

# Actividad 7

ANDRÉS IGNACIO RODRÍGUEZ MENDOZA



$\alpha$

## Código

```
import numpy as np
from scipy import integrate
import pylab as p
import matplotlib.pyplot as plt

def pend(y, t):
    theta, omega = y
    return [omega, -(9.81)*np.sin(theta)]

# === Population equilibrium ===
#
# Before using !SciPy to integrate this system, we will have a closer look on
# position equilibrium. Equilibrium occurs when the growth rate is equal to 0.
# This gives two fixed points:

f2 = p.figure()

t= np.linspace(0, 7 * np.pi, 500)

X_f0 = np.array([-4*np.pi, 2*np.pi])
X_f1 = np.array([1*np.pi, -0*np.pi])

values1 = np.linspace(-5.2, 2, 800)
vcolors1= p.cm.Accent(np.linspace(-1, 1, len(values1)))

values2 = np.linspace(-8, 4, 200)
vcolors2 = plt.cm.nipy_spectral(np.linspace(-0.51, 0.93, len(values2)))

p.figure(2)

# plot trajectories
```

```

for v, col in zip(values1, vcolors1):
    X0 = v * X_f0                                # starting point
    X = integrate.odeint( pend, X0, t)            # we don't need infodict here
    plt.plot( X[:,0], X[:,1], lw=0.5*v, color=col)

#plot trajectories
for v, col in zip(values2, vcolors2):
    X1 = v * X_f1                                # starting point
    Y = integrate.odeint( pend, X1, t)            # we don't need infodict here
    plt.plot( Y[:,0], Y[:,1], lw=0.2*v, color=col)

plt.grid()
plt.xlim(-4*np.pi, 4*np.pi)

plt.ylim(-10,10)

# define a grid and compute direction at each point

nb_points    = 20

x = np.linspace(-4*np.pi, 4*np.pi, nb_points)
y = np.linspace(-3*np.pi, 3*np.pi, nb_points)

X1 , Y1  = np.meshgrid(x, y)                    # create a grid

DX= pend([X1, Y1], t)                           # compute growth rate on the gridt

lw= 0.1*y/x

Q = plt.quiver(X1, Y1, DX[0], DX[1], DX, pivot='mid', cmap=plt.cm.cool, linewidth=lw)

p.title('Trayectorias_y_direcciones_del_campo')
p.xlabel('$\Theta$')
p.ylabel('$\omega$')
p.legend()
p.grid()

p.savefig('fase.png', dpi=200)

```

```
plt.show()
```

## Gáficas

