

Experiment 6. Version 2.20 of the PKCS#11 standard includes a new feature intended to improve security: trusted keys. Two more attributes are introduced: `wrap_with_trusted` and `trusted`. In addition to testing that a key to be wrapped is extractable, `Wrap` now tests that if the key to be wrapped has `wrap_with_trusted` set, then the wrapping key must have `trusted` set. Only the security officer (SO) can mark a key as `trusted`. Additionally, `wrap_with_trusted` is a sticky attribute - once set, it may not be unset.

This mechanism would appear to have some potential: as long as the security officer only logs into the device when it is connected to a trusted terminal, he should be able to keep his PIN secure, and so be able to control which keys are marked as `trusted`. We took our configuration from Experiment 5, and added the trusted key features, marking n_1 as `wrap_with_trusted`, and n_2 as `trusted`. We discover another attack, given in Figure 5. Here, the intruder first attacks the trusted wrapping key, and then obtains the sensitive key.

Initial state: The intruder knows the handles $h(n_1, k_1)$, $h(n_2, k_2)$ and the key k_3 ; n_1 has the attributes `sensitive`, `extract` and `wrap_with_trusted` whereas n_2 has the attributes `extract` and `trusted` set. The intruder also knows the public key $\text{pub}(s_1)$ and its associated handle $h(n_3, \text{priv}(s_1))$; n_3 has the attribute `unwrap` set.

Trace:

Intruder:	$k_3, \text{pub}(s_1)$	\rightarrow	$\text{aenc}(k_3, \text{pub}(s_1))$
Set_unwrap:	$h(n_3, \text{priv}(s_1))$	\rightarrow	$\text{unwrap}(n_3)$
Unwrap:	$\text{aenc}(k_3, \text{pub}(s_1))$ $h(n_3, \text{priv}(s_1))$	$\xrightarrow{\text{new } n_4}$	$h(n_4, k_3)$
Set_wrap:	$h(n_4, k_3)$	\rightarrow	$\text{wrap}(n_4)$
Wrap:	$h(n_4, k_3), h(n_2, k_2)$	\rightarrow	$\text{senc}(k_2, k_3)$
Intruder:	$\text{senc}(k_2, k_3), k_3$	\rightarrow	k_2
Set_wrap:	$h(n_2, k_2)$	\rightarrow	$\text{wrap}(n_2)$
Wrap:	$h(n_2, k_2), h(n_1, k_1)$	\rightarrow	$\text{senc}(k_1, k_2)$
Intruder:	$\text{senc}(k_1, k_2), k_2$	\rightarrow	k_1

Figure 5. Attack discovered in Experiment 6