Machine Learning 1

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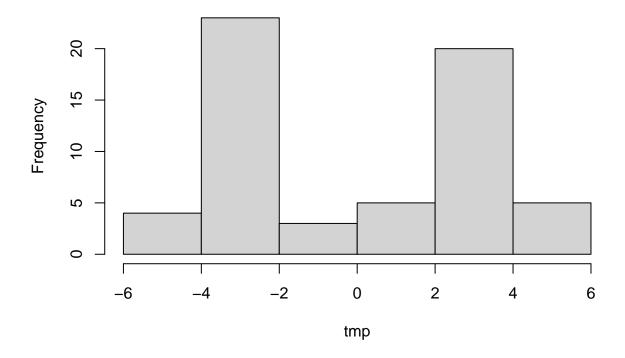
#Clustering methods: finding groupings in our data

Kmeans clustering in R is done with the kmeans() function.

Here we makeup some data to test and learn with.

```
tmp <- c(rnorm(30, 3), rnorm(30, -3))
data <- cbind(tmp, rev(tmp))
#making up a data set that reverses the order of the original
hist(tmp)</pre>
```

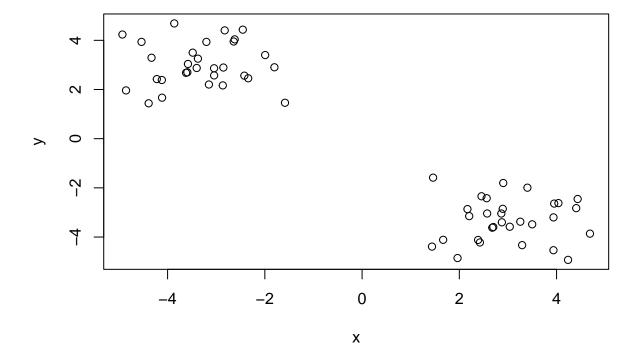
Histogram of tmp



```
tmp <- c(rnorm(30, 3), rnorm(30, -3))
data <- cbind(x=tmp, y=rev(tmp))
#making up a data set that reverses the order of the original
data</pre>
```

```
Х
    [1,] 2.562858 -2.421067
##
    [2,]
         3.037968 -3.580785
    [3,]
         2.903236 -1.802971
##
    [4,]
         4.687219 -3.862460
    [5,]
##
         3.254189 -3.376585
    [6,]
         1.667573 -4.113747
##
    [7,]
          3.498929 -3.482879
         1.438199 -4.389516
##
    [8,]
   [9,]
          2.456289 -2.341891
## [10,]
         4.433795 -2.453153
## [11,]
          2.678093 -3.620107
## [12,]
         3.292063 -4.330367
## [13,]
         2.167188 -2.864460
## [14,]
          2.203451 -3.150035
## [15,]
          2.893668 -2.852623
## [16,]
         1.963233 -4.854931
## [17,]
          2.863779 -3.043702
## [18,]
          2.874995 -3.401343
## [19,]
         2.423159 -4.221084
## [20,]
         4.038663 -2.619984
## [21,]
          3.400377 -1.993160
## [22,]
          3.951366 -2.639473
## [23,]
         4.404283 -2.825230
## [24,]
         2.386334 -4.118203
## [25,]
          3.936858 -3.201660
## [26,]
          3.936232 -4.536446
## [27,]
         2.699409 -3.593646
## [28,]
         2.572634 -3.042664
## [29,]
         1.460530 -1.585237
## [30,] 4.236196 -4.928962
## [31,] -4.928962 4.236196
## [32,] -1.585237
                   1.460530
## [33,] -3.042664
                   2.572634
## [34,] -3.593646
                    2.699409
## [35,] -4.536446
                   3.936232
## [36,] -3.201660
                   3.936858
## [37,] -4.118203
                   2.386334
## [38,] -2.825230
                   4.404283
## [39,] -2.639473
                   3.951366
## [40,] -1.993160
                   3.400377
## [41,] -2.619984
                   4.038663
## [42,] -4.221084
                   2.423159
## [43,] -3.401343
                   2.874995
## [44,] -3.043702 2.863779
## [45,] -4.854931
                    1.963233
## [46,] -2.852623
                   2.893668
## [47,] -3.150035
                   2.203451
## [48,] -2.864460
                    2.167188
## [49,] -4.330367
                    3.292063
## [50,] -3.620107 2.678093
## [51,] -2.453153 4.433795
## [52,] -2.341891 2.456289
## [53,] -4.389516 1.438199
```

plot(data)



Run kmeans() set k (centers) to 2 (ie the number of clusters that we want) nstart 20. The thing with Kmeans is you have to tell it how many clusters you want.

```
##
## Within cluster sum of squares by cluster:
## [1] 45.94827 45.94827
   (between_SS / total_SS = 92.9 %)
##
##
## Available components:
##
## [1] "cluster"
                  "centers"
                               "totss"
                                            "withinss"
                                                         "tot.withinss"
## [6] "betweenss"
                  "size"
                               "iter"
                                            "ifault"
```

Q: How many points are in each cluster?

km\$size

[1] 30 30

Q. What 'component' of your result details cluster assignment/membership?

km\$cluster

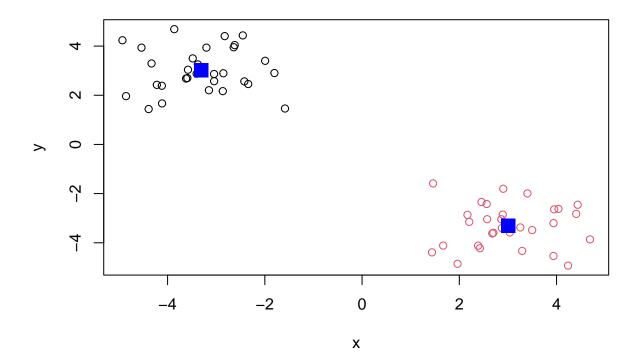
Q. What 'component' of your result object details cluster center?

km\$centers

```
## x y
## 1 -3.308279 3.010759
## 2 3.010759 -3.308279
```

Q. Plot x colored by the kmeans cluster assignment and add cluster centers as blue points.

```
plot(data, col=km$cluster)
points(km$centers, col="blue", pch=15, cex=2)
```



#hclust We will use the hclust() function on the same data as before and see how this method works.

#hclust(data)

gives an error, needs a distance.

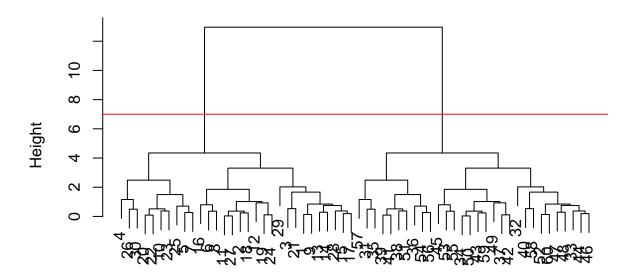
```
hc<-hclust(dist(data))
hc

##
## Call:
## hclust(d = dist(data))
##
## Cluster method : complete
## Distance : euclidean
## Number of objects: 60</pre>
```

doesnt give a lot of information, but does provide a plot method.

```
plot(hc)
abline(h=7, col="red")
```

Cluster Dendrogram

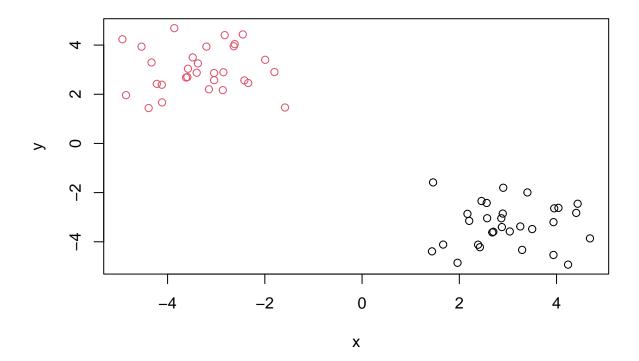


dist(data) hclust (*, "complete")

TO find our membership vector we need to "cut" the tree and for this we use the cutree() function and tell it the height to cut at.

If you dont know what the height is you can use cut at k=? use cutree() and state the number of k clusters that we want.

```
grps<- cutree(hc, k=2)
plot(data, col= grps)</pre>
```



kmeans(x, centers=?) hclust(dist(x))

#Principal Component Analysis (PCA) PCA projects the features onto the principal components The motivation is to reduce the features dimensionality while only losing a small amount of information

New low dimension axis or surfaces closest to the observations

The first PCA:Line of best fit that lies closest to data that describes the spread of the data #PCA of UK diets

```
url <- "https://tinyurl.com/UK-foods"
x <- read.csv(url)</pre>
```

How many rows and columns?

```
dim(x)
```

[1] 17 5

x

##		X	England	Wales	${\tt Scotland}$	N.Ireland
##	1	Cheese	105	103	103	66
##	2	Carcass_meat	245	227	242	267
##	3	Other_meat	685	803	750	586
##	4	Fish	147	160	122	93

##	5	${ t Fats_and_oils}$	193	235	184	209
##	6	Sugars	156	175	147	139
##	7	Fresh_potatoes	720	874	566	1033
##	8	Fresh_Veg	253	265	171	143
##	9	Other_Veg	488	570	418	355
##	10	Processed_potatoes	198	203	220	187
##	11	Processed_Veg	360	365	337	334
##	12	Fresh_fruit	1102	1137	957	674
##	13	Cereals	1472	1582	1462	1494
##	14	Beverages	57	73	53	47
##	15	Soft_drinks	1374	1256	1572	1506
##	16	Alcoholic_drinks	375	475	458	135
##	17	Confectionery	54	64	62	41

The x is considered a column but we want it to be read as a row One option

x[,-1]

```
England Wales Scotland N.Ireland
##
## 1
           105
                 103
                           103
                                       66
## 2
           245
                 227
                           242
                                      267
## 3
           685
                 803
                           750
                                      586
## 4
           147
                 160
                           122
                                       93
## 5
                                      209
           193
                 235
                           184
## 6
           156
                 175
                           147
                                      139
## 7
           720
                 874
                                     1033
                           566
## 8
           253
                 265
                                      143
                           171
## 9
           488
                 570
                           418
                                      355
## 10
           198
                 203
                           220
                                      187
## 11
           360
                 365
                           337
                                      334
## 12
         1102
                1137
                                      674
                           957
                          1462
## 13
          1472
                1582
                                     1494
## 14
            57
                  73
                            53
                                       47
## 15
         1374
                1256
                          1572
                                     1506
## 16
           375
                 475
                           458
                                      135
            54
## 17
                  64
                            62
                                       41
```

```
rownames(x) <-x[, 1] x<-x[,-1] x
```

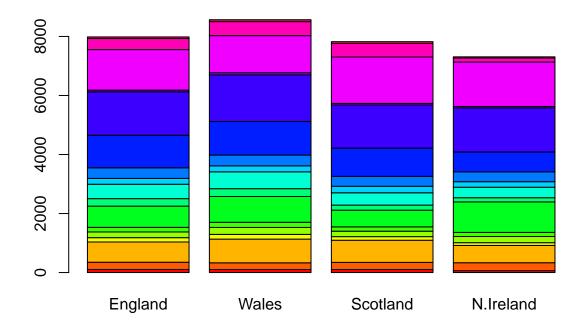
##		England	Wales	${\tt Scotland}$	N.Ireland
##	Cheese	105	103	103	66
##	Carcass_meat	245	227	242	267
##	Other_meat	685	803	750	586
##	Fish	147	160	122	93
##	Fats_and_oils	193	235	184	209
##	Sugars	156	175	147	139
##	Fresh_potatoes	720	874	566	1033
##	Fresh_Veg	253	265	171	143
##	Other_Veg	488	570	418	355
##	Processed_potatoes	198	203	220	187
##	Processed Veg	360	365	337	334

```
## Fresh_fruit 1102 1137
## Cereals 1472 1582
                                                674
                                     957
## Cereals
## Beverages
                                      1462
                                               1494
                                                 47
                       57
                               73
                                      53
## Soft_drinks
                      1374 1256
                                      1572
                                               1506
## Alcoholic_drinks
                       375 475
                                      458
                                                135
## Confectionery
                         54 64
                                        62
                                                 41
```

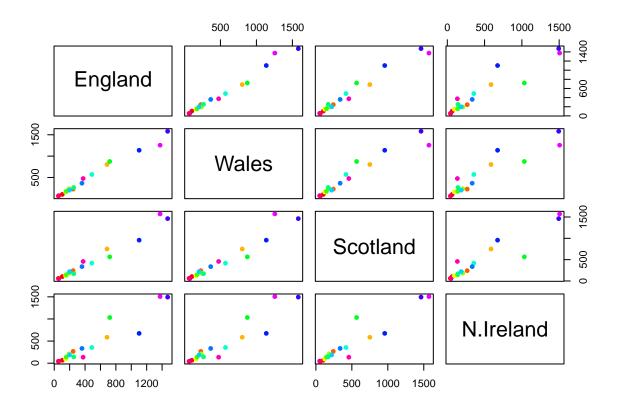
```
url <- "https://tinyurl.com/UK-foods"
x <- read.csv(url, row.names=1)
x</pre>
```

##		England	Wales	${\tt Scotland}$	N.Ireland
##	Cheese	105	103	103	66
##	Carcass_meat	245	227	242	267
##	Other_meat	685	803	750	586
##	Fish	147	160	122	93
##	Fats_and_oils	193	235	184	209
##	Sugars	156	175	147	139
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##	Processed_Veg	360	365	337	334
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##	Alcoholic_drinks	375	475	458	135
##	Confectionery	54	64	62	41

barplot(as.matrix(x), col=rainbow(17))



```
mycols <- rainbow(nrow(x))
pairs(x, col=mycols, pch=16)</pre>
```



##PCA to the rescue!

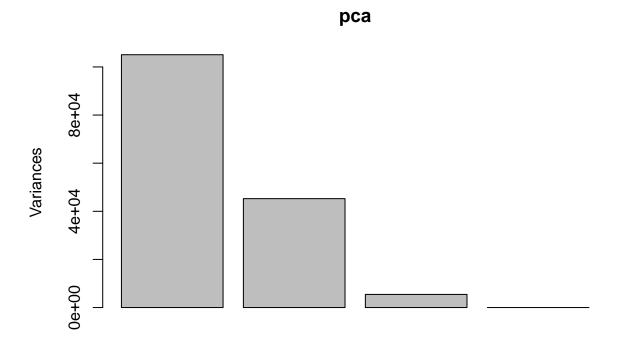
Here we will use the base R function for PCA, which is called precomp(). This function wants the transpose of our data.

```
pca<-prcomp( t(x) )
summary(pca)</pre>
```

```
## Importance of components:
##
                                PC1
                                         PC2
                                                  PC3
                                                             PC4
## Standard deviation
                           324.1502 212.7478 73.87622 4.189e-14
                                              0.03503 0.000e+00
## Proportion of Variance
                             0.6744
                                      0.2905
## Cumulative Proportion
                             0.6744
                                      0.9650
                                              1.00000 1.000e+00
```

PC1 captures 67%, PC2 captures 29%, Cumulative proportion is the addition of the porportion of variances for the PCs

```
plot(pca)
```

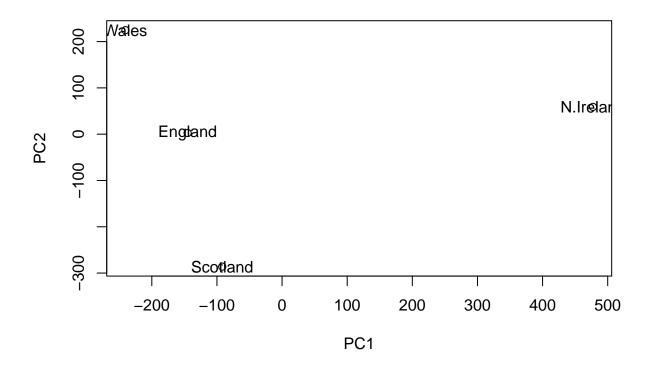


We want score plot (aka PCA plot). Basically a plot of PC1 vs PC2 $\,$

```
## $names
## [1] "sdev" "rotation" "center" "scale" "x"
##
## $class
## [1] "prcomp"

We are after the pca$x component

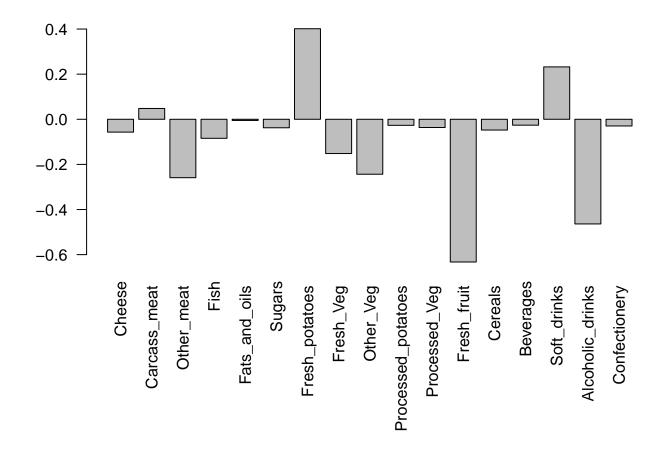
plot(pca$x[,1:2])
text(pca$x[,1:2], labels=colnames(x))
```



Northern Ireland is really different than these other three countries. PCA will tell us why they are different, how much each of the different foods contributed to the differences.

We can also examine the PCA "loadings", which tell us how much the original variables contribute to each new PC...

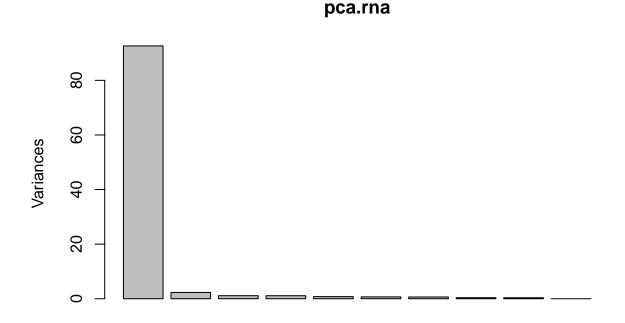
```
par(mar=c(10, 3, 0.35, 0))
barplot(pca$rotation[,1], las=2)
```



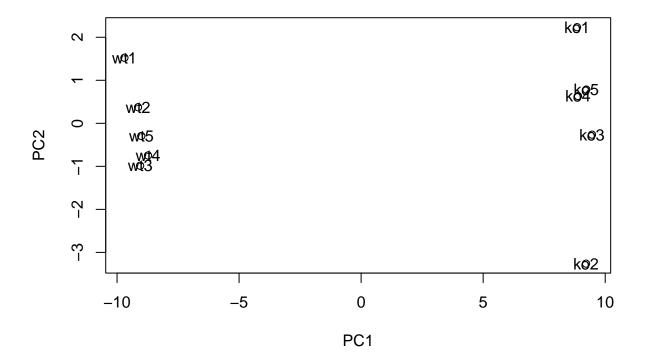
One more PCA for today

```
url2 <- "https://tinyurl.com/expression-CSV"</pre>
rna.data <- read.csv(url2, row.names=1)</pre>
head(rna.data)
##
          wt1 wt2
                   wt3
                         wt4 wt5 ko1 ko2 ko3 ko4 ko5
## gene1
         439 458
                   408
                         429 420
                                  90
                                      88
                                         86
                                              90
## gene2
          219 200
                   204
                         210 187 427 423 434 433 426
## gene3 1006 989 1030 1017 973 252 237 238 226 210
## gene4
          783 792
                   829
                         856 760 849 856 835 885 894
## gene5
          181 249
                    204
                         244 225 277 305 272 270 279
## gene6
          460 502
                   491
                         491 493 612 594 577 618 638
ncol(rna.data)
## [1] 10
colnames(rna.data)
   [1] "wt1" "wt2" "wt3" "wt4" "wt5" "ko1" "ko2" "ko3" "ko4" "ko5"
```

```
nrow(rna.data)
## [1] 100
pca.rna <- prcomp( t(rna.data), scale=TRUE )</pre>
summary(pca.rna)
## Importance of components:
##
                                                PC3
                                                        PC4
                                                                          PC6
                               PC1
                                       PC2
                                                                 PC5
                                                                                   PC7
## Standard deviation
                            9.6237 1.5198 1.05787 1.05203 0.88062 0.82545 0.80111
## Proportion of Variance 0.9262 0.0231 0.01119 0.01107 0.00775 0.00681 0.00642
 \hbox{\tt \#\# Cumulative Proportion} \quad 0.9262 \ 0.9493 \ 0.96045 \ 0.97152 \ 0.97928 \ 0.98609 \ 0.99251 \\
                                PC8
                                         PC9
## Standard deviation
                            0.62065 0.60342 3.348e-15
## Proportion of Variance 0.00385 0.00364 0.000e+00
## Cumulative Proportion 0.99636 1.00000 1.000e+00
plot(pca.rna)
```



```
plot(pca.rna$x[,1:2])
text(pca.rna$x[,1:2], labels=colnames(rna.data))
```



PC1 did a good job accounting for the separation between WT and KO. If you go to the loadings you can find what is responsible for the variation.

Lets knit to PDF and publish to github