Leaf phenological shifts and plant-microbe-soil interactions can determine forest productivity and nutrient cycling under climate change in an ecosystem model

Takeshi Miki and Hideyuki Doi

## **Supporting Information**

First, ESM 1 describes the mathematical formulas for our model in detail. Next, ESM 2 and Fig. S1 explain how the sensitivity analysis was conducted.

#### ESM 1 Detailed mathematical formulas of the model

First, we use two different parameters for time: t for a continuous value and J for the Julian day of year as  $t \in [0.0, 365.0)$  and  $J \in [1, 365]$  with the relationship  $J = \lfloor t \rfloor + 1$ , where  $\lfloor t \rfloor$  is the integer part of t. Table S1 shows all parameter definitions and default values.

Carbon and nitrogen biomass in growth tissues of the plant

The dynamics in carbon (C) and nitrogen (N) biomass in growth tissues of the plant at time t ( $C_G[t]$  and  $N_G[t]$ , respectively) are governed by Eqs. (S1) and (S2) respectively:

$$\frac{dC_G[t]}{dt} = (1 - f_R)GPP[t] + r_C[J] - s_C[J] - R_{PG}[t] - f_{LC}[t]$$
(S1)

= [GPP – excretion of organic C from root] + [regrowth from storage] – [reallocation to storage part] – [respiration of growth part] – [litter production],

$$\frac{dN_G[t]}{dt} = u_P[t] + r_N[J] - s_N[J] - f_{LN}[t]$$
 (S2)

= [uptake from soil] + [regrowth from storage] – [reallocation to storage part] – [litter production],

where gross primary production at time t (0.0  $\leq t < 365.0$ ) GPP[t] is calculated by Eqs. 1–3 in the main text and the fraction  $f_R$  of GPP is released from root to soil.

The uptake of inorganic N from soil only occurs in the growth phase (Phase 3), which is proportional to the plant C biomass and concentration of inorganic N in soil, and is given by Eq. (S3):

$$u_{P}[t] = \begin{cases} u_{PN0} N_{I}[t] C_{G}[t] & \text{if } J \in \text{Phase 3} \\ 0 & \text{else} \end{cases}$$
 (S3)

The regrowth from storage tissues only occurs in Phase 2 ( $D_B - S_{RG} + 1 \le J \le D_B$ ), and the function is given by Eq. (S4):

$$r_{X}[J] = \begin{cases} \frac{X_{R}[D_{B} - S_{RG}]}{S_{RG}} & \text{if } J \in \text{Phase 2} \\ 0 & \text{else} \end{cases}$$
 (S4)

where C and N stocks,  $C_R$  and  $N_R$ , respectively, at the end of Phase 1 ( $t = D_B - S_{RG}$ ) are allocated again for growth at a constant rate over  $S_{RG}$  days in Phase 2. At the end of Phase 2, the storage tissues have exhausted their supplies of C and N by simply neglecting to accumulate C and N over time.

The reallocation to storage occurs only in Phase 4  $(D_F - S_L + 1 \le J \le D_F)$ , and the function is given by Eq. (S5):

$$s_{X}[J] = \begin{cases} \frac{r_{X}X_{G}[D_{F} - S_{L}]}{S_{L}} & \text{if } J \in \text{Phase 4} \\ 0 & \text{else} \end{cases}$$
 (S5)

where the fraction  $r_C$  (or  $r_N$ ) of C (or N) stocked in the growth tissues at the end of the Phase 3  $(t = D_F - S_L)$  is reallocated to storage in a constant rate over  $S_L$  days in Phase 4. In general, the optimal allocation schedule of photosynthetic products to growth, storage, and reproductive tissues should be considered (Iwasa 2000). However, to avoid more complex phenological events, we assumed that reallocation does not occur during the growing season.

The respiration rate, which is proportional to biomass and occurs in the regrowth and growing phases (phases 2 and 3)  $(D_B - S_{RG} + 1 \le J \le D_F - S_L)$ , follows the Arrhenius equation (Davidson and Janssens 2006) shown in Eq. (S6):

$$R_{G}[t] = \begin{cases} b_{0} \exp\left[-\frac{E}{RT_{A}[J]}\right] C_{G}[t] & \text{if } J \in \text{Phase 2, Phase 3} \\ 0 & \text{else} \end{cases}$$
 (S6)

where  $b_0$  is the reaction rate constant, E is the required activation energy, R is the gas constant (8.314 J·K<sup>-1</sup>·mol<sup>-1</sup>), and  $T_A[J]$  is the aboveground temperature in degrees Kelvin.

The litter production rate during the growth phase (Phase 3) is proportional to C (or N) biomass, whereas it is constant in the autumn season (Phase 5), and is given by Eq. (S7):

$$f_{LX}[t] = \begin{cases} f_{L0}X_G[t] & \text{if } J \in \text{Phase 3} \\ \frac{X_G[D_F]}{F_L} & \text{if } J \in \text{Phase 5 } (X = C \text{ or } N). \\ 0 & \text{else} \end{cases}$$
 (S7)

Carbon and nitrogen biomass in storage tissues of the plant

The dynamics in C and N biomass in the storage tissues of a plant at time t ( $C_R[t]$  and  $N_R[t]$ , respectively) are governed by the processes illustrated in Eqs. (S8) and (S9), respectively:

$$\frac{dC_R[t]}{dt} = -r_C[J] + s_C[J] - R_R[t]$$

= - [regrowth from storage] + [reallocation to storage] - [respiration of storage],
(S8)

$$\frac{dN_R[t]}{dt} = -r_N[J] + s_N[J]$$

= - [regrowth from storage] + [reallocation to storage]. (S9)

The respiration rate, which is proportional to biomass and occurs throughout the year, except during the regrowth phase (Phase 2), follows the Arrhenius equation (Eq. S10):

$$R_{R}[t] = \begin{cases} 0 & \text{if } J \in \text{Phase 2} \\ b_{0} \exp\left[-\frac{E}{RT_{B}[J]}\right] C_{R}[t] & \text{else} \end{cases}$$
 (S10)

where  $T_B[J]$  is the belowground temperature in degrees Kelvin. Because the period of the regrowth phase is relatively short (= 5 days, Table S1), respiration at this phase is negligible.

Carbon and nitrogen stocks in soil

The dynamics of C and N stocks in soil at time t ( $C_S[t]$  and  $N_S[t]$ , respectively) are given by Eqs. (S11) and S12), respectively:

$$\frac{dC_S[t]}{dt} = f_R GPP[t] + f_{LC}[t] - DEC_C[t] + m_M C_M[t]$$

= [excretion from root] + [litter production] – [decomposition] + [microbial mortality],

(S11)

$$\frac{dN_S[t]}{dt} = f_{LN}[t] - DEC_N[t] + m_M N_M[t]$$

= [litter production] – [decomposition] + [microbial mortality], (S12)

where the decomposition rate follows Eq. 4. More specifically, the decomposition rate of C and N follows the (modified) Arrhenius equation (Eq. S13):

$$DEC_X[t] = k_{L,293} \exp \left[ -\frac{E}{R} \left( \frac{1}{T_B[J]} - \frac{1}{293} \right) \right] C_M[t] X_S[t] \quad (X = C \text{ or } N)$$
 (S13)

where  $k_{L, 293}$  is the decomposition constant at 20 °C and the decomposition rate changes with belowground temperature  $T_B[J]$ .

## Population dynamics of soil microbes

As is explained in the main text, the amount of C (and N) assimilated by microbes depends on the potential assimilation rate of C pASIM<sub>C</sub> (that of N pASIM<sub>N</sub>), and the fixed ratio of microbial C to N (C:N)<sub>M</sub>. These potential assimilation rates are given by Eqs. (S14) and (S15), respectively:

$$pASIM_C[t] = e_{MC}DEC_C[t],$$
 (S14) and

$$pASIM_{N}[t] = e_{MN}DEC_{N}[t] + k_{I}C_{M}[t]N_{I}[t],$$
(S15)

where  $e_{MC}$  and  $e_{MN}$  are the potential assimilation efficiency of decomposed C and N, respectively, and  $k_I$  represents the maximum affinity for inorganic N uptake in soil. The

realized assimilation rate of C to meet the fixed ratio of microbial C:N (to maintain homeostasis) is given by Eq. (S16):

$$rASIM_{C}[t] = \begin{cases} (C:N)_{M} pASIM_{N}[t] & \text{if } pASIM_{C}[t] > (C:N)_{M} pASIM_{N}[t] \\ pASIM_{C}[t] & \text{else} \end{cases} . (S16)$$

The rate of microbial respiration  $\theta_C$  and net mineralization rate  $\theta_N$  are given by Eqs. (S17) and (S18), respectively:

$$\theta_{C}[t] = DEC_{C}[t] - rASIM_{C}[t], \tag{S17}$$

$$\theta_N[t] = DEC_N[t] - \frac{rASIM_C[t]}{(C:N)_M}.$$
(S18)

The dynamics of microbial C biomass at time t,  $C_M[t]$ , is given by Eq. (S19):

$$\frac{dC_M[t]}{dt} = rASIM_C[t] - m_M C_M[t]$$

= [assimilation through decomposition] - [microbial mortality], (S19) noting that we do not need to prepare a dynamic equation for  $N_M[t]$  because of the fixed C:N, i.e.,  $N_M[t] = C_M[t]/(C:N)_M$ .

Dynamics of inorganic nitrogen in soil

The dynamics of inorganic N at time t,  $N_l[t]$ , is given by Eq. (S20):

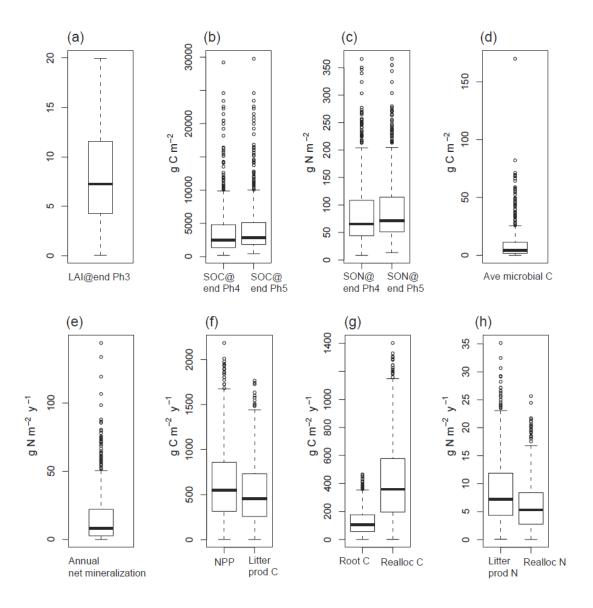
$$\frac{dN_I[t]}{dt} = \theta_N[t] - u_P[t] + n_{INPUT} - l_N N_I[t]$$

= [net mineralization] – [uptake by plant] + [nitrogen deposition] – [leaching], S(20)

where  $n_{INPUT}$  and  $l_N$  represent a constant deposition and specific leaching rates, respectively.

### ESM 2 Sensitivity Analysis

This ESM explains how to conduct the sensitivity analysis (Fig. S1). Note again that we obtained results shown in Fig. 2 with the default parameter values (Table S1) and that the sensitivity of our model behavior with a single parameter changed is shown in Fig. 3. For evaluating the sensitivity to changes in all of parameters shown in Fig. 3, we chose 1000 sets of parameter values that were randomly selected from a range of -50% to +50% of the default value (using a uniform distribution in default value x [0.5, 1.5]), and then conducted numerical simulations for each parameter set. Because the variations in parameter values are very large, some of simulations show unrealistic values. When we focused on the leaf area index (LAI), 294 combinations in 1000 simulations resulted in LAI > 20 (and the maximum LAI is 37.2). We then excluded these 294 combinations prior to generating the boxplots showing the range and variations of values predicted by our model (Fig. S1).



**Figure S1.** Box plots of sensitivity analysis. (a) Leaf area index (LAI). (b) and (c) Accumulated soil organic carbon (C) and nitrogen (N) at the end of phases 4 and 5, respectively. (c) Accumulated soil organic N at the end of phases 4 and 5. (d) Annual average C biomass of microbes. (e) Annual net mineralization rate. (f) Annual net primary production and annual production of litter C. (g) Annual rate of release of organic C from the plant root and reallocation of C into the storage tissues of the plant. (e) Annual production of litter N and annual rate of reallocation of N into the storage tissues of the plant.

# Table S1 List of variables, parameters, and default values

3	Symbol	Definition	Abbreviation	Unit	Default value
4					
5	$C_G$	Carbon biomass of new growth of plant	-	$g m^{-2}$	-
6	$N_G$	Nitrogen biomass of new growth of plant	-	$g m^{-2}$	-
7	$C_R$	Carbon biomass of storage part of plant	-	$g m^{-2}$	-
8	$N_R$	Nitrogen biomass of storage part of plant	-	$g m^{-2}$	-
9	$C_S$	Soil organic carbon	-	$g m^{-3}$	-
10	$N_S$	Soil organic nitrogen	-	$g m^{-3}$	-
11	$N_I$	Soil mineral nitrogen	-	$g m^{-3}$	-
12	$C_M$	Carbon biomass of microbes	-	$g m^{-3}$	-
13	$N_M$	Nitrogen biomass of microbes	-	$g m^{-3}$	$(C:N)_M C_M$
14	$D_B$	Initial day of expanding leaves	-	day of year	$100^{a}$
15	$D_F$	Initial day of litter fall in autumn	-	day of year	$300^{\rm b}$
16	$S_{RG}$	Period of regrowth phase	-	day	5*
17	$S_L$	Period of reallocation phase	-	day	14*
18	$F_L$	Period of litter fall in autumn	-	day	14*
19	GPP	Gross primary production	-	$\mu g C s^{-1}$	Eq. 1
20	φ	Quantum efficiency	-	$\mu \mathrm{gC}\ \mathrm{J}^{-1}$	2.73 <sup>c</sup>
21	θ	Curvature parameter	-	dimensionless	$0.75^{c}$
22	a	Photosynthetic capacity per N	-	$\mu g C g N_{2}^{-1} s^{-1}$	52.5°
23	$I_0$	Incident PAR above the canopy	-	$J s^{-1} m^{-2}$	$200^{\rm c}$
24	L	Leaf area index	-	$\mathrm{m^2~m^{-2}}$	$C_G \cdot LAR$
25	LAR	Leaf area ratio	-	$\mathrm{m^2~g^{-1}}$	0.01*
26	k	Canopy light extinction factor	-	dimensionless	$0.45^{c}$
27	$N_{min}$	Constant for nitrogen biomass	-	$gN m^{-2}$	$0.4^{c}$
28	$b_0$	Reaction constant for respiration	-	$gC d^{-1} g^{-1}$	$3.05 \times 10^{6d}$

29	E	Activation energy	-	kJ mol <sup>-1</sup>	$50.0^{\mathrm{e}}$
30	R	Gas constant	-	$\mathrm{JK}^{-1}$	8.314 <sup>e</sup>
31	$n_{INPUT}$	Nitrogen deposition rate	N_deposition	$gN m^{-2} d^{-1}$	$0.001^{\rm f}$
32	$l_N$	Leaching rate of nitrogen	N_leaching	$d^{-1}$	$0.01^{*}$
33	$r_N$	Reallocation efficiency of nitrogen	ReAllocN	dimensionless	0.5*
34	$r_C$	Reallocation efficiency of carbon	ReAllocC	dimensionless	$0.5^{*}$
35	$f_{L0}$	Litter production rate in growing phase	frac_Litter0	$d^{-1}$	$0.001^{g}$
36	$f_R$	Fraction of GPP excreted from root	frac_rootC	dimensionless	$0.1^{h}$
37	$u_{PN0}$	Affinity of nitrogen uptake of plant	UptakeN_P	$d^{-1} (gC m^{-2})^{-1}$	$0.01^{*}$
38	$(C:N)_{\mathrm{M}}$	Carbon to nitrogen ratio of microbes	CNratio_M	$gC gN^{-1}$	$8.0^{i}$
39	$k_{L,293}$	Decomposition constant at 20 °C	Decomp_293	$d^{-1} gC^{-1}$	$1.0/(365 \times 20)^{j}$
40	$e_{MC}$	Carbon growth efficiency of microbes	GrowthEffC_M	dimensionless	$0.5^{*}$
41	$e_{MN}$	Nitrogen growth efficiency of microbes	GrowthEffN_M	dimensionless	$0.5^{*}$
42	$m_M$	Microbial mortality	Mortality_M	$d^{-1}$	$1.0/30.0^*$
43	$k_I$	Affinity of nitrogen uptake of microbes	UptakeN_M	$d^{-1} (gC m^{-3})^{-1}$	$0.005^*$
44			_		

Note: GPP, gross primary production; PAR, photosynthetically active radiation.

- a) Assuming the date used for typical temperate forest with regard to data from Japan (Matsumoto et al. 2003, Doi 2012)
- b) Assuming the date used for typical temperate forest with regard to data from temperate regions (Matsumoto et al. 2003; Menzel et al.
- 48 2006; Doi 2012)
- 49 c) Franklin (2007)
- d) Calculated by the average of samplings data (Table 2) in Reich et al. (2006).
- e) Davidson and Janssens (2006)
- 52 f) Kjonnas and Wright (1998)
- 53 g) 0.1% if daily net primary production is assumed to be consumed by herbivores
- 54 h) Bardgett et al. (2005)
- i) Manzoni and Porporato (2007)
- j) Assuming that the turnover rate is in the order of 20 years with 1 gC of microbes.
- \*) Reasonable values are assumed

#### References

59

58

- 60 Bardgett RD, Bowman WD, Kaufmann R, Schmidt SK (2005) A temporal approach to
- 61 linking aboveground and belowground ecology. Trends Ecol Evol 20:634–641.
- Davidson EA, Janssens IA (2006) Temperature sensitivity of soil carbon decomposition
- and feedbacks to climate change. Nature 440:165-173.
- Doi H (2012) Response of the *Morus bombycis* growing season to temperature and its
- 65 latitudinal pattern in Japan. Int J Biometeorol 56: 895–902.
- Franklin O (2007) Optimal nitrogen allocation controls tree responses to elevated CO<sub>2</sub>.
- 67 New Phytol 174: 811–822.
- 68 Kjonnas OJ, Wright RF, (1998) Nitrogen leaching from N limited forest ecosystems:
- 69 the MERLIN model applied to Gårdsjön, Sweden. Hydrol Earth Sy. Sci 2: 415–429.
- 70 Manzoni, S., Porporato, A., 2007. Theoretical analysis of nonlinearities and feedbacks
- in soil carbon and nitrogen cycles. Soil Biol.Biochem 39, 1542–1556.
- Matsumoto K, Ohta T, Irasawa M, Nakamura T, (2003) Climate change and extension
- of the *Ginkgo biloba* L. growing season in Japan. Global Change Biol 9: 1634–1642.
- Menzel A, Sparks TH, Estrella N, et al., (2006) European phenological response to
- 75 climate change matches the warming pattern. Global Change Biol 12: 1969–1976.
- Reich PB, Hobbie SE, Ellsworth DS, West JB, Tilman D, Knops JMH, Naeem S, Trost
- J, (2006) Nitrogen limitation constrains sustainability of ecosystem response to CO<sub>2</sub>.
- 78 Nature 440: 922–925.

79 Table S2 Summary of the observed values used in Figure 2

Parameters	Values/Unit	Values/Unit	References	Note
NPP	$g \cdot m^{-2} \cdot y^{-1}$			
	638.5		Greco et al. (1996) Glob Change Biol 2, 183-197	Oak temperate forest, annual mean of 1993
	585		Waring et al. (1998) Tree Physiol, 18, 129-134	
	457		Waring et al. (1998) Tree Physiol, 18, 129-134	
	540		Turner and Long (1975) Canadian J of For Res, 5, 681-690	
	442.7		Harvard forest database (http://harvardforest.fas.harvard.edu)	
	555.125			Average was used in Fig. 2
LAI	$m^2 m^{-2}$			
	0–5		Greco et al. (1996) Glob Change Biol, 2, 183-197	Oak temperate forest, annual mean of 1993
	5–6		Hollinger et al. (1994) Ecology, 75, 134–150.	
	2-10		Franklin (2007) New Phytologist, 174, 811–822	From the model
	0.2-7.1		Harvard forest database (http://harvardforest.fas.harvard.edu)	
SOC	$\mathrm{g}\!\cdot\!\mathrm{m}^{-2}$	$g \cdot kg^{-1}$		With assuming 1 m depth, the value is equivalent to $g \cdot m^{-3}$
	2998		Drake et al. (2011) <i>Ecol Letters</i> , 14, 349–357	Data were compiled across multiple years (2003–2007)
	1340		Raich and Schlesinger (1992) Tellus, 44, 81–99	review
	1895	37.9	Ellerbrock et al. (2005) Soil Sci Soc of Am J, 69, 57–66	0–5 cm
	3190	63.8	Ellerbrock et al. (2005) Soil Sci Soc of Am J, 69, 57-66	0–5 cm
	857.5	34.3	Ellerbrock et al. (2005) Soil Sci Soc of Am J, 69, 57-66	0–10 cm
	2700		Forest Science Data Bank, Corvallis, OR.	0–20 cm
	2056.10			Average was used in Fig. 2

SON	$g \cdot m^{-2}$	$\mathbf{g} \cdot \mathbf{k} \mathbf{g}^{-1}$		With assuming 1 m depth, the value is equivalent to $g \cdot m^{-3}$
	164		Drake et al. (2011) Ecol Letters, 14, 349-357	Data were compiled across multiple years (2003–2007)
	112	2.24	Ellerbrock et al. (2005) Soil Sci Soc of Am J, 69, 57-66	0–5 cm
	179	3.58	Ellerbrock et al. (2005) Soil Sci Soc of Am J, 69, 57-66	0–5 cm
	29.8	1.19	Ellerbrock et al. (2005) Soil Sci Soc of Am J, 69, 57-66	0–10 cm
	14.1	0.9	Garten et al. (2011) Ecology, 92, 133-139	0–16 cm
	15.9	1.02	Garten et al. (2011) Ecology, 92, 133-139	0–16 cm
	14.1	0.9	Garten et al. (2011) Ecology,, 92, 133–139	0–16 cm
	179.9		Harvard forest database (http://harvardforest.fas.harvard.edu)	
	310		Forest Science Data Bank, Corvallis, OR.	0–20 cm
	75.54			Average was used in Fig. 2
Microbial C	$g \cdot m^{-2}$	$g \cdot kg^{-1}$		
	55		Drake et al. (2011) Ecol Letters, 14, 349-357	Data were compiled across multiple years (2003–2007)
	28		Ekelund et al. (2001) Soil Biol and Biochemistry, 33, 475-481	surface layer
	2.5	0.001	Wallenstein et al. (2006) For Ecol and Manage, 222, 459-468	
	13.75	0.0055	Wallenstein et al. (2006) For Ecol and Manage, 222, 459-468	
	20	0.008	Högberg and Högberg (2002) New Phytologist, 154, 791-795	
	23.85			Average was used in Fig. 2
Microbial				
Respiration	$g \cdot m^{-2} \cdot y^{-1}$			
	544		Greco et al. (1996) Glob Change Biol, 2, 183-197	Oak temperate forest, annual mean of 1993 Microbial respiration is assumed to be 68% of soil
	463.08		Raich and Schlesinger (1992) Tellus, 44, 81-99	respiration
	491.9616		Heinemeyer et al. (2007) Glob Change Biol, 13, 1786-1797.	
	470		Kelting et al. (1998) Soil Biol and Biochemistry, 30, 961-968	
	1131.792		Fernandez et al. (1993) Soil Sci Soc of Am J, 57, 1115–1121	Microbial respiration is assumed to be 68% of soil

			respiration
	1906.176	Fernandez et al. (1993) Soil Sci Soc of Am J, 57, 1115–1121	Microbial respiration is assumed to be 68% of soil respiration
			Microbial respiration is assumed to be 68% of soil
	473.28	Bowden et al. (2004) For Ecol and Manage, 196, 43–56	respiration Microbial respiration is assumed to be 68% of soil
	658.92	Bowden et al. (2004) For Ecol and Manage, 196, 43-56	respiration
	563.04	Bowden et al. (2004) For Ecol and Manage, 196, 43–56	Microbial respiration is assumed to be 68% of soil respiration
	51–978	Harvard forest database (http://harvardforest.fas.harvard.edu)	respiration
	744.6944	Trai vara Torest database (http://harvararorest.ras.harvara.eda)	Average was used in Fig. 2
Microbial C:N	$g \cdot g^{-1}$		
	7.35	Cleveland and Liptzin (2007) Biogeochemistry, 85, 235-352	Review, Calculated from C:N = 60:7 (mol:mol)
	6.0	Wright and Coleman (2000) Pedobiologia 44, 2–23.	Calculated from $C:N = 900:150$ (g:gl)
Plant C G	$g \cdot m^{-2}$		
_	8650.8	Kjønass and Wright (1998) Hydrology and Earth Syst Sci, 2, 415–429	Sum of structural and active pools
	5700	Harvard forest database (http://harvardforest.fas.harvard.edu)	
Plant N G	$g \cdot m^{-2}$		
Timit 11_G	63.14	Kjønass and Wright (1998) Hydrology and Earth Syst Sci, 2, 415–429	Sum of structural and active pools
	77.0	Martin and Aber (1997) Ecol Applications, 7 431–443.	Harvard forest
Litter C	$g \cdot m^{-2} \cdot y^{-1}$		
Litter	685.2	Kjønass and Wright (1998) Hydrology and Earth Syst Sci, 2, 415–429	
	360	Harvard forest database (http://harvardforest.fas.harvard.edu)	
Litter N	$g \cdot m^{-2} \cdot y^{-1}$	` •	
	12.292	Kjønass and Wright (1998) Hydrology and Earth Syst Sci, 2, 415–429	

	14.4	Harvard forest database (http://harvardforest.fas.harvard.edu)	Harvard forest, calculated from 2.0% N contents.
N Deposition	$g \cdot m^{-2} \cdot y^{-1}$		
	1.0	Currie et al. (1996) Biogeochemistry 35, 471–505	Harvard forest
	1.176	Kjønass and Wright (1998) Hydrology and Earth Syst Sci, 2, 415–429	

Note: C, carbon; LAI, leaf area index; N, nitrogen; NPP, net primary production; SOC, soil organic carbon; SON, soil organic nitrogen.