

upper Bound

$$\bar{X} + z_{\alpha} \frac{\sigma}{\sqrt{n}}$$

$$= 1990 + \frac{20.05}{2} \left( \frac{2500}{\sqrt{100}} \right)$$

$$= 1990 + (1.96)(211.29)$$

$$= 1990 + 414.12$$

$$= 2404$$

The avg salary they are going to maintain after full fledged launch is [1576 2404].

Q. On a quant test CAT exam of sample of 25 test

taker in a sample mean 520 with sample SD of

80. construct 95% CI about the mean

$$n=25, \bar{X}=520, S=80, CI=95\%, \alpha=0.05$$

$$t = \bar{X} \pm t_{\alpha/2} \frac{S}{\sqrt{n}}$$

$$t = \bar{X} \pm t_{\alpha/2} \frac{S}{\sqrt{n}}$$

$$t = 520 + t_{0.05} \left( \frac{80}{\sqrt{25}} \right)$$

$$= 520 + t_{0.05} \times 16$$

$$= 520 + 2.05 \times 16$$

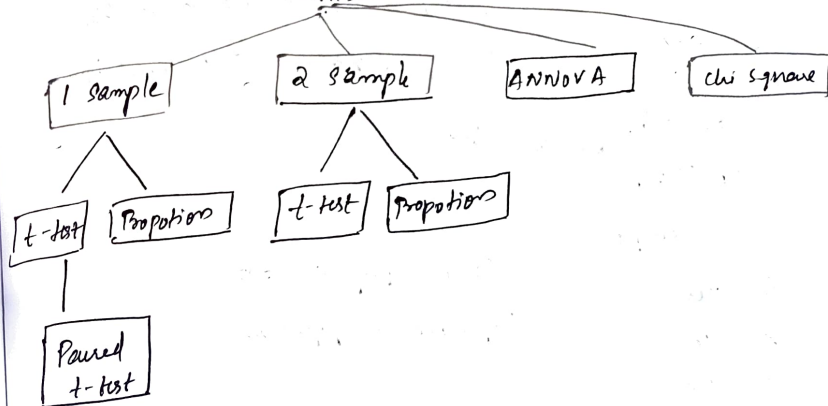
$$= 523.28 \approx 523$$

upper bound

$$t = 520 - t_{0.05} \left( \frac{80}{\sqrt{25}} \right)$$

$$= 487$$

## Statistical Tests



H<sub>0</sub>: The avg salary of IT Employees in BNG is 27k.

H<sub>A</sub>: " is not 27k

Sample 1

1) 24 k

2) 35 k

3) 16 k

4) 50 k

34 k

Avg  $\Rightarrow 32$  k

Two tail

H<sub>0</sub> sal = 27k

H<sub>A</sub> sal  $\neq$  27k

< 27 >

1 sample t test

The avg sal of IT emp in Bngls is 32k.

Q.  $H_0$ : More than 70% of people are married to India  
 $H_a$ : No more than 70% of people are not married in India

$H_0 > 70\%$   
 $H_a < 70\%$  } one tail test

1 sample

1 sample proportion test  
 Dependent on population

1) Yes  
 2) Yes  
 . No  
 NO  
 Yes  
 NO  
 NO  
 1000 Yes  


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 60% married  
 40% unmarried

Q.  $H_0$ : Covishield is better than Covaccine

$H_a$ : No Covishield is better than Covaccine

Sample 1  
 Covishield

1) 2hr  
 2) 4hr  
 3) 1.5 hr  
 ...  
 500 5hr

3.5hr

Sample 2  
 Co-vaccine

3hr  
 6.5hr  
 4hr  
 7hr  
 7.2hr

2 sample t test

Independent on population

So we have to accept  $H_0$

Because we got 3.5 hr reaction time for covidshield  
 4.2 hr for covaccine

Q.  $H_0$ : New beauty treatment is better than older one

$H_a$ : No the new beauty treatment is better than old one.

New  
 Sample 1

1) Yes  
 2) NO  
 3) Yes  
 ... NO  
 4) Yes  
 500 NO  


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 50% Yes  
 50% NO

Old  
 Sample 2

Yes  
 Yes  
 Yes  
 ... NO  
 NO  
 NO  
 Yes  


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 60% Yes  
 20% NO

2 sample proportion test  
 It is also independent on population.

we can reject the  $H_0$ .

Because 80% people like old beauty treatment

Q.  $H_0$ : by joining new weightloss pgm we can do significant difference in your weight

$H_a$ : No ———, there is no ———

Sample 1

Before After  
 1) 78 65 ✓  
 2) 93 81 ✓  
 3) 110 90 ✓  
 4) 90 68 ✓  
 ...  
 500 85 87 x

1 sample paired t test

we can accept the  $H_0$

because majority got weight loss

2.  $H_0$ : your batch students can't able to score  $> 90$  M

$H_1$ : No my batch students are able to score  $> 90$  M

$B_1$	$B_2$	$B_3$	$B_4$	$B_5$
63	75	92	47	81
62	86	98	58	75
58	83	88	63	78
73	65	89	70	85
80	73	95	68	70
65	78	92	59	80

Anova - Analysis of variance

If one sample proved means,

we can reject the  $H_0$

9. In the 2000 Indian census the age of the individual in a small town where found to be the following

In the year 2000

less than 18	18-35	$> 35$
20%	30%	50%

In 2010 age of  $n=500$  individuals were sampled

below are the results

In year 2010

less than 18	18-35	$> 35$
121	288	91

using  $\alpha = 0.05$  would you calculate the population distribution of ages has changed in the last ten years?

	less than 18	18-35	$> 35$	
2000	20%	30%	50%	
2010	121	288	250	91
Sample = 500	100	150	250	
				observed value
				expected

$H_0$ : 2010 sense ratio is same as 2000

$H_1$ : No 2010 sense ratio is not same as 2000

CI = 95%

$\alpha = 0.05$

Chi-square calculation

$\chi^2 >$  chi-square table value with DOF  $(3-1=2)$

means you can might reject else accept

$\chi^2 > 5.991$  then reject  $H_0$

$$\chi^2 = \sum_{i=1}^n \frac{(f_o - f_e)^2}{f_e} = \frac{(\text{Observed} - \text{Expected})^2}{\text{Expected}}$$

$$= \frac{(121-100)^2}{100} + \frac{(288-150)^2}{150} + \frac{(91-250)^2}{250}$$

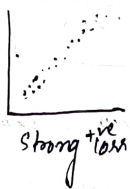
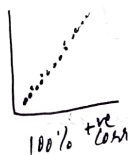
$$\chi^2 = 238.7 > 5.991 \text{ so we reject } H_0$$

## Correlation

To check the relationship b/w the two numerical features/columns we use correlation.

There are 3 types of corr

- 1) +ve corr  $x \uparrow y \uparrow$  Exp  $\uparrow$  sale  $\uparrow$
- 2) -ve corr  $x \uparrow y \downarrow$  weight  $\uparrow$  mpg  $\downarrow$
- 3) No corr  $x \uparrow y \uparrow \downarrow$  weight sale



## Two types of corr. formulas

- 1) Pearson's correlation
- 2) ~~Spearman's~~ correlation

→ The corr value ranges from -1 to 1. If 0

→ If corr value near to +1 is a positive correlation

→ If corr value near to -1 is called as -ve corr

→ If value near to 0 is called as zero corr