
ENGR 133, Problem Set 06

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Problem 9.6

```
clear
close all
clc

% Problem statement
%{
A certain object moves with the velocity  $v(t)$  given in the table
below.
Determine the object's position  $x(t)$  at  $t = 10$  s if  $x(0) = 3$ .
time (s)      0   1   2   3   4   5   6   7   8   9   10
velocity (m/s) 0   2   5   7   9  12  15  18  22  20  17
%}

% Pseudocode
% Initialize variables
% Perform calculations
% Display results

% Initialize variables
t = 0:10;
v = [0,2,5,7,9,12,15,18,22,20,17];

% Perform calculations
d = zeros(1,length(t))+3;
for k = 1:length(t)-1
    d(k+1) = trapz(t(k:k+1),v(k:k+1))+d(k);
end

% Display results
format bank
header = ('           Time           Distance');
disp(header),disp([t',d'])

           Time           Distance
           0             3.00
          1.00             4.00
          2.00             7.50
```

3.00	13.50
4.00	21.50
5.00	32.00
6.00	45.50
7.00	62.00
8.00	82.00
9.00	103.00
10.00	121.50

Problem 9.9

```
clear
close all
clc

% Problem statement
%{
A certain object has a mass of 100 kg and is acted on by a force
 $f(t) = 500[2 - e^{(-t)}\sin(5\pi t)]$  N. The mass is at rest at  $t=0$ .
Determine the
object's velocity at  $t=5$  s.
%}

% Pseudocode
% Initialize variables
% Perform calculations
% Display results

% Initialize variables
m = 100; % Mass in kg
v_0 = 0; % Initial velocity (rest)

% Perform calculations
g = @(t)(5*(2-exp(-t).*sin(5*pi*t))); % Force equation
v_5 = integral(g,0,5); % Integral of force equation

% Display results
fprintf('For problem 9.9 the velocity at t = 5 is %4.2f m/s.\n',v_5)

For problem 9.9 the velocity at t = 5 is 49.68 m/s.
```

Problem 9.19

```
clear
close all
clc

% Problem statement
%{
Plot the estimate of the derivative  $dy/dx$  from the following data. Do
this
```

```

by using forward, backward, and central difference. Compare the
results.
x    0    1    2    3    4    5    6    7    8    9   10
y    0    2    5    7    9   12   15   18   22   20   17
%}

% Pseudocode
% Initialize variables
% Perform calculations
% Display results

% Initialize variables
x = 0:10;
y = [0,2,5,7,9,12,15,18,22,20,17];
n = length(x);
d1 = diff(y)./diff(x);
d2 = (y(3:n)-y(1:n-2))./(x(3:n)-x(1:n-2));

% Perform calculations

subplot(4,1,1)
plot(x,y), grid minor, xlabel('(x) axis'), ylabel('(y) axis')
title('Original (x/y) plot')

% Forward difference
subplot(4,1,2)
plot(x(1:n-1),d1,x(2:n),d1,'o'),grid minor, xlabel('(x)'),ylabel('(dy/
dx)')
title('Forward Difference Estimate')

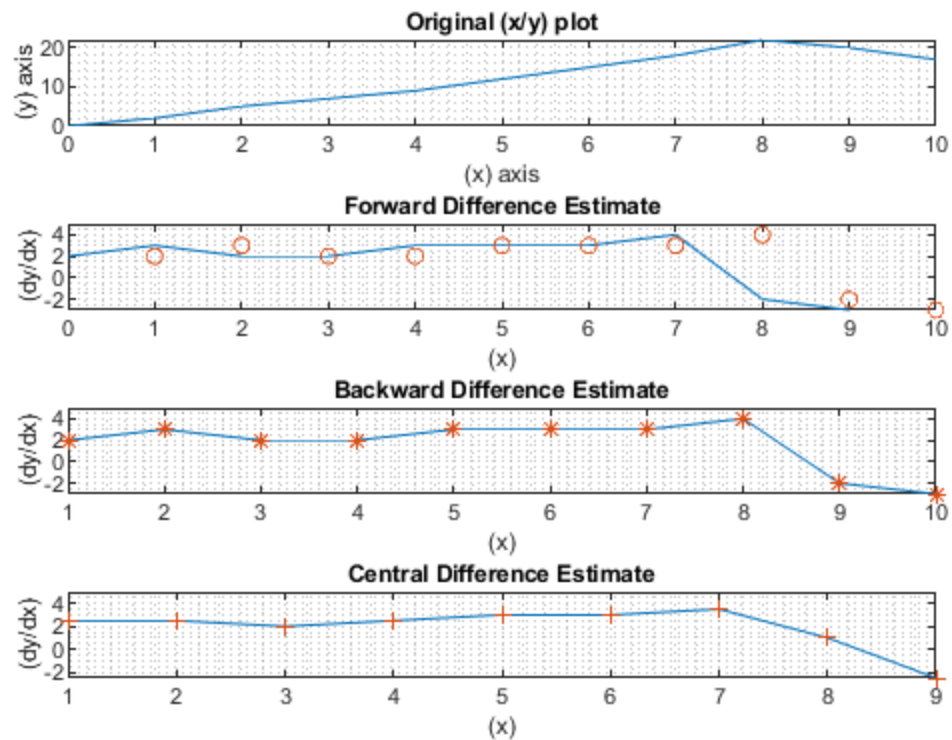
% Backward Difference
subplot(4,1,3)
plot(x(2:n),d1,x(2:n),d1,'*'),grid minor, xlabel('(x)'),ylabel('(dy/
dx)')
title('Backward Difference Estimate')

% Central Difference
subplot(4,1,4)
plot(x(2:n-1),d2,x(2:n-1),d2,'+'),grid minor,
    xlabel('(x)'),ylabel('(dy/dx)')
title('Central Difference Estimate')

% Display results
fprintf('For problem 9.19 the most accurate estimate is the central
    difference\n')

```

For problem 9.19 the most accurate estimate is the central difference



Problem 9.20

```
clear
close all
clc

% Problem presentation
%{
At a relative maximum of a curve  $y(x)$ , the slope  $dy/dx$  is zero. Use
the
following data to estimate the values of  $x$  and  $y$  that correspond to a
maximum point.
x   0   1   2   3   4   5   6   7   8   9   10
y   0   2   5   7   9  10   8   7   6   4   5
%}

% Pseudocode
% Initialize variables
% Perform calculations
% Display results

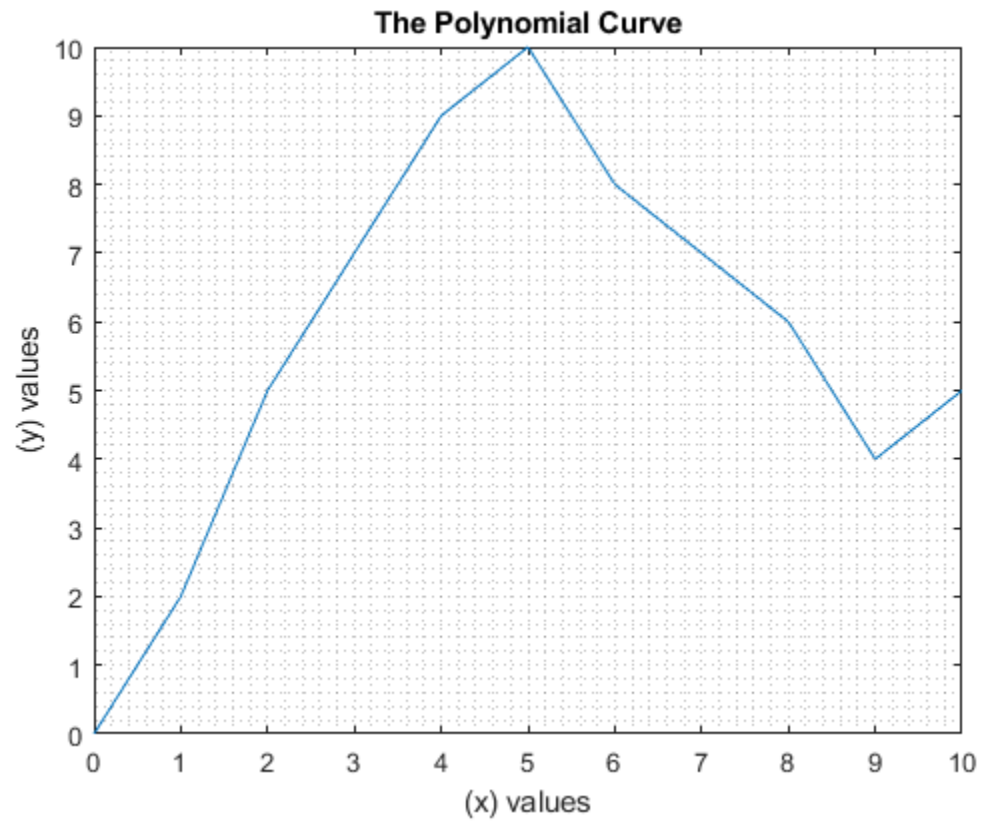
% Initialize variables
x = 0:10;
y = [0,2,5,7,9,10,8,7,6,4,5];
```

```
% Perform calculations
P = polyfit(x,y,4);
Y = polyval(P,x);
Y_2 = polyder(P);
roots = roots(Y_2);

% Display results
plot(x,y),grid minor, xlabel('(x) values'), ylabel('(y) values')
title('The Polynomial Curve')
fprintf('The points of the graph where the slope is zero are: \n')
disp(roots)
```

The points of the graph where the slope is zero are:

*9.23
4.89
-0.66*



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