

# Designing Incentives for Multitasking Agents: Evidence from Payments to English Physicians

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# Incentive Design in Principal-Agent Problems

- ▶ Central to healthcare, education, organisational econ, etc
- ▶ Often, tasks are complements or substitutes [[Holmstrom and Milgrom, 1991](#)]
  - ▶ doctor scans for illness A → easier or harder to scan for B?
  - ▶ teacher spends more time on subject A → easier or harder to increase student scores in B?

## This Paper

- ▶ Empirically tractable model of multitasking
- ▶ Sufficient conditions for identification
- ▶ Application to Quality of Outcomes Framework (QOF) in England 2009-2019
  - ▶ world's largest P4P scheme in primary care
- ▶ Strong evidence of
  - ▶ physicians responding to financial incentives
  - ▶ interactions between indicators
- ▶ Estimate model & counterfactual design of incentives
  - ▶ QOF increases
    - ▶ achievement by  $\approx 40\%$
    - ▶ welfare by  $\approx 5\%$
  - ▶ optimal re-design increases payer's utility by 3%

## Literature

- ▶ Empirical models of multitasking: Slade [1996], Buser and Peter [2012], Hong, Hossain, List, and Tanaka [2018], Goes, Ilk, Lin, and Zhao [2018], Manthei and Sliwka [2019], Rodríguez-Lesmes and Vera-Hernández [2021], Kim, Sudhir, and Uetake [2022], Dinerstein and Opper [2022]
  - ▶ We go beyond testing.
  - ▶ We quantify complementarities → can consider counterfactual designs
- ▶ Pay-for-performance in healthcare: Gaynor et al. [2004], Dumont et al. [2008], Mullen et al. [2010], Choné and Ma [2011], Clemens and Gottlieb [2014], Li et al. [2014], Einav et al. [2018], Gupta [2021], Rodríguez-Lesmes and Vera-Hernández [2021], Einav et al. [2022], Gaynor et al. [2023], Dunn et al. [2024], Shi [2024, and many more]
  - ▶ We incorporate multitasking
  - ▶ We focus on primary care in non-US context

# Roadmap

1 Setting and Data

2 Model

3 Demand

4 Identification & Estimation

5 Estimates & GOF

6 Counterfactuals

7 Conclusion

## GP practices (GPPs)

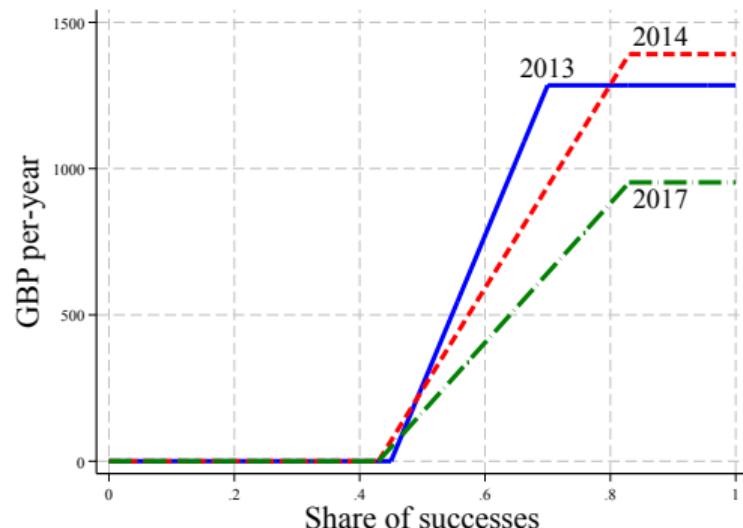
- ▶ GPPs provide primary care: prescriptions, minor interventions, referral to secondary care
- ▶ Approximately 8000 GPPs in England
- ▶ Each GPP has about 5 doctors (but we study GPPs)
- ▶ Zero prices to patients
- ▶ Revenue:
  - ▶ ≈ 75% capitation (# of individuals registered, mild risk adjustment)
  - ▶ ≈ 25% financial incentives, mainly from QOF

- ▶ Gives GPPs yearly financial incentives to perform certain tasks (“indicators”):
  - ▶ some focus on process: “The percentage of patients aged 75 or over with a fragility fracture on or after 1 April 2012, who are currently treated with an appropriate bone-sparing agent”
  - ▶ some focus on outcomes: “The percentage of patients on the chronic kidney disease (CKD) register in whom the last blood pressure reading, measured in the previous 15 months, is 140/85 or less.”
- ▶ Started 2004, changes over time in
  - ▶ intensity of incentives
  - ▶ which tasks are incentivized
- ▶ Voluntary participation (95.1% in 2019)
- ▶ Total payments  $\approx$  £1B
- ▶ Electronic record-keeping → minimal errors / cheating
- ▶ We focus on 40 indicators that are “truly clinical”

## QOF payments

- ▶ Indicator  $j$  has  $n_j$  relevant patients (e.g., patients with CKD)
- ▶ If task is successful for  $k_j$  patients, GPP achievement is  $k_j/n_j = y_j \in [0, 1]$
- ▶ Revenue per patient for indicator  $j$  is  $\rho_{jt}(y_{jt})$ : piece-wise linear with slope  $\alpha_{jt}$  and thresholds  $y_{jt}, \bar{y}_{jt}$ :

DM11: % diabetes patients in whom the last glycohaemoglobin IFCC-HbA1c is 64 mmol/mol or less



## Data

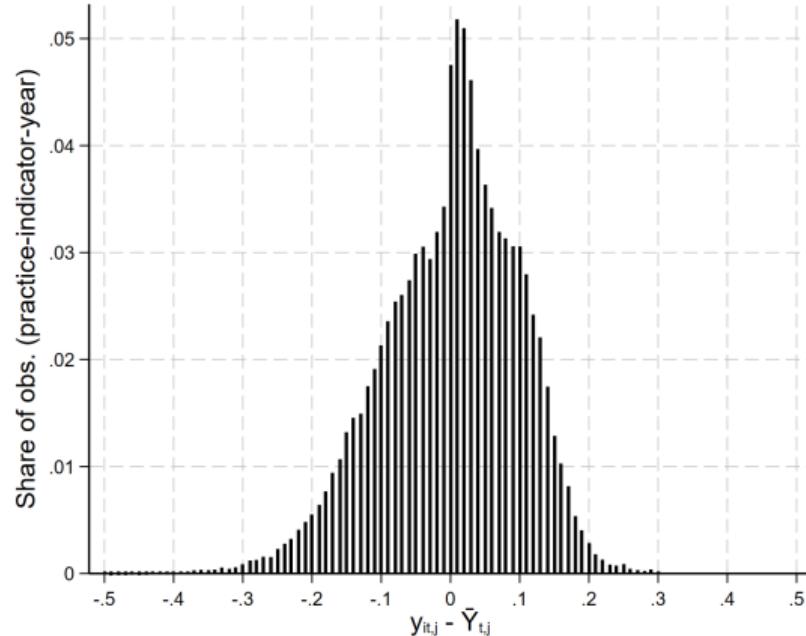
- ▶ GPP  $i$ , indicator  $j$ , year  $t$
- ▶ Achievement  $y_{ijt}$
- ▶ GPP covariates  $x_{it}$  (practice size, average age, share of fully qualified physicians)
- ▶ Nr of relevant patients  $n_{ijt}$
- ▶ Thresholds  $\overline{y_{jt}}, \underline{y_{jt}}$
- ▶ Incentives  $\alpha_{jt}$
- ▶ Everything in 2020 £

## Summary Stats I

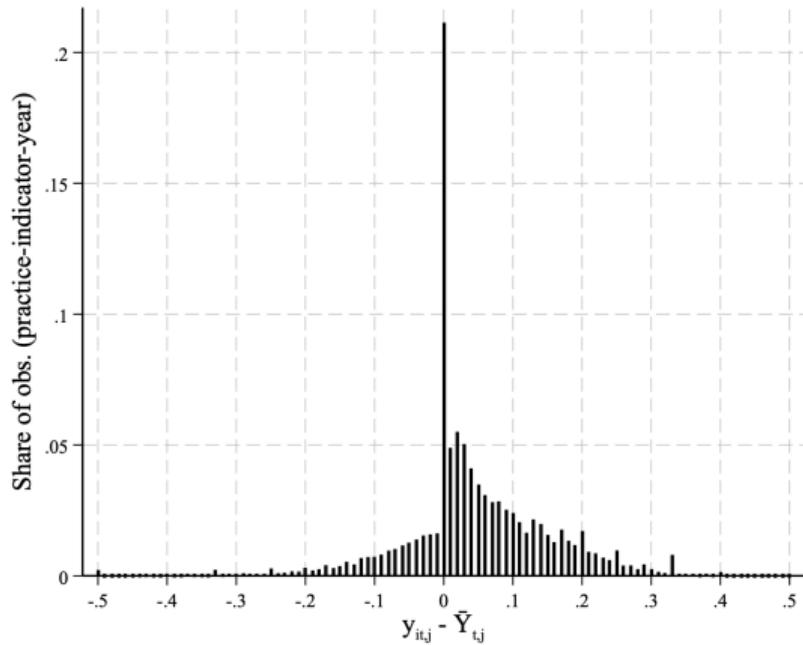
	Mean	Std. Dev.	P-10	Median	P-90	Obs.
<b>Panel A: Indicator-year</b>						
<i>Indicator-year QOF incentive parameters:</i>						
$\alpha_{t,j}$	35.47	44.13	7.19	18.24	95.19	307
$\bar{Y}_{t,j}$	0.811	0.124	0.6	0.8	0.96	307
$\underline{Y}_{t,j}$	0.439	0.073	0.4	0.4	0.560	307
<b>Panel B: Indicator-practice-year</b>						
Share of successes	$y_{it,j}$	0.878	0.121	0.722	0.906	1
Number of patients	$n_{it,j}$	177	264	4	87	445
Revenues per patient	$\rho_j(y_{it,j})$	11.16	12.64	2.32	7.23	27.99

## Practices respond to incentives

DM11: % diabetes patients in whom the last glycohaemoglobin IFCC-HbA1c is 64 mmol/mol or less

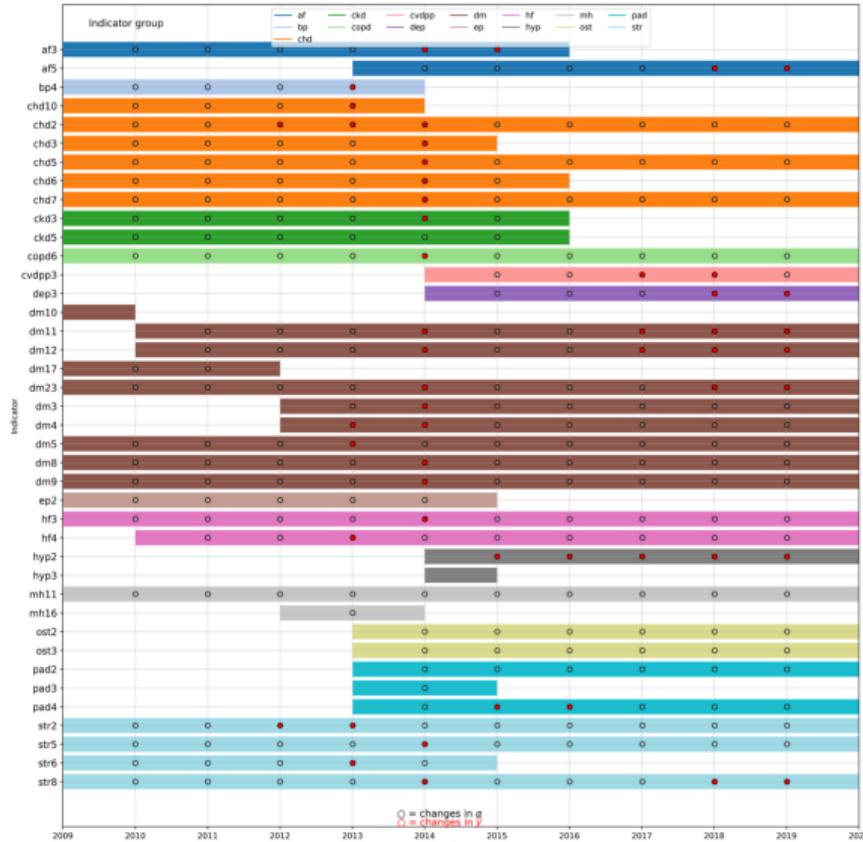


For all indicators, distribution of  $y_{ijt} - \bar{y}_{jt}$



- ▶ Bunching suggests strong response to financial incentives
- ▶  $y_{ijt} > \bar{y}_{jt}$ : GPPs also have intrinsic motivation and/or some tasks are complements.

# Policy changes over time



# Achievement responds to incentives

- Columns (3)-(4) regress achievement on own-incentives + indicator  $\times$  GPP FE

Panel B: Share of successes – $y_{it,j} = \delta^1 \bar{Y}_{t,j} + \delta^2 \alpha_{t,j} + \zeta^1 x_i + \zeta^2 \hat{\xi}_i + \epsilon_{it,j}$					
$\bar{Y}_{t,j}$	0.281 (0.001)	0.276 (0.001)	0.241 (0.001)	0.279 (0.001)	0.289 (0.001)
$\bar{Y}_{t,j} \times$ Large practice				0.076 (0.002)	0.004 (0.000)
$\alpha_{t,j}$	0.087 (0.005)	0.082 (0.005)	0.031 (0.007)	0.094 (0.005)	0.170 (0.006)
$\alpha_{t,j} \times$ Large practice				0.115 (0.009)	-0.135 (0.004)
Practice-level average residual $\hat{\xi}_i$ from practice-choice model				0.129 (0.005)	
FE	Ind.	Ind., Practice	Ind. $\times$ Practice	Ind. $\times$ Practice	Ind.
Controls	N	N	N	N	Y
R-squared	0.412	0.476	0.656	0.656	0.431
Observations	2353922	2353922	2332413	2332413	2060431

## Evidence of interaction between indicators I

- ▶ DND design following Rodríguez-Lesmes and Vera-Hernández [2021]
- ▶ 2009- 2011: a group of indicators got increased incentives (higher  $\alpha_{jt}$ ,  $\bar{Y}_{jt}$ )
- ▶ Look at 11 indicators with unchanged incentives
- ▶ Practices bunching should be insensitive to changes in incentives → control group

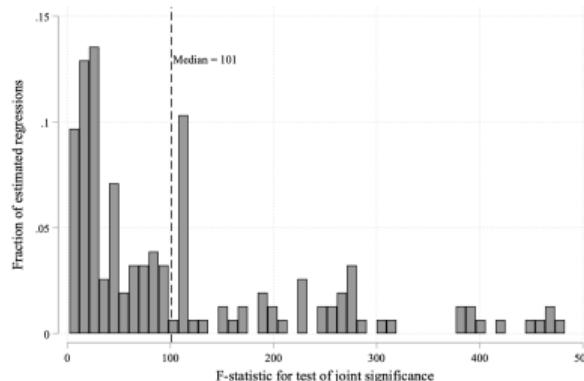
$$\Delta y_{ijt} = \beta_{0j} + \beta_{1j}1_{bunching} + \beta_{2j}1_{t=2011} + \beta_{3j}1_{bunching}1_{t=2011} + \varepsilon_{ijt}$$

- ▶ We find: each of these 11 indicators is complementary with the indicators that changed
- ▶ This method cannot disaggregate pairs of indicators

## Evidence of interaction between indicators II

$$y_{ijt} = \beta_j \alpha_{jt} + \delta_j \overline{Y}_{jt} + \rho_j^k \alpha_{kt} + \delta_j^k \overline{Y}_{kt} + \eta_{ij} + \varepsilon_{ijt}, \quad \forall j, k \neq j$$

- ▶  $\eta_{ij}$  is a practice FE
- ▶ Coefficients are not estimates for complementarity between  $j, k$  holding other indicators fixed!
  - ▶ If tasks are independent  $\rightarrow \rho_j^k = \delta_j^k = 0$
- ▶ We estimate 190 regressions (some indicators don't overlap, multicollinearity)
- ▶ We compute the F-stats for joint significance of  $\rho_j^k, \delta_j^k$ 
  - ▶ 178 F-statistics above 10



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## 2 tasks

- ▶ Single GPP, 2 tasks ( $j = 1, 2$ )
- ▶ Number of patients  $n_j$  (assumed identical)
- ▶ A clinic chooses outcomes  $y_j \in [0, 1]$ 
  - ▶ large number of patients → negligible outcome noise
  - ▶ tasks are not sequential
- ▶ Payer chooses revenue functions  $\rho_j(\cdot)$
- ▶ GPP utility:

$$U(y) = n_1 \rho_1(y_1) + n_2 \rho_2(y_2) + n_1 \theta_1 y_1 + n_2 \theta_2 y_2 - n_1 \lambda_1 y_1^2 - n_2 \lambda_2 y_2^2 - 2(n_1 + n_2) \lambda_{12} y_1 y_2$$

- ▶ Revenue, Intrinsic Motivation, Costs, Complementarities
  - ▶ ( $\theta$ 's explains  $y \in (\bar{y}, 1]$ )
- ▶  $\lambda_{12} > 0$ : tasks are “substitutes”
- ▶  $\lambda_{12} < 0$ : tasks are “complements”

## Some comparative statics

- ▶ Suppose the FOCs hold at  $y_1^*, y_2^* > 0$ . Then:

$$\frac{\partial y_1^*}{\partial \theta_1} > 0$$

$$\frac{\partial y_1^*}{\partial \alpha_1} > 0$$

$\frac{\partial y_1^*}{\partial n_1}$  has the sign of  $\lambda_{12}$

$\frac{\partial y_1^*}{\partial n_2}$  has the sign of  $-\lambda_{12}$

- ▶ Variation in patient shares is useful for identifying complementarities

## Many tasks

- ▶  $y = (y_1, \dots, y_J)^T$

$$U(y) = \sum_j n_j (\rho_j(y_j) + \theta_j y_j) - y^T \Lambda y$$

$$\Lambda = \begin{bmatrix} n_1 \lambda_{11} & n_2 \lambda_{12} & \cdots & n_J \lambda_{1J} \\ n_1 \lambda_{12} & n_2 \lambda_{22} & & \\ \vdots & & \ddots & \\ n_1 \lambda_{1J} & n_2 \lambda_{2J} & & n_J \lambda_{JJ} \end{bmatrix}$$

- ▶ For each  $j$ , the  $n_j$  patients are identical
- ▶ If all  $n_j$  scale up, argmax is unchanged

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## Demand

- ▶ Variation in patient shares is useful for identifying complementarities
- ▶  $n_{ijt}$  is exogenous → strong assumption
- ▶ Patients might select into high-quality practices
- ▶ We will estimate demand
  - ▶ control for GPP covariates
  - ▶ control for unobserved practice quality

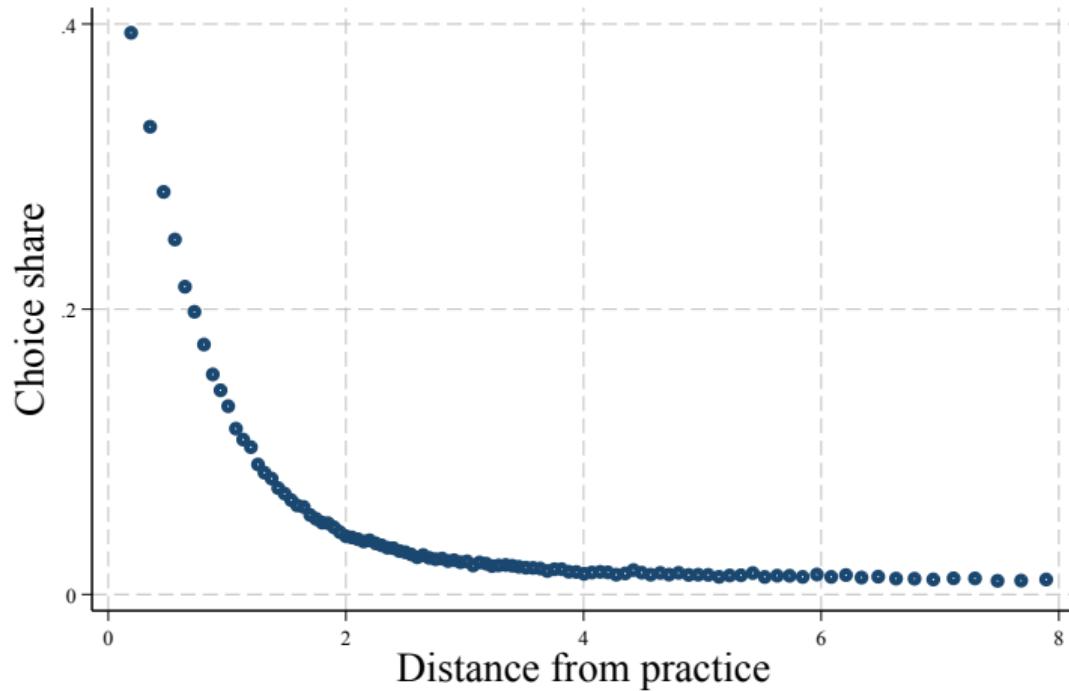
## Distance shifts demand

- ▶ Assume patient residential location  $z_{it}$  is exogenous
- ▶  $x_i$ : GPP characteristics
- ▶ Logit: share of patients from location  $\ell$  choosing practice  $i$  in year  $t$  is

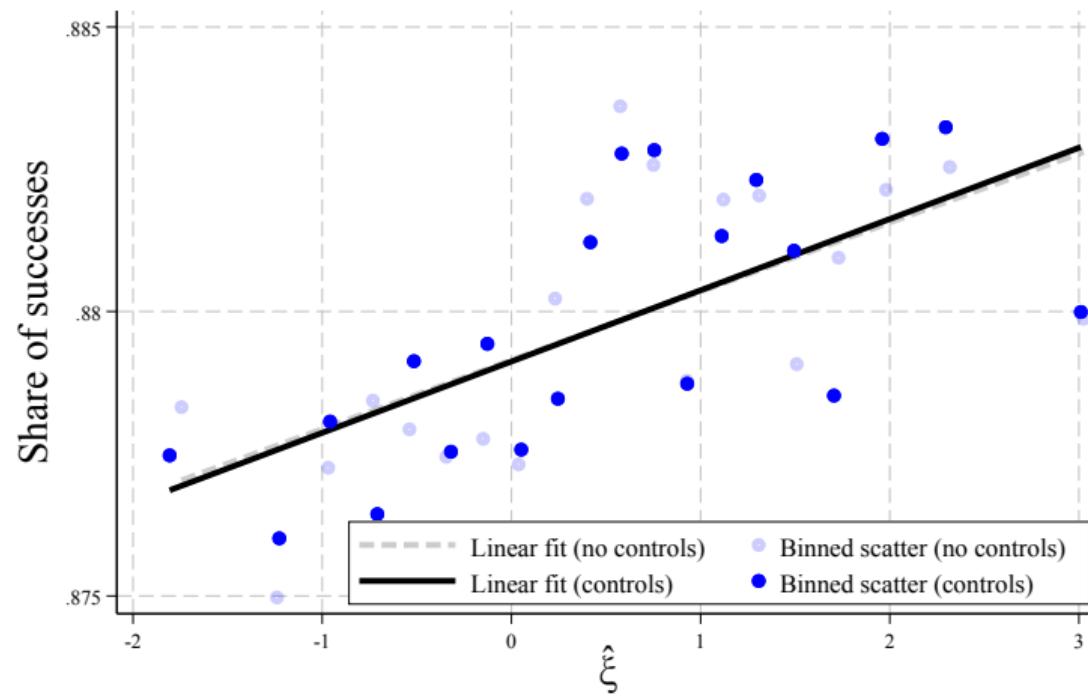
$$s_{it}^\ell = \frac{\exp\{\gamma z_i^\ell + \eta x_i + \xi_{it}^\ell\}}{1 + \sum_{d:z_d^\ell \leq 5} \exp\{\gamma z_d^\ell + \eta x_d + \xi_{dt}^\ell\}}, \quad z_i^\ell \leq 5 \text{ kilometers.}$$

- ▶ Compute summary GPP quality  $\widehat{\xi}_i = \mathbb{E}_{\ell,t}[\xi_{it}^\ell]$
- ▶ **Assumption:**  $n_{ijt}$  iid, but only conditional on  $x_i, \widehat{\xi}_i$
- ▶ Currently working on adding health conditions by location (i.e., estimate  $\xi_{ij}$ )

## Distance shifts demand



## Demand residual is correlated with achievement



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## Identification

- ▶ We prove that  $\Lambda$  and the distribution  $f(\theta)$  are separately identified if:
  1. **Assumption (LQU):** Utility  $U(y)$  is Linear-Quadratic
  2. **Assumption (Exogeneity):**  $n_{it}$  and  $\theta_{it}$  independent conditional on  $(x_{it}, \xi_{it})$
  3. **Assumption (Independence):**  $f(\theta_{it}|x_{it}, \xi_{it}) = \prod_j f_j(\theta_{it,j}|x_{it}, \xi_{it})$ 
    - ▶ currently working on relaxing.
  4. **Assumption (variation):** Rich variation in incentives ( $\alpha_{jt}$ ) and task assignments ( $z_{it}$ ) to distinguish any function of  $y_{it}$

## Identification intuition

- ▶ Change incentives for blood sugar control.
- ▶ Compare GPP A with many diabetics to GPP B with few diabetics.
- ▶ If A's cholesterol outcomes improve more than B's...
- ▶ → cholesterol & blood sugar are complements

## Estimation

- ▶ Assume  $y_{ijt}$  is the optimal effort choice made by the GPPs (up to integers)
- ▶ Let  $\tilde{x}_i = (x_i, \hat{\xi}_i)$  be GPP covariates + demand residuals
- ▶ Assume that, for each  $ijt$ ,

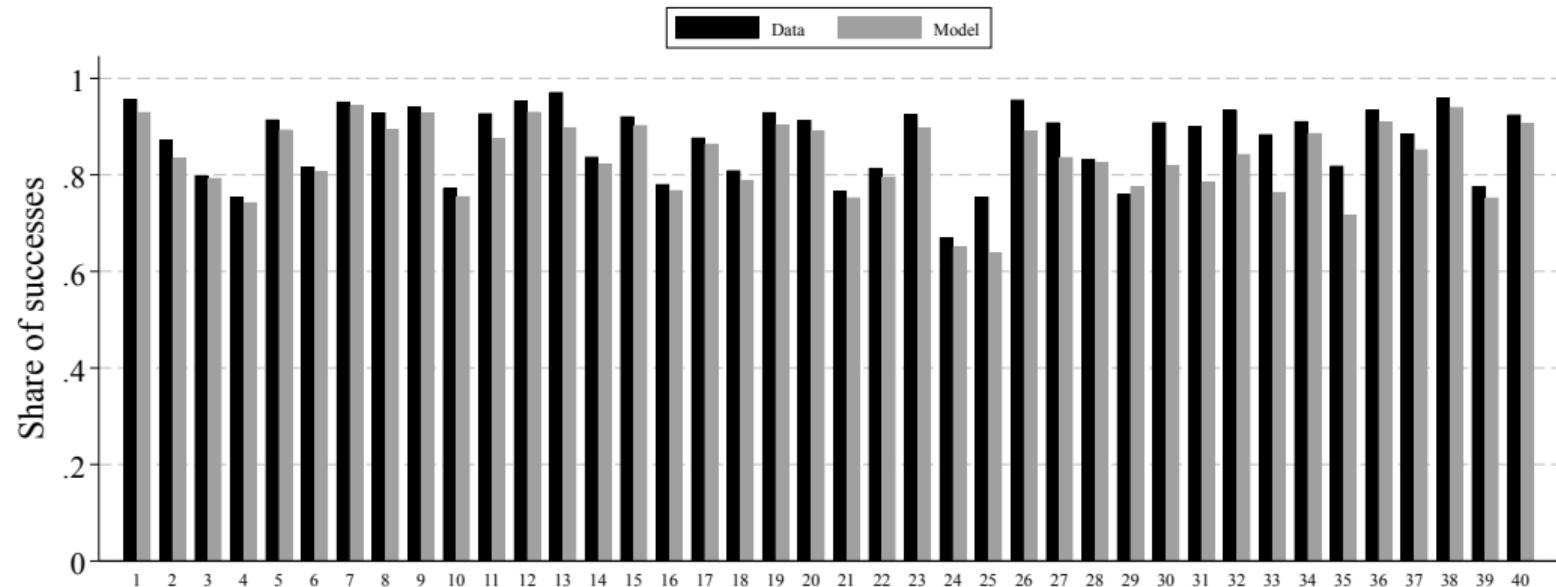
$$\theta_{ijt} \sim \mathcal{N}(\mu_j \tilde{x}_i, \sigma_j), \quad (n_{it} | \tilde{x}_i) \perp (\theta_{it} | \tilde{x}_i)$$

- ▶ Given LQU,  $\frac{\partial U_{it}}{\partial y_{ijt}}$  is linear in  $\theta_{ijt}$ 
  - ▶ Can derive (discrete-continuous) distribution of  $\theta_{ijt}$  analytically: [► Details](#)
- ▶ Estimate  $\Lambda$  and  $\{\sigma_j, \mu_j\}_j$  by MLE (1060 parameters)

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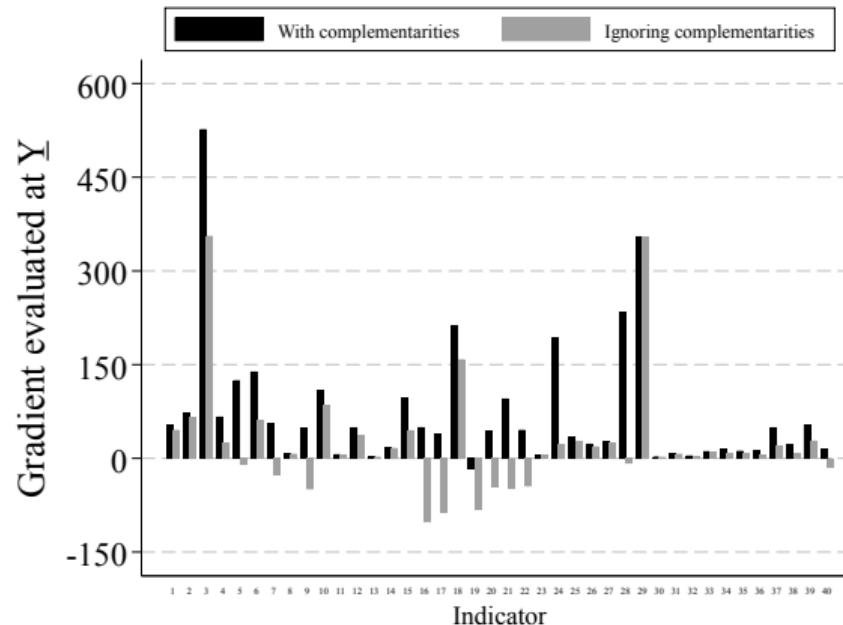
# Goodness of Fit



1	In those patients with Atrial Fibrillation in whom re is a record of a CHADS2 score of 1 (latest in preceding 15 months), % of patients who are ly treated with anti-coagulation drug rapy or an anti-platelet rapy.
2	In those patients with Atrial Fibrillation whose latest record of a CHADS2 score is greater than 1, % of patients who are ly treated with anti-coagulation drug rapy
3	0.21 0.09 % of patients with hypertension in whom last blood pressure (measured in previous 9 months) is 150/90 or less.
4	1.06 -0.10 -0.32 % of patients with coronary heart disease who are ly treated with a beta blocker (unless a contraindication or side -effects are recorded).
5	-0.17 0.55 -0.08 -0.35 % of patients with coronary heart disease in whom last blood pressure reading (measured in previous 15 months) is 150/90 or less.
6	-0.06 0.22 -0.18 -0.07 -0.07 % of patients with coronary heart disease whose last measured total cholesterol (measured in previous 15 months) is 5mmol/l or less.
7	0.08 0.33 -0.18 -0.18 -0.07 -0.07 % of patients with coronary heart disease with a record in preceding 12 months that aspirin, an alternative anti-platelet rapy, or an anti-coagulant is being taken
8	0.05 0.87 -0.29 -0.29 -0.10 -0.04 -0.02 % of patients with a history of myocardial infarction (from 1 April 2011) ly treated with an ACE inhibitor (or ARB if ACE intolerant), aspirin or an alternative anti-platelet rapy, beta-blocker and statin
9	-0.05 -1.87 -0.53 -0.16 -0.07 -0.07 -0.02 % of patients with coronary heart disease who have had influenza immunisation in preceding 1 September to 31 March
10	-0.06 0.44 1.85 -0.09 -0.25 -0.01 -0.02 % of patients on CKD register in whom last blood pressure reading, measured in previous 15 months, is 140/95 or less.
11	-0.08 -0.18 -0.21 -0.08 -0.13 -0.08 -0.02 % of patients on CKD register with hypertension and proteinuria who are treat ed with an angiotensin converting enzyme inhibitor (ACE-I) or angiotensin receptor blocker (ARB) (unless a contraindication or side effects are recorded).
12	-0.09 -0.16 -0.24 -0.16 -0.09 -0.05 -0.02 % of patients with COPD who have had influenza immunisation in preceding 1 September to 31 March.
13	-0.29 -0.05 -0.01 -0.01 -0.12 -0.08 -0.07 -0.05 % of patients with a new diagnosis of hypertension aged 30 or over and who have not attained age of 75, recorded between preceding 1 April to 31 March, who have a recorded CVD risk assessment score of >=20% in preceding 12 months: % who are ly treated with statins
14	-0.10 -0.10 -0.07 -0.07 -0.12 -0.08 -0.05 -0.02 -0.01 % of patients aged 18 or over with a new diagnosis of depression in preceding 1 April to 31 March, who have been reviewed not earlier than 10 days after and not later than 56 days after date of diagnosis
15	1.74 -0.06 -0.01 0.01 0.08 0.05 0.04 0.08 % of patients with diabetes in whom last HbA1c is 10 or less (% equivalent test/reference range depending on local laboratory) in previous 15 months.
16	1.00 -1.18 -0.18 -0.29 0.07 0.42 0.62 0.43 -0.03 -0.01 0.18 1.12 1.26 -0.01 % of patients with diabetes, on register, in whom last HbA1c is 64 mmol/mol or less in preceding 12 months
17	0.87 1.07 -0.71 0.71 0.29 0.01 0.08 -0.02 1.06 -0.02 -0.07 2.26 -1.05 -0.01 % of patients with diabetes in whom last HbA1c is 9 or less (% equivalent test/reference range depending on local laboratory) in previous 15 months.
18	0.36 -0.91 -0.37 -0.37 -0.06 1.67 -0.21 -0.04 -0.09 -0.73 -0.18 0.16 -0.01 -0.01 -0.01 % of patients with diabetes in whom last blood pressure is 145/85 or less.
19	-0.02 -0.15 -0.02 -0.04 -0.19 0.96 2.61 0.61 -0.02 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 % of patients with diabetes who have had influenza immunisation in preceding 1 September to 31 March.
20	0.43 0.89 -0.19 -0.09 -0.03 -1.07 1.81 0.12 0.43 -0.01 -0.01 1.03 1.06 -0.01 -0.01 -0.01 % of patients with diabetes in whom last blood pressure is 150/90 or less
21	0.03 -0.33 -0.23 -0.15 -0.03 -0.01 0.86 0.29 0.12 -0.02 -0.01 1.25 -0.06 -1.05 0.01 -0.01 -0.01 % of patients with diabetes, on register, in whom last blood pressure reading (measured in preceding 12 months) is 140/80 mmHg or less
22	-0.09 0.03 -0.03 -0.03 -0.12 1.28 -0.30 -0.17 0.17 -0.27 0.09 0.15 -0.01 -0.01 -0.01 -0.01 % of patients with diabetes whose last measured total cholesterol within preceding 15 months is 5mmol/l or less
23	0.35 0.33 -0.13 -0.13 -0.11 0.11 0.01 0.01 -0.01 -0.01 0.06 -0.09 0.14 -0.17 0.01 0.01 0.01 % of patients with diabetes, on register, with a diagnosis of nephropathy (clinical proteinuria) or micro-albuminuria who are ly treated with an ACE-I (or ARBs)
24	-0.18 -1.26 -0.61 -0.11 0.81 0.12 0.22 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 % of patients with diabetes in whom last HbA1c is 7 or less (or equivalent test/reference range depending on local laboratory) in previous 15 months.
25	-0.04 0.33 -0.20 -0.20 1.81 0.01 -0.07 0.17 0.17 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 % of patients aged 18 and over on drug treatment for epilepsy who have been seizure free for last 12 months recorded in previous 15 months.
26	-0.04 -0.37 -0.37 1.61 0.61 -0.06 -0.88 -0.01 -0.01 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 -0.08 % of patients with a diagnosis of heart failure due to Left Ventricular Dysfunction ( LVD ) who are ly treated with an ACE inhibitor or Angiotensin Receptor Blocker (ARB) , who can tolerate rapy with no contra -indication.
27	-1.12 -1.48 0.02 0.02 -0.08 -0.08 0.18 0.48 -0.29 0.80 0.12 -1.72 -0.76 -0.08 -0.02 0.06 0.01 -0.09 -0.08 -0.01 -0.01 -0.01 % of patients with heart failure due to LVD who are ly treated with an ACE inhibitor or Angiotensin Receptor Blocker, who are additionally treated with a beta -blocker licensed for heart failure, or recorded as intolerant
28	-0.37 -0.39 -0.06 0.06 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 -0.02 % of patients with hypertension in whom last blood pressure reading (measured in preceding 9 months) is 150/90 mmHg or less
29	0.87 0.04 -0.01 % of patients aged 79 or under with hypertension in whom last blood pressure reading (measured in preceding 9 months) is 140/90 mmHg or less
30	-0.37 0.08 -0.18 0.76 -0.02 -0.02 -0.32 0.85 -0.01 -0.71 0.01 -1.17 0.17 0.09 -0.03 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 % of patients on lithium rapy with a record of lithium levels in rapacit range within previous 6 months.
31	-0.06 -1.03 -0.20 0.32 0.81 -0.10 0.80 0.92 0.02 -0.23 -1.03 -0.92 1.08 -0.02 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 % of women with schizophrenia, bipolar affective disorder and/or psychoses whose notes record that a cervical screening test has been preformed in preceding 5 years.
32	1.28 0.73 -0.18 -1.40 -0.21 0.21 0.31 0.33 0.05 -0.28 -2.67 -0.66 0.38 0.18 -0.08 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 % of patients aged between 50-74, with a Fragility fracture, in whom osteoporosis is confirmed on DXA scan, who are ly treated with an appropriate bone-sparing agent
33	-0.34 -1.16 -0.56 0.31 0.73 0.38 0.07 -0.07 -1.26 0.30 0.33 -0.08 0.36 0.36 0.17 -0.06 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 -0.01 % of patients aged 75 or over with a fragility fracture on or after 1 April 2012, who are ly treated with an appropriate bone-sparing agent
34	1.10 -0.36 -0.28 0.32 -0.32 0.31 0.81 0.88 0.08 0.18 -0.04 -0.27 0.18 -0.09 -0.24 -1.08 1.68 -0.17 0.19 -0.86 -0.19 0.03 -0.83 0.01 -0.01 % of patients with peripheral arterial disease in whom last blood pressure reading (measured in preceding 15 months) is 150/90 or less
35	0.08 -0.06 0.01 % of patients with peripheral arterial disease in whom last measured total cholesterol (measured in preceding 15 months) is 5.0mmol/l or less
36	-0.00 -0.20 0.04 -0.07 1.81 1.01 -0.22 0.18 0.06 -0.19 0.30 -0.68 0.18 -0.76 -0.02 0.09 -0.08 -0.08 -0.08 -0.07 -0.07 -0.07 -0.07 -0.07 % of patients with peripheral arterial disease with a record in preceding 15 months that aspirin or an alternative anti-platelet is being taken
37	-0.05 -0.22 -0.29 0.86 -0.04 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 % of patients with a history of TIA or stroke in whom last blood pressure reading (measured in previous 15 months) is 150/90 or less.
38	-0.17 -0.77 0.01 -0.21 1.89 1.01 -0.06 0.01 0.01 -0.07 -0.23 -0.99 0.18 -0.01 1.08 1.07 -0.08 0.01 0.07 0.08 -0.01 0.01 0.01 % of patients with a stroke shown to be non-haemorrhagic, or a history of TIA, who have a record that an anti-platelet agent,
39	-1.15 1.55 -0.26 -1.58 1.54 0.80 -0.54 0.01 1.80 -0.48 -2.39 -1.98 1.01 -0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 0.01 % of patients with TIA or stroke whose last measured total cholesterol (measured in preceding 15 months) is 5 mmol/l or less
40	0.05 -1.13 -0.08 1.61 0.61 0.01 2.07 2.77 -0.07 -0.08 -0.01 0.07 -0.57 0.09 0.01 -0.02 0.01 0.01 0.01 0.01 0.01 0.01 0.01 % of patients with TIA or stroke who have had influenza immunisation in preceding 1 September to 31 March.

## How important is Multitasking?

- Given estimates, for each  $j$ , calculate  $\mathbb{E}_{it}[\partial U_{it}/\partial y_{it,j}]$ , evaluated at  $y_{tj}$  (beginning of incentives)
  - then repeat this using  $\lambda[j, k] = 0$  if  $j \neq k$



# Roadmap

1 Setting and Data

2 Model

3 Demand

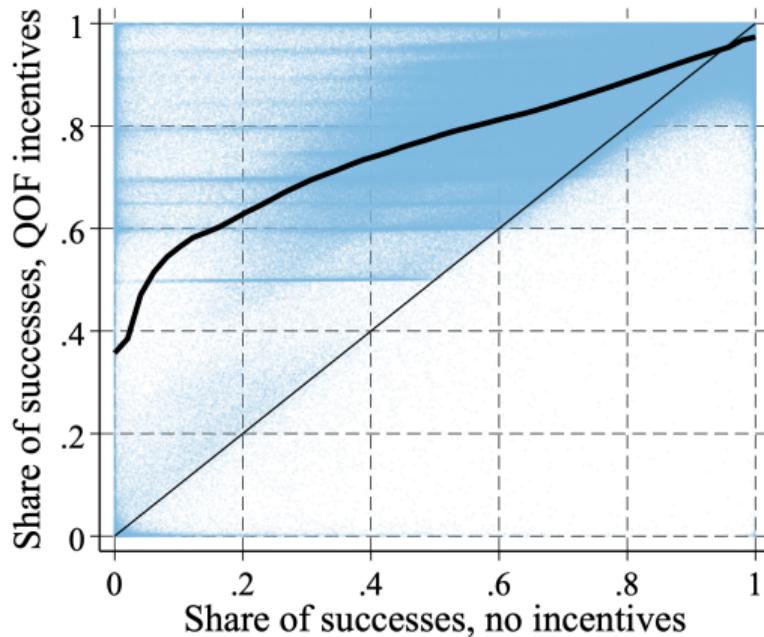
4 Identification & Estimation

5 Estimates & GOF

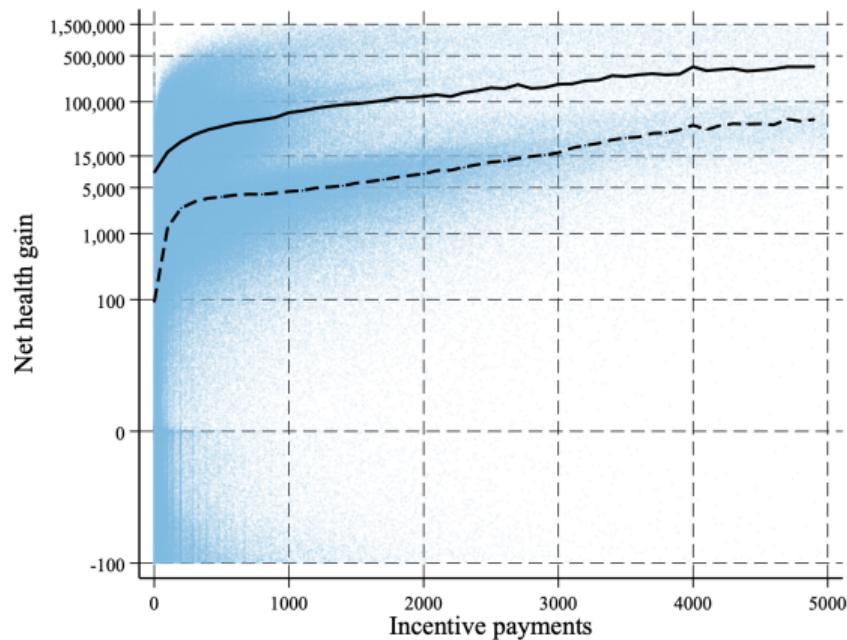
6 Counterfactuals

7 Conclusion

## Shutting Down QOF: achievement



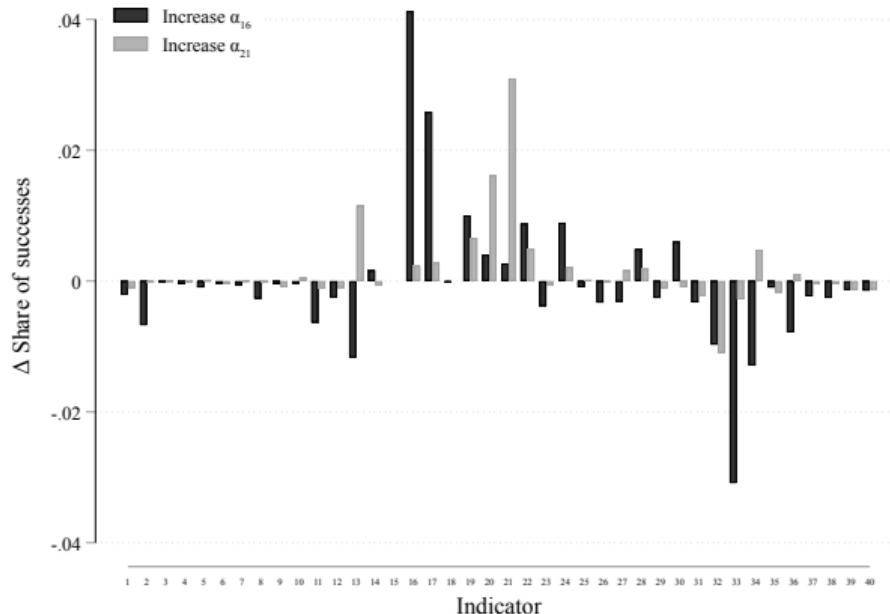
## Shutting Down QOF: health gains (in £)



- Ratio of QOF payments to median health gains (in £) is  $\approx 1:5$

## Increasing incentives for one indicator

- ▶ Increase incentives for indicators 16 & 21 (by £40)
- ▶ Significant impact on other indicators



## Empirical incentive design

- ▶  $b_j$  are health benefits net of medical costs for indicator  $j$  (in £, from NICE guidelines)
  - ▶ currently we only know  $b_j$  for 20/40 indicators
- ▶ Set  $y_j$  fixed and  $\bar{y}_j = 1$  for each years
- ▶ Choose  $\alpha = (\alpha_1, \dots, \alpha_{20})$  to maximize the payer's objective

$$W = \sum_{i,j,t} n_{ijt} \int (y_{ijt} b_j - \rho_{jt}(y_{ijt} | \alpha_{jt})) f(\theta_{ijt} | \tilde{x}_i) d\theta_{ijt}$$

where  $y_{ijt}$  is chosen by GPPs to maximize utility in response to  $\alpha$

- ▶ For each  $\alpha$ , must solve a 20-D optimization problem for 8000 GPPs → unfeasible
- ▶ We use k-means to cluster GPPs in terms of  $x_i, \xi_i, n_{ijt}$ 
  - ▶ For every group  $g = 1, \dots, 20$  obtain weight  $\pi_g$  and average values  $x_g, \xi_g, n_{gjt}$
  - ▶ Maximize this approximate  $W$ .
  - ▶ At the solution, compute outcomes for all GPPs

## Optimal incentives increase payer utility by 3%

	No QOF Δ from QOF	QOF	Optimized QOF Δ from QOF
Practice payoffs	-348 -11%	3,240	164 5%
QOF payments	-361 -100%	361	221 61%
Medical costs	-1,449 -3%	43,465	731 2%
Health benefits	-5,574 -4%	131,900	3,915 3%
Welfare	-4,113 -5%	91,314	3,128 3%

*Notes:* All monetary values are in GBP millions. Welfare is computed as the Practice payoffs + Health benefits - QOF payments - Medical costs

- ▶ Optimizing the QOF adds an 50% of the benefits of having introduced it

# Roadmap

1 Setting and Data

2 Model

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7 Conclusion

## Next Steps

- ▶ Include co-morbidities in demand
- ▶ Integrate “missing indicators” into the estimation
- ▶ Add correlations in  $\theta$

## Conclusion

- ▶ Empirically tractable principal-agent model with multitasking
- ▶ Sufficient conditions for identification
  - ▶ relying on variation in exposure to different tasks
- ▶ Apply model to QOF program in England
- ▶ Ample evidence of response to incentives and multitasking
- ▶ Model allows counterfactuals:
  - ▶ Program generates large welfare gains
  - ▶ Scope for optimization of incentives accounting for multitasking

# Thank you

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Additional slides:

## Analytic MLE

- ▶ For instance, in the 2D case:

$$\frac{\partial U}{\partial y_1} = n_1 \rho'_1(y_1) + n_1 \theta_1 - 2n_1 \lambda_1 y_1 - (n_1 + n_2) \lambda_{12} y_2$$

- ▶ If data is  $y_1 = 1$ , and knowing  $\rho'_1(1) = 0$ , then

$$\frac{\partial U}{\partial y_1} \Big|_{y_1=1} \geq 0 \Leftrightarrow \theta_1 \geq 2\lambda_1 + \frac{n_1 + n_2}{n_1} \lambda_{12} y_2$$

- ▶ If  $y_1 \in (\bar{y}_1, 1)$ , the FOC holds, so

$$\frac{\partial U}{\partial y_1} = 0 \Leftrightarrow \theta_1 = 2\lambda_1 y_1 + \frac{n_1 + n_2}{n_1} \lambda_{12} y_2 - \rho'_1(y_1)$$

- ▶ Bunching:  $y_1 = \bar{Y}_1$ . This implies

$$n_1 \rho'_1(\bar{Y}_1) + n_1 \theta_1 - 2n_1 \lambda_1 \bar{Y}_1 - (n_1 + n_2) \lambda_{12} y_2 \geq 0$$

$$n_1 \theta_1 - 2n_1 \lambda_1 \bar{Y}_1 - (n_1 + n_2) \lambda_{12} y_2 \leq 0$$

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