# ML Lab 4

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# Lab 4: Fire and Tree Mortality

The database we'll be working with today includes 36066 observations of individual trees involved in prescribed fires and wildfires occurring over 35 years, from 1981 to 2016. It is a subset of a larger fire and tree mortality database from the US Forest Service (see data description for the full database here: link (https://www.nature.com/articles/s41597-020-0522-7#Sec10)). Our goal today is to predict the likelihood of tree mortality after a fire.

### **Data Exploration**

Outcome variable: *yr1status* = tree status (0=alive, 1=dead) assessed one year post-fire.

Predictors: YrFireName, Species, Genus\_species, DBH\_cm, CVS\_percent, BCHM\_m, BTL (Information on these variables available in the database metadata (link (https://www.fs.usda.gov/rds/archive/products/RDS-2020-0001-2/\_metadata\_RDS-2020-0001-2.html))).

```
trees_dat<- read_csv(file = "https://raw.githubusercontent.com/MaRo406/eds-232-machine-l
earning/main/data/trees-dat.csv")[,-1]</pre>
```

```
## New names:
## Rows: 36066 Columns: 9
## — Column specification
##
## (3): YrFireName, Species, Genus_species dbl (6): ...1, yrlstatus, DBH_cm,
## CVS_percent, BCHM_m, BTL
## i Use `spec()` to retrieve the full column specification for this data. i
## Specify the column types or set `show_col_types = FALSE` to quiet this message.
## • `` -> `...1`
```

### Question 1: Recode all the predictors to a zero\_based integer form

```
# This recodes all the predictors to a zero_based integer form
trees_data <- recipe(yrlstatus ~., data = trees_dat) |>
step_integer(all_predictors(), zero_based = TRUE) |>
prep(trees_dat) |>
bake(trees_dat)
```

## **Data Splitting**

Question 2: Create trees\_training (70%) and trees\_test (30%) splits for the modeling

# See if there is a class imbalance, if so, we'll stratify on the outcome. I checked the final models accuracy with and without stratifying on yr1status, and it looks like the f inal model performs slightly better with the stratification, so we'll keep it. table(trees\_dat\$yr1status)

```
##
## 0 1
## 25833 10233
```

```
#Creating our initial split. there are almost twice as many alive trees as dead trees, s
o we'll stratify on the outcome
trees_data <- initial_split(trees_data, prop = 0.7, strata = yrlstatus)
trees_training <- training(trees_data)
trees_testing <- testing(trees_data)</pre>
```

Question 3: How many observations are we using for training with this split?

```
nrow(trees_training)
```

```
## [1] 25246
```

We're using 25246 observations for training with this split.

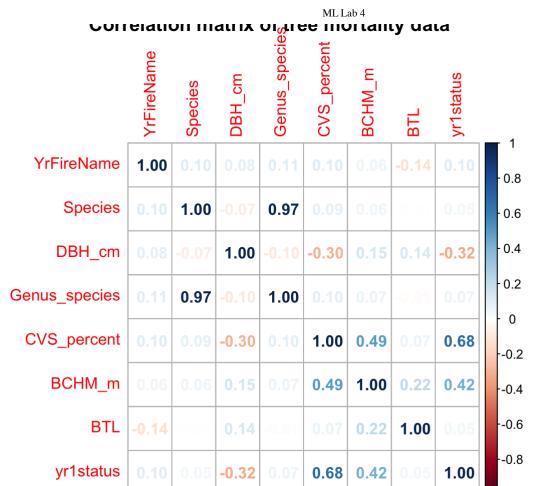
### Simple Logistic Regression

Let's start our modeling effort with some simple models: one predictor and one outcome each.

Question 4: Choose the three predictors that most highly correlate with our outcome variable for further investigation.

```
# Calculate the correlation matrix
correlation_matrix <- cor(trees_training)

# Plot the correlation matrix
corrplot(correlation_matrix, method = "number", title = "Correlation matrix of tree mort
ality data")</pre>
```



The three variables that most highly correlate with yr1status are: Percentage Crown-Volume Scorched cvs\_percent, Maximum bark char height from the ground on a tree bole BCHM\_m, and Diameter at Breast Height DBH\_cm

Question 5: Use glm() to fit three simple logistic regression models, one for each of the predictors you identified.

```
# CVS_percent was most highly correlated with our outcome variable, so we'll make this m
odel first
mod_cvs <- glm(data = trees_training, yr1status ~ CVS_percent, family = 'binomial')
# Now for BCHM
mod_bchm <- glm(data = trees_training, yr1status ~ BCHM_m, family = 'binomial')
# And for DBH
mod_dbh <- glm(data = trees_training, yr1status ~ DBH_cm, family = 'binomial')</pre>
```

### Interpret the Coefficients

We aren't always interested in or able to interpret the model coefficients in a machine learning task. Often predictive accuracy is all we care about.

#### Question 6: That said, take a stab at interpreting our model coefficients now.

```
library(broom)
# Using Broom to interpret our coeffs
tidy(mod_cvs)
## # A tibble: 2 × 5
##
    term
                estimate std.error statistic p.value
    <chr>
                                       <dbl>
                                               <dbl>
##
                   <dbl>
                             <dbl>
## 1 (Intercept) -6.79
                           0.116
                                       -58.7
                                                  0
## 2 CVS_percent 0.0781
                           0.00126
                                        62.1
                                                   0
tidy(mod_bchm)
## # A tibble: 2 × 5
##
    term
                estimate std.error statistic p.value
                                       <dbl>
##
    <chr>
                   <dbl>
                             <dbl>
                                              <dbl>
## 1 (Intercept) -1.99
                          0.0242
                                       -82.2
                                                   0
## 2 BCHM m
                 0.00626 0.000105
                                        59.8
                                                   0
tidy(mod dbh)
## # A tibble: 2 × 5
    term
                estimate std.error statistic p.value
##
    <chr>
                   <dbl> <dbl>
                                     <dbl>
## 1 (Intercept) 0.407
                         0.0283
                                      14.4 9.59e-47
## 2 DBH cm
                -0.00378 0.0000779
                                      -48.5 0
# Now to exponentiate our coefficients since they're log-transformed
exp(coef(mod cvs))
## (Intercept) CVS percent
## 0.001127365 1.081265308
exp(coef(mod bchm))
## (Intercept)
                   BCHM m
    0.1369449
                1.0062790
exp(coef(mod dbh))
```

```
## (Intercept) DBH_cm
## 1.501677 0.996225
```

For each 1 unit increase in CVS\_percent, a tree's odds of death increases multiplicatively by 1.08. For each 1 unit increase in BCHM\_m, a tree's odds of death increases multiplicatively by 1.006. For each 1 unit increase in DBH\_cm, a trees odds of death increases multiplicatively by 0.996. In this last case, a 1 unit increase in DBH\_cm actually corresponds to a decrease in a trees odds of death, since our multiplier is less than 1.

Question 7: Now let's visualize the results from these models. Plot the fit to the training data of each model.

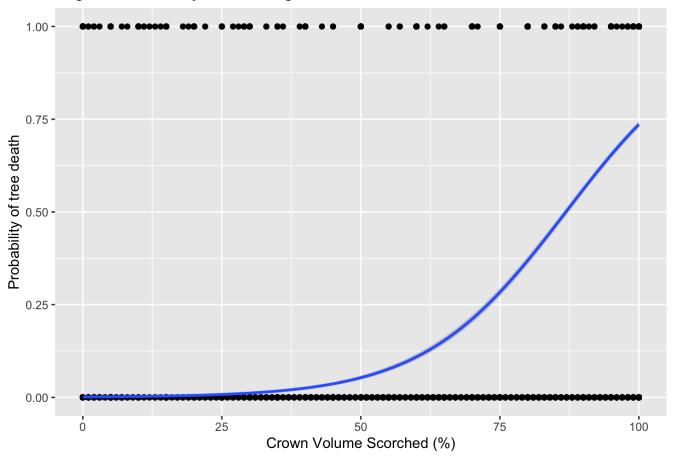
```
# Visualizing our CVS_percent model

ggplot(trees_training, aes(x = CVS_percent, y = yr1status)) + geom_point() +
    stat_smooth(
    method = "glm",
    se = TRUE,
    method.args = list(family = binomial)
    ) +

labs(title = "Logistic model of yr1status regressed on Crown Volume Scorched", x = "Crown Volume Scorched", x = "Crown Volume Scorched")
```

```
## `geom_smooth()` using formula = 'y ~ x'
```

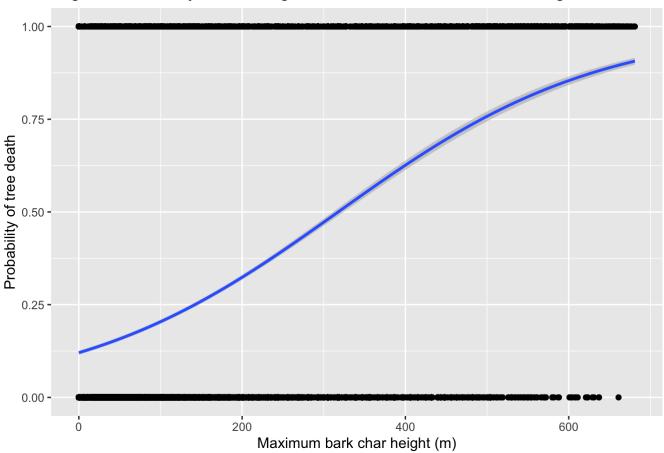
### Logistic model of yr1status regressed on Crown Volume Scorched



```
# Then for our BCHM_m model
ggplot(trees_training, aes(x = BCHM_m, y = yrlstatus)) + geom_point() +
    stat_smooth(
    method = "glm",
    se = TRUE,
    method.args = list(family = binomial)
    ) +
    labs(title = "Logistic model of yrlstatus regressed on Maximum bark char height", x =
    "Maximum bark char height (m)", y = "Probability of tree death")
```

```
## `geom_smooth()` using formula = 'y ~ x'
```

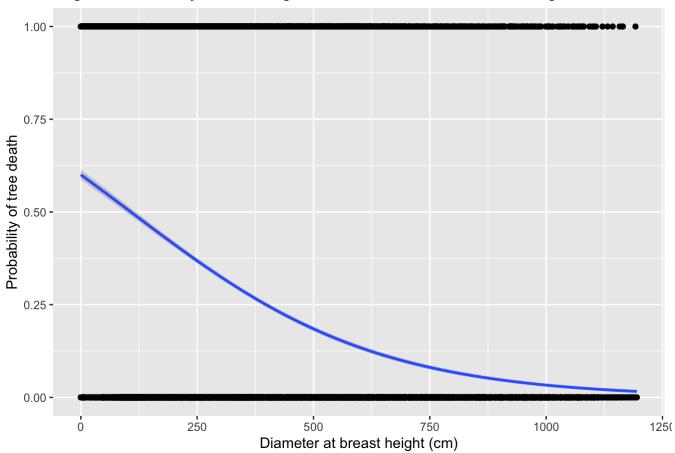
### Logistic model of yr1status regressed on Maximum bark char height



```
# And for our DBH_cm model
ggplot(trees_training, aes(x = DBH_cm, y = yrlstatus)) + geom_point() +
    stat_smooth(
        method = "glm",
        se = TRUE,
        method.args = list(family = binomial)
    ) +
        labs(title = "Logistic model of yrlstatus regressed on Diameter at breast height", x
= "Diameter at breast height (cm)", y = "Probability of tree death")
```

```
## `geom_smooth()` using formula = 'y ~ x'
```

### Logistic model of yr1status regressed on Diameter at breast height



## **Multiple Logistic Regression**

Let's not limit ourselves to a single-predictor model. More predictors might lead to better model performance.

Question 8: Use glm() to fit a multiple logistic regression called "logistic\_full", with all three of the predictors included. Which of these are significant in the resulting model?

```
logistic_full <- glm(data = trees_training, yr1status ~ CVS_percent + DBH_cm + BCHM_m, f
amily = "binomial")

tidy(logistic_full)</pre>
```

```
## # A tibble: 4 × 5
  term
##
               estimate std.error statistic
                                             p.value
##
    <chr>
                  <dbl>
                            <dbl>
                                    <dbl>
                                              <dbl>
## 1 (Intercept) -5.25
                         0.118
                                     -44.50
## 2 CVS_percent 0.0638
                         0.00123
                                     51.9 0
## 3 DBH cm
               -0.00363 0.000119
                                    -30.6 3.60e-205
## 4 BCHM m
                0.00460 0.000162
                                      28.5 3.13e-178
```

Each of these variables are significant in the resulting model, since the p-values for each of them are essentially 0.

### **Estimate Model Accuracy**

Now we want to estimate our model's generalizability using resampling.

Question 9: Use cross validation to assess model accuracy. Use caret::train() to fit four 10-fold cross-validated models (cv\_model1, cv\_model2, cv\_model3, cv\_model4) that correspond to each of the four models we've fit so far: three simple logistic regression models corresponding to each of the three key predictors (CVS\_percent, DBH\_cm, BCHM\_m) and a multiple logistic regression model that combines all three predictors.

```
trees_training$yrlstatus <- as.factor(trees_training$yrlstatus)
levels(trees_training$yrlstatus) <- make.names(levels(trees_training$yrlstatus))

train_control <- trainControl(method = "cv", number = 10, classProbs = TRUE)

# First model based on CVS_percent
cv_model1 <- train(as.factor(yrlstatus) ~ CVS_percent, data = trees_training, method =
"glm", family = 'binomial', trControl = train_control)

# Second model based on DBH_cm
cv_model2 <- train(as.factor(yrlstatus) ~ DBH_cm, data = trees_training, method = "glm",
family = 'binomial', trControl = train_control)

# Third model based on BCHM_m
cv_model3 <- train(as.factor(yrlstatus) ~ BCHM_m, data = trees_training, method = "glm",
family = 'binomial', trControl = train_control)

# Fourth model based on all variables
cv_model4 <- train(as.factor(yrlstatus) ~ CVS_percent + DBH_cm + BCHM_m, data = trees_training, method = "glm", family = 'binomial', trControl = train_control)</pre>
```

Question 10: Use caret::resamples() to extract then compare the classification accuracy for each model. (Hint: resamples() wont give you what you need unless you convert the outcome variable to factor form). Which model has the highest accuracy?

```
# Storing each model to a list
results <- resamples(list(Model1 = cv_model1, Model2 = cv_model2, Model3 = cv_model3, Mo
del4 = cv_model4))
# Looking at the results
summary(results)</pre>
```

```
##
## Call:
## summary.resamples(object = results)
##
## Models: Model1, Model2, Model3, Model4
## Number of resamples: 10
##
## Accuracy
##
               Min.
                      1st Ou.
                                 Median
                                              Mean
                                                     3rd Ou.
                                                                  Max. NA's
## Model1 0.8930269 0.8979208 0.8992083 0.8989149 0.9015550 0.9025357
## Model2 0.7461386 0.7496783 0.7526245 0.7535452 0.7546535 0.7631683
## Model3 0.7592079 0.7670297 0.7694591 0.7700238 0.7724078 0.7805071
                                                                           0
## Model4 0.8961965 0.9004258 0.9035451 0.9042628 0.9048232 0.9219493
                                                                           0
##
## Kappa
                                 Median
##
               Min.
                      1st Qu.
                                              Mean
                                                     3rd Qu.
                                                                  Max. NA's
## Model1 0.7536190 0.7643070 0.7678182 0.7671607 0.7736514 0.7753421
                                                                           0
## Model2 0.2064245 0.2197520 0.2311940 0.2343148 0.2393445 0.2725019
                                                                           0
## Model3 0.2993742 0.3271987 0.3372984 0.3361756 0.3418179 0.3701256
                                                                           0
## Model4 0.7527185 0.7638486 0.7699581 0.7722260 0.7726730 0.8144458
```

#### It looks like model 4 has the highest overall accuracy

Let's move forward with this single most accurate model.

Question 11: Compute the confusion matrix and overall fraction of correct predictions by the model.

```
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction
                 Х0
                       Х1
##
           X0 16466
                      804
##
           X1 1617
                     6359
##
##
                  Accuracy : 0.9041
##
                    95% CI: (0.9004, 0.9077)
       No Information Rate: 0.7163
##
       P-Value [Acc > NIR] : < 2.2e-16
##
##
##
                     Kappa : 0.7719
##
   Mcnemar's Test P-Value : < 2.2e-16
##
##
##
               Sensitivity: 0.9106
               Specificity: 0.8878
##
            Pos Pred Value: 0.9534
##
##
            Neg Pred Value: 0.7973
                Prevalence: 0.7163
##
            Detection Rate: 0.6522
##
      Detection Prevalence: 0.6841
##
##
         Balanced Accuracy: 0.8992
##
          'Positive' Class : X0
##
##
```

#### The overall fraction of correct predictions by the model is ~90/100

Question 12: Explain what the confusion matrix is telling you about the types of mistakes made by logistic regression.

The confusion matrix shows us that the model is more likely to predict false positives than false negatives. That is, it is more likely to predict that a tree is dead when it is actually alive than predicting a tree is alive when it is actually dead

Question 13: What is the overall accuracy of the model? How is this calculated?

The overall accuracy of this model is ~90%. It is calculated by dividing the sum of observed true positives and true negatives with the sum of observed true positives, true negatives, false positives, and false negatives.

### **Test Final Model**

Alright, now we'll take our most accurate model and make predictions on some unseen data (the test data).

Question 14: Now that we have identified our best model, evaluate it by running a prediction on the test data, trees\_test.

```
trees_testing$yrlstatus <- as.factor(trees_testing$yrlstatus)
levels(trees_testing$yrlstatus) <- make.names(levels(trees_testing$yrlstatus), unique =
TRUE)
final_model <- train(as.factor(yrlstatus) ~ CVS_percent + DBH_cm + BCHM_m, data = trees_
training,family = 'binomial', method = 'glm')
pred_final <- predict(final_model, trees_testing)</pre>
```

Question 15: How does the accuracy of this final model on the test data compare to its cross validation accuracy?

```
confusionMatrix(data = pred_final, reference = factor(trees_testing$yr1status))
```

```
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction
                Х0
                    390
##
           X0 7056
##
           X1 694 2680
##
##
                  Accuracy : 0.8998
##
                    95% CI: (0.894, 0.9054)
       No Information Rate: 0.7163
##
       P-Value [Acc > NIR] : < 2.2e-16
##
##
##
                     Kappa : 0.7607
##
   Mcnemar's Test P-Value : < 2.2e-16
##
##
##
               Sensitivity: 0.9105
               Specificity: 0.8730
##
            Pos Pred Value: 0.9476
##
##
            Neg Pred Value: 0.7943
                Prevalence: 0.7163
##
            Detection Rate: 0.6521
##
      Detection Prevalence: 0.6882
##
##
         Balanced Accuracy: 0.8917
##
          'Positive' Class : X0
##
##
```

Do you find this to be surprising? Why or why not?

The final model had an accuracy of ~90%, which is almost identical to its performance on the training data. This is not surprising, since we stratified on our outcome variable to address any class imbalances, we should achieve a similar score on our out of sample data.