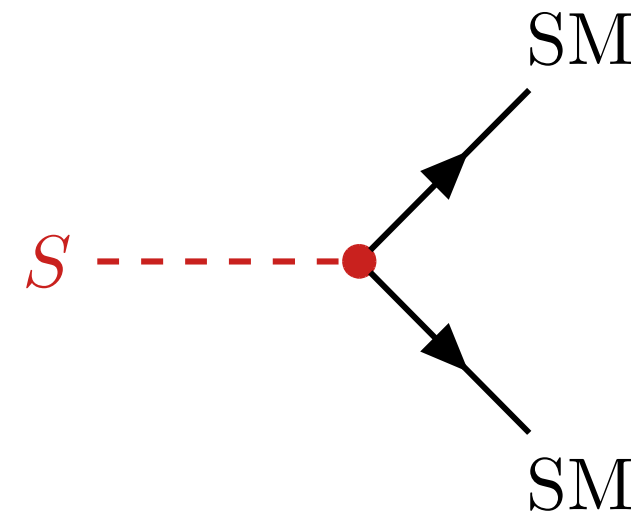
- Vertices:



$$\frac{i}{\sqrt{2}}(y_\chi)_{ij} \sin \alpha - i \frac{v}{\Lambda}(C_{H\chi\chi})_{ij} \cos \alpha$$



$$-\frac{i}{\sqrt{2}}(y_\chi)_{ij} \cos \alpha - i \frac{v}{\Lambda}(C_{H\chi\chi})_{ij} \sin \alpha$$



$$\propto \sin \alpha$$

Dipole Dark Matter (v2)

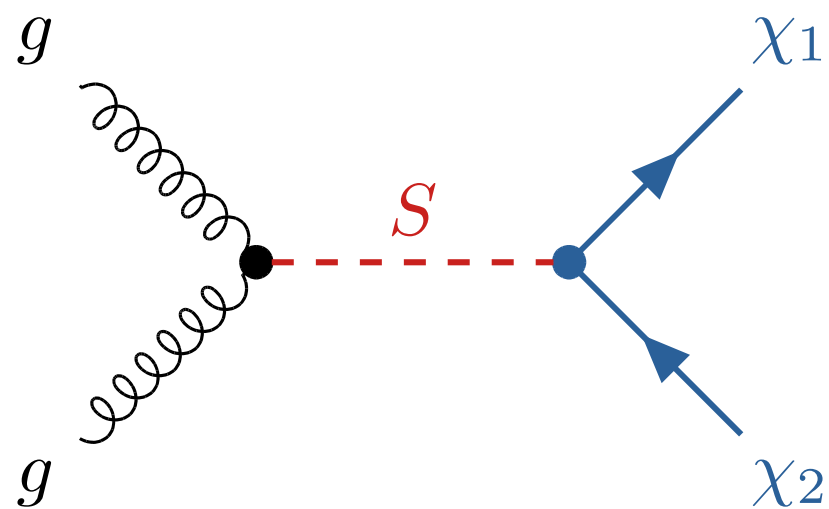
- Minimal “12”-Model:

$$(C_{H\chi\chi})_{ij} = 0, \text{ if } i = j \text{ or } i = 2 \text{ or } j = 2$$

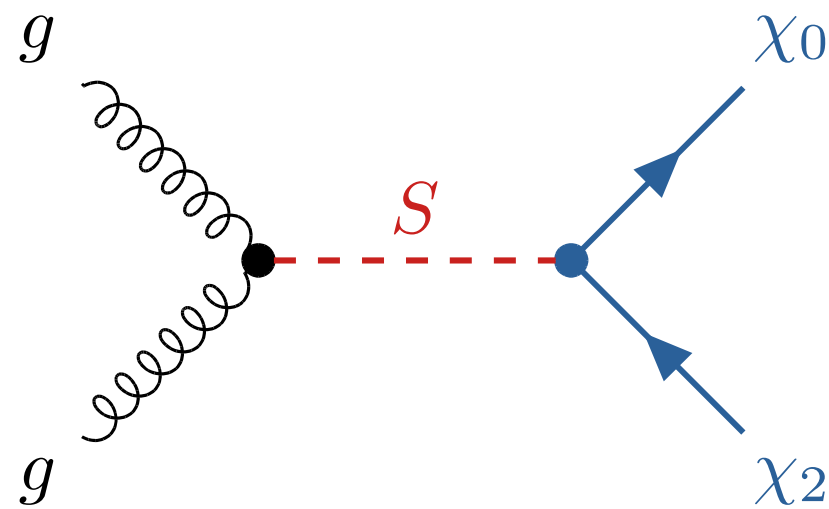
$$(y_\chi)_{ij} = 0, \text{ if } i = j \text{ or } i = 1, j = 0$$

$$\mathcal{L}_\chi = \bar{\chi}_i (i\partial - M_i) \chi_i - \left[(y_\chi)_{21} \bar{\chi}_2 \chi_1 \phi + (y_\chi)_{20} \bar{\chi}_2 \chi_0 \phi + \frac{(C_{H\chi\chi})_{01}}{\Lambda} \bar{\chi}_0 \chi_1 |H|^2 + h.c. \right]$$

- “Leading” Production: $(v/\Lambda \ll 1, \alpha < 1)$



$$-\frac{i}{\sqrt{2}} (y_\chi)_{21} \cos \alpha \sin \alpha$$



$$-\frac{i}{\sqrt{2}} (y_\chi)_{20} \cos \alpha \sin \alpha$$

Dipole Dark Matter (v2)

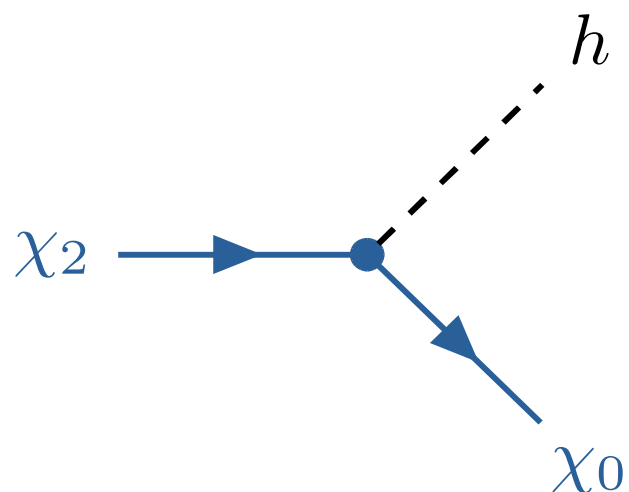
- Minimal “12”-Model:

$$(C_{H\chi\chi})_{ij} = 0, \text{ if } i = j \text{ or } i = 2 \text{ or } j = 2$$

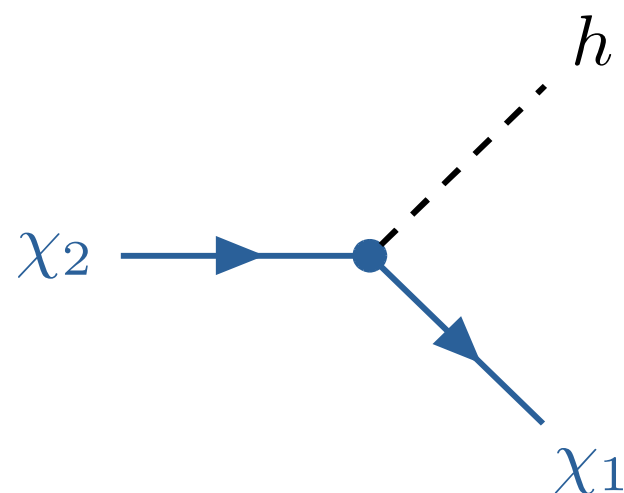
$$(y_\chi)_{ij} = 0, \text{ if } i = j \text{ or } i = 1, j = 0$$

$$\mathcal{L}_\chi = \bar{\chi}_i (i\partial - M_i) \chi_i - \left[(y_\chi)_{21} \bar{\chi}_2 \chi_1 \phi + (y_\chi)_{20} \bar{\chi}_2 \chi_0 \phi + \frac{(C_{H\chi\chi})_{01}}{\Lambda} \bar{\chi}_0 \chi_1 |H|^2 + h.c. \right]$$

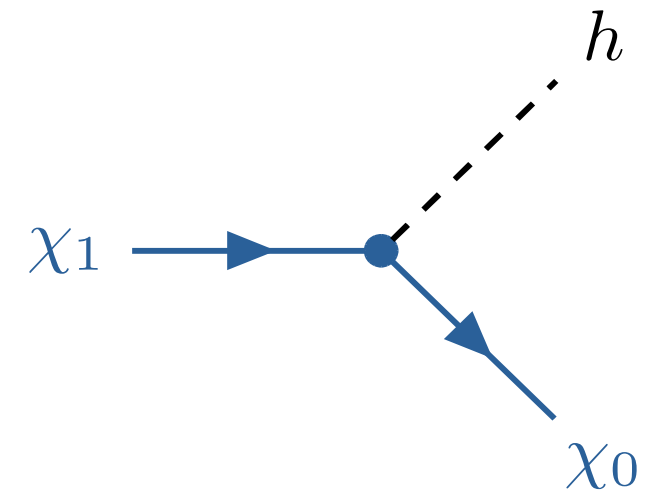
- “Leading” Decays: $(v/\Lambda \ll 1, \alpha < 1)$



$$\simeq \frac{i}{\sqrt{2}} (y_\chi)_{20} \sin \alpha$$



$$\simeq \frac{i}{\sqrt{2}} (y_\chi)_{21} \sin \alpha$$

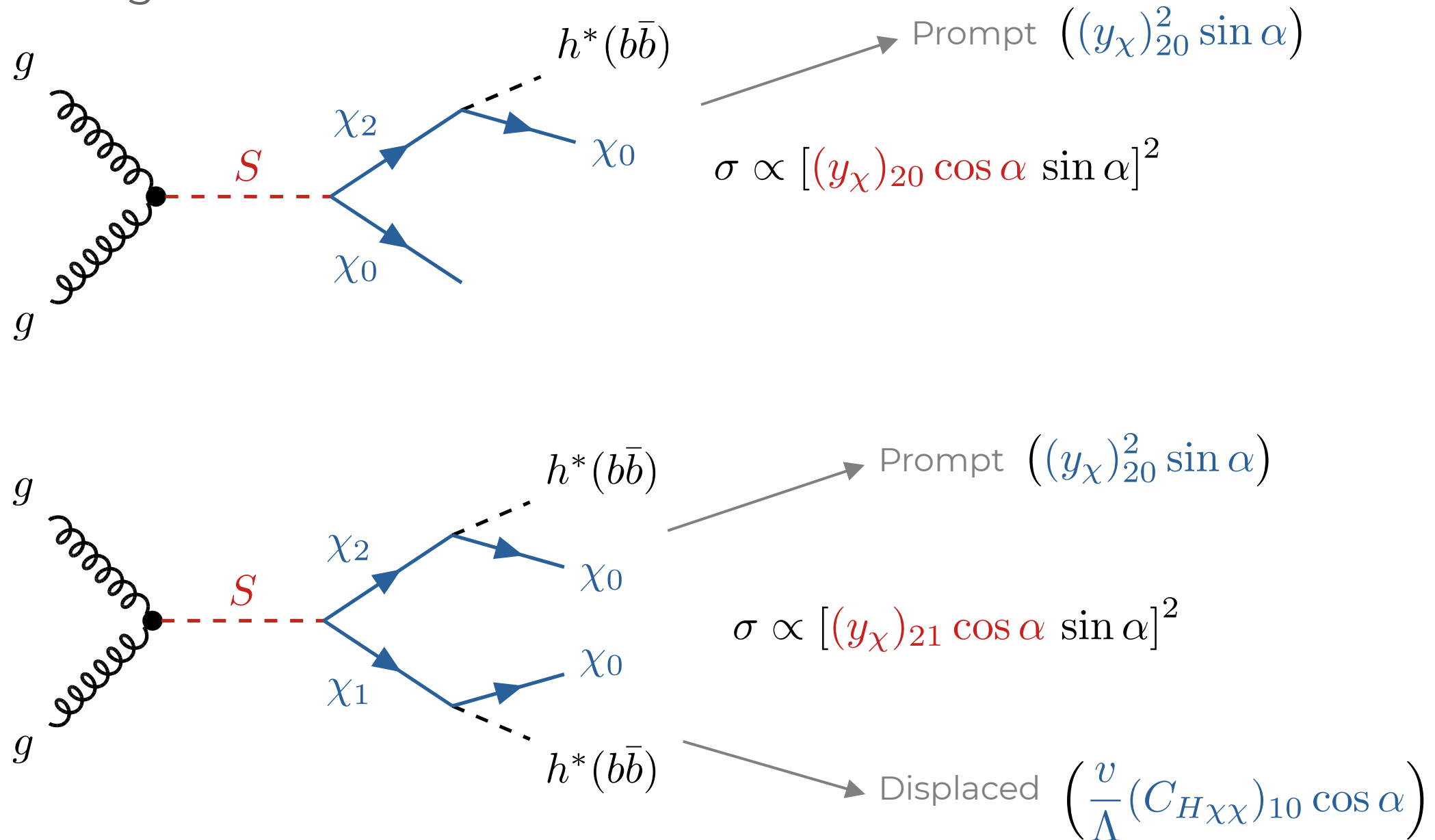


$$\simeq -i \frac{v}{\Lambda} (C_{H\chi\chi})_{10} \cos \alpha$$

- Note that $\chi_2 \rightarrow \chi_0 + h$ dominates over $\chi_2 \rightarrow \chi_1 + h$, if $m_{\chi_2} \sim m_{\chi_1}$

Dipole Dark Matter (v2)

- Leading channels:

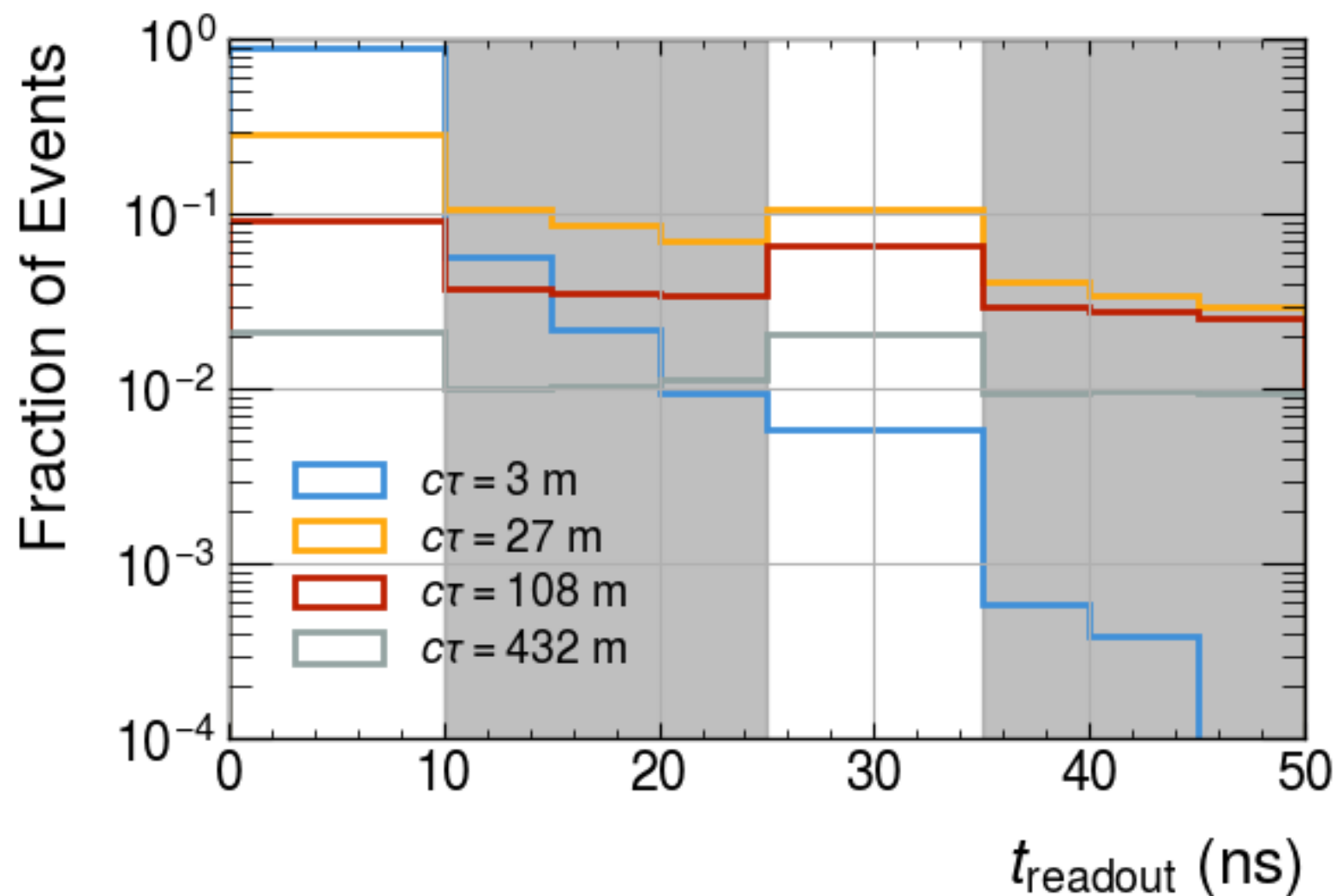


Dipole Dark Matter (v2)

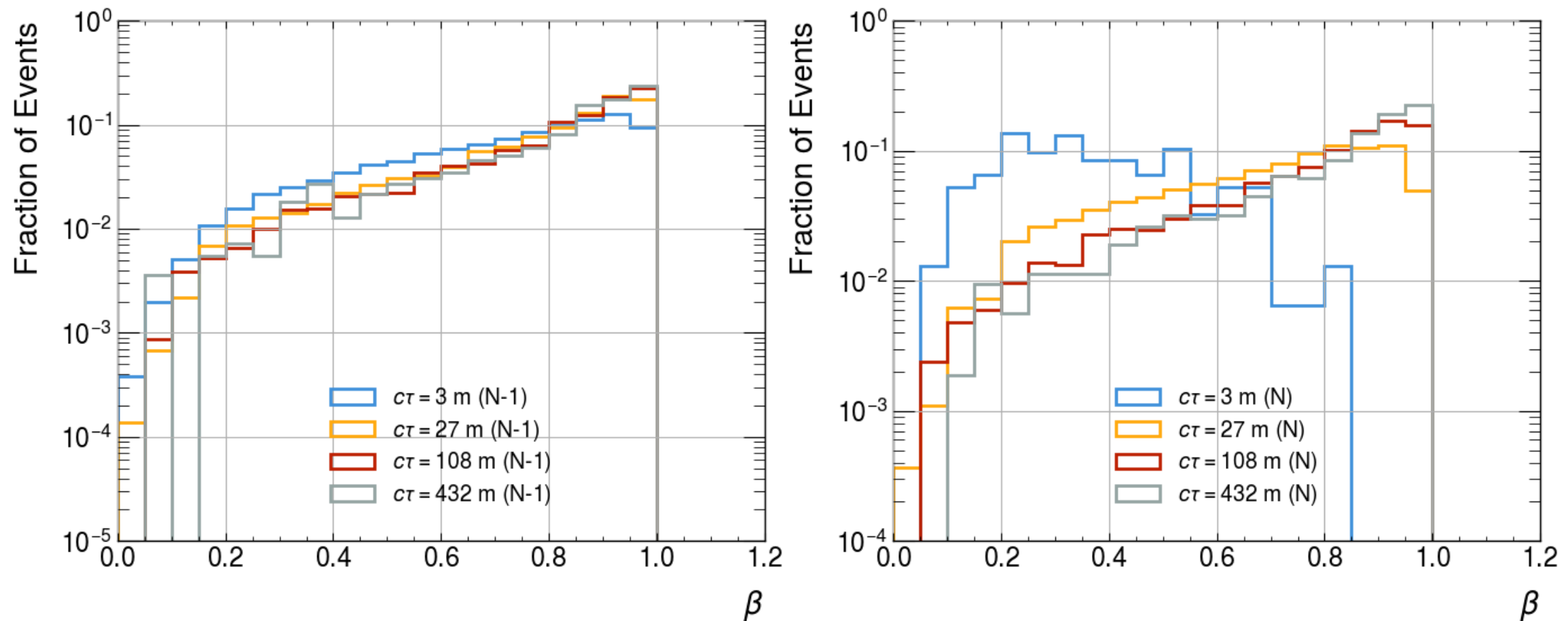
- Benchmark: $pp \rightarrow \chi_1 \chi_2$, $\chi_1 \rightarrow b\bar{b}\chi_0$, $\chi_2 \rightarrow b\bar{b}\chi_0$,

$$m_S = 500 \text{ GeV}, m_2 = 250 \text{ GeV}, m_1 = 244 \text{ GeV}, m_0 = 154 \text{ GeV}$$

$$(y_\chi)_{21} = (y_\chi)_{20} = 1, (C_{H\chi\chi})_{10} = 0.1, \sin \alpha = 0.2 \quad c\tau = 3, 27, 108, 432 \text{ m}$$



Dipole Dark Matter (v2)



The above behavior for the small lifetime in N events is due to the requirement that the readout time is given by:

$$t_r = t_d - L_d/c \sim t_d - c\beta t_d/c = t_d(1 - \beta) \sim \gamma\tau_0(1 - \beta) = \tau_0 \sqrt{\frac{1 - \beta}{1 + \beta}}$$

Hence for small proper lifetime we need a small boost to achieve large readout times.

As a result, decays taking place in the N event record will correspond to small beta and therefore result in smaller traveled distance (when compare to scenarios with larger lifetimes). This enhances the fraction of N -decays within the HCAL.

Dipole Dark Matter (v2)

- $f(N-1)$ = # Events with the LLP decaying in N/(Total # Events)
- $f(\text{HCAL})$ = # Events with the LLP decaying in the HCAL/($f(N)$ or $f(N-1)$)

