# Markups and Mergers in the US Hospital Industry

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# Great Paper!

- ► Super-important topic!
- ► Great data
- ► Clever and transparent approach

## Markup Estimation

- ▶ Hospital i, time t
- $\triangleright$   $P_{it}^{v}$  is price of input v
- ► *P<sub>it</sub>* is price of output
- $ightharpoonup K_{it}$  is capital,  $r_{it}$  is interest
- $ightharpoonup \omega_{it}$  is a productivity shock
- Output is

$$Q_{it} = \mathcal{Q}_{it}\left(X_{it}^{1},...,X_{it}^{V},K_{it},\omega_{it}\right)$$

- $\mathcal{Q}_{it}$  emphasizes possible dependence on  $\omega_{it}$
- ► Hospitals minimize static cost & are input price-takers

$$\mathscr{L} = \sum_{v} P_{it}^{v} X_{it}^{v} + r_{it} K_{it} + \lambda_{it} \left( Q_{it} - \mathscr{Q}_{it} \left( \cdot \right) \right)$$

#### **FOC**

▶ FOC wrt  $X_{it}^{v}$  is

$$P_{it}^{v} = \lambda_{it} \frac{\partial \mathcal{Q}_{it}(\cdot)}{\partial X_{it}^{v}}$$

where  $\lambda_{it}$  is marginal cost at level of output  $\mathcal{Q}_{it}(\cdot)$ . Then

$$\frac{P_{it}}{\lambda_{it}} = \frac{P_{it}}{P_{it}^{v}} \frac{\partial \mathcal{Q}_{it}(\cdot)}{\partial X_{it}^{v}}$$

• Markup is  $\mu_{it} = P_{it}/\lambda_{it}$ , so

$$\mu_{it} = \underbrace{\frac{\partial \mathscr{Q}_{it}\left(\cdot\right)}{\partial X_{it}^{v}} \frac{X_{it}^{v}}{Q_{it}}}_{\theta_{it}^{v}} \underbrace{\frac{P_{it}Q_{it}}{P_{it}^{v}X_{it}^{v}}}_{1/\alpha_{it}^{v}}$$

- $ightharpoonup lpha_{it}^{\it v}$  : expenditures on  $\it v$  as a share of total revenues (data)
- $lackbox{\theta}_{it}^{v}$ : output elasticity with respect to input v (must estimate)

#### **CRS**

But also

$$P_{it}^{v} = \lambda_{it} \frac{\partial \mathcal{Q}_{it}(\cdot)}{\partial X_{it}^{v}}$$

$$\frac{P_{it}^{v}}{\lambda_{it}} \frac{X_{it}^{v}}{Q_{it}} = \frac{X_{it}^{v}}{Q_{it}} \frac{\partial \mathcal{Q}_{it}(\cdot)}{\partial X_{it}^{v}} = \theta_{it}^{v}$$

▶ With constant returns to scale,  $\lambda_{it}$  = MC = AC, so

$$\theta_{it}^{\, \nu} = \frac{\mathsf{Expenditure}^{\nu}}{\mathsf{Total} \,\, \mathsf{Expenditure}}$$

### Estimating $\theta$

- ► A group is a combinations of ownership status, teaching status, urban status, and quintile of inpatients service
- $m{\theta}_{gt}^v$  is median share of the input expenses over total costs across all hospitals in each group g, year t.

# Advantages & Assumptions

- No need to estimate demand, specify competition, bargaining with insurers, etc
- For hospitals there is good output data, not just sales
- Very transparent

- Assumptions:
  - interior optimum
  - single output
  - lacktriangledown  $heta^{v}$  same for all diagnostics within a hospital
  - constant returns to scale
  - ▶ All hospitals in a group use inputs in the same way
  - same DRG composition within each group
  - ► capital costs = 10% of total fixed assets
  - hospitals price takers in input markets (but generalizable)

# Thoughts 1 (markup estimation)

- Increasing returns, especially in labor?
  - surgeons can specialize, etc
- Hospitals set wages?
  - ▶ median HSA has 1 hospital → monopsony power
- ► Labor adjustment costs? (eg, interviews for hiring a new doctor)
- ▶ Inference on  $\mu$ ?
  - What is the residual? What are SE? To what do we attribute the unexplained variation?
- lacktriangle Hospital groups do not account for other things that could affect  $heta^{
  u}$ 
  - competition, network size, insurer bargaining power
- Do hospitals only minimize static cost?
  - reduce turnover, improve teaching quality
- $\triangleright$  Estimate of  $\mu$  differs by input  $\nu$ 
  - Implies that at least some of them have frictions?

# Thoughts 2 (mergers)

- Merger indicator = at least one hospital in market had a merger by time t
  - what if most mergers happened before the sample?
  - ▶ LHS is a level but merger indicator is effectively a change
- Measuring markups using labor yields coefficients on mergers that are 2x larger.
- $\triangleright$  Account for error in estimating  $\mu$ 
  - $\triangleright$  OLS biased if error in  $\mu$  is correlated with mergers
- Selection bias?
  - maybe low-markup hospitals go into financial distress and get acquired

### Suggestions

- Show variation in DRG composition of hospitals within each group.
- ▶ Show variation in  $\theta_{ht}^{v}$  within each group g
- Show robustness to assumption about capital costs

- Use instruments for mergers (Dafny 2009)
- Project markups on health outcomes
- ▶ Look at the effect on markups of
  - entry/exit (endogenous)
  - organization of insurance market