Physical chemistry laboratory practice for pharmacy students

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1 Investigating the temperature dependence of drug decomposition

1.1 Introduction

During this practice we study the pseudo first-order hydrolysis reaction of acetilsalicilic acid. The rate constant of a first-order reaction can be written as:

$$k = \frac{1}{t} \ln \frac{z}{z - x} \tag{1.1}$$

where t is time, z is the initial concentration of the reagent, x is the concentration of the product at time t.

The reaction rate depends on temperature, which is stated in the Arrhenius law:

$$\frac{d\ln k}{dT} = \frac{E}{RT^2} \tag{1.2}$$

after integration:

$$k = Ae^{-E/(RT)} (1.3)$$

and

$$\lg k = \lg A - \frac{E}{2.303RT} \tag{1.4}$$

A is the preexponential factor, E is the activation energy, and R is the universal gas constant (R= 8.314 J/Kmol). The factor 2.303 is the conversion form ln to lg. Activation energy can be obtained graphically if we take the slope of the function $\lg k - 1/T$ and multiply it by 2.303×8.314 . The dimension in this case for E is J/mol. If we measure k on two different temperatures (k_1 and k_2 on k_3 and k_4 on k_4 on the temperature), activation energy can be calculated as follows:

$$E = 2.303 \times 8.314 \lg \frac{k_1}{k_2} \frac{T_1 T_2}{T_1 - T_2}$$
 (1.5)

1.2 Practice procedures

Alkaline hydrolysis of acetylsalicylic acid (Fig. 1.1) is a pseudo first-order reaction. The reaction is quite slow on room temperature, therefore we conduct our measurements at a higher temperature. To determine the rate constant k, we need to know the change in concentration of the reactants or the products as a function of time. In this practice, we will use spectrophotometry after forming an Fe³⁺ salicilate complex by adding FeCl₃ to the samples. The complex has a deep violet color, and its

O OH OH OH OH OH acetylsalicylic acid
$$O$$
 Salicylic acid O Salicylic acid

Figure 1.1: Alkaline hydrolysis of acetylsalicylic acid.

absorbance is directly proportional to the concentration of the complex, therefore to the concentration of the product salicilate as stated by *Lambert-Beer's law*:

$$A = \epsilon lc \tag{1.6}$$

where A is absorbance, ϵ is the molar decadic absorption coefficient, l is the length of the solution block the light is passing through, and c is the concentration. We take known volumes of samples from the alkaline reaction vessel, and suddenly decrease $[OH^-]$ and temperature by adding NaOH and putting the samples on ice. If the measured absorbance is above 2 A.U., dilution is necessary, since over this value the relationship between c and A is not linear anymore. To determine the product concentration at $t = \infty$ (which equals to the reactant concentration at t = 0), we take samples at the and of the practice. We carry out the measurements at two different temperatures, determined by the instructor (usually 313 and 353 K).

Pulverize an Aspirin tablet in a mortar with the help of a pestle, dissolve it a small amount of deionized water, then filter it into a 100 cm^3 measuring flask, and fill it up to 100 cm^3 . This will be the stock solution. The stock solution obtained in this way will be most likely saturated¹

Starting and following the reaction:

(a) Determining the initial concentration z of acetylsalicylic acid. Pipette 2-2 cm³ sample from the stock solution into two Erlenmeyer flasks with bottlecaps (low and high temp.), and add 3-3 cm³ 0.25 M NaOH solution to them. Put them into the two thermostats after labeling them. At the end of the practice we stop the reaction. It should be complete, but we should treat these solutions as the others to rule out any artifacts. "Stop the reactions" by adding 2-2 cm³ 0.25 M HCl solution and 3-3 cm³ FeCl₃, then fill the flasks up to 100 cm³ with deionized water.

 $^{^{1}}$ An Aspirin tablet has 500 mg acetylsalicylic acid in it, and its solubility in water is 2 - 4 g / L, depending on temperature.

(b) Determining concentration x at time t. Put one half of the remaining stock solution into an Erlenmeyer and the other half into another Erlenmeyer flask. Close the flasks, label them, and put them into their respective thermostats. Add 5 cm³ buffer solution (ask the technician), and start a stopwatch. By adding the buffer solution the reaction starts (t=0). Without taking out the flask, take 2 cm³ samples from them at 15, 20, 25, 30 and 35 minutes after the reaction has started, and put them into separate, labeled 25 cm³ measuring flasks you prepared beforehand. Prepare them by adding 0.5 cm³ 0.25 M HCl solution (this will stop the alkaline hdydrolysis), and 0.5 cm³ 0.1 M FeCl₃ solution (to form the complex and make the product visible for spectrophotometry). Fill the remaining volume in the 25 cm³ flasks with deionized water. Start the two reactions by shifting one by 1-2 minutes, so you don't have to take samples at the same time from the two reactions.

Measuring absorbance and calculating concentration. Both the initial and the instantaneous concentration at time t will be measured spectrophotomertically. Find the users manual next to the instrument, or ask the instructor to help. To calculate the concentration from absorbance use the factor $b = 8.3 \, (mol/dm^3)/AU$. This is the concentration of the theoretical solution, whose absorbance is 1 AU, if $d = 1 \, cm$, where d is the length of solution block in the path from source to detector.

1.3 Results to submit

- 1. Measured and calculated data in table (use table 1.1 as reference).
- 2. Calculate the rate constants (table 1.2.) for both temperatures, and calculate standard deviation².
- 3. From the temperature dependence of the rate constant, calculate the rate constant for 20 °C-on (293 K) graphically by plotting $\lg k$ as a function of 1/T.
- 4. Calculate E and A by substituting into the integrated form of the Arrhenius equation:
 - (a) $E [kJ \text{ mol}^{-1}]$
 - (b) $\lg A [s^{-1}]$
 - (c) $A [s^{-1}]$

²Standard deviáció, $s = \sqrt{\frac{\sum (x_i - \overline{x})^2}{n-1}}$

Table 1.1: Measured and calculated data.

 $T = ... K, z = ... mg/100 cm^3$

			, 0,		
reaction time, s	dilution	A	$x, mg / 100 cm^3$	(z-x), mg / 100 cm ³	k, s^{-1}
			•••		

Table 1.2: Temperature dependence of the rate constant.

T, K 1/T		\overline{k} (average), s ⁻¹	$\lg k$	standard deviation			
		•••					

2 Determination of selectivity coefficient of ionselective electrode

2.1 Introduction

Ion-selective electrodes are potentiometric sensors, that allows the selective determination of the activity of certain ions. They are widely used in the clinical diagnostics for routine measurements: automatic blood analisators measure the Na^+ and K^+ -ion activity in blood samples. One more example is the determination of F^- -ion in tap water, even if there are interfering ions such as Cl^- or OH^- . Their function is based on a selective membrane, which can be ionophore based (Na^+ and K^+), or lattice vacancy based (F^-). An example for the latter is the F^- ion-selective electrode, which is based on a europium doped lanthanum fluoride crystal.

The equation that describes the behaviour of these electrodes is the Nernst-equation:

$$E = E^0 + \frac{RT}{z_i F} ln(a_i) \tag{2.1}$$

where z_i is the signed valence of the primary ion (the ion that the electrode is selective to), a_i is its activity. According to the equation, for cation elective electrodes the electrode potential (E) is increasing with increasing activity, and for anion selective ones, it decreases. Because of deviations from the theoretical behaviour, in practice, we use the following, experimental equation:

$$E = E^0 \pm Sln(a_i) \tag{2.2}$$

where S is the slope of the linear part of the electrode calibration curve, which can be measured. In real, multi-component samples, the potential of the ion-selective electrodes is influenced by the so-called *interfering ions*, but in fact, more or less by every ion in the sample to some (small) extent. For this reason, using eqs. 2.1 and 2.2 will introduce error during evaluation. To take into account these deviations we use the concept of selectivity coefficient (k_{pot}) . With this we can rewrite the equations as such:

$$E = E^0 + \frac{RT}{z_i F} \ln \left[a_i + \sum_j \left(k_{ij} a_j^{z_i/z_j} \right) \right]$$
 (2.3)

This is the Nikolsky equation. a_j is the activity of the jth interfering ion, z_j is its charge, k_{pot} i, j is the selectivity coefficient of the jth ion. The selectivity coefficient shows how much more sensitive is the electrode towards the primary ion,

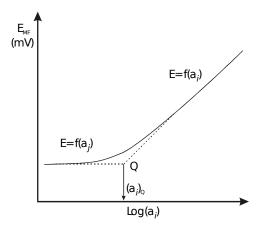


Figure 2.1: Using the mixed solution method to determine the selectivity coefficient.

then towards to the interfering ion. For instance, if $k = 10^{-2}$, the activity of the j ion must be hundredfold of the i primary ion to have the same effect on the electrode potential (increase or decrease it to the same extent). There are two main methods for determining the selectivity coefficient: the mixed and the separate solution methods.

In the mixed solution method, ion activity of the j interfering ion is constant, and we increase the activity i primary ion, and measure the potential response. After plotting the data fig. 2.1, we find Q. Then, we calculate the selectivity coefficient as follows:

$$k_{i,j}^{pot} = \frac{(a_i^{z_j})_Q}{a_j^{z_i}} \tag{2.4}$$

When using the separate solution method, we need to record two calibration curves. First, at zero interfering ion activity, we make a calibration of primary ion i, then at zero primary ion i activity, we make a calibration plot of interfering ion j. After obtaining these two curves, the selectivity coefficient can be obtained as seen in fig. 2.2, taking either

(a) activities corresponding to the same potentials:

$$k_{i,j}^{pot} = \frac{a_i}{a_j^{z_i/z_j}} \tag{2.5}$$

(b) or potentials corresponding to the same activities:

$$\lg k_{i,j}^{pot} = \frac{(E_2 - E_1)zF}{2.303RT} = \frac{\Delta E}{S}$$
 (2.6)

There are a number of factors that influence the selectivity coefficient: ionic strength, method, etc... As it can be seen, from relationships 2.5 and 2.6, the draw-

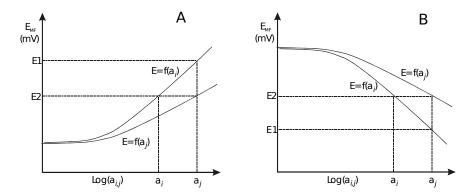


Figure 2.2: Determining the selectivity coefficient with the separate solution method for positive (A) and negative (B) ions.

back of the separate solution method is that it assumes, that the valence of the primary and interfering ion is equal, and that the sensitivity towards them is the same. For this reason, selectivity coefficients obtained with this method are regarded as approximations, and the much better mixed solution method is preferred.

2.2 Practice procedures

The purpose of this practice is to study the function of potassium or fluoride ion-selective electrodes (ask the instructor which one). Your first task is to prepare a dilution series of soluions of the primary ion. Use salts KCl or NaF. Prepare 100 ml 10^{-2} mol·dm⁻³ solution using a salt of the primary ion. Then make a tenfold dilution by taking out 10 ml from this solution, and putting it in another, clean 100 ml measuring flask. Fill it up to 100 ml with deionized water. Continue making dilution by always using the previous solutions, until you reach a concentration of 10^{-6} mol·dm⁻³. Pour a small amount of each into separate, labeled beakers, so that the electrodes can submerse into them with their active area. Then start with the most dilute solution by putting the measuring and the reference electrodes into it. Wait 1 minute, and write down the potential. Move on to the next solution ($10 \times$ more conc.), wait another 1 minute, and record the data. Carry out measurements in all five solutions advancing from dilute to concentrated, repeat it altogether 3 times. Carefully rinse the electrodes between series.

2.2.1 Determining the selectivity coefficient using the separate solution method

Repeat the previous procedure, but use a salt of the interfering ion to prepare the first solution, the do the dilutions. It's important to use deionized water free of potassium, sodium, chloride and fluoride ions as much as possible. Ask the technician

for ultrapure water.

2.2.2 Determining the selectivity coefficient using the mixed solution method

For this method prepare another dilution series by using a salt of the primary ion, but instead of deionized water, use a 10^{-2} M solution of the interfering ion as solvent. In this way, the interfering ion concentration will be constant in all of the solutions, but the primary ion concentration will vary just like in the first experiment.

2.3 Evaluation

- 1. Find the activity coefficients for the primary and interfering ions online, and calculate the activities from the concentrations.
- 2. Plot the $\lg a_i E$ functions as seen in the diagrams above.
- 3. Determine the slope of the linear part by linear fitting for each graph.
- 4. Determine the lower limit of detection of the electrode towards the primary ion (Q when there is no interfering ion).
- 5. Calculate the selectivity coefficients using all 3 methods (1 mixed solution method and 2 separate solution methods).
- 6. For the separate solution method, plot the two curves in the same diagram.

2.4 Results to submit

Lower limit of detection towards the primary ion, 2 selectivity coefficients from the separate solution method, and 1 from the mixed solution method. Five calibration diagrams, each with linear fits on the linear section.

Updated and translated by András Kiss assistant lecturer 2016.

3 Determination of dissociation constants of weak acids with conductometry

3.1 Introduction

According to Ohm's law, the current passing through between two points and the potential difference between those two points are in linear relationship:

$$U = I \cdot R \tag{3.1}$$

where R is the factor of proportionality, called **electrical resistance**. Its dimension is ohm (Ω) .

Specific resistance is the longitudinal resistance of a conductor which is 1 m long and has a cross section of 1 m^2 (1 mm^2 in practice).

In electrochemistry it is often more simple to use the reciprocal of these quantities. The reciprocal of resistance is conductivity, its dimension is Siemens, $S = 1/\Omega$. The reciprocal of specific resistance is specific conductivity. The specific conductivity of an electrolyte is the conductivity we measure if the two electrodes have a surface area of 1 cm², they are 1 cm apart, they are made of an inert metal (gold, platinum), and they are submersed in the electrolyte. Its dimension is $S \cdot cm^{-1}$. It depends on concentration, temperature, and it's a unique property of every material.

Molar specific conductivity (Λ_m) is the ratio of the specific conductivity and the concentration:

$$\Lambda_m = \frac{\kappa 1000}{c} = \kappa V \tag{3.2}$$

where c is concentration (mol·dm⁻³), and V is dilution.

Kohlrausch found that the limiting molar conductivity (molar conductivity of an infinitely dilute solution) of anions and cations are additive: the conductivity of a solution of a strong electrolyte is equal to the sum of conductivity contributions from the cation and anion:

$$\Lambda_m^0 = \lambda_a^0 \nu_a z_a + \lambda_k^0 \nu_k z_k \tag{3.3}$$

where z_a, z_k are the valence of the ions, ν_a, ν_k are stochiometric factors, λ_a^0 and λ_k^0 are the limiting molar conductivities for the anions and the cations.

The conductivity of weak electrolytes can be described as follows:

$$\lambda_c = \alpha \lambda_0 \tag{3.4}$$

where α is the degree of dissociation, λ_0 is the limiting molar conductivity. The dissociation constant K_d of a weak acid can be calculated from its concentration and its degree of dissociation:

$$K_d = \frac{\alpha^2 c}{1 - \alpha} \tag{3.5}$$

It is worth noting however, that K_d – based on the Debye-Hückel theory – depends on the permittivity of the media and temperature.

If we express α from 3.4, we get Ostwald's law of dilution:

$$K_d = \frac{\lambda_c^2 c}{\lambda_0^2 - \lambda_0 \lambda_c} \tag{3.6}$$

That means we can determine K_d from conductometric measurements. λ_c can be measured directly, while λ_0 can be obtained with the following method. By rearranging eq. 3.6 we get

$$\frac{1}{\lambda_c} = \lambda_c c \frac{1}{K_d \lambda_0^2} + \frac{1}{\lambda_0} \tag{3.7}$$

If we plot $1/\lambda_c$ as a function of $\lambda_c c$ (which is nothing but κ), we get a straight line whose y interception is $1/\lambda_0$. And knowing λ_c and λ_0 we can calculate K_d .

(a) The solvent also contributes to the conductivity of the solution. Therefore we substract the conductivity of the pure solvent (G_{solvent}) from each measurement

Additionally, we have to consider these:

- carried out in the solutions of that solvent.

 b) In practice, we don't use the conductivity cell from the definition of specific
- (b) In practice, we don't use the conductivity cell from the definition of specific conductivity. Instead, the more practical "bell electrodes" are used. To obtain specific conductivity from the conductivity values measured with these cells, we multiply every value with the cell constant C (dimension: m^{-1} or cm^{-1}).

The cell constant shows the relationship between solution with a known specific conductivity (κ_{ref}) and the conductivity measured with cell used in practice (G_{measured}):

$$C = \kappa_{\text{ref}}/G_{\text{measured}} \tag{3.8}$$

Based on this, we can calculate the contribution of solute to the conductivity of the solution: $\kappa_{\text{korr}} = (G_{\text{solution}} - G_{\text{solvent}})C$, where κ_{korr} is the specific conductivity of the solution taking into account that of the solvent and the cell constant.

Therefore, specific molar conductivity of a weak acid is:

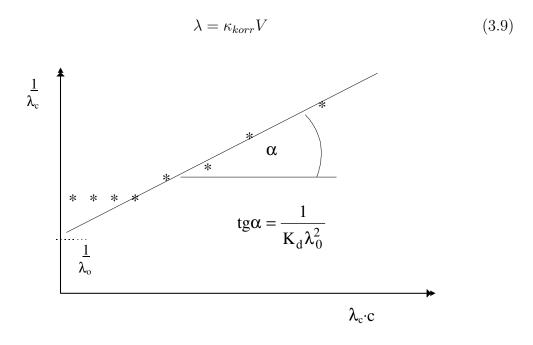


Figure 3.1: Obtaining the limiting molar conductivity (λ_0) .

3.2 Practice procedures

Rinse the electrode of the conductometer several times (4 - 5) with deionized water, the with ultrapure water ($\kappa < 1~\mu S/cm$). Ask the technician for ultrapure deionized water.

Prepare 20 v/v% solution from an alcohol selected by the instructor. Then prepare two weak acid solutions (the weak acid is also selected by the instructor), from the stock solution (1 $\mathrm{mol}\cdot\mathrm{dm}^{-3}$) by pipetting 2.00 cm³ into two 100 cm³ measuring flasks, and then filling one with the 20 v/v% alcohol solution, the other with ultrapure deionized water up to 100 cm³.

Carry out the conductivity measurements in a measuring cilinder. Pour the water based solution into the cilinder and measure its conductivity. Then, pipette $25 \, \mathrm{cm^3}$ from the cilinder into a clean $50 \, \mathrm{cm^3}$ measuring flask, fill it up with ultrapure deionized water (2× dilution), and measure the conductivity of the new solution after carefully rinsing it with ultrapure deionized water. Repeat the dilution and measurement 3 times. Then do the same with the alcohol based solution, but using the $20 \, \mathrm{v/v\%}$ alcohol solution for the dilutions and rinsing.

Note and record the temperature measured by the built-in thermometer of the electrode for each measurement.

Finally, measure the conductivity of the solvents as well (for the correction).

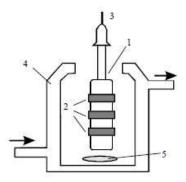


Figure 3.2: Schematics of a conductometric cell. 1 - "bell electrode", 2 - platinized platinum rings, 3 - electrical connection, 4 - double walled vessel, 5 - magnetic stirrer.

Then, to obtain the cell constant, measure the conductivity of $0.01~\mathrm{M}$ KCl solution, and write down the temperature as well. Based on table

Figure 3.2 shows the schematics of a conductometric cell. A well-defined, inert electrode pair is submersed into an electrolyte, and the voltage drop between them is measured. Alternating current is used to avoid polarization and electrolysis.

3.3 Evaluation

1. Calculate the cell constant. Present the recorded data in such a table:

$c \text{ (mol} \cdot dm^{-3})$	$G_{measured}$	$\kappa_{\rm korr} ({\rm S \cdot cm^{-1}})$	λ_c	$1/\lambda_c$	$\lambda_c c$	α	K_d
•••	•••	•••					

2. Determine λ_0 graphically. Knowing λ_c and λ_0 , calculate α and K_d for each concentration.

4 Electrochemical study of the catalytic oxidation of vitamin C

4.1 Introduction

In this practice we will use an electrochemical method, voltammetry to study the catalytic oxidation of vitamin C. It is an essential vitamin for humans. Its spontanaeous oxidation is well known:

$$C_6 H_8 O_6 + 1/2 O_2 = C_6 H_6 O_6 + H_2 O (4.1)$$

The reaction is catalyzed by multivalent metal ions. If there is excess oxygen, the reaction becomes pseudo first-order. In this case, the measured rate constant is an *apparent rate constant*. Let's look at a simple reaction:

$$A + B = P \tag{4.2}$$

In this reaction, product P is formed from reactants A and B. The rate equation is

$$v = \frac{d[A]}{dt} = -\frac{d[P]}{dt} = k[A] \tag{4.3}$$

To determine k, we can either measure the change in [A], [B] or [P] as a function of time t. Consider the change in [A]. Assume, that the initial (t = 0) concentration is $[A_0]$. Then we can solve the differential equation 4.3 by integrating:

$$\int_{[A_0]}^{[A]} \frac{d[A]}{dt} = -k \int_0^t dt \tag{4.4}$$

The solution is:

$$ln\frac{[A]}{[A_0]} = -kt \tag{4.5}$$

and

$$[A] = [A_0]e^{-kt} \tag{4.6}$$

In a first-order reaction, concentration changes exponentially in time, and the logarithm of concentration changes linearly as a function of time. By using eq. 4.6, we can decide if a reaction is first-order or not. This can be done by plotting $\ln[A]$ as a function of time, and see if the points fit on a line or not. If they do, it's a first-order reaction, and the slope is the rate constant k.

4.2 Practice procedures

We will use voltammetry to determine the concentration of ascorbic acid at any time t. First, make a calibration plot:

- 1. Start by preparing 50 ml 10 mM stock solution, dissolved in deionized water.
- 2. Then take a clean 20 50 ml beaker, and measure 10 ml of 0.1 M NaCl solution into it. Place the beaker on a magnetic stirrer, and put a magnet into the beaker. Put the electrodes into the solution. We will use carbon paste working electrode, Ag/AgCl reference electrode, and a platinum auxiliary electrode.
- 3. Record a cyclic voltammogramm from 0 to 0.8 V, with a scanrate of 100 mV/s. Adjust the current range if necessary.
- 4. Then start increasing the ascorbic acid concentration (now it's zero), by adding small volumes (30 µl) from the stock solution. Record a CV after every addition. Repeat it 10 times, so you have 11 measurements. Now you have data for the calibration curve. Calculate the concentrations at home. (For example if you add 100 µl, $c = n/V = (0.1 \text{ mol} \cdot L^{-1} \times 0.0001 \text{ L})/0.0101 \text{ L} = 9.9 \cdot 10^{-3} \text{ mol} \cdot L^{-1}$.) Prepare a table to record the data in. (First column: added total volume of ascorbic acid, second column: anodic peak current, i_{pa} .)

Then, we will follow the catalytic oxidation of ascorbic acid by measuring its concentration with voltammetry:

- 1. To study the catalytic oxidation of ascorbic acid, we will use a double walled, thermostatted reaction vessel. Start the thermostat. Put 80 ml of 0.1 M NaCl solution into it. Add 100 μ l of 0.1 M CuCl₂. This will serve as a catalyst.
- 2. Start the oxygen pump. This serves two purposes. First, it supplies the reaction with plenty of oxygen, so it becomes pseudo first-order. Additionally, it stirs the solution.
- 3. Take a small sample out, and record a CV the same way you did in the calibration measurements. The volume doesn't matter, but it should be enough for the electrodes to have their active area submersed. Put the sample back into the reaction vessel after the measurement is complete.
- 4. Add 1 ml of stock solution to the reaction vessel. Start a stopwatch at the moment of addition. This is when the reaction starts.
- 5. At t = 5, 10, 15, 20, 25, 30, 35, 40 minutes, take samples and record a CV in them. Always put the sample back into the reaction vessel.

4.3 Results to submit

- 1. Cyclic voltammogramms of the calibration measurements.
- 2. Cyclic voltammogramms of the measurements for the catalytic breakdown.
- 3. Calibration plot $(c i_{pa})$. i_{pa} is the anodic peak on the CV. Its magnitude is proportional to the concentration of ascorbic acid. This relationship is what we will use in the determination of the concentration. From the calibration plot, the concentration of ascorbic acid in an unknown solution can be determined from the anodic peak.
- 4. t-c table for the catalytic breakdown. First column: time, second column: concentration of ascorbic acid calculated from the anodic peak currents, using on the calibration plot.
- 5. lnc t plot. This is the plot on which you should fit a linear equation. Its slope will be the **rate constant**. This is the end result of the practice. Write a conclusion: "Rate constant of the catalytic breakdown of ascorbic acid, based on my measurements in these conditions (list conditions here) is $k = ...s^{-1}$.