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# ENGR 133, Problem Set 01

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## Problem 1.2

```
close all
clear
clc

% Problem presentation
%{
Suppose that  $x = 2$  and  $y = 5$ . Use MATLAB to compute the following:
a.  $yx^3/x - y$ 
b.  $3x/2y$ 
c.  $(3/2)xy$ 
d.  $x^5/(x^5 - 1)$ .
%}

% Psuedocode
% Initialize variables
% Perform calculations
% Display the results

% Initialize variables
x = 2;
y = 5;

% Perform calculations
% Part a
a = (y*x^3)/(x - y);
% Part b
b = (3*x)/(2*y);
% Part c
c = (3/2)*x*y;
% Part d
d = (x^5)/((x^5) - 1);

% Display the results
fprintf('The result for part a is %4.2f \n',a)
fprintf('The result for part b is %4.2f \n',b)
fprintf('The result for part c is %4.2f \n',c)
```

```
fprintf('The result for part d is %4.2f \n',d)
```

*The result for part a is -13.33*

*The result for part b is 0.60*

*The result for part c is 15.00*

*The result for part d is 1.03*

## Problem 1.12

```
clear
close all
clc

% Problem presentation
%{
Suppose that  $x = -7 - 5i$  and  $y = 4 + 3i$ . Use MATLAB to compute
a.  $x+y$ 
b.  $xy$ 
c.  $x/y$ 
%}

% Psuedocode
% Initialize variables
% Perform calculations
% Display the results

% Initialize variables
x = -7 - 5i;
y = 4 + 3i;

% Perform calculations
% Part a:
a = x + y;
% Part b:
b = x*y;
% Part c:
c = x/y;

% display the results
fprintf('For part a the result is: ')
disp(a)
fprintf('For part b the result is: ')
disp(b)
fprintf('For part c the result is: ')
disp(c)

For part a the result is:   -3.0000 - 2.0000i

For part b the result is:  -13.0000 -41.0000i

For part c the result is:   -1.7200 + 0.0400i
```

## Problem 1.16

```
clear
close all
clc

% Problem presentation
%{
The ideal gas law relates the pressure P, volume V, absolute
temperature T,
and the amount of gas n. the law is  $P = N R T / V$  where R is the gas
constant.
An engineer must design a large natural gas storage tank to be
expandable
to maintain the pressure constant at 2.2 atm. In December when the
temperature is 4°F (-15°C), the volume of gas in the tank is 28,500
ft3.
What will the volume of the same quantity of gas be in July when the
temperature is 88°F (31°C)? (Hint: Use the fact that n, R, and P are
constant in this problem. Note also that  $K = ^\circ C + 273.2$ )
%}

% Psuedocode
% Initialize variables
% Perform calculations for volume V2
% Display results

% Initialize variables
T1 = -15 + 273.2;
T2 = 31 + 273.2;
V1 = 28500;

% Perform calculations for volume (V2)
V2 = V1*(T2/T1);

% display the results
fprintf('For 11.16 the volume of gas in (ft) during July is: %4.2f\n',V2)
```

*For 11.16 the volume of gas in (ft) during July is: 33577.46*

## Problem 1.26

```
clear
close all
clc

% Problem Presentation
%{
Use MATLAB to find the roots of  $13x^3 + 182x^2 - 184x + 2503 = 0$ .
%}
```

```
% Psuedocode
% Initialize variables
% Perform calculations
% Display results

% Initialize variables
w = [13, 182, - 184, 2503];

% Perform Calculations
roots = roots(w);

% Display results
fprintf('The roots of the equation is the following: \n')
disp(roots)

The roots of the equation is the following:
-15.6850 + 0.0000i
 0.8425 + 3.4008i
 0.8425 - 3.4008i
```

## Problem 1.28

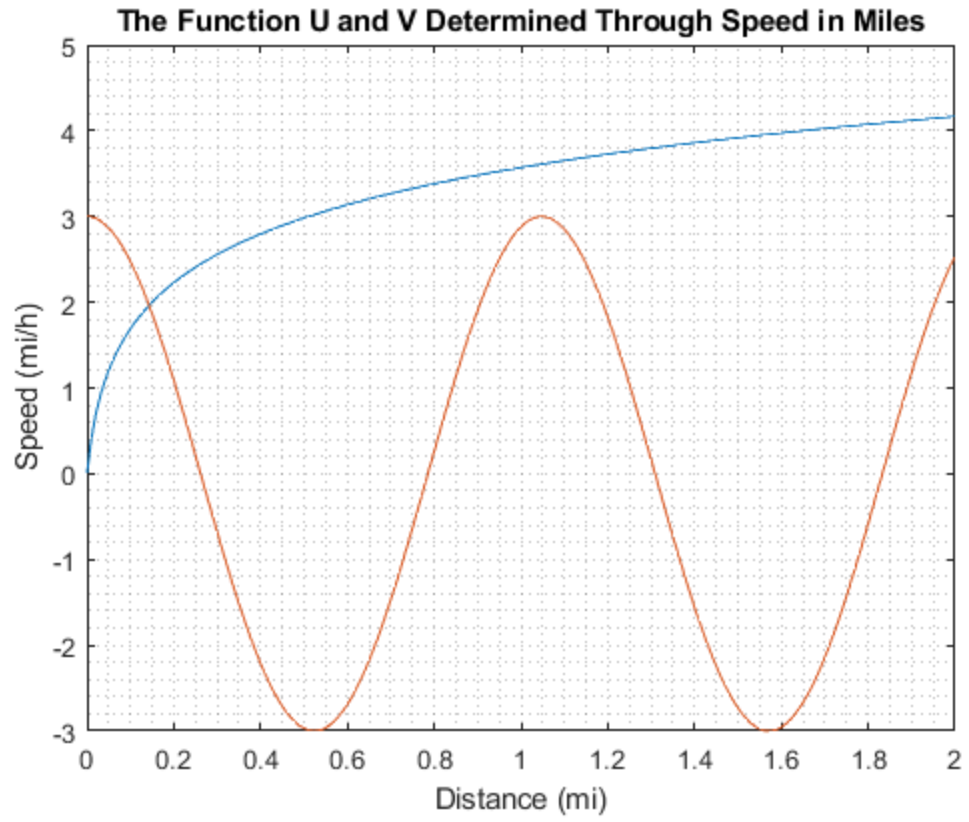
```
clear
close all
clc

% Problem presentation
%{
Use MATLAB to plot the function  $u = 2 \log_{10}(60x+1)$  and  $v = 3 \cos(6x)$ 
over the interval  $0 \leq x \leq 2$ . Properly label the plot and each curve.
The variables  $u$  and  $v$  represent speed in miles per hour; the variable
 $x$ 
represents distance in miles
%}

% Psuedocode
% Initialize variables
% Display results

% Initialize variables
x = 0:0.01:2;
u = 2*log10(60*x + 1);
v = 3*cos(6*x);

% Display results
plot(x,u,x,v), xlabel('Distance (mi)')
ylabel('Speed (mi/h)')
title('The Function U and V Determined Through Speed in Miles')
grid minor
```



*Published with MATLAB® R2020b*