# Database Management Systems

Lecture 2

Transactions. Concurrency Control

- *C* set of transactions
- Sch(C) the set of schedules for C
- Op(C) set of operations of the transactions in C
- consider schedule  $S \in Sch(C)$
- the *conflict relation* of *S* is defined as:
  - $conflict(S) = \{(op_1, op_2) \mid op_1, op_2 \in Op(C), op_1 occurs before op_2 in S, op_1 and op_2 are in conflict\}$

- *C* set of transactions
- Sch(C) the set of schedules for C
- two schedules  $S_1$  and  $S_2 \in Sch(C)$  are <u>conflict equivalent</u>, written  $S_1 \equiv_C S_2$ , if  $conflict(S_1) = conflict(S_2)$ , i.e.:
  - $S_1$  and  $S_2$  contain the same operations of the same transactions and
  - every pair of conflicting operations is ordered in the same manner in  $S_1$  and  $S_2$

**S1** 

T1	T2	
Read(A)		
A := A – 100		
Write(A)		
Read(B)		
B := B + 200		
Write(B)		
	Read(A)	
	A := A * 0.2	
	Write(A)	
	Read(B)	
	B := B + 300	
	Write(B)	

**S2** 

T1	T2
Read(A)	
A := A - 100	
Write(A)	
	Read(A)
	A := A * 0.2
	Write(A)
Read(B)	
B := B + 200	
Write(B)	
	Read(B)
	B := B + 300
	Write(B)

conflict(S1) = conflict(S2) => S1  $\equiv_{c}$  S2

conf(S1) = {(Read(T1, A), Write(T2, A)), (Write(T1, A), Read(T2, A)), (Write(T1, A), Write(T2, A)), (Read(T1, B), Write(T2, B)), (Write(T1, B), Read(T2, B)), (Write(T1, B), Write(T2, B))}

**S1** 

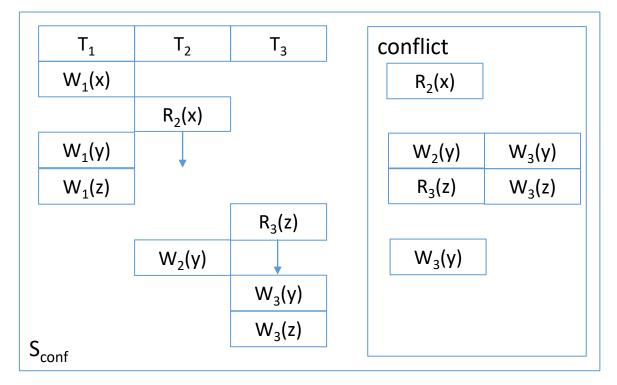
T1	T2	
Read(A)		
A := A – 100		
Write(A)		
Read(B)		
B := B + 200		
Write(B)		
	Read(A)	
	A := A * 0.2	
	Write(A)	
	Read(B)	
	B := B + 300	
	Write(B)	

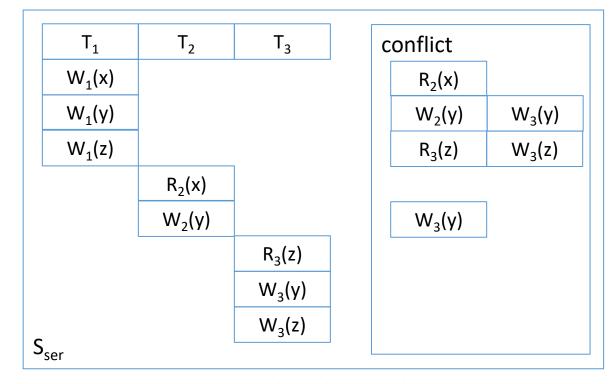
S3

() * 0.2	
* 0.2	
Write(A)	
<b>)</b>	
300	
3)	

conflict(S1)  $\neq$  conflict(S3) => S1  $\not\equiv_c$  S3

- *C* set of transactions
- Sch(C) the set of schedules for C
- let S be a schedule in Sch(C)
- schedule S is <u>conflict serializable</u> if there exists a serial schedule  $S_0 \in Sch(C)$  such that  $S \equiv_C S_0$ , i.e., S is conflict equivalent to some serial schedule





conflict serializable schedule

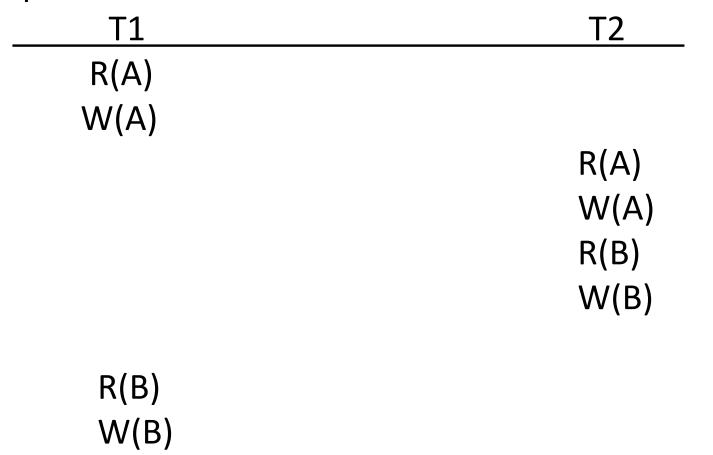
serial schedule

- let S be a schedule in Sch(C)
- the *precedence graph* (*serializability graph*) of *S* contains:
  - one node for every committed transaction in S
  - an arc from  $T_i$  to  $T_j$  if an action in  $T_i$  precedes and conflicts with one of the actions in  $T_j$

#### • Theorem:

• a schedule  $S \in Sch(C)$  is conflict serializable if and only if its precedence graph is acyclic

• example - a schedule that is not conflict serializable:



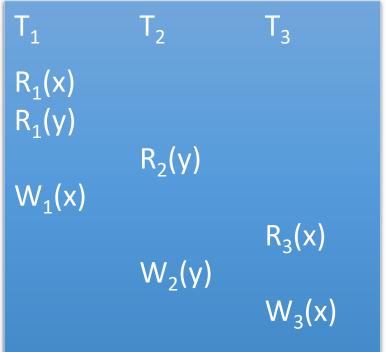
• the precedence graph has a cycle:

 $\mathsf{T}_1$ 

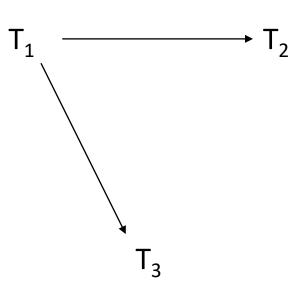
 $T_2$ 

- algorithm to test the conflict serializability of a schedule  $S \in Sch(C)$
- 1. create a node labeled  $T_i$  in the precedence graph for every committed transaction  $T_i$  in the schedule
- 2. create an arc  $(T_i,T_j)$  in the precedence graph if  $T_j$  executes a Read(A) after a Write(A) executed by  $T_i$
- 3. create an arc  $(T_i,T_j)$  in the precedence graph if  $T_j$  executes a Write(A) after a Read(A) executed by  $T_i$
- 4. create an arc  $(T_i,T_j)$  in the precedence graph if  $T_j$  executes a Write(A) after a Write(A) executed by  $T_i$
- 5. *S* is conflict serializable if and only if the resulting precedence graph has no cycles

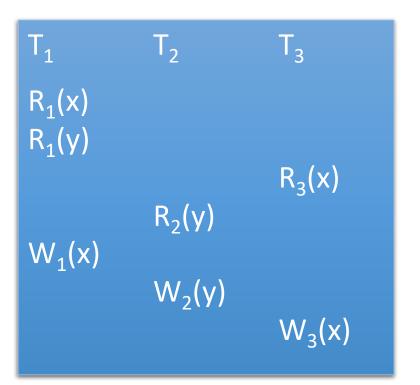
- examples
- let  $S_1$  be a schedule over  $\{T_1, T_2, T_3\}$ :



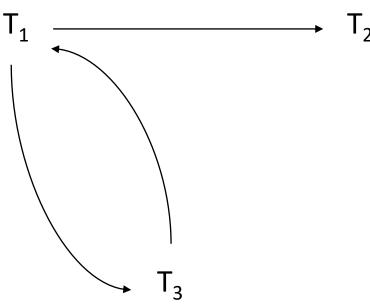
• the precedence graph for  $S_1$ :



- examples
- let  $S_2$  be a schedule over  $\{T_1, T_2, T_3\}$ :



• the precedence graph for  $S_2$ :



- every conflict serializable schedule is serializable (in the absence of inserts / deletes, when items can only be updated)
- there are serializable schedules that are not conflict serializable
- S is equivalent to the serial execution of transactions  $T_1$ ,  $T_2$ ,  $T_3$  (in this order), but it is not conflict equivalent to this serial schedule (the write operations in  $T_1$  and  $T_2$  are ordered differently)

 $\mathsf{T}_1$  $\mathsf{T}_2$  $T_3$  $R_1(A)$  $W_2(A)$ commit  $W_1(A)$ commit  $W_3(A)$ commit

- conflict serializability is a sufficient condition for serializability, but it is not a necessary one
- view serializability
  - a more general, sufficient condition for serializability
  - based on view-equivalence, a less stringent form of equivalence

- C set of transactions
- Sch(C) the set of schedules for C
- let  $T_i$ ,  $T_j \in C$ ,  $S_1$ ,  $S_2 \in Sch(C)$ ;  $S_1$  and  $S_2$  are <u>view equivalent</u>, written  $S_1 \equiv_v S_2$ , if the following conditions are met:
  - if T<sub>i</sub> reads the initial value of V in S<sub>1</sub>, then T<sub>i</sub> also reads the initial value of V in S<sub>2</sub>;
  - if  $T_i$  reads the value of V written by  $T_j$  in  $S_1$ , then  $T_i$  also reads the value of V written by  $T_i$  in  $S_2$ ;
  - if T<sub>i</sub> writes the final value of V in S<sub>1</sub>, then T<sub>i</sub> also writes the final value of V in S<sub>2</sub>.
- i.e.:

each transaction performs the same computation in  $S_1$  and  $S_2$  and

 $S_1$  and  $S_2$  produce the same final database state.

**S**1

T1	T2	
Read(A)		
A := A – 100		
Write(A)		
Read(B)		
B := B + 200		
Write(B)		
	Read(A)	
	A := A * 0.2	
	Write(A)	
	Read(B)	
	B := B + 300	
	Write(B)	

S2 \_\_\_\_\_

T1	T2
Read(A)	
A := A – 100	
Write(A)	
	Read(A)
	A := A * 0.2
	Write(A)
Read(B)	
B := B + 200	
Write(B)	
	Read(B)
	B := B + 300
	Write(B)

$$S1 \equiv_{v} S2$$

**S1** 

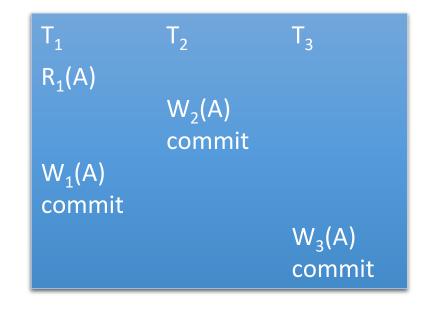
T1	T2	
Read(A)		
A := A – 100		
Write(A)		
Read(B)		
B := B + 200		
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	Read(A)	
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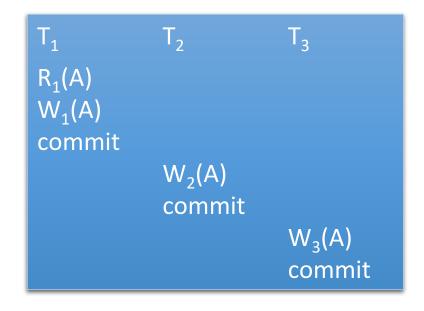
**S3** 

T1	T2	
	Read(A)	
	A := A * 0.2	
	Write(A)	
	Read(B)	
	B := B + 300	
	Write(B)	
Read(A)		
A := A – 100		
Write(A)		
Read(B)		
B := B + 200		
Write(B)		

 $S1 \not\equiv_{v} S3$ 

- C set of transactions
- Sch(C) the set of schedules for C
- a schedule  $S \in Sch(C)$  is <u>view serializable</u> if there exists a serial schedule  $S_0 \in Sch(C)$  such that  $S \equiv_{v} S_0$ , i.e., S is view equivalent to some serial schedule





Serializability all schedules serializable schedules view serializable schedules conflict serializable schedules serial schedules

#### Recoverable Schedules

• consider schedule *S* over {T<sub>1</sub>, T<sub>2</sub>}

```
Read(x)
x := x + 10
Write(x)
                     Read(x)
                     x := x * 5
                     Write(x)
                     Read(y)
                     y := y * 5
                     Write(y)
                     commit
abort
```

• T<sub>2</sub> operates on a value of x that shouldn't have been in the database, since T<sub>1</sub> aborted

#### Recoverable Schedules

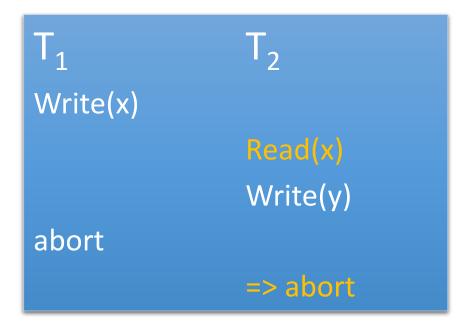
```
Read(x)
x := x + 10
Write(x)
                     Read(x)
                    x := x * 5
                     Write(x)
                     Read(y)
                    y := y * 5
                     Write(y)
                     commit
abort
```

- cannot cascade the abort of T<sub>1</sub>, since T<sub>2</sub> has already committed
- schedule *S* is *unrecoverable*

#### Recoverable Schedules

- recoverable schedule
  - a schedule in which a transaction T commits only after all transactions whose changes T read commit

### **Avoiding Cascading Aborts**



- a schedule in which a transaction T is reading only changes of committed transactions is said to <u>avoid cascading aborts</u>
- avoiding cascading aborts => recoverable schedules

- technique used to guarantee serializable, recoverable schedules
- lock
  - a tool used by the transaction manager to control concurrent access to data
  - prevents a transaction from accessing a data object while another transaction is accessing the object
- transaction protocol
  - a set of rules enforced by the transaction manager and obeyed by all transactions
  - example simple protocol: before a transaction can read / write an object, it must acquire an appropriate lock on the object
  - locks in conjunction with transaction protocols allow interleaved executions

- <u>SLock</u> (shared or read lock)
  - if a transaction holds an SLock on an object, it can read the object, but it cannot modify it
- XLock (exclusive or write lock)
  - if a transaction holds an XLock on an object, it can both read and write the object
- if a transaction holds an SLock on an object, other transactions can be granted SLocks on the object, but they cannot acquire XLocks on it
- if a transaction holds an XLock on an object, other transactions cannot be granted either SLocks or XLocks on the object

	Shared	Exclusive
Shared	Yes	No
Exclusive	No	No

- lock table
  - structure used by the lock manager to keep track of granted locks / lock requests
  - entry in the lock table (corresponding to one data object):
    - number of transactions holding a lock on the data object
    - lock type (SLock / XLock)
    - pointer to a queue of lock requests

- transactions table
  - structure maintained by the DBMS
  - one entry / transaction
  - keeps a list of locks held by every transaction

## References

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   <a href="http://pages.cs.wisc.edu/~dbbook/openAccess/thirdEdition/slides/slides3ed.">http://pages.cs.wisc.edu/~dbbook/openAccess/thirdEdition/slides/slides3ed.</a>
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