

Efficient Compression in Locomotion Verbs Across Languages

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Background

- Languages shaped by a drive for efficient communication¹
 - Evidence from color word adjectives¹, object nouns²
- New perceptual domain: time-varying visual stimuli
 - Builds on evidence from static visual stimuli^{1,2}
- Action words (verbs) not studied in terms of efficiency
 - Prior work on locomotion verbs, but not in terms of IB³

Question: Do locomotion verbs show pressure for efficiency?

Stimuli & naming data

- Motion stimuli evaluated using existing locomotion dataset³

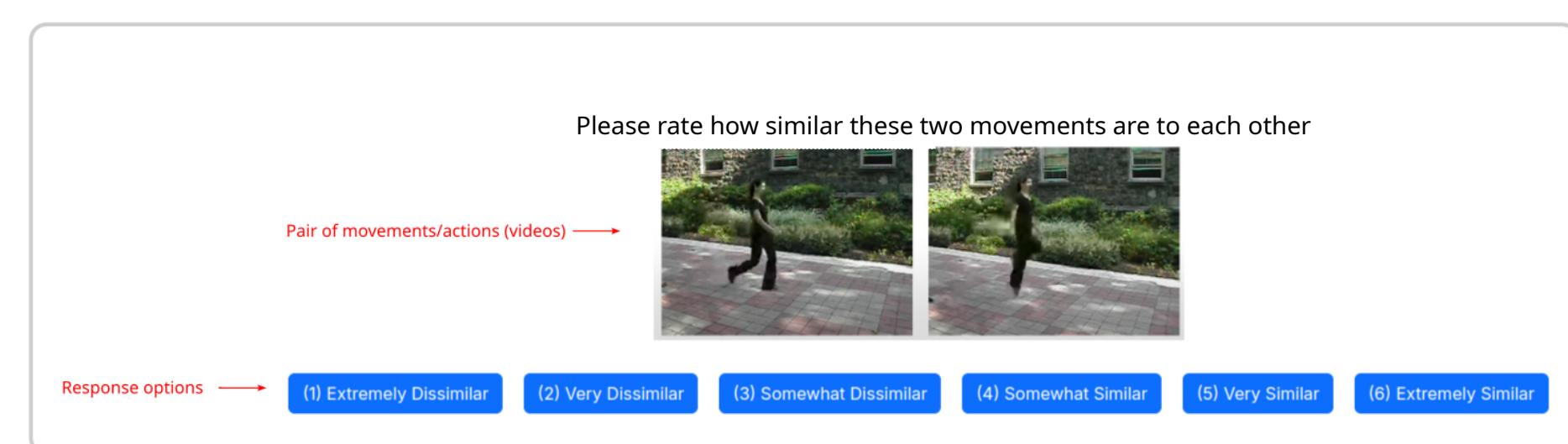


- Verb meanings evaluated using existing verb annotations³
- English, Spanish, Dutch, Japanese verbs (Malt et al. 2008)

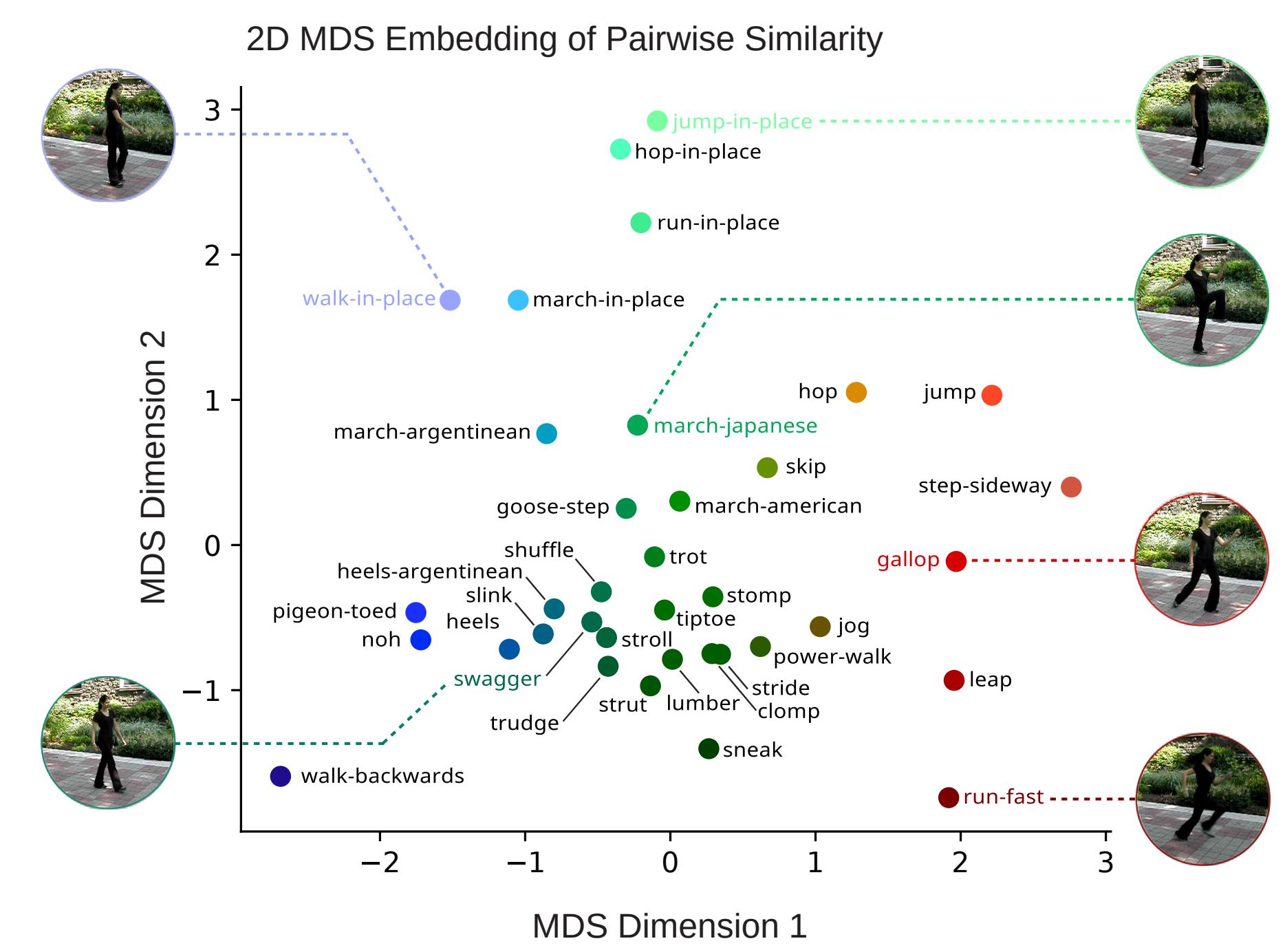
Similarity data

- Estimating a psychological locomotion similarity space

Similarity Task



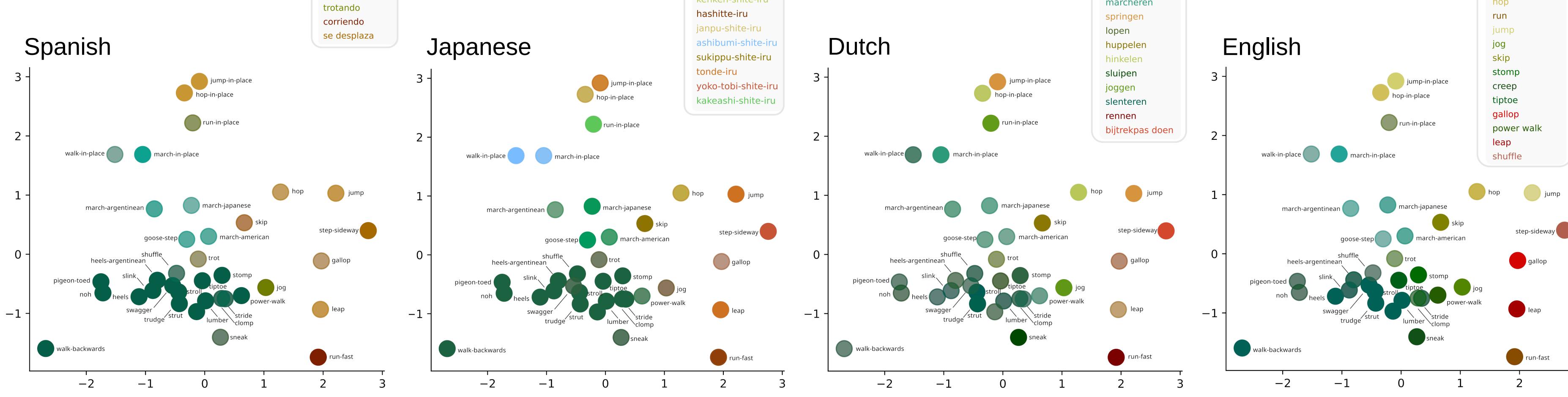
Locomotion Space U (MDS)



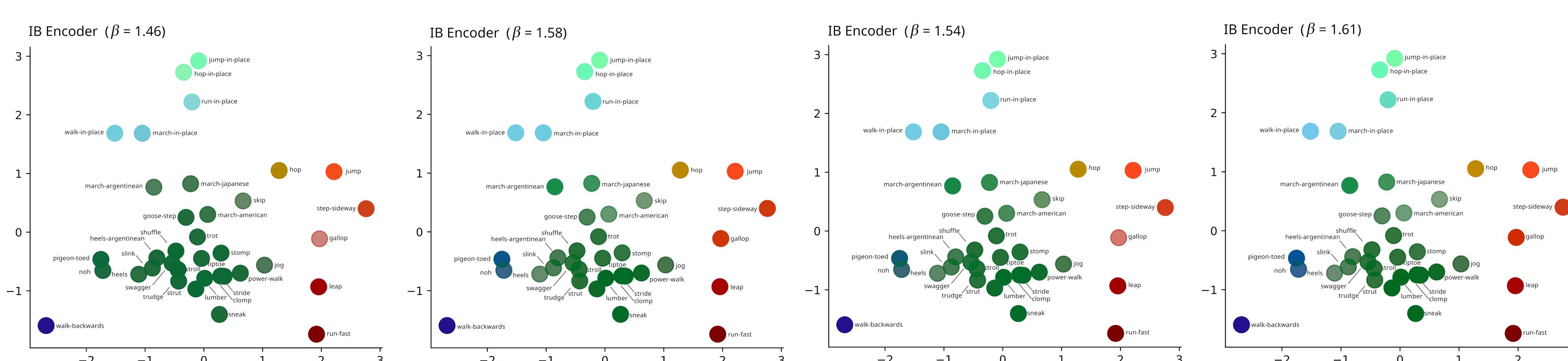
Attested & theoretical systems

- Attested systems $p(w|m)$ align with optimal IB encoders $q(w|m)$

Malt et al., (2008)

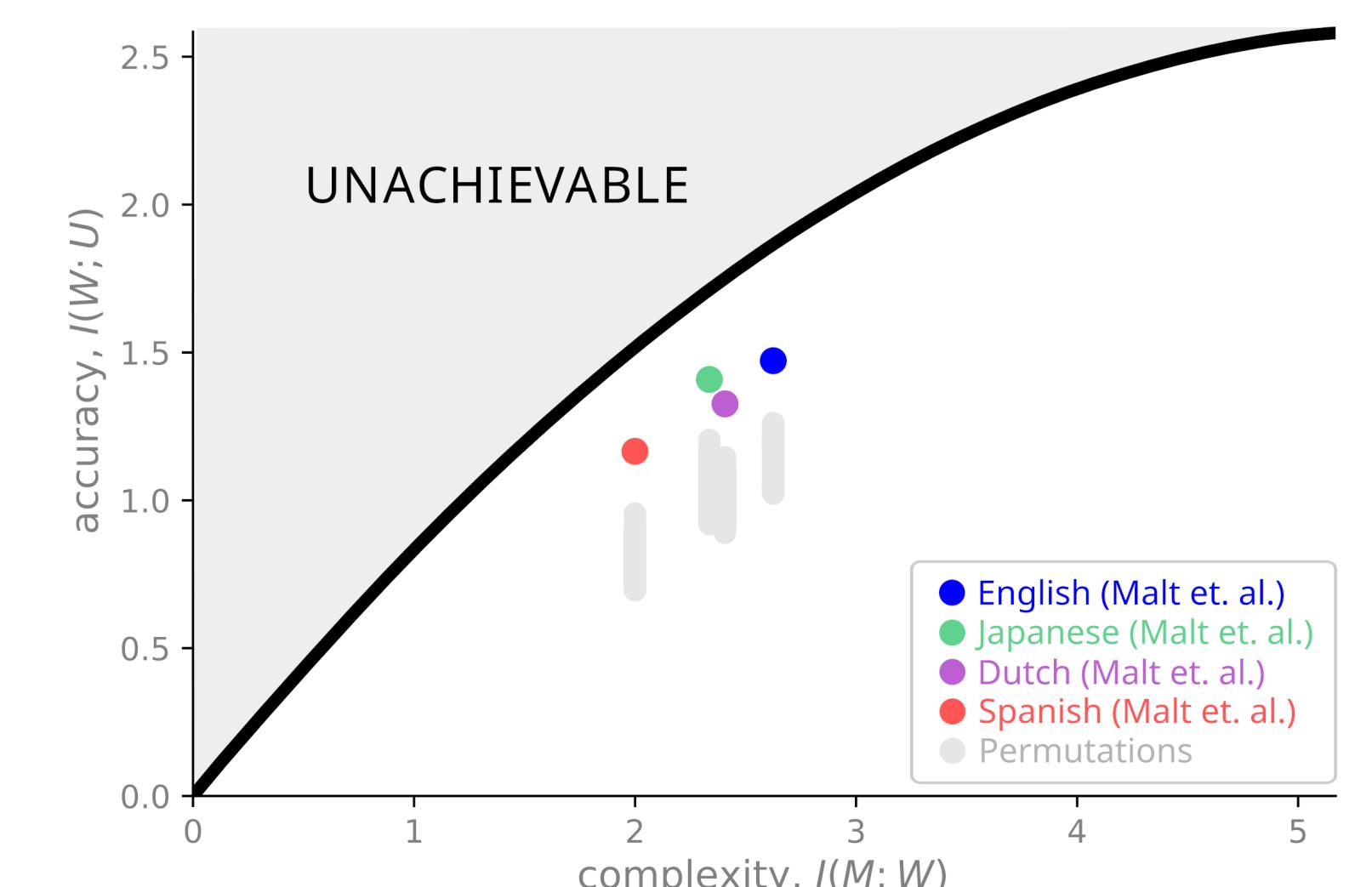
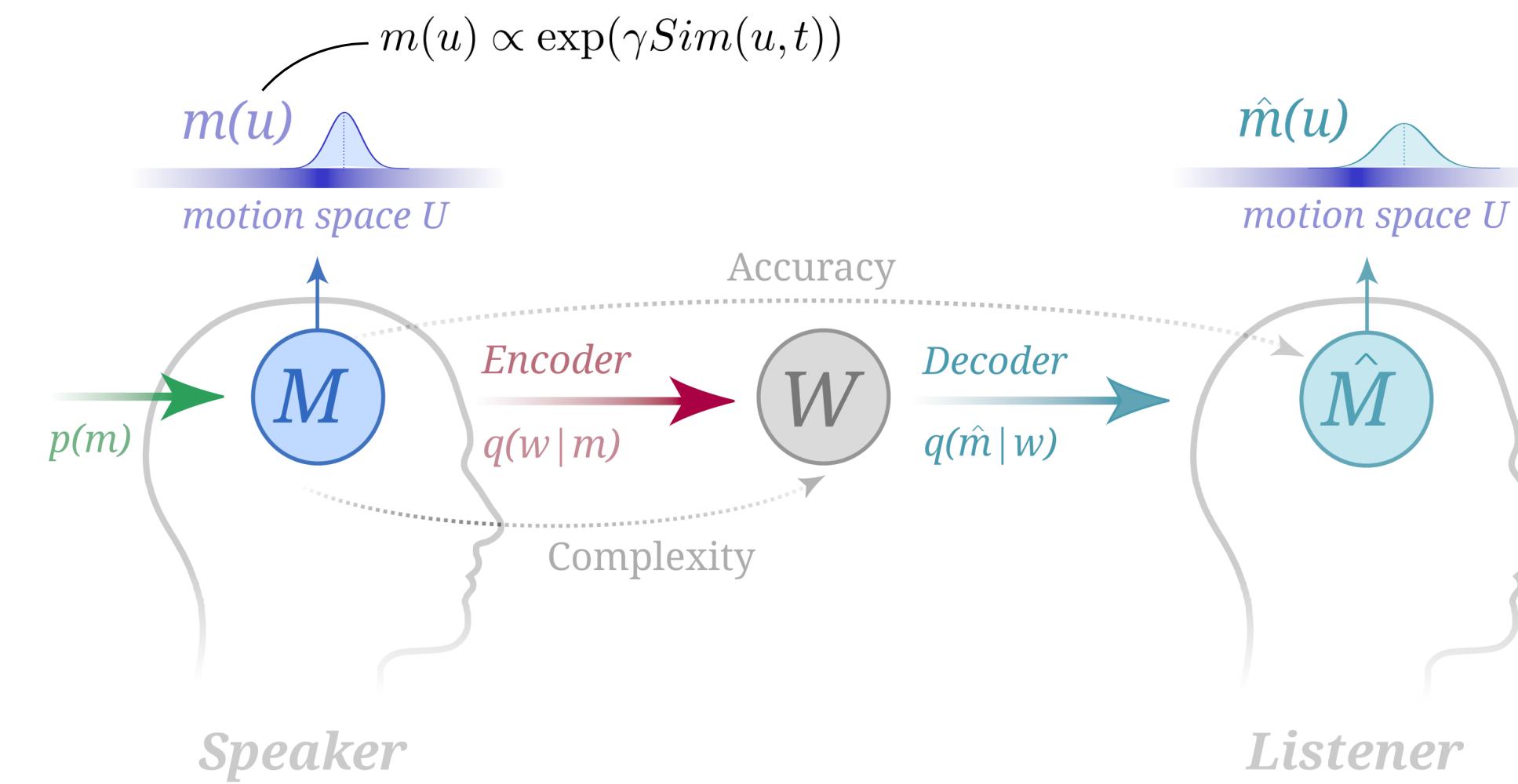


IB optimal systems



Communication model & Efficiency analysis

- Verb meanings across multiple languages show a pressure for efficiency



Theoretical Model (IB)

Speaker conveys a mental locomotion representation $m(u)$ via a naming policy $q(w|m)$

Listener infers $\hat{m}(u)$ via decoder $q(\hat{m}|w)$ using Bayes' rule

$$\text{Complexity } I_q(M; W) = \sum_m \sum_w q(w|m)p(m) \log \left[\frac{q(w|m)}{q(w)} \right]$$

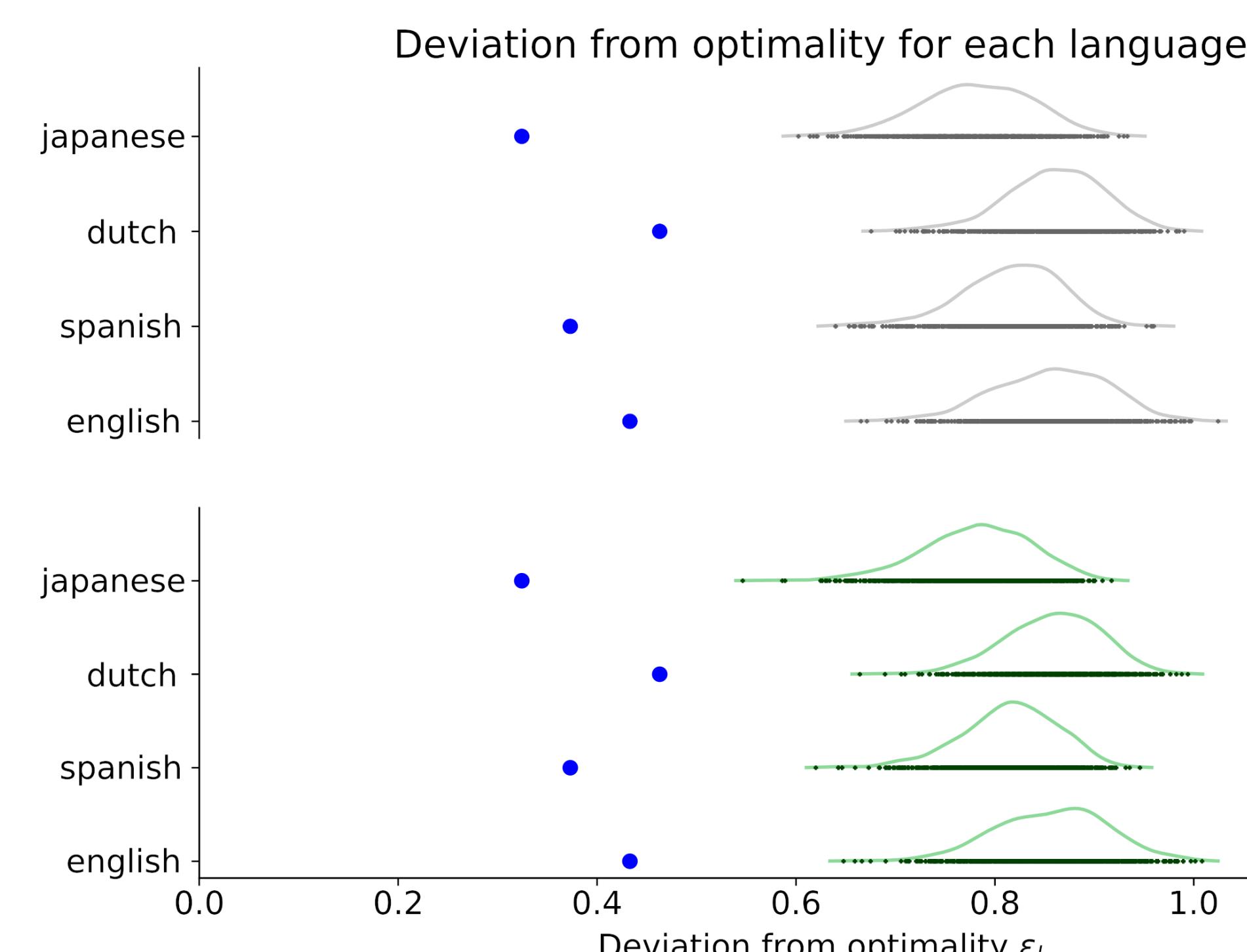
$$\mathcal{F}_\beta [q(w|m)] = I_q(M; W) - \beta I_q(W; U)$$

Tradeoff parameter

$$\text{Accuracy (inversely } \sim \text{ to distortion) } \mathbb{E}_q [D[M||\hat{M}]] = \mathbb{E}_q \left[\sum_u m(u) \log \frac{m(u)}{\hat{m}(u)} \right]$$

Quantitative analyses

- Permutations of naming data or similarity yield greater deviations from optimality



Quantitative Metric
Deviation from Optimality: measures deviation in IB Objective value between value obtained with real language $p(w|m)$ vs. optimal encoder $q(w|m)$

- Naming data permutation analysis indicates that **optimal IB encoders align with attested systems**
- **Similarity** permutation analysis shows that meaning space reflects **important semantic structure**
- Caveat: gaps remain between optimal IB systems and human languages

Conclusions

- Languages efficiently compress verb meanings
- Psychological similarity reflects semantic structure
- Optimal IB encoders align with attested systems

- Need to expand stimulus coverage in U and languages l
 - More ecologically valid and dense motion space
 - More data from a larger variety of languages
- Need to identify best meaning space and $p(m)$
 - Model has uniform $p(m)$ but real prior is likely not
 - Meaning space captures structure but gaps remain

References

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- Zaslavsky, N., Regier, T., Tishby, N., & Kemp, C. (2019). Semantic categories of artifacts and animals reflect efficient coding. arXiv preprint arXiv:1905.04562.
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