

# Daily Calorie Intake Analysis

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# Background

- As an aspiring data analyst, I like to examine data and use it to make better decisions.
- I am very interested in fields related to health, wellness, and nutrition.
- I wanted to combine these two interests and create something that can be analyzed and visualized.

# Background Continued

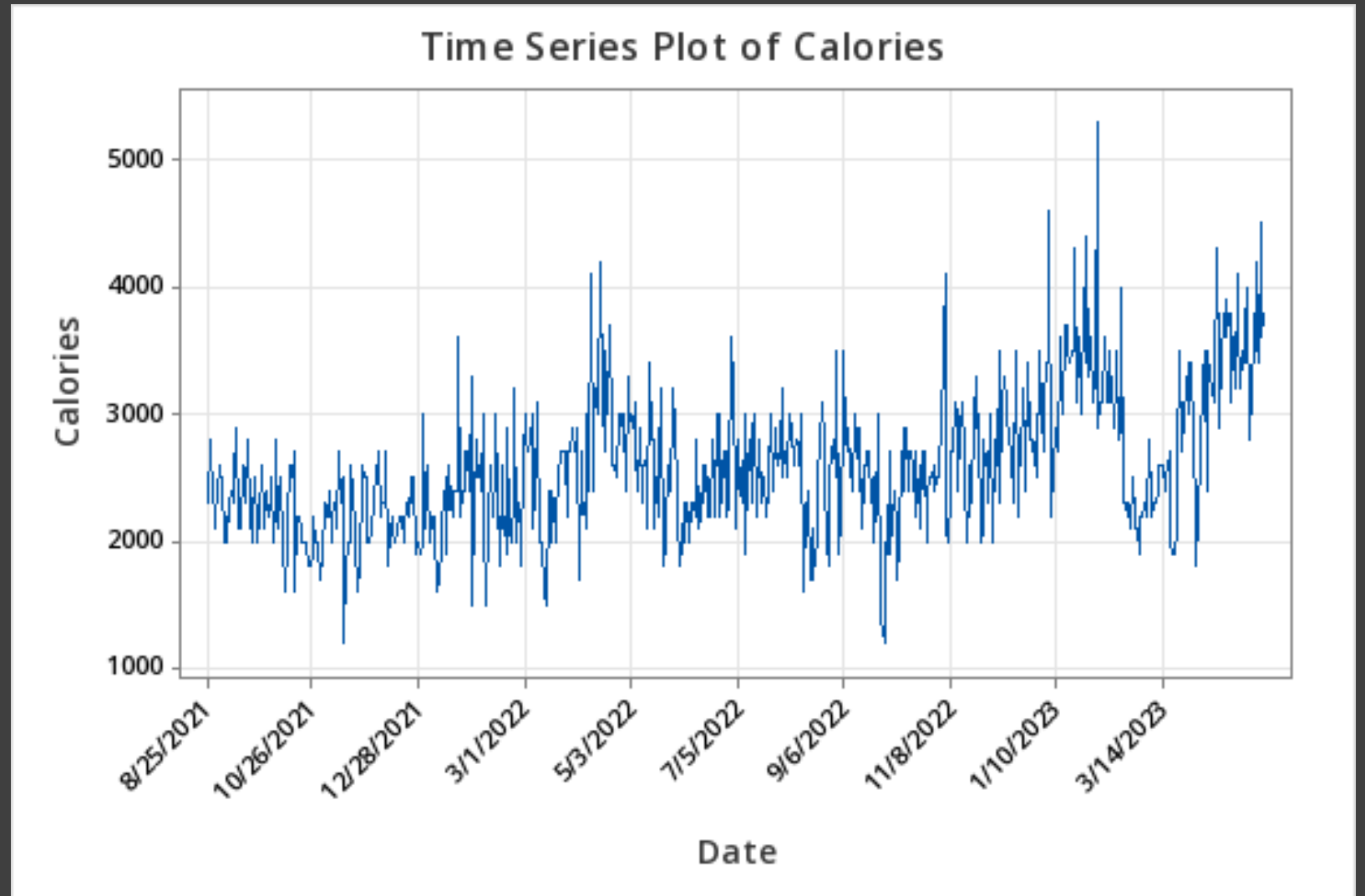
- Starting on August 25, 2021, I started tracking my caloric intake everyday
- I still track my calories today, however the data I used goes up to May 13, 2023
- I log my calories everyday in my Notes app on my phone, then I transferred this data over to Excel and Minitab to perform calculations and analysis

# Objective

- The goal of my analysis is to identify trends, assess frequency and distribution, and create models to forecast future calories.

# Time Series Plot

- Here is a simple time series plot of the data



# Basic Statistics

- Below are some descriptive statistics of the data, including mean, median, and standard deviation

**Number of  
Observations**

627

**Mean**

2590.3

**Standard Error of Mean**

22.3

**Standard Deviation**

558.9

**Minimum**

1200

**Q1**

2200

**Median**

2500

**Q3**

2900

**Maximum**

5300

**Range**

4100

**Mode**

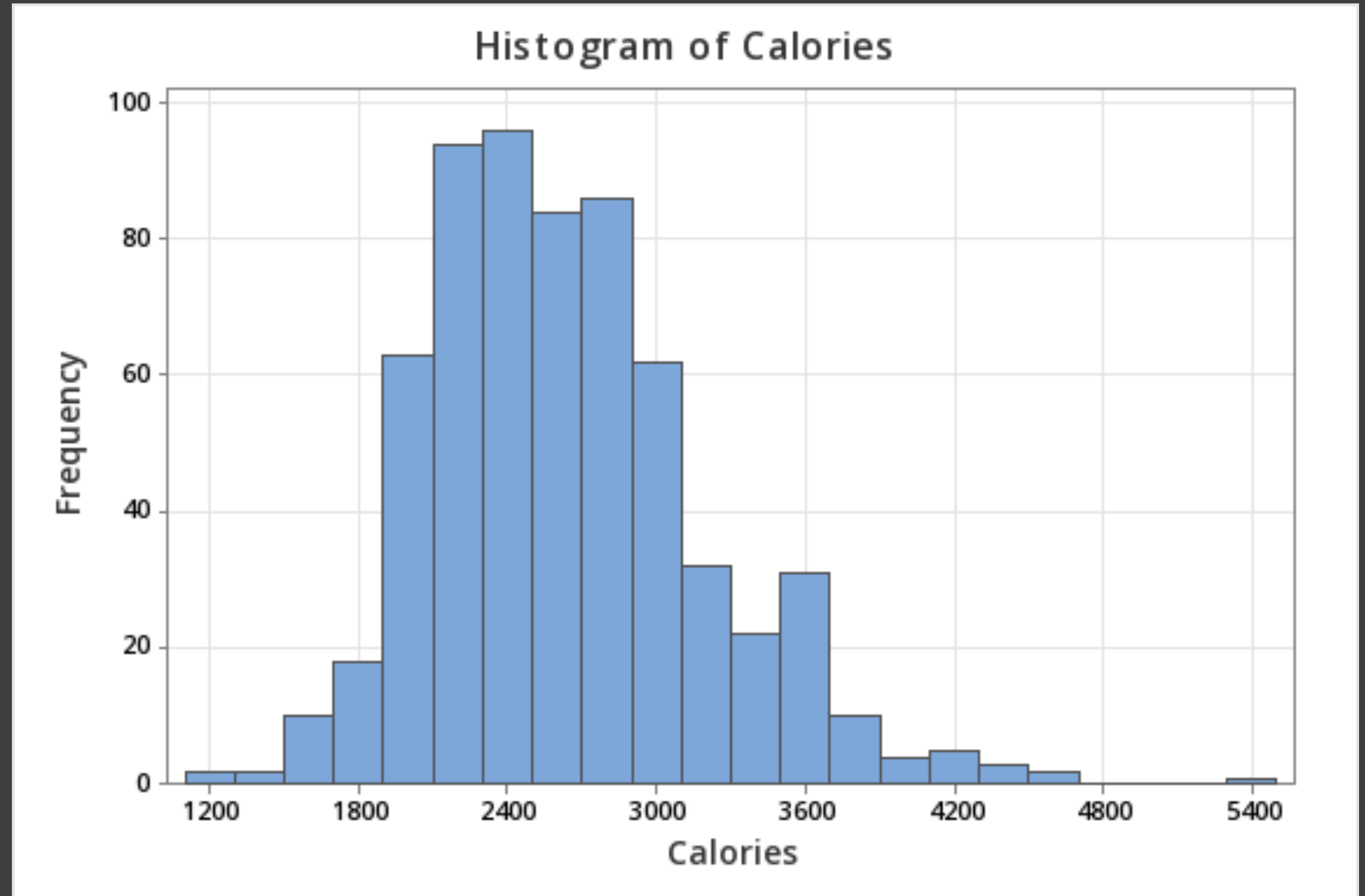
2200

**Skewness**

0.79

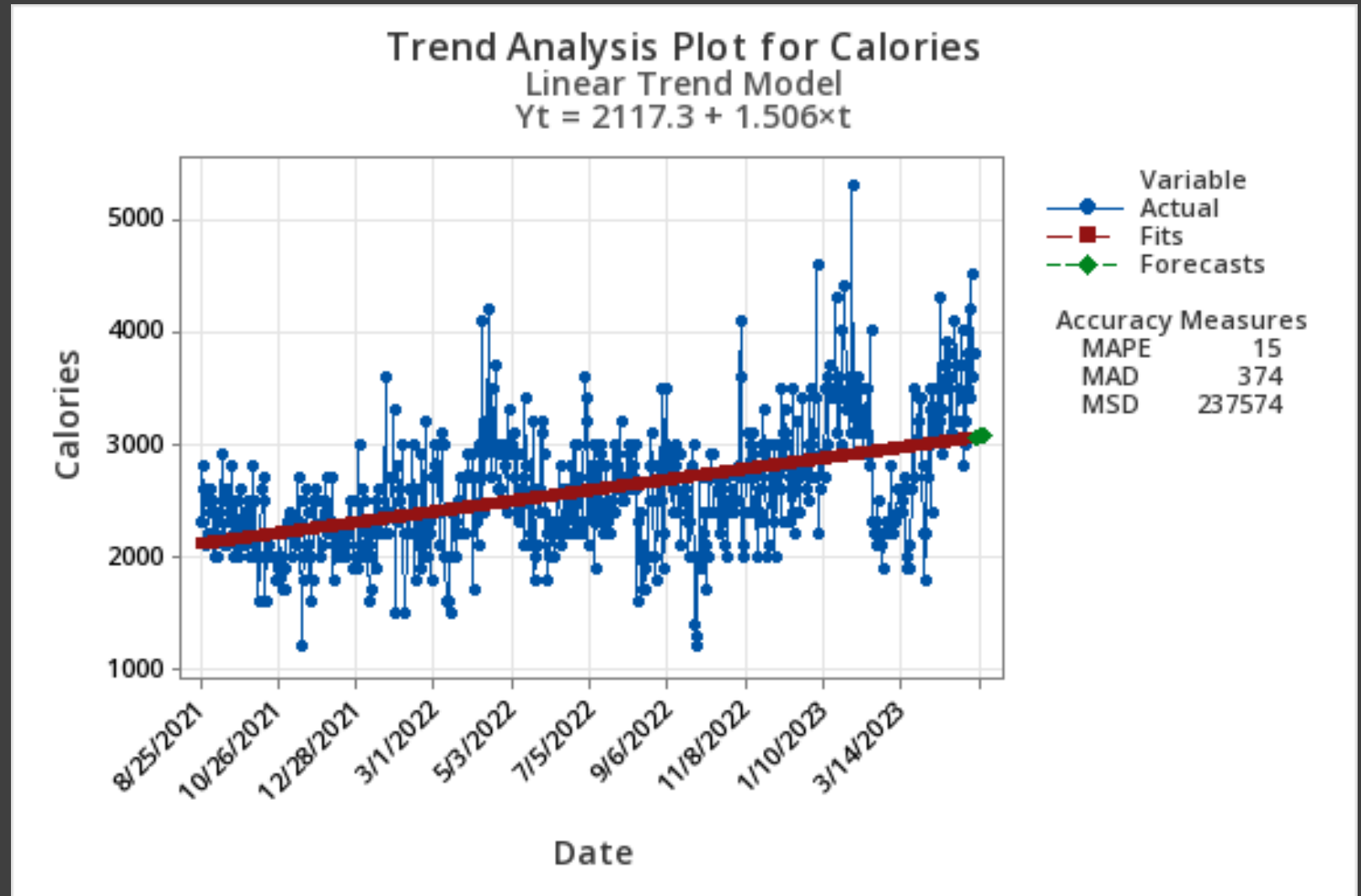
# Histogram

- The data takes on a unimodal distribution, with a slight positive skew



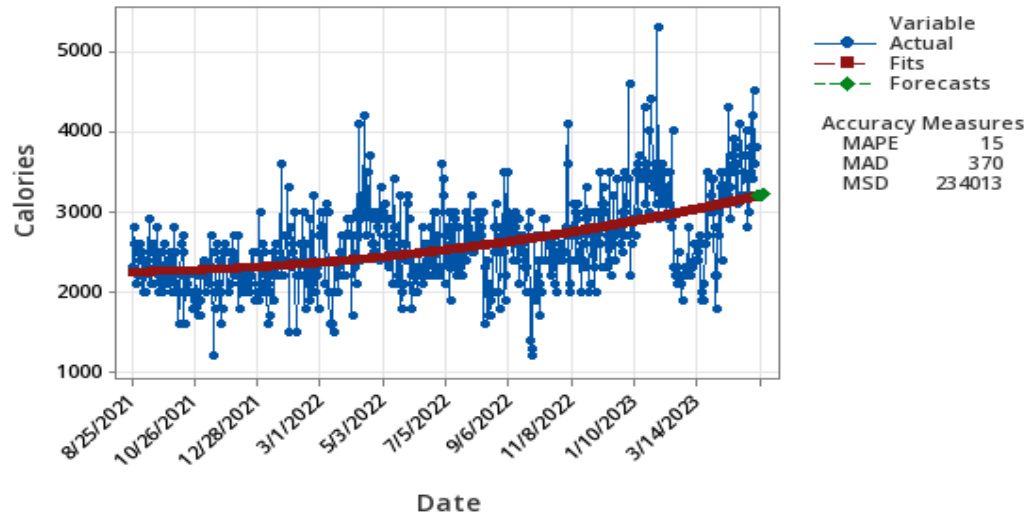
# Trend Analysis: Linear Model

- There is an upward trend in the data, as calories increase over time on average.
- I created a 7-day forecast that shows where we expect future values to be
- Because the residuals are large, the forecasts will likely be not very accurate

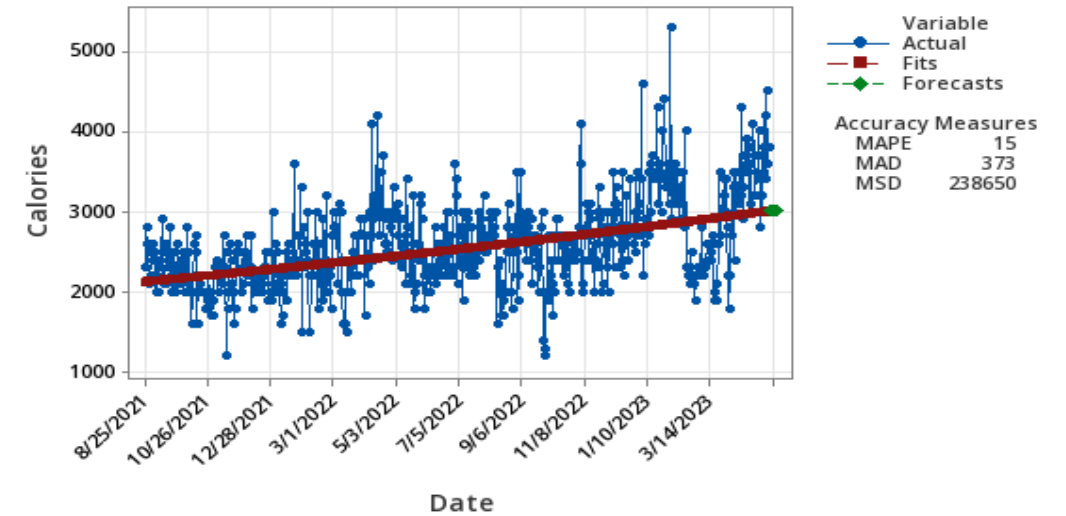




Trend Analysis Plot for Calories  
Quadratic Trend Model  
 $Y_t = 2251.3 + 0.227 \times t + 0.002037 \times t^2$



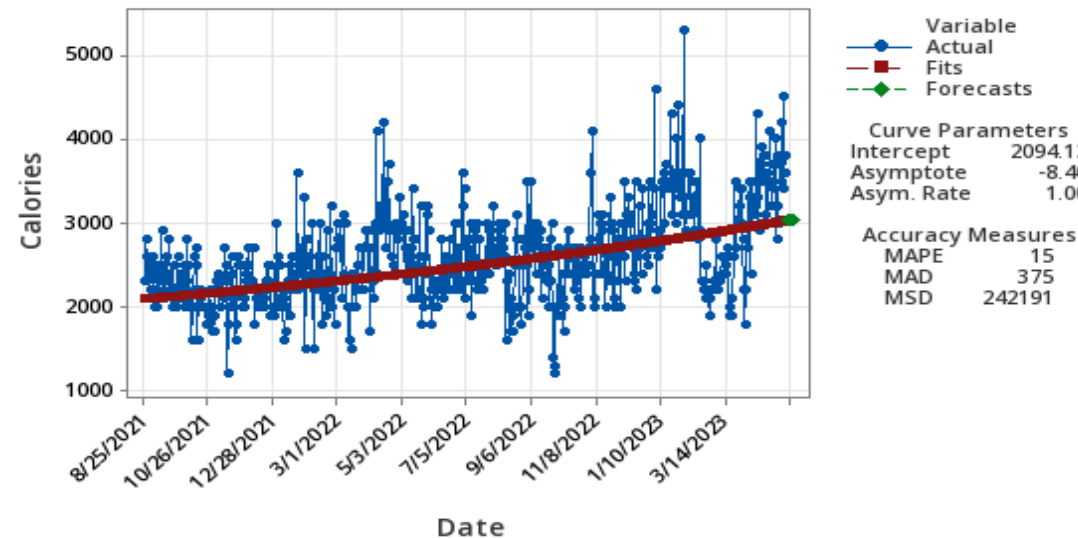
Trend Analysis Plot for Calories  
Growth Curve Model  
 $Y_t = 2129.29 \times (1.00055^t)$



- Here are more trend analysis graphs, using Quadratic, Growth, and S-Curve models

Trend Analysis Plot for Calories  
S-Curve Trend Model

$$Y_t = (10^5) / (-11900.8 + 11948.5 \times (1.00000^t))$$



- Note that the residuals are also very large

# Regression Analysis

- Now we will run a regression of calories versus index, with the index being the observation number at each date
  - For instance, the date 8/25/2021 has an index number of 1 and 5/13/2023 has an index of 627
- The equation is:
$$\text{Calories} = 2117.3 + 1.506 * \text{Index}$$
- Note that this is the same equation as the one in the linear trend model

# Regression Analysis Continued

- If we want to predict the amount of calories consumed for 5/14/2023, which has an index of 628, we just plug the index into the equation

- $$\begin{aligned}\text{Calories} &= 2117.3 + 1.506 * 628 \\ &= 3063.3\end{aligned}$$

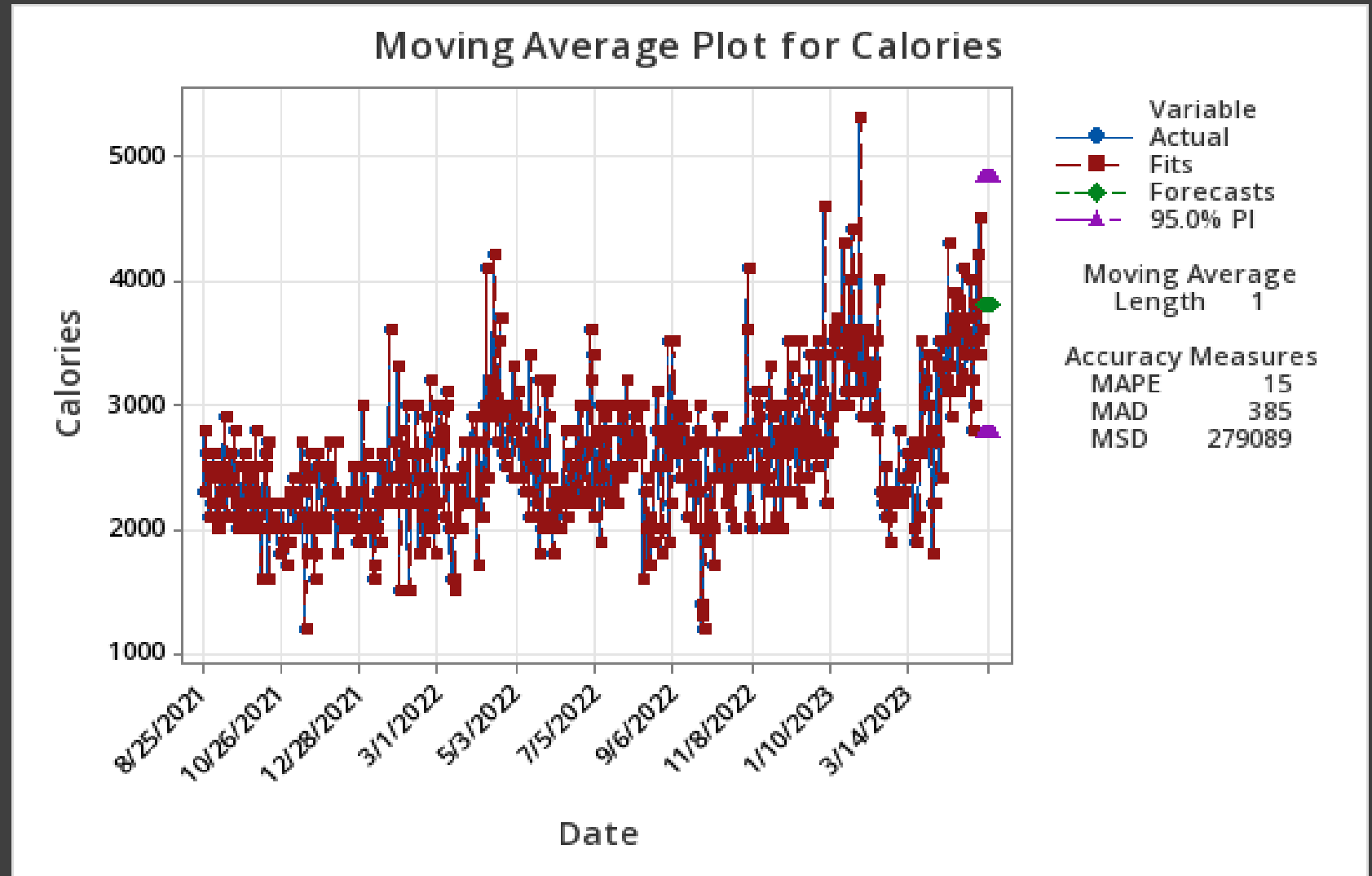
\* I rounded the slope and intercept here so my answer will be slightly different than if you directly plug 628 into the equation above

# Regression Analysis Continued

- Now that we have our regression model, it is worth noting that the  $R^2$  value is 23.83%
- $R^2$  is the coefficient of determination and measures goodness of fit
- This means that only 23.83% of the dependent variable (calories) is explained by the independent variable (index)
- The  $R^2$  value is very low when looking at how well the regression line fits the data
- Therefore, linear regression may not be the best method for forecasting caloric intake

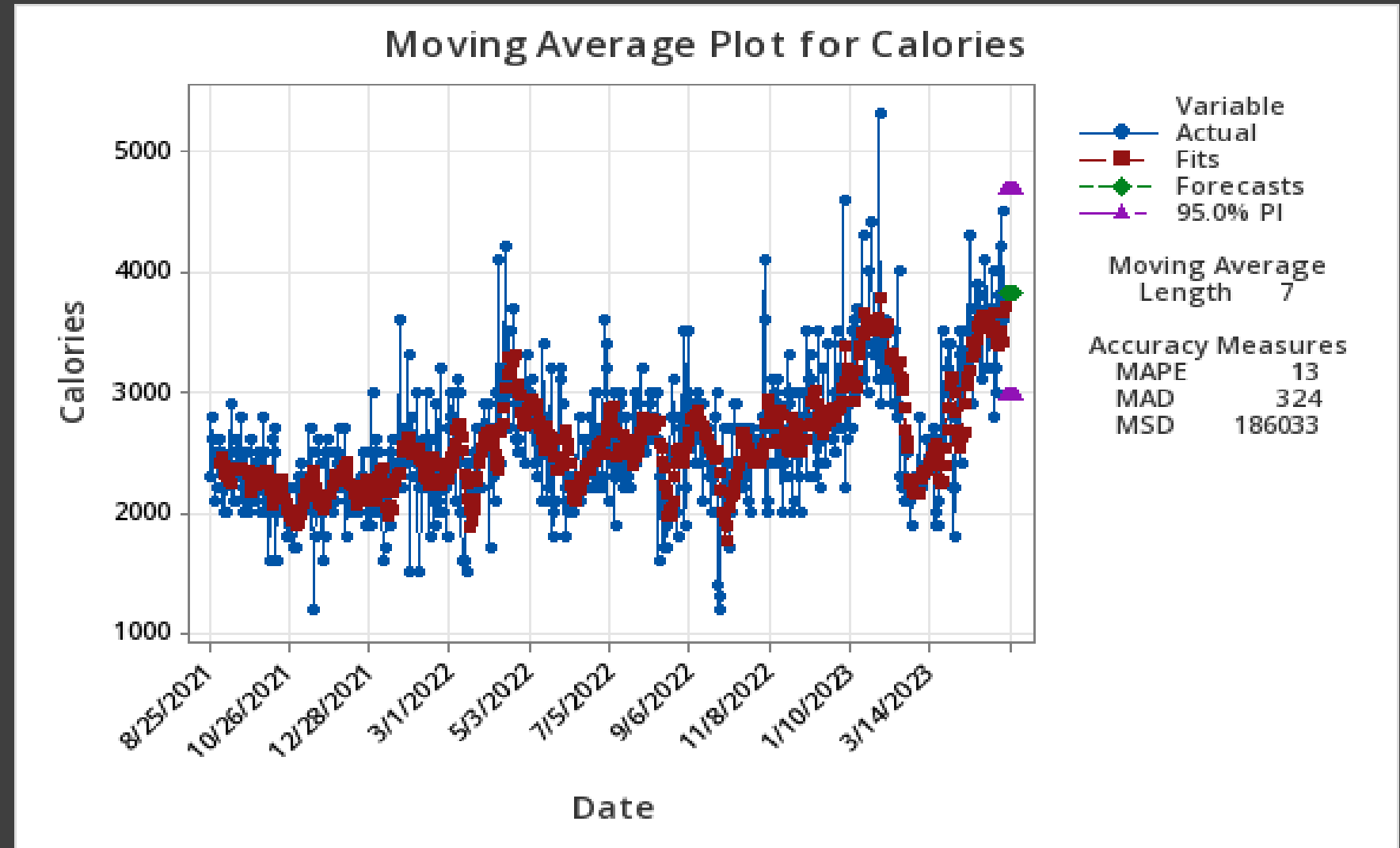
# Naïve Model

- Next, we will look at some other forecasting methods
- Here is a naïve model, with a 7-day forecast and a 95% prediction interval



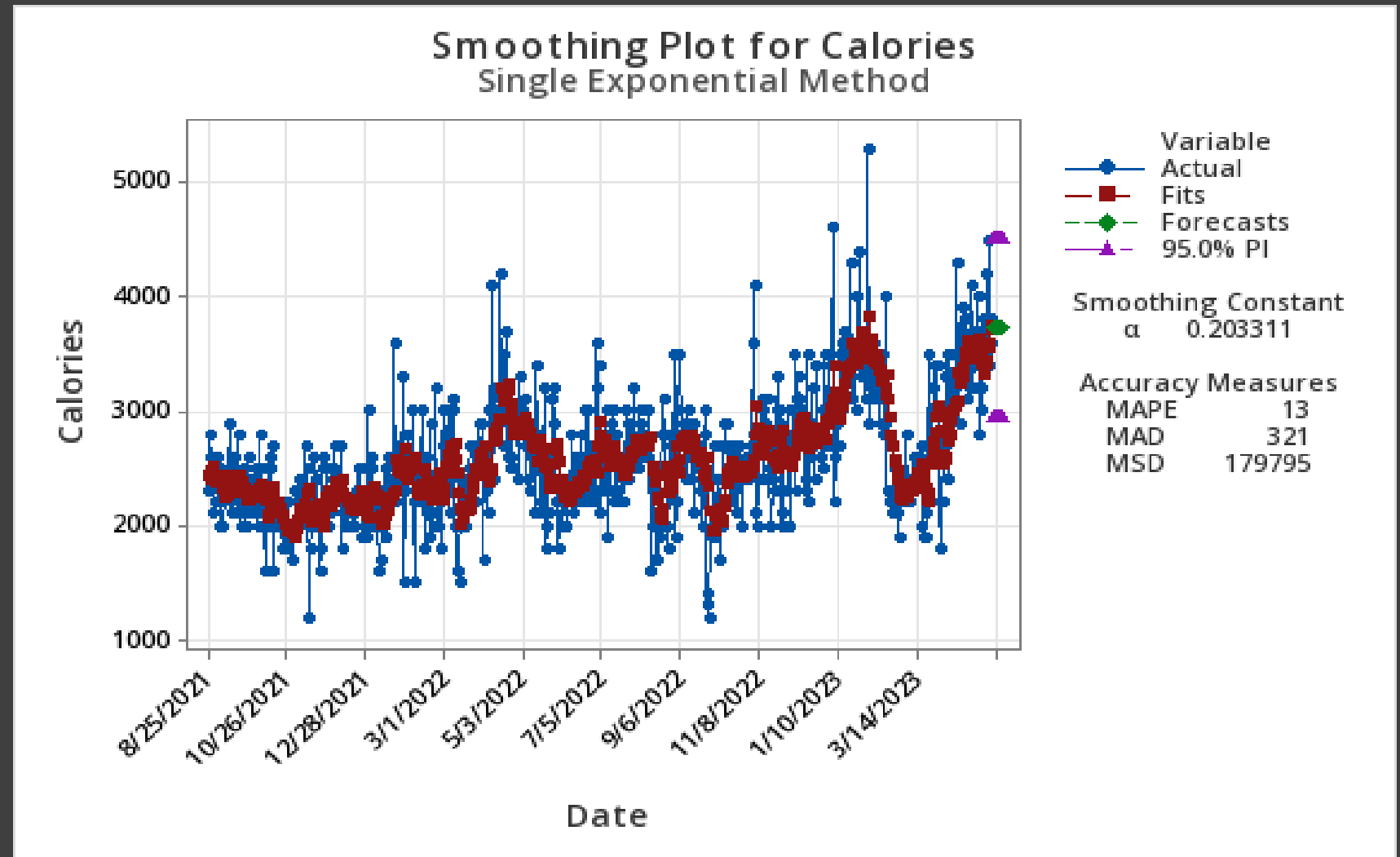
# Moving Average Model

- Here is a simple moving average model with length 7
- Note that the accuracy measures all have lower values than those of the naïve model



# Exponential Smoothing Method

- Lastly, here is a single exponential smoothing model with an alpha value of .2
- Note the accuracy measures compared to the other models



# Choosing the Best Model

- If we look at the Mean Absolute Percentage Error (MAPE), Mean Absolute Deviation (MAD), and Mean Squared Deviation (MSD) of each model, the exponential smoothing method has the lowest values overall
- The residuals in this model will also be the smallest
- If we assume that I do not control the number of calories I eat each day, the best model out of the ones I used will be from the exponential smoothing method



# Conclusion

- It is worth noting that there are other models I did not use that may give better predictions, such as Winters' Method or ARIMA modeling
- Nonetheless, it is fun to analyze and compare the different models while knowing that I can apply these methods to other real-world scenarios
- Thank you for reading!