

## Quiz Chapter 9 through 9.3

### Trajectory Generation

```
addpath('C:\Users\Lenovo\Documents\MATLAB\Modern Robotics\mr')
```

**Question 1**

**Question 2**

$$10*(t/T)^3 - 15*(t/T)^4 + 6*(t/T)^5$$

**Question 3**

7

**Question 4**

**Question 5**

Given a total travel time  $T=5$  and the current time  $t=3$ , use the function `QuinticTimeScaling` in the given software to calculate the current path parameter  $s$ , with at least 2 decimal places, corresponding to a motion that begins and ends at zero velocity and acceleration.

```
Tf = 5;  
t = 3;  
s = QuinticTimeScaling(Tf,t)
```

```
s = 0.6826
```

```
% 0.6826
```

**Question 6**

Use the function `ScrewTrajectory` in the given software to calculate a trajectory as a list of  $N=10$   $SE(3)$  matrices, where each matrix represents the configuration of the end-effector at an instant in time. The first matrix is:

$$X_{\text{start}} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

and the 10th matrix is

$$X_{\text{end}} = \begin{bmatrix} 0 & 0 & 1 & 1 \\ 1 & 0 & 0 & 2 \\ 0 & 1 & 0 & 3 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

The motion is along a constant screw axis and the duration is  $T_f = 10$ . The parameter method equals 3 for a cubic time scaling. Give the 9th matrix (one before  $X_{\text{end}}$ ) in the returned trajectory. The maximum allowable error for any matrix entry is 0.01, so give enough decimal places where necessary.

```
clear; clc;
Xstart = [[1 ,0, 0, 0]; [0, 1, 0, 0]; [0, 0, 1, 0]; [0, 0, 0, 1]];
Xend = [[0, 0, 1, 1]; [1, 0, 0, 2]; [0, 1, 0, 3]; [0, 0, 0, 1]];
Tf = 10;
N = 10;
method = 3;
traj = ScrewTrajectory(Xstart, Xend, Tf, N, method)
```

```
traj = 1x10 cell
```

	1	2	3	4	5	6	7	8
1	4x4 double	4x4 double	4x4 double	4x4 double	4x4 double	4x4 double	4x4 double	4x4 double

```
% [[0.0423, -0.0406, 0.9983, 0.9331],[0.9983,    0.0423,    -0.0406, 1.9720],
[-0.0406, 0.9983, 0.0423, 2.8891],[0,0,0,1]]
```

### Question 7

Referring back to Question 6, use the function CartesianTrajectory in the MR library to calculate another trajectory as a list of  $N=10$   $SE(3)$  matrices. Besides the same  $X_{\text{start}}$ ,  $X_{\text{end}}$ ,  $T_f$  and  $N=10$ , we now set method to 5 for a quintic time scaling. Give the 9th matrix (one before  $X_{\text{end}}$ ) in the returned trajectory. The maximum allowable error for any matrix entry is 0.01, so give enough decimal places where necessary.

```
method7 = 5;
traj7 = CartesianTrajectory(Xstart, Xend, Tf, N, method7)
```

```
traj7 = 1x10 cell
```

	1	2	3	4	5	6	7	8
1	4x4 double	4x4 double	4x4 double	4x4 double	4x4 double	4x4 double	4x4 double	4x4 double

```
% [[0.0140, -0.0138, 0.9998, 0.9885],[0.9998,    0.0140, -0.0138, 1.9769],[-0.0138,
0.9998, 0.0140, 2.9654],[0,0,0,1]]
```