

REGRESSION DISCONTINUITY I

PMAP 8521: Program Evaluation for Public Service

November 4, 2019

*Fill out your reading report
on iCollege!*

PLAN FOR TODAY

Jumps and cutoffs

Measuring the size of the discontinuity

Main RDD concerns

RDD with R

JUMPS & CUTOFFS

**Think of five social programs that use
eligibility cutoffs to determine who can
access the program**

**How is eligibility measured?
What's the cutoff?**

Federal/state/local governments;
school districts; nonprofits; etc.

KEY TERMS

Running/forcing variable

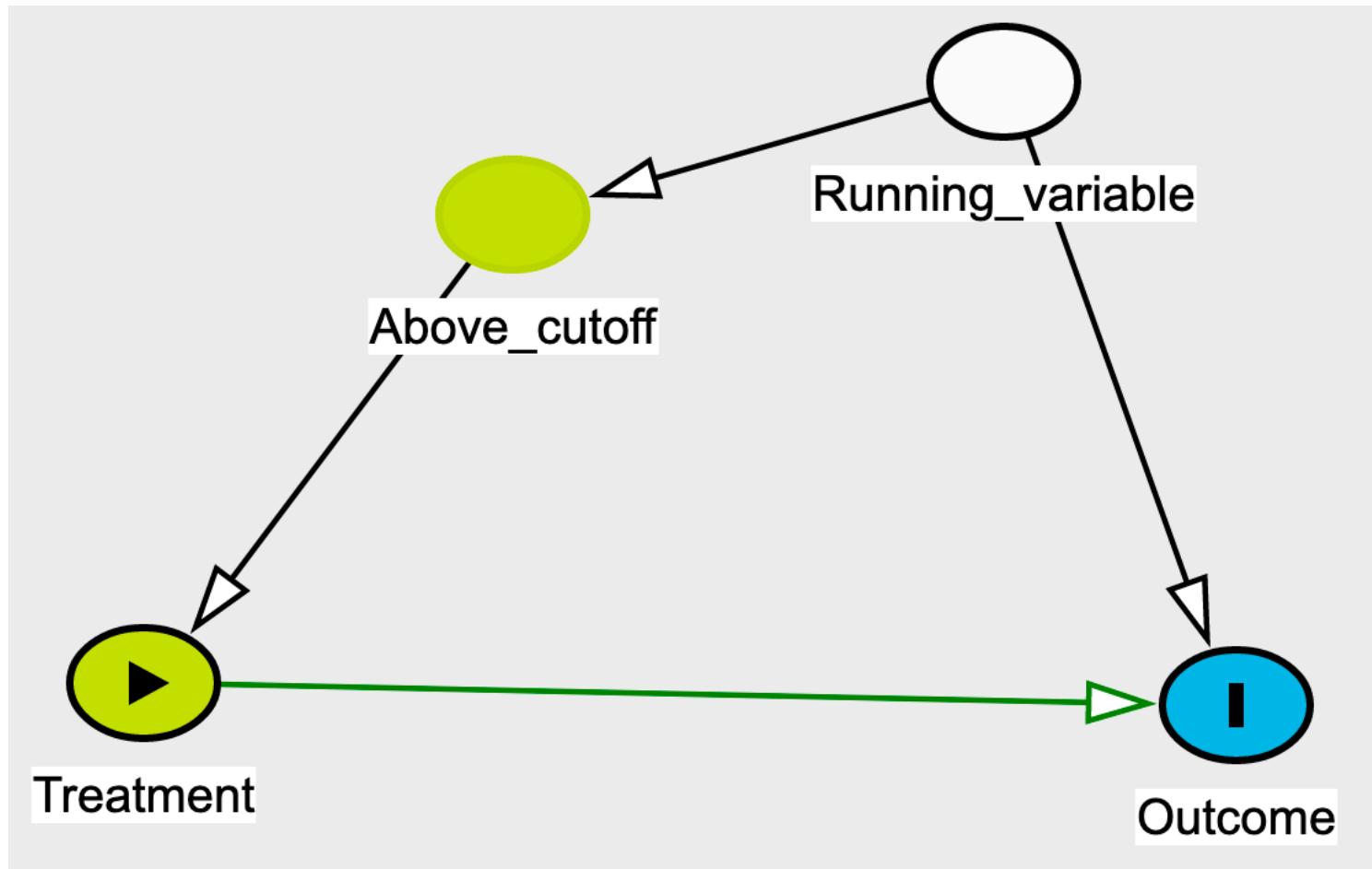
Index or measure that determines eligibility

Cutoff/cutpoint/threshold

Number that formally assigns access to program

Outcome

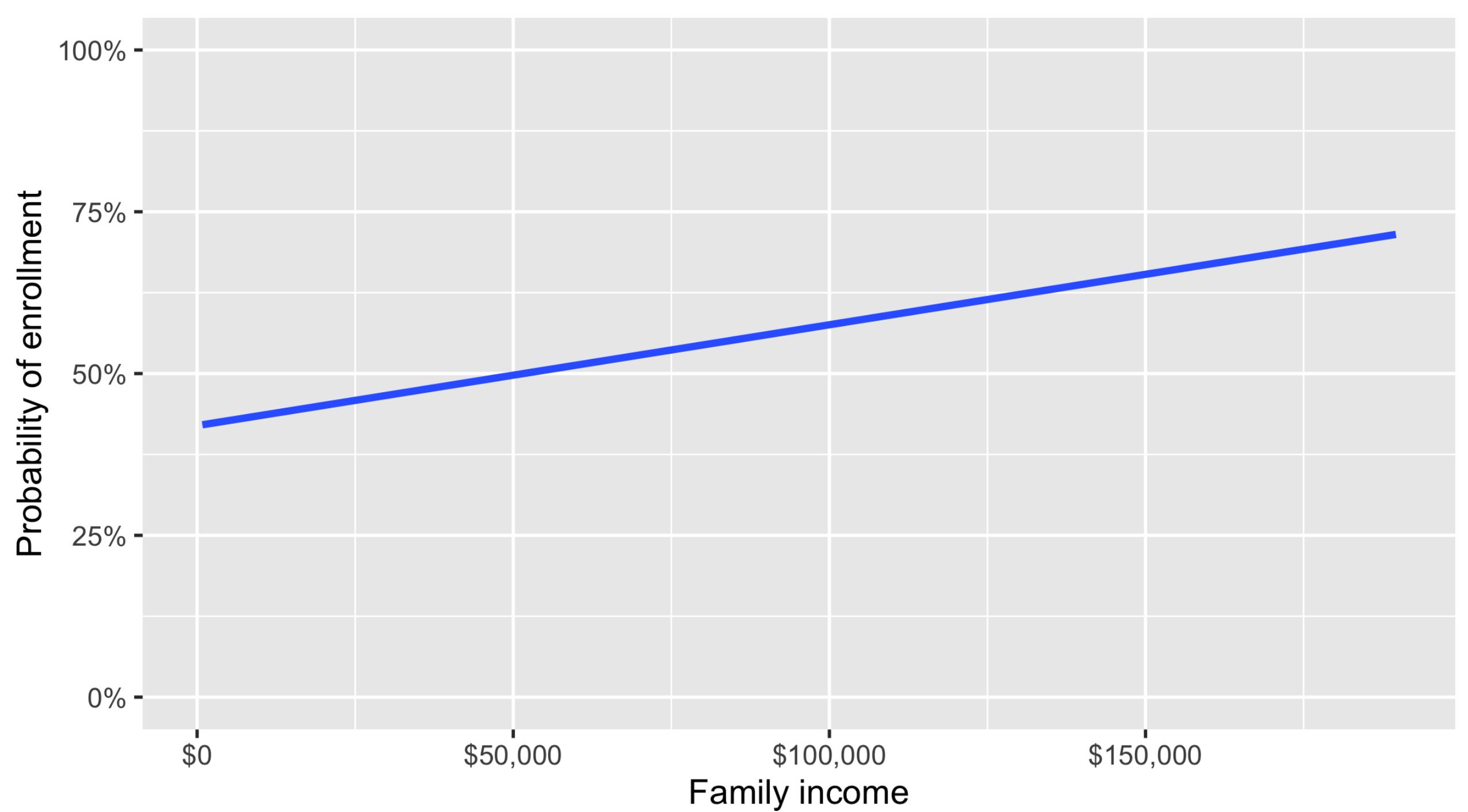
The thing you want to see the causal effect on

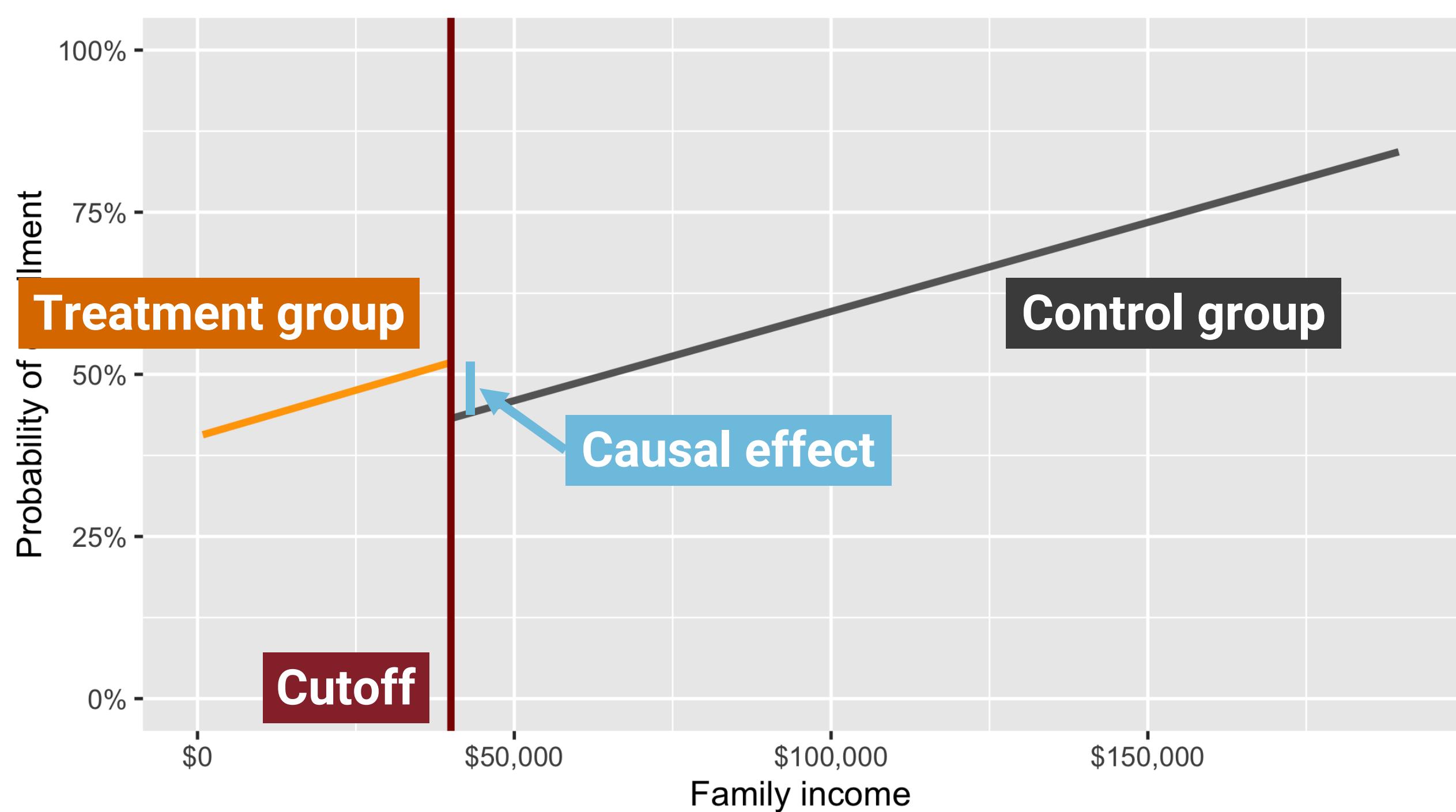


MAIN INTUITION

People right before and right after
the cutoff are essentially the same

This mimics the idea of
treatment and control groups





After Midnight: A Regression Discontinuity Design in Length of Postpartum Hospital Stays*

By DOUGLAS ALMOND[†] AND JOSEPH J. DOYLE JR.[‡]

Estimates of moral hazard in health insurance markets can be confounded by adverse selection. This paper considers a plausibly exogenous source of variation in insurance coverage for childbirth in California. We find that additional health insurance coverage induces substantial extensions in length of hospital stay for mother and newborn. However, remaining in the hospital longer has no effect on readmissions or mortality, and the estimates are precise. Our results suggest that for uncomplicated births, minimum insurance mandates incur substantial costs without detectable health benefits.

Figure 3A: Additional Midnights: Before Law Change

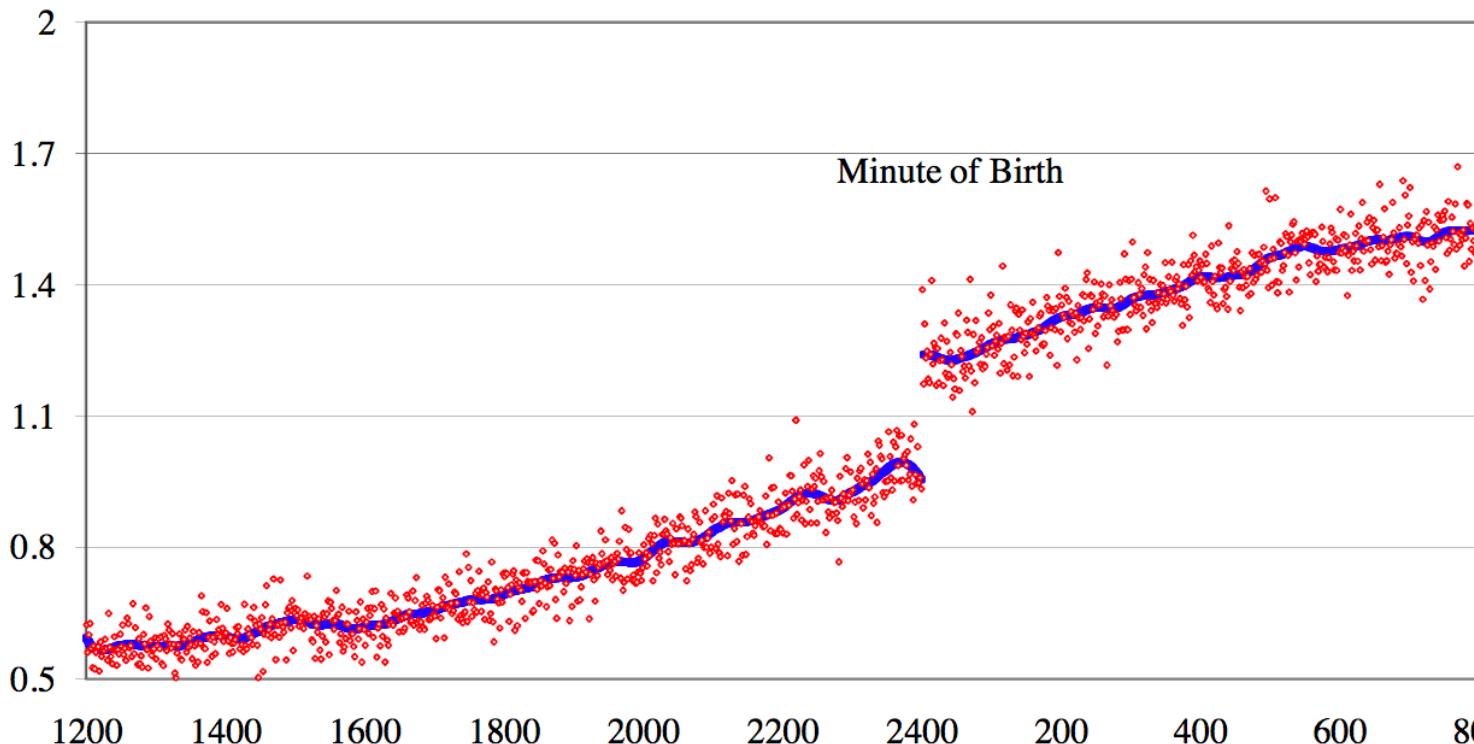


Figure 4A: 28-Day Readmission Rate: Before Law Change

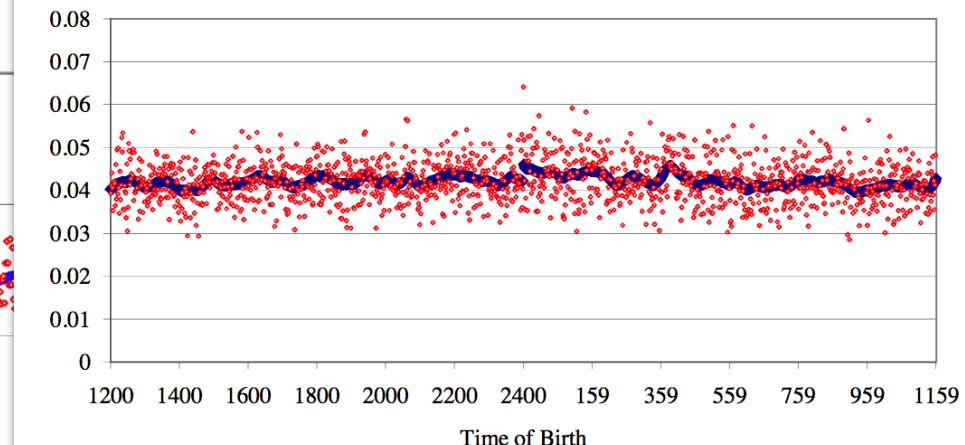
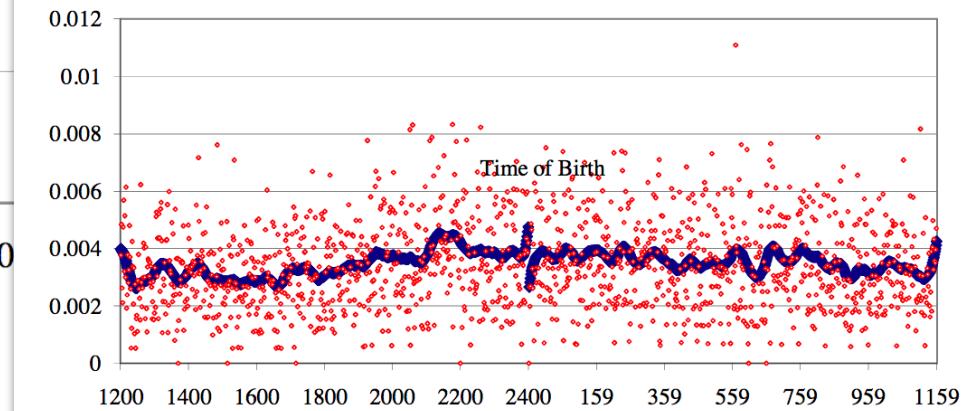


Figure 4C: 28-Day Mortality Rate: Before Law Change



THE EFFECT OF ATTENDING THE FLAGSHIP STATE UNIVERSITY ON EARNINGS: A DISCONTINUITY-BASED APPROACH

Mark Hoekstra*

Abstract—This paper examines the effect of attending the flagship state university on the earnings of 28 to 33 year olds by combining confidential admissions records from a large state university with earnings data collected through the state's unemployment insurance program. To distinguish the effect of attending the flagship state university from the effects of confounding factors correlated with the university's admission decision or the applicant's enrollment decision, I exploit a large discontinuity in the probability of enrollment at the admission cutoff. The results indicate that attending the most selective state university causes earnings to be approximately 20% higher for white men.

I. Introduction

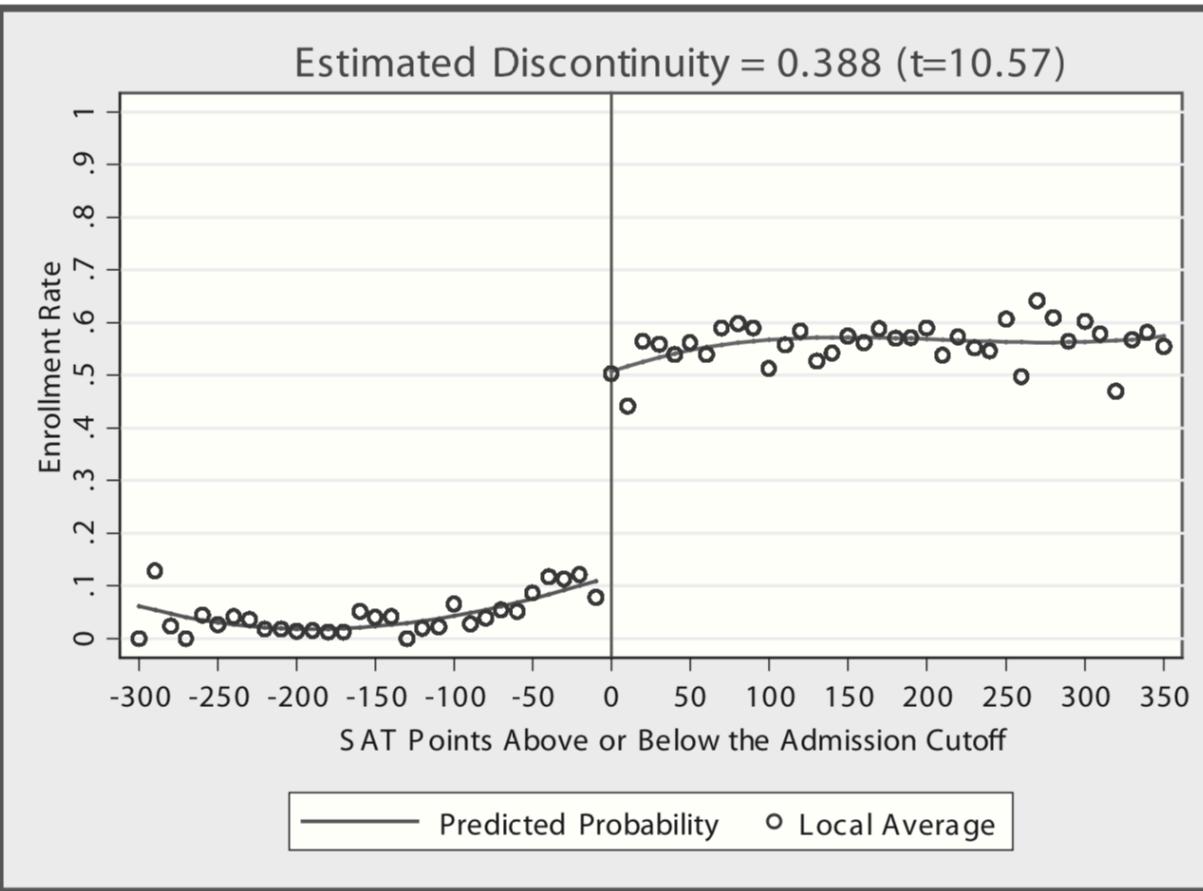
WHILE there has been considerable study of the effect of educational attainment on earnings, less is known regarding the economic returns to college quality. This paper examines the economic returns to college quality in the context of attending the most selective public state university. It does so using an intuitive regression discontinuity design that compares the earnings of 28 to 33 year olds who were barely admitted to the flagship to those of individuals who were barely rejected.

Convincingly estimating the economic returns to college quality requires overcoming the selection bias arising from

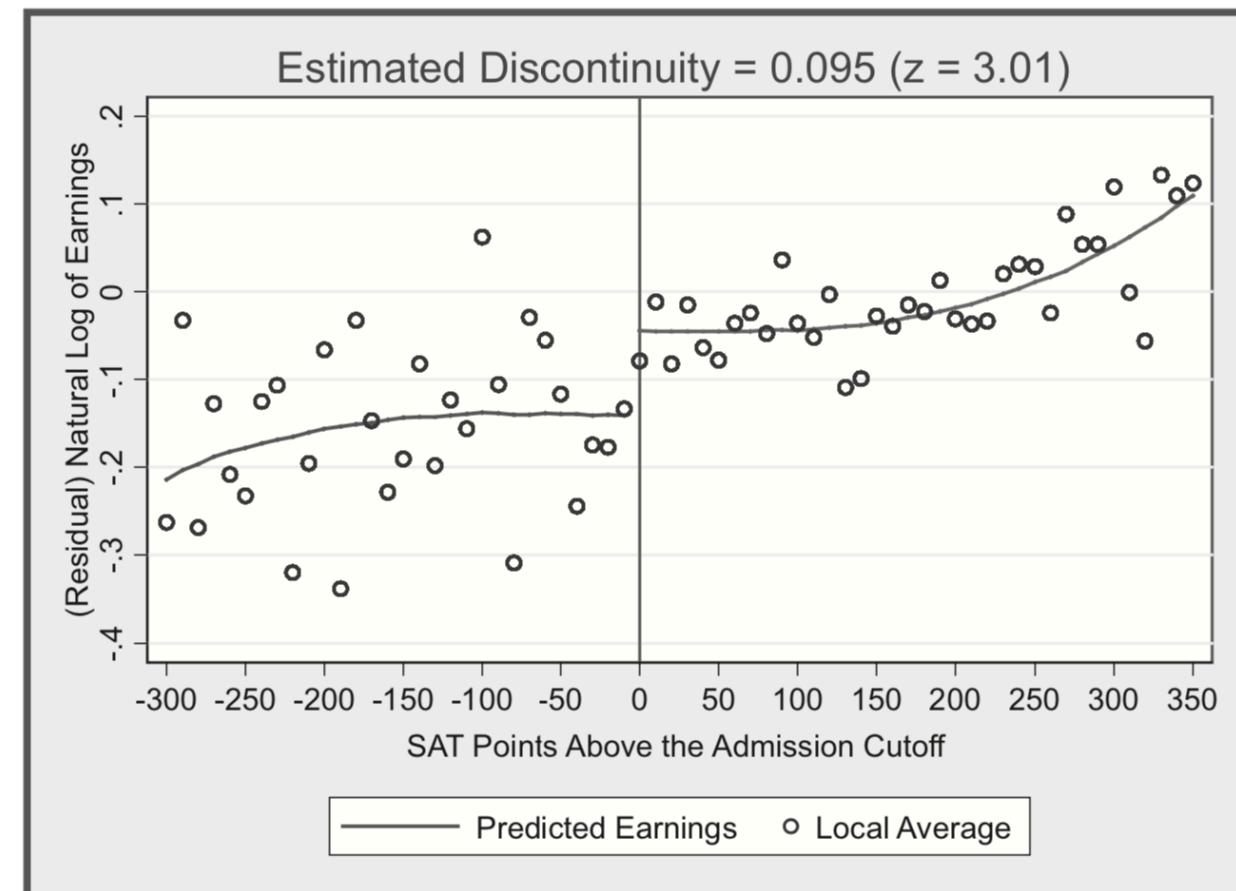
leges but chose to attend less selective institutions. They find that attending more selective colleges has a positive effect on earnings only for students from low-income families. Brewer, Eide, and Ehrenberg (1999) estimate the payoff by explicitly modeling high school students' choice of college type and find significant returns to attending an elite private institution for all students. Behrman, Rosenzweig, and Taubman (1996) identify the effect by comparing female twin pairs and find evidence of a positive payoff from attending Ph.D.-granting private universities with well-paid senior faculty. Using a similar approach, Lindahl and Regner (2005) use Swedish sibling data and show that cross-sectional estimates of the selective college wage premium are twice the within-family estimates.

This paper uses a different strategy in that it identifies the effect of school selectivity on earnings by comparing the earnings of those just below the cutoff for admission to the flagship state university to those of applicants who were barely above the cutoff for admission. To do so, I combined confidential administrative records from a large flagship state university with earnings records collected by the state

FIGURE 1.—FRACTION ENROLLED AT THE FLAGSHIP STATE UNIVERSITY



NATURAL LOG OF ANNUAL EARNINGS FOR WHITE MEN TEN TO FIFTEEN YEARS AFTER HIGH SCHOOL GRADUATION (F
POLYNOMIAL OF ADJUSTED SAT SCORE)



MEASURING THE SIZE OF THE DISCONTINUITY

The size of the discontinuity depends
on how you draw the trend lines on
each side of the cutoff

There's no one right way to draw lines!

Parametric

Nonparametric

Bandwidths

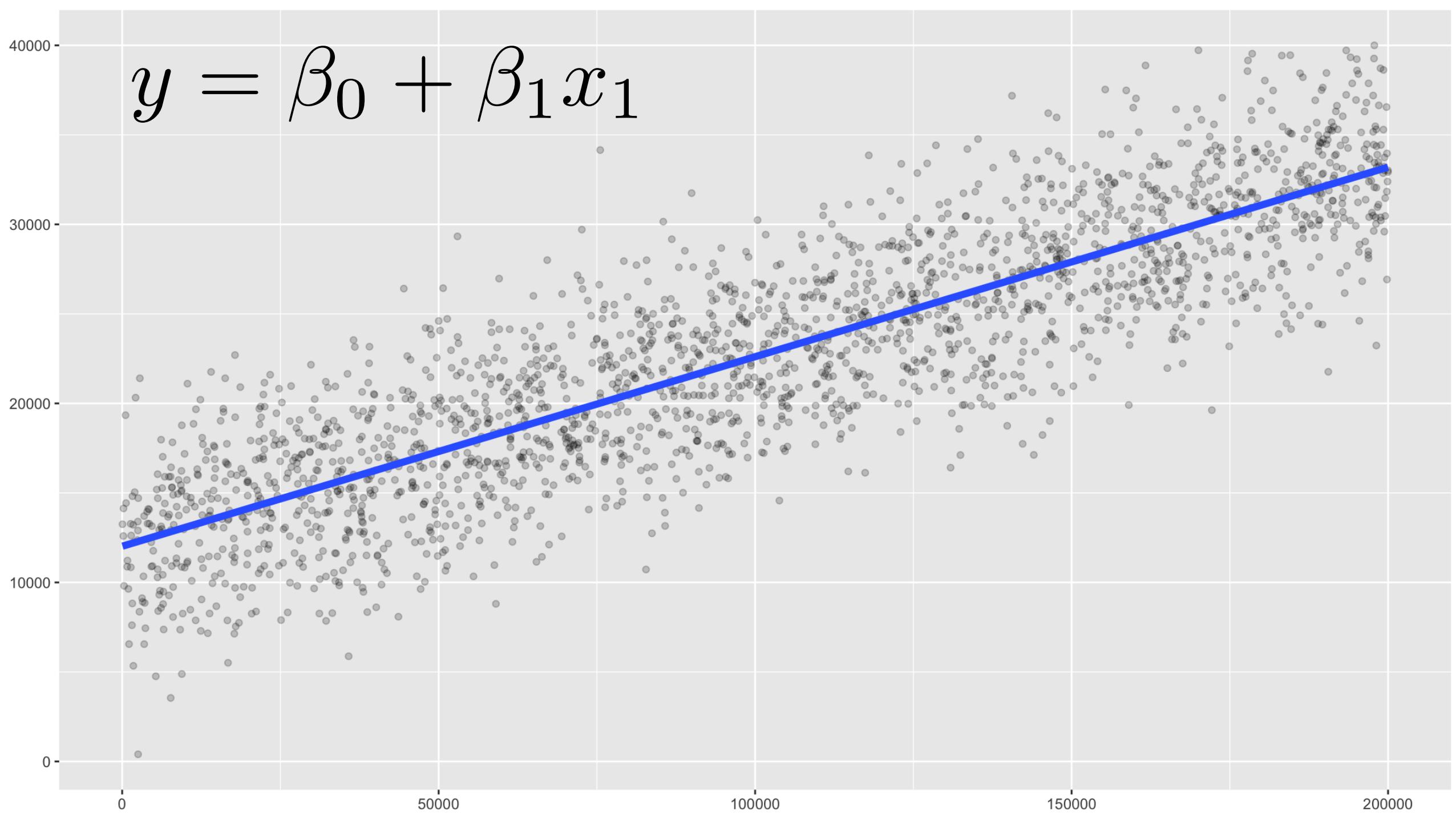
Kernels

PARAMETRIC LINES

Formulas with *parameters*

$$y = mx + b \quad y = \beta_0 + \beta_1 x_1 + \beta_2 x_2$$

$$y = \beta_0 + \beta_1 x_1$$



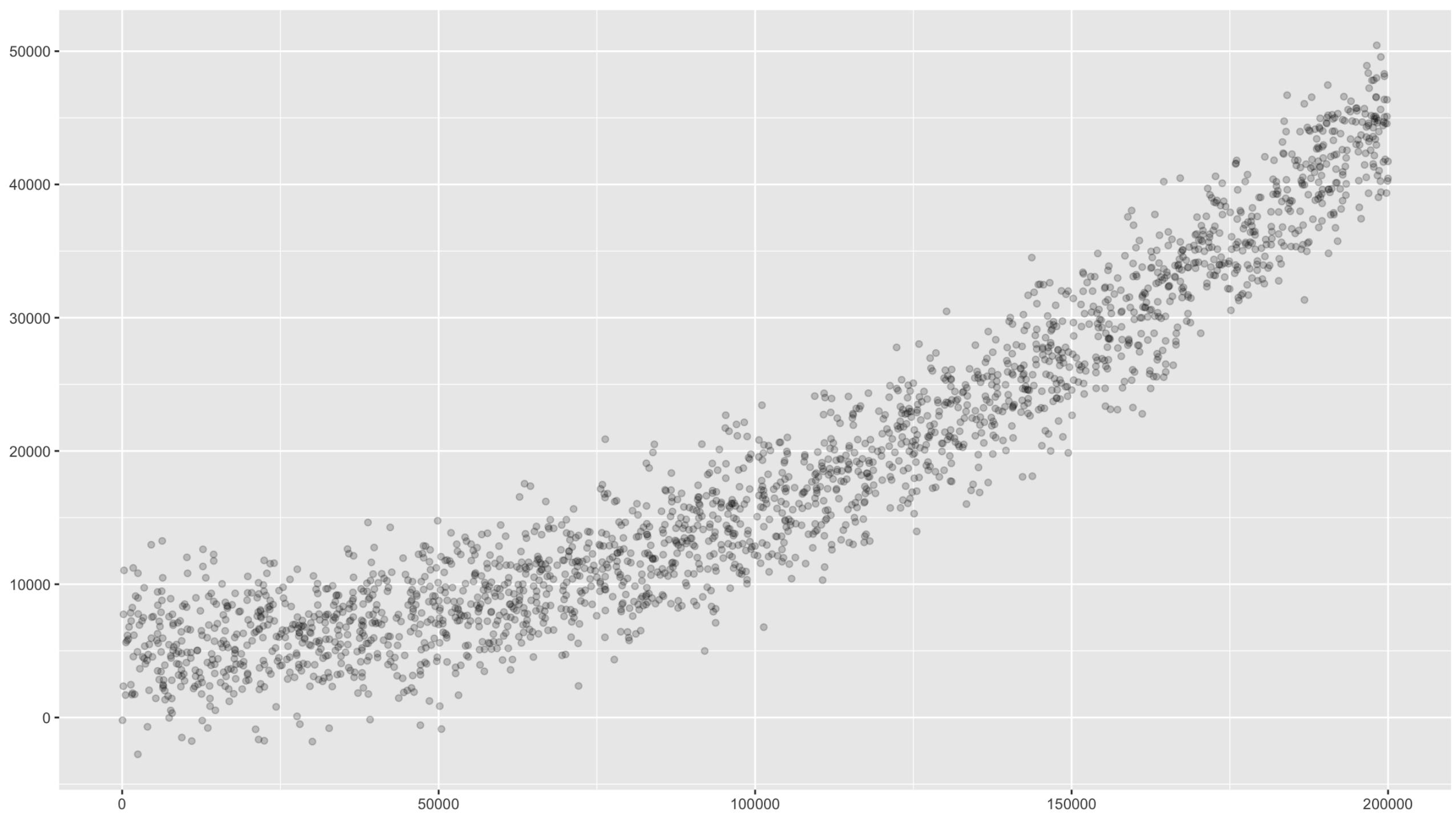
PARAMETRIC LINES

Formulas with *parameters*

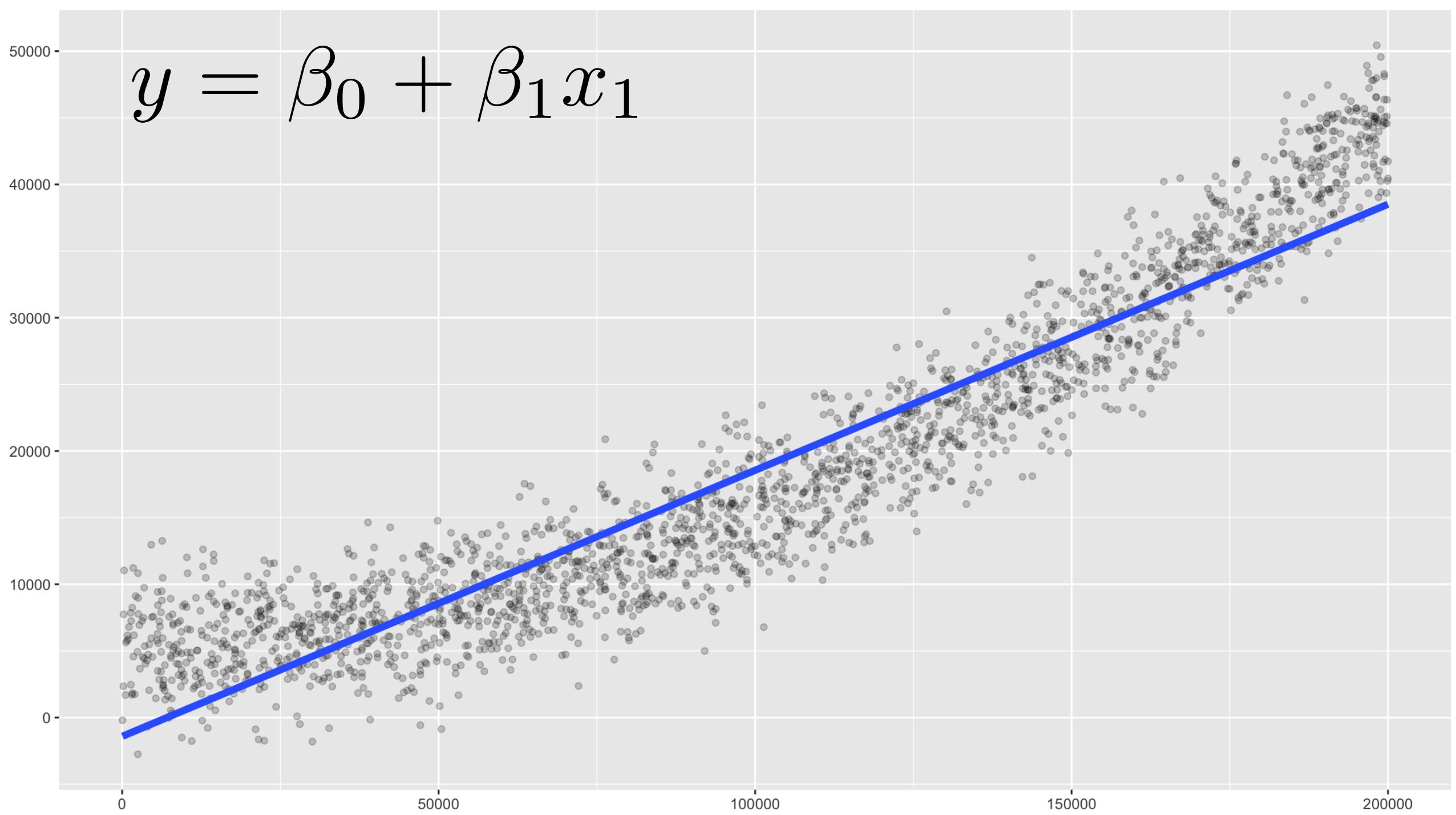
$$y = mx + b \quad y = \beta_0 + \beta_1 x_1 + \beta_2 x_2$$

Not just for straight lines!
Make curvy with exponents

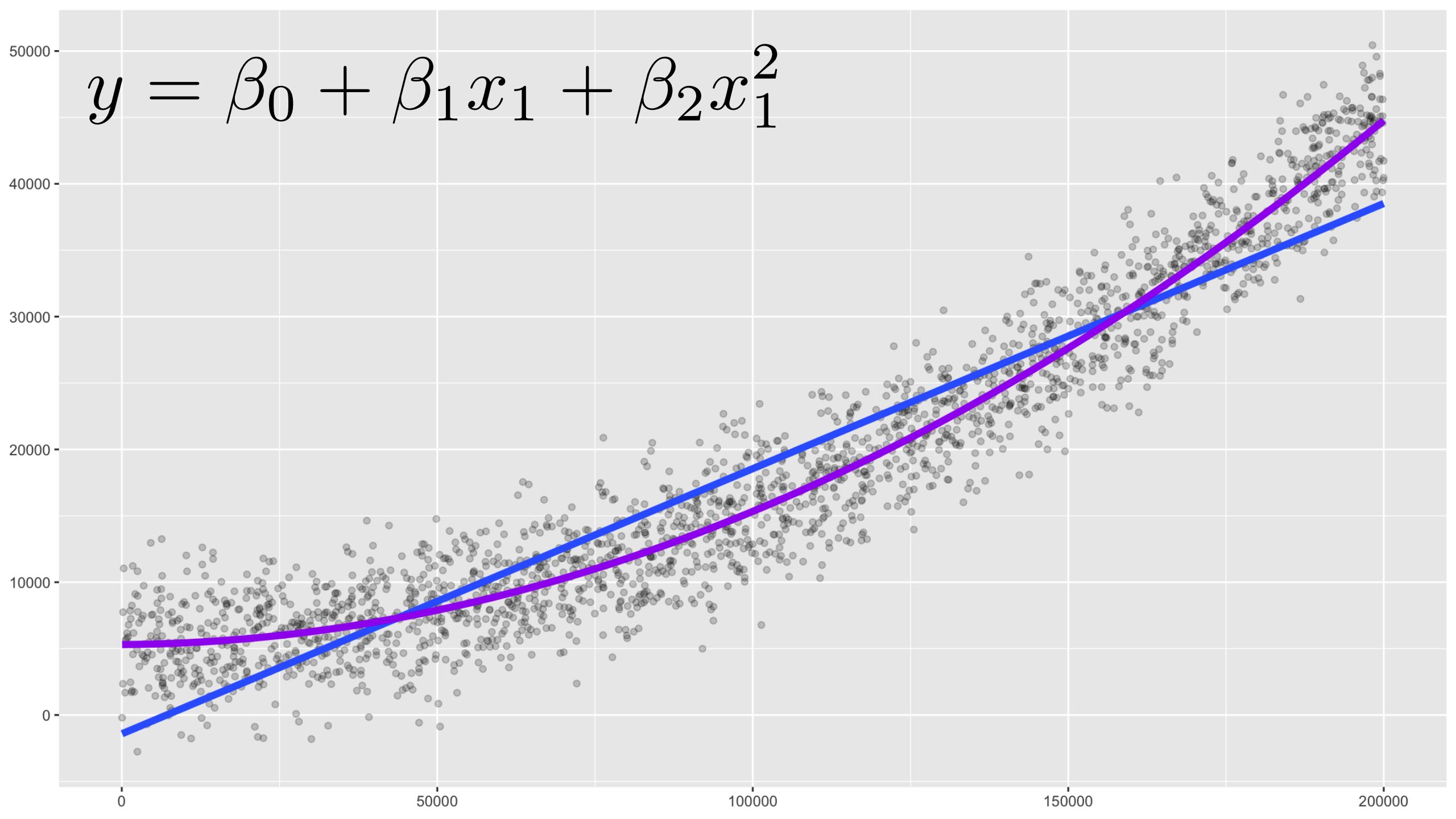
$$y = \beta_0 + \beta_1 x_1 + \beta_2 x_1^2$$

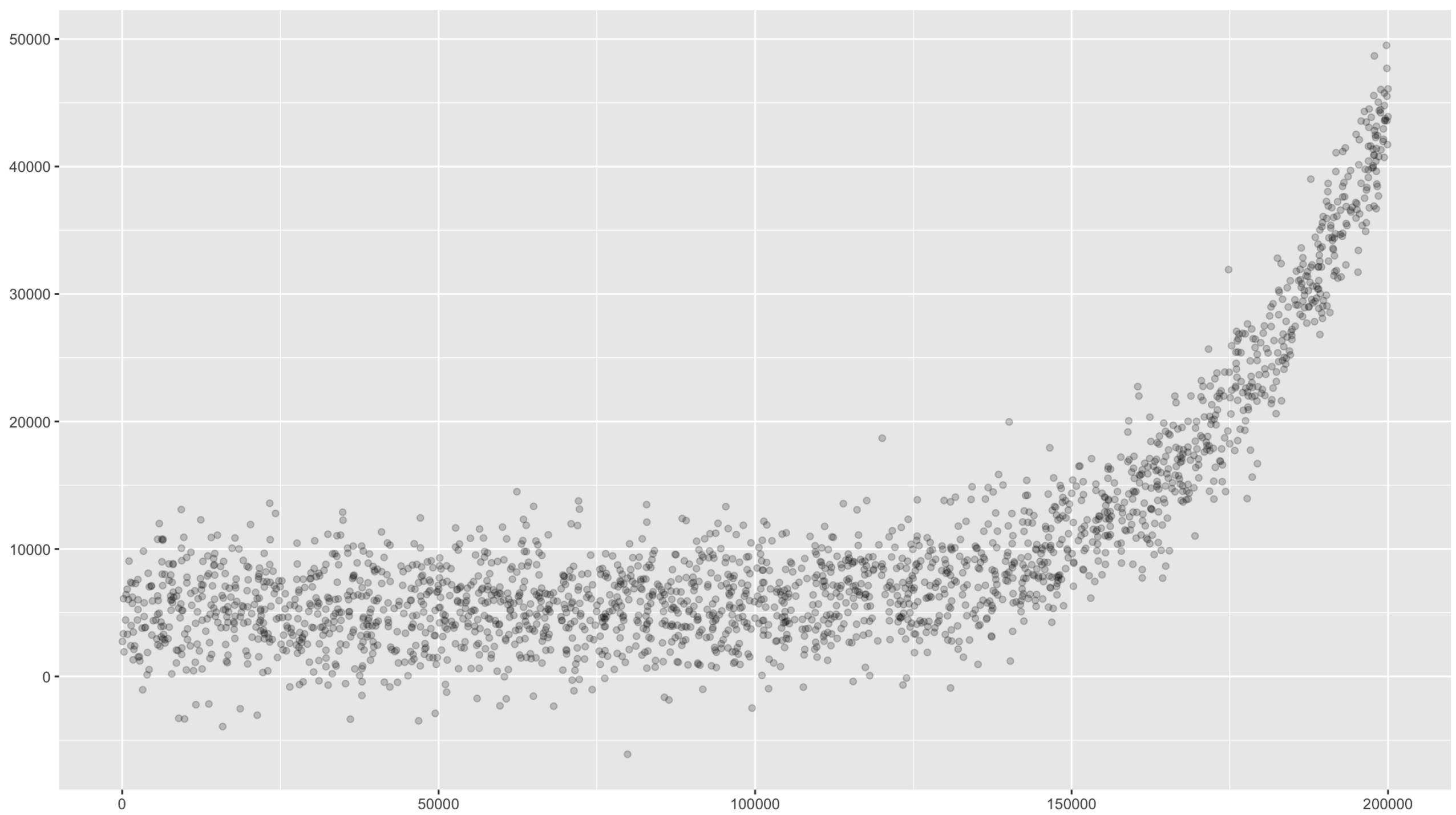


$$y = \beta_0 + \beta_1 x_1$$

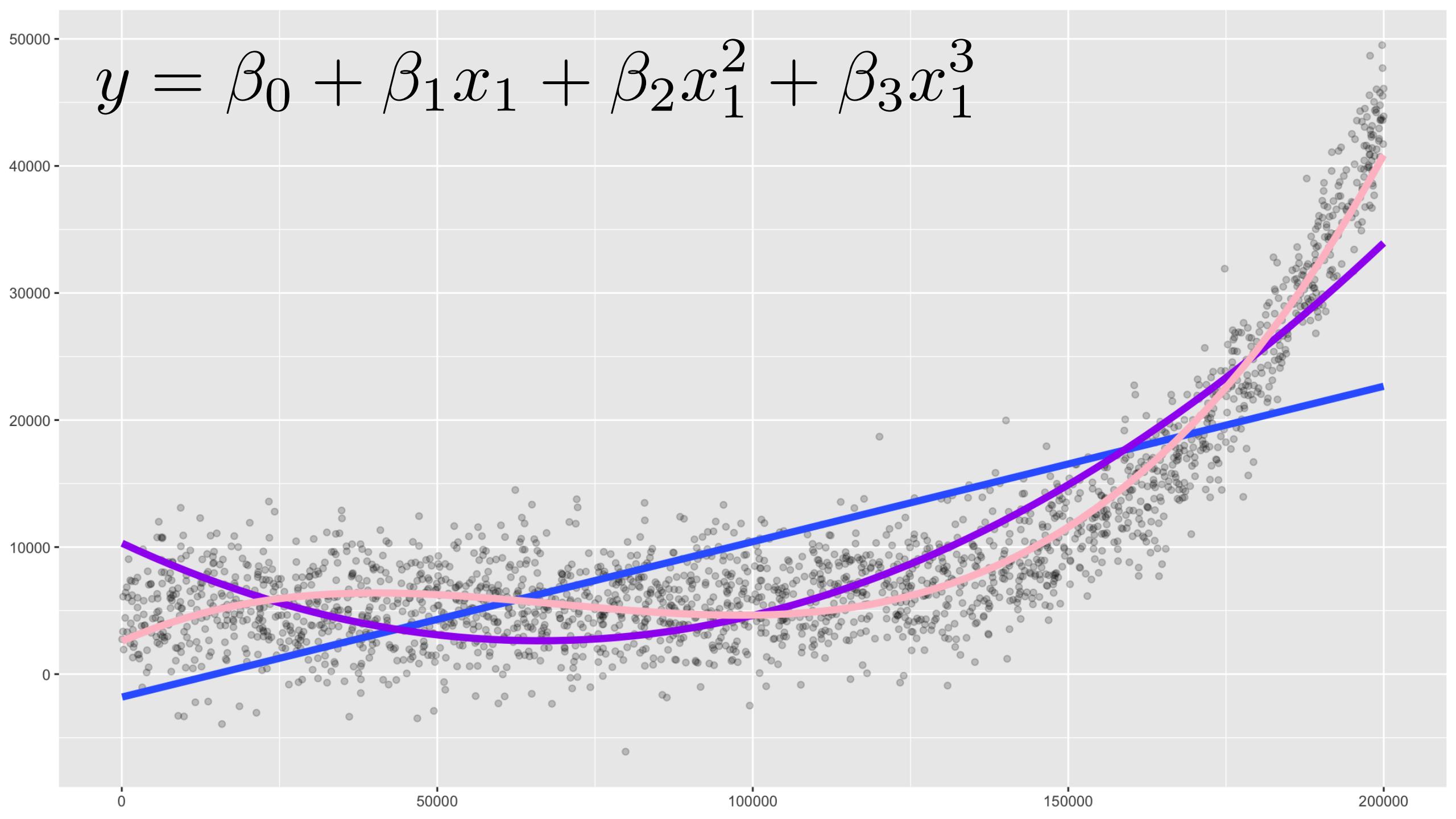


$$y = \beta_0 + \beta_1 x_1 + \beta_2 x_1^2$$





$$y = \beta_0 + \beta_1 x_1 + \beta_2 x_1^2 + \beta_3 x_1^3$$



MEASURING THE GAP

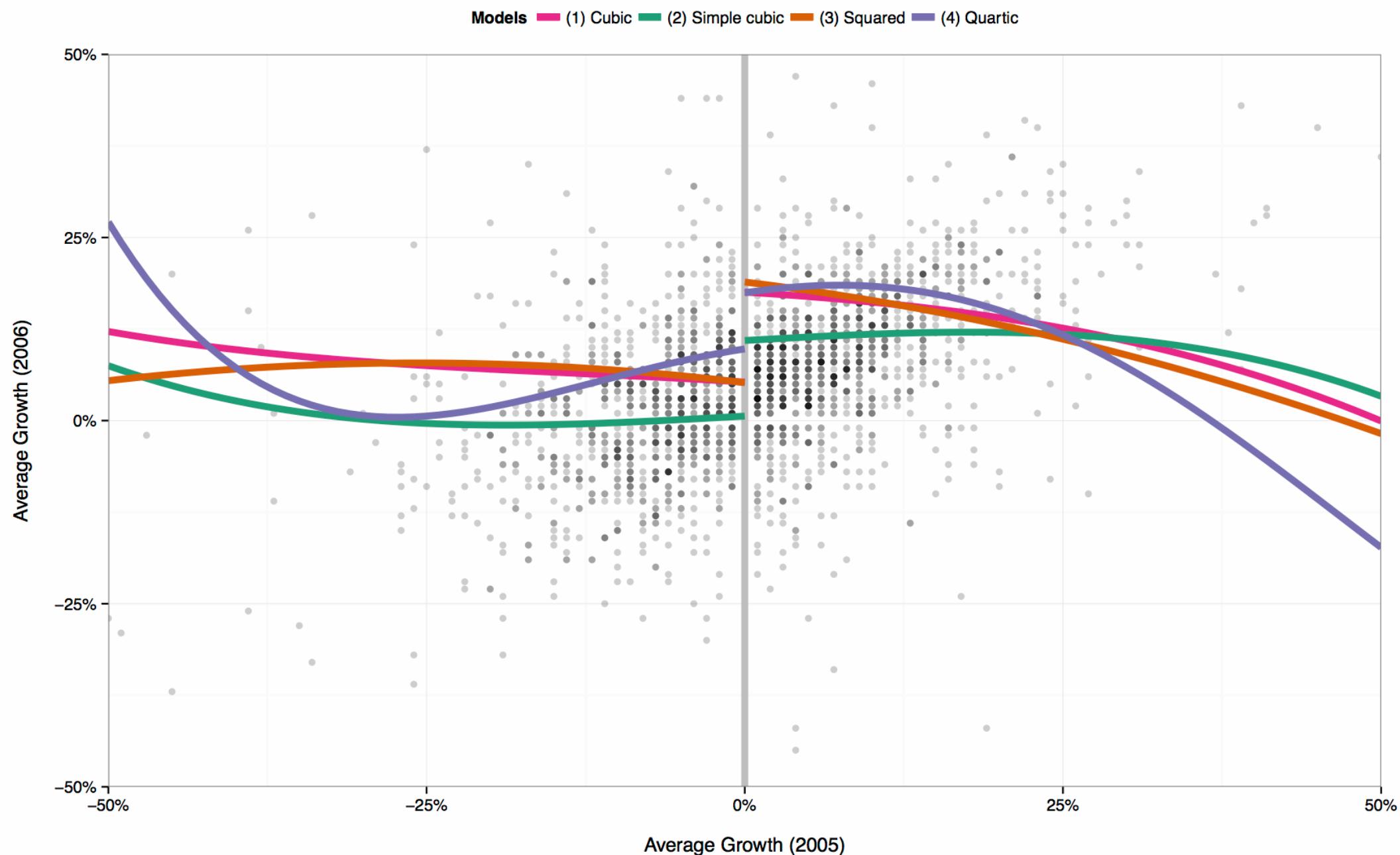
$y = \beta_0 + \beta_1 \text{Running variable (centered)} + \beta_2 \text{Indicator for treatment}$

ID	outcome	running_var	running_var_centered	treatment
1	90.0	64	-6	FALSE
2	85.7	70	0	TRUE
3	85.8	73	3	TRUE
4	85.7	60	-10	FALSE
5	84.4	71	1	TRUE

term	estimate	std.error	statistic	p.value
<chr>	<dbl>	<dbl>	<dbl>	<dbl>
1 (Intercept)	93.7	3.24	28.9	0.00120
2 running_var_centered	0.726	0.386	1.88	0.201
3 treatmentTRUE	-9.33	3.82	-2.44	0.135

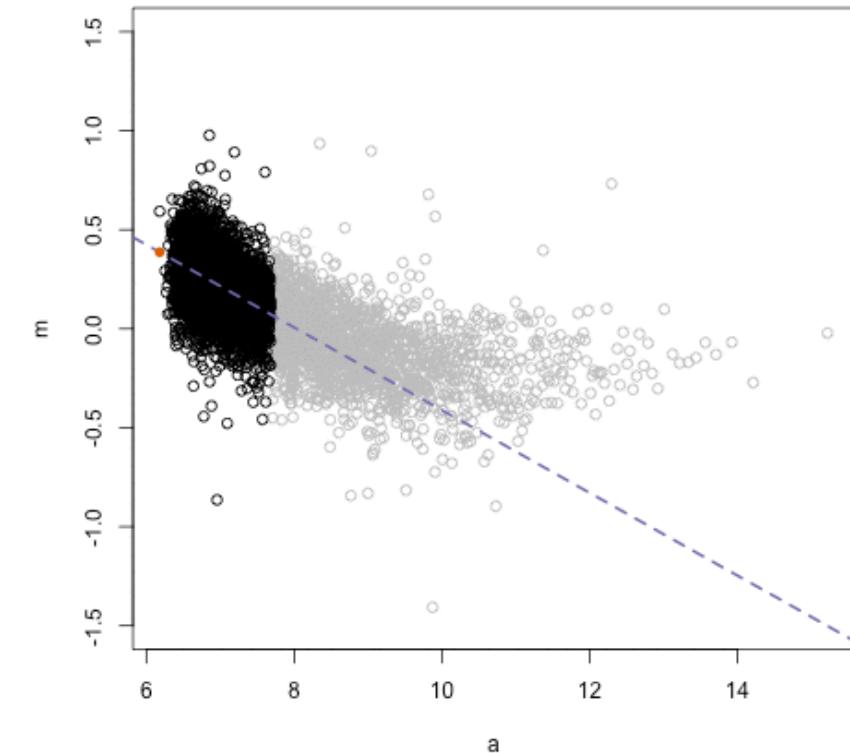
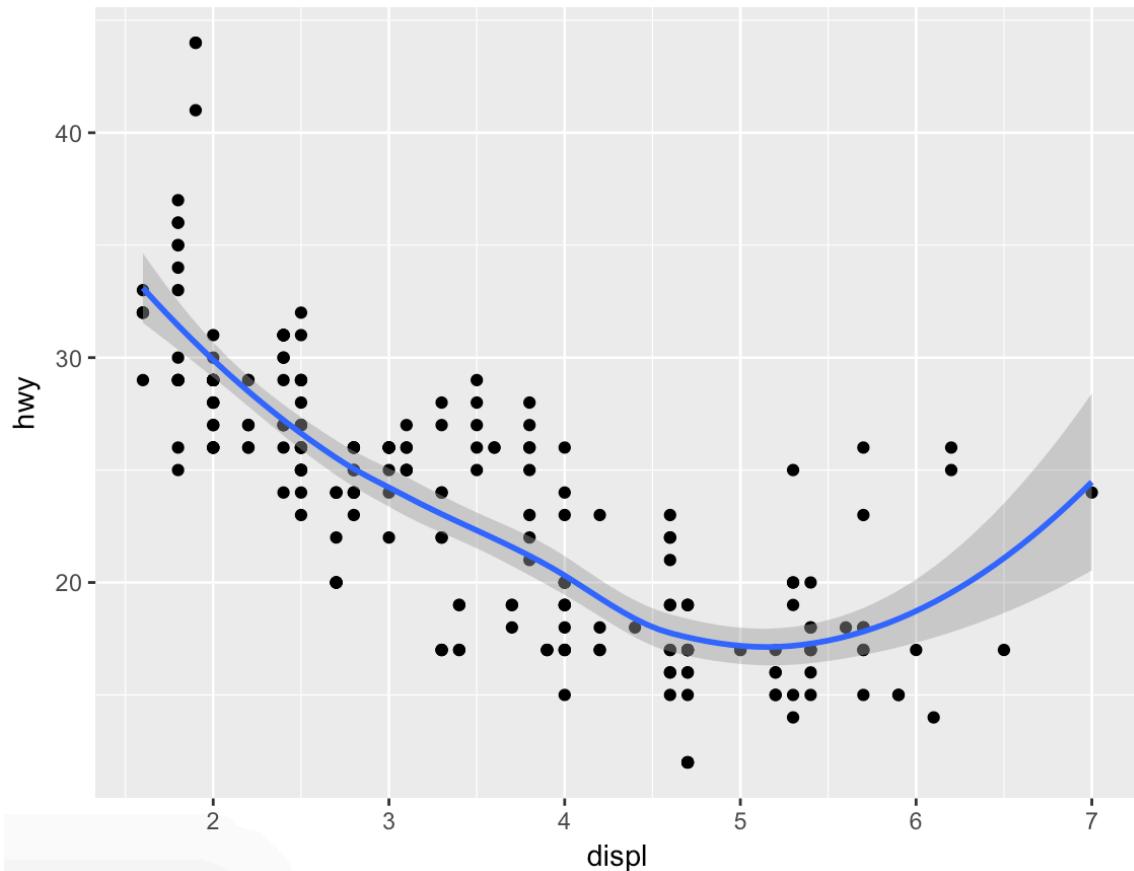


Parametric discontinuity models

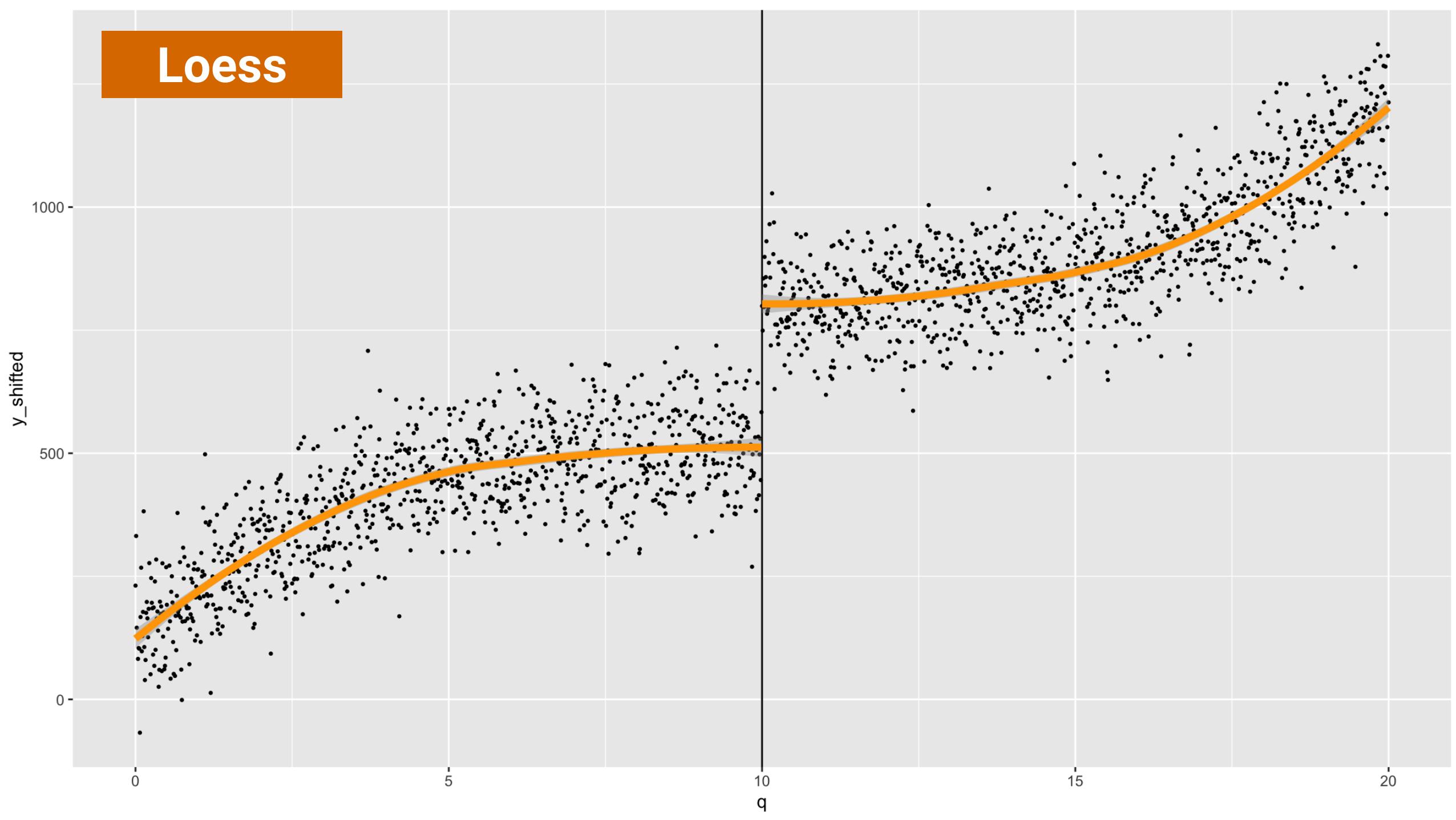


NONPARAMETRIC LINES

Lines without parameters

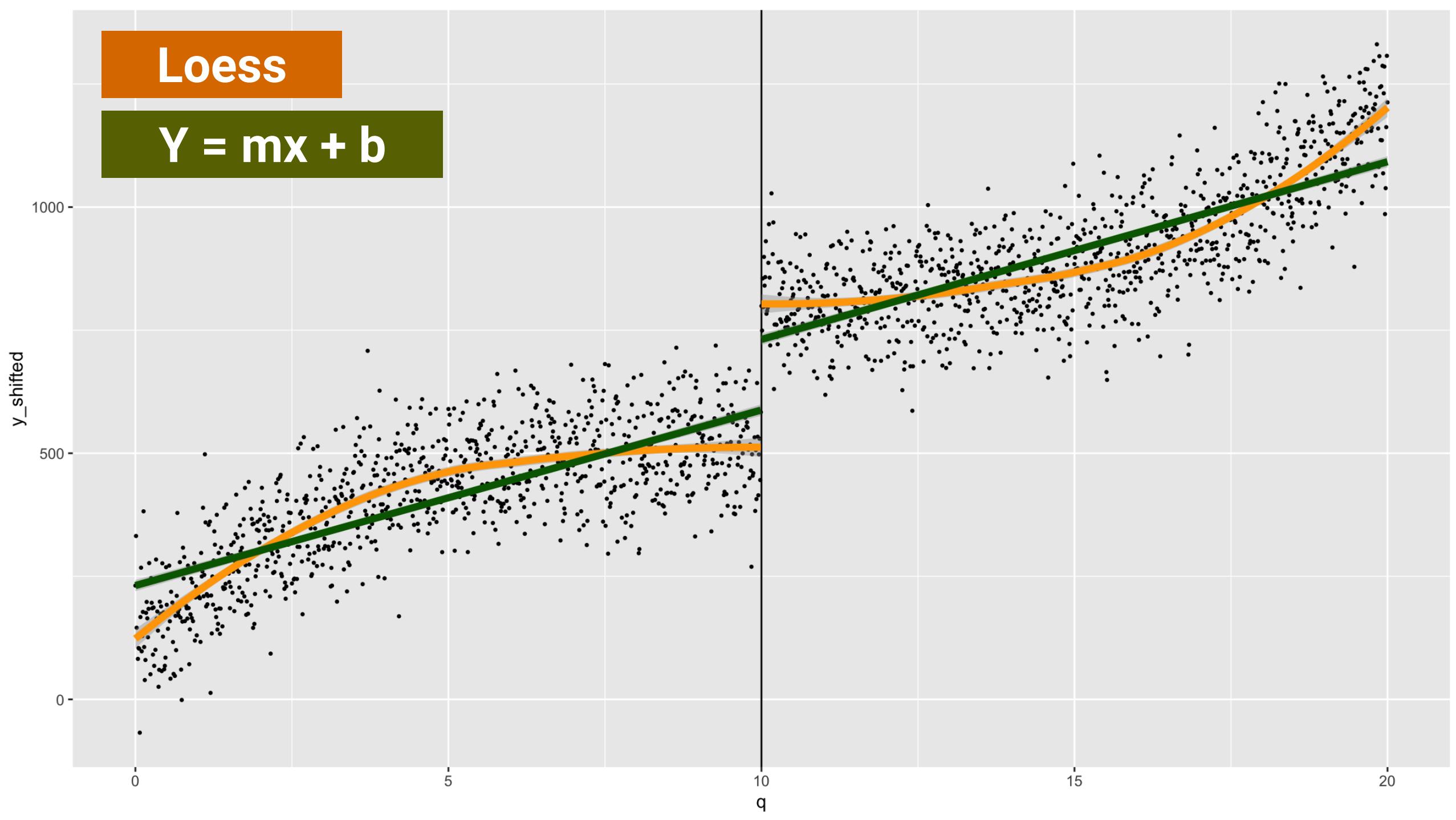


Loess



Loess

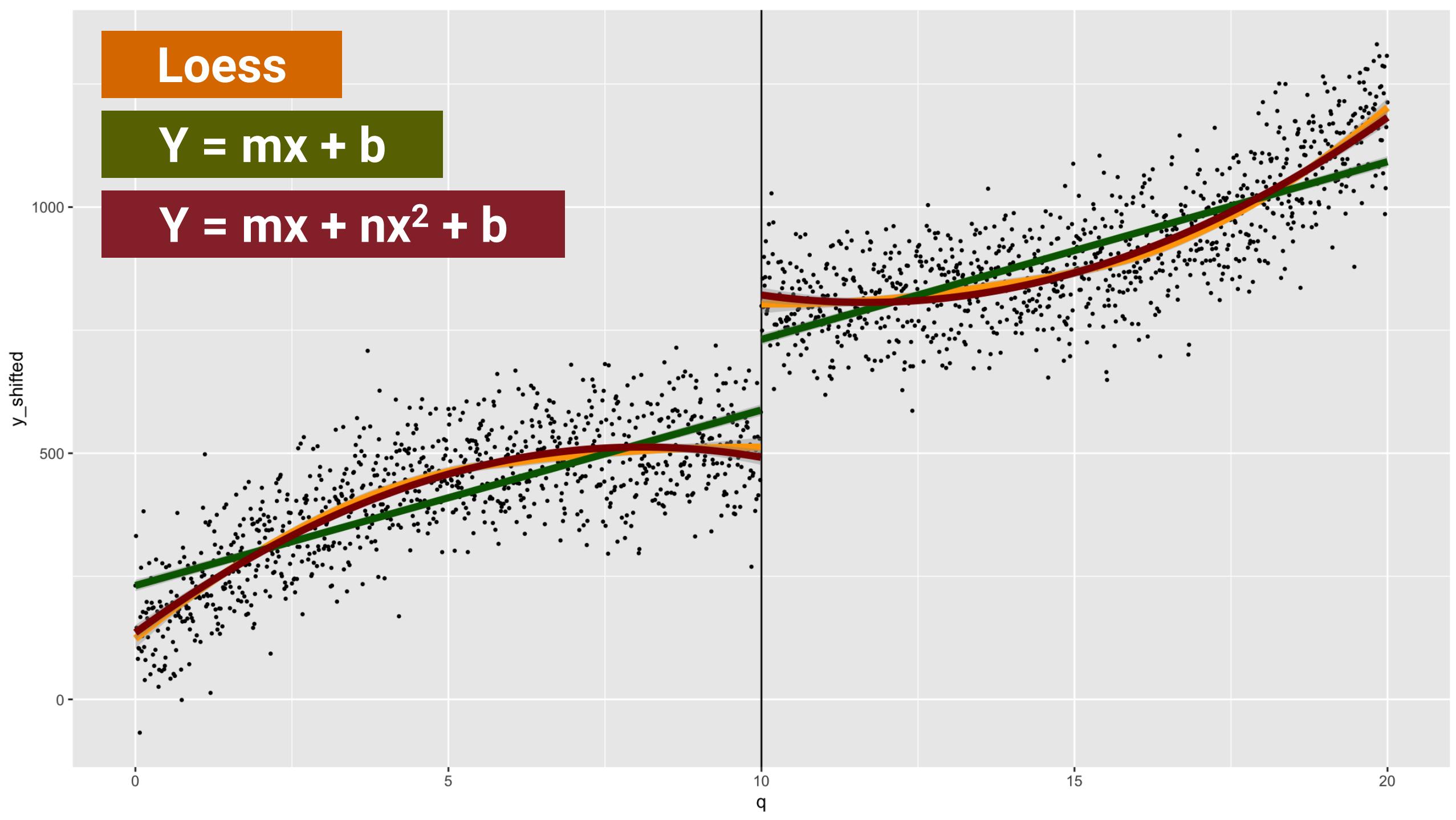
$Y = mx + b$



Loess

$Y = mx + b$

$Y = mx + nx^2 + b$



BANDWIDTHS

All you really care about is the area
right around the cutoff

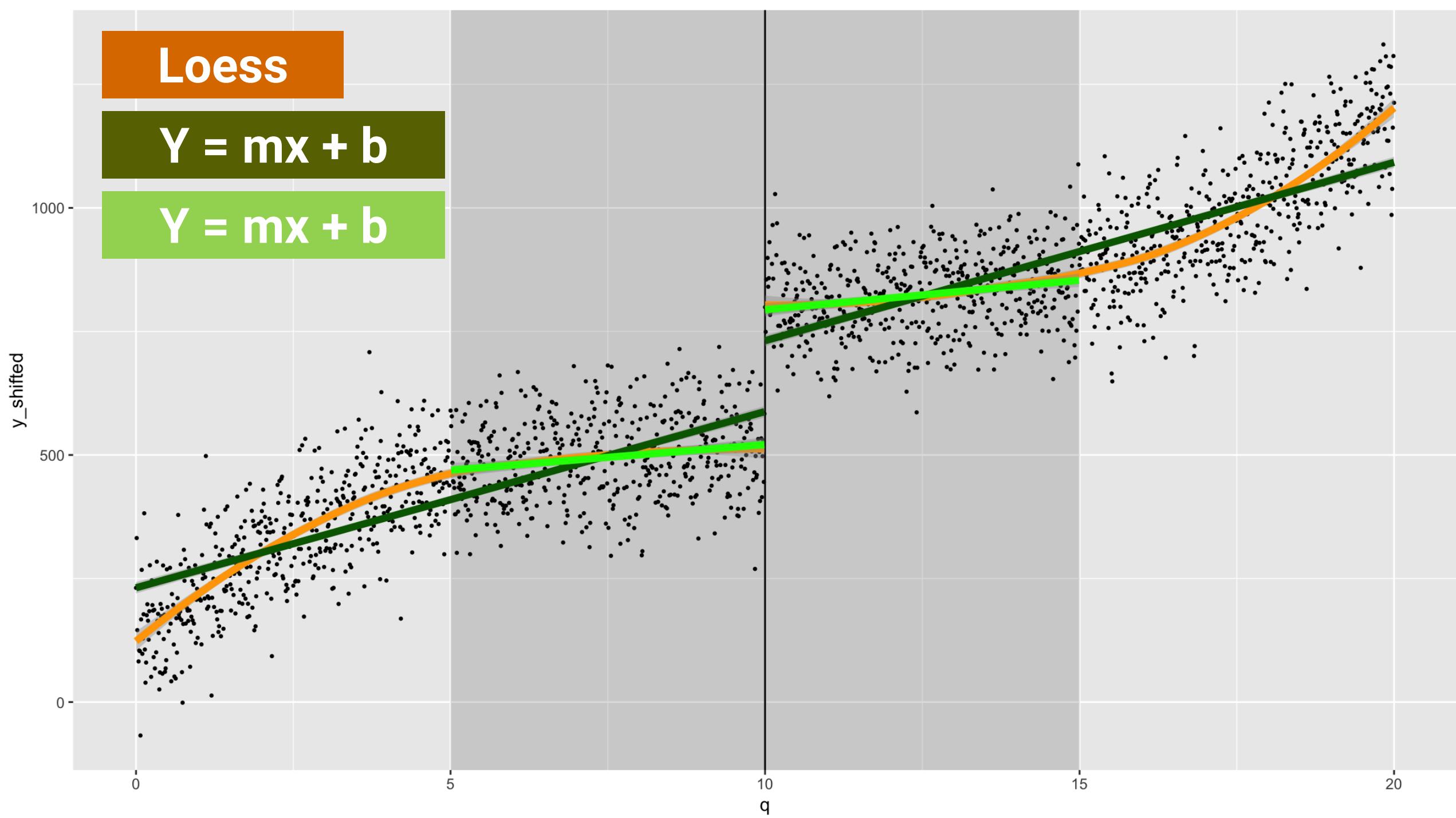
Observations far away from
cutoff don't really matter

**Bandwidth = window around cutoff
where you focus your analysis**

Loess

$$Y = mx + b$$

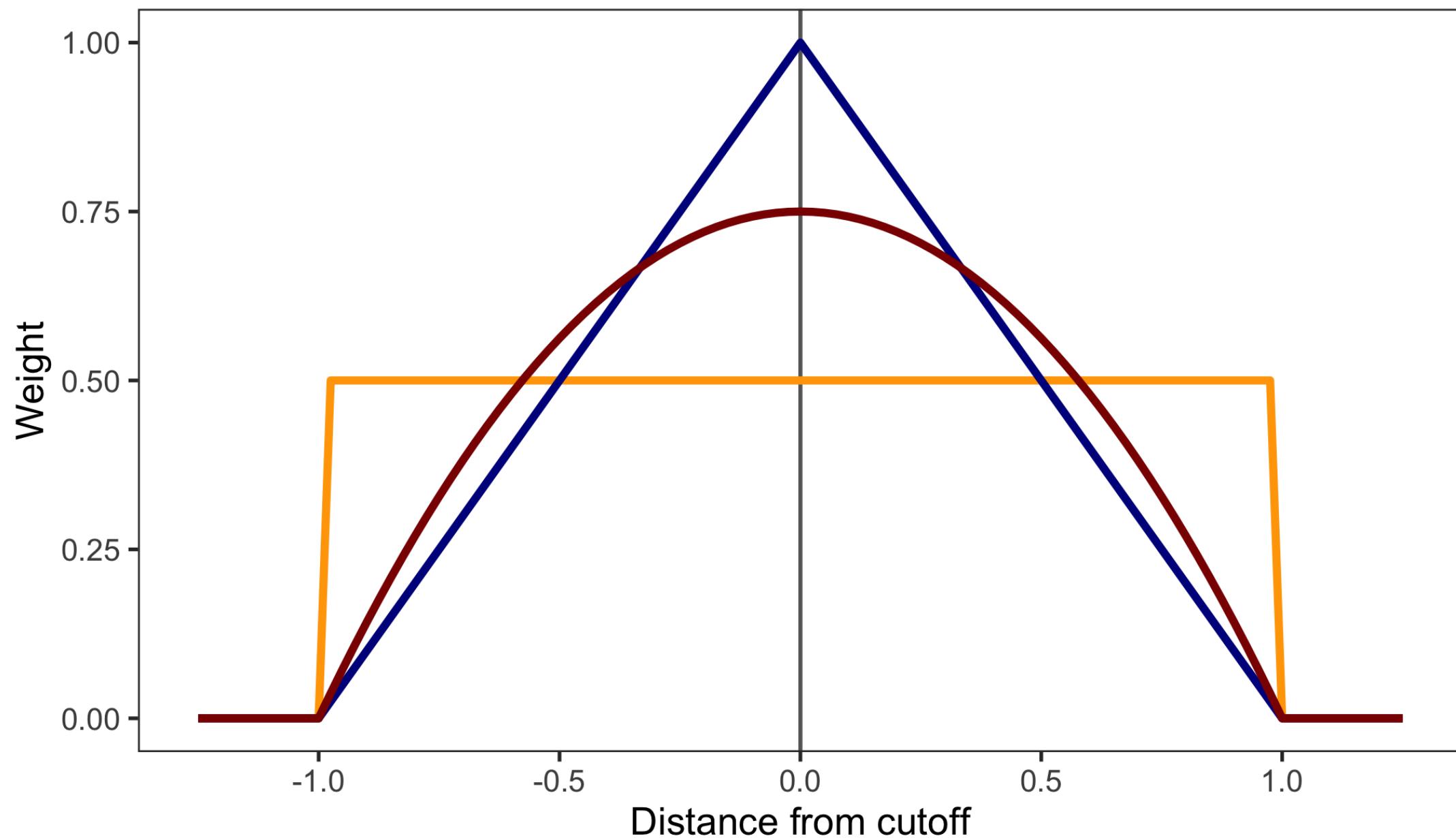
$$Y = mx + b$$



KERNELS

You care the most about observations right by the cutoff, so give them extra weight

Kernel = method for assigning importance to values by distance to cutoff



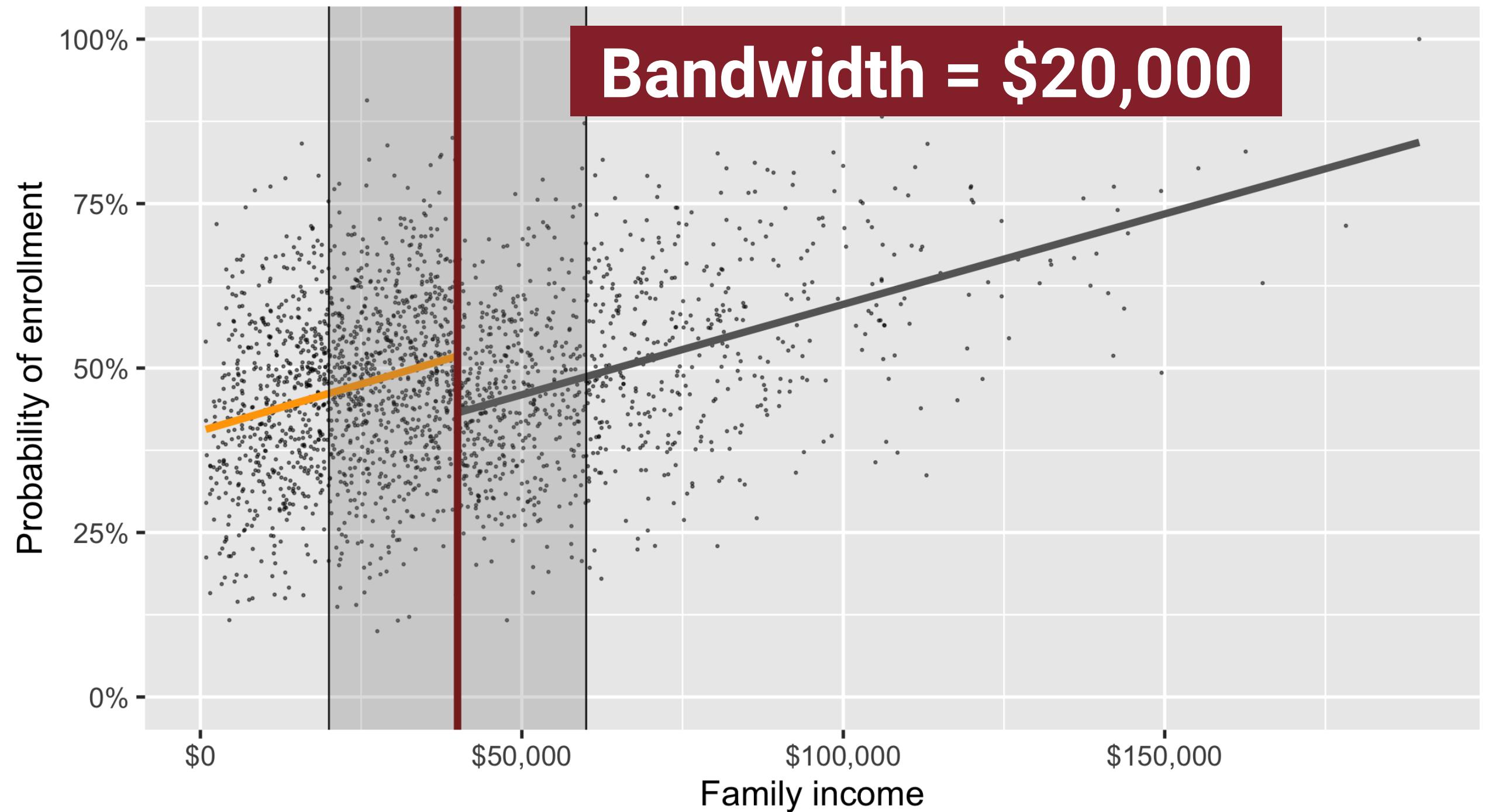
— Epanechnikov — Triangular — Uniform

MAIN RDD CONCERNS

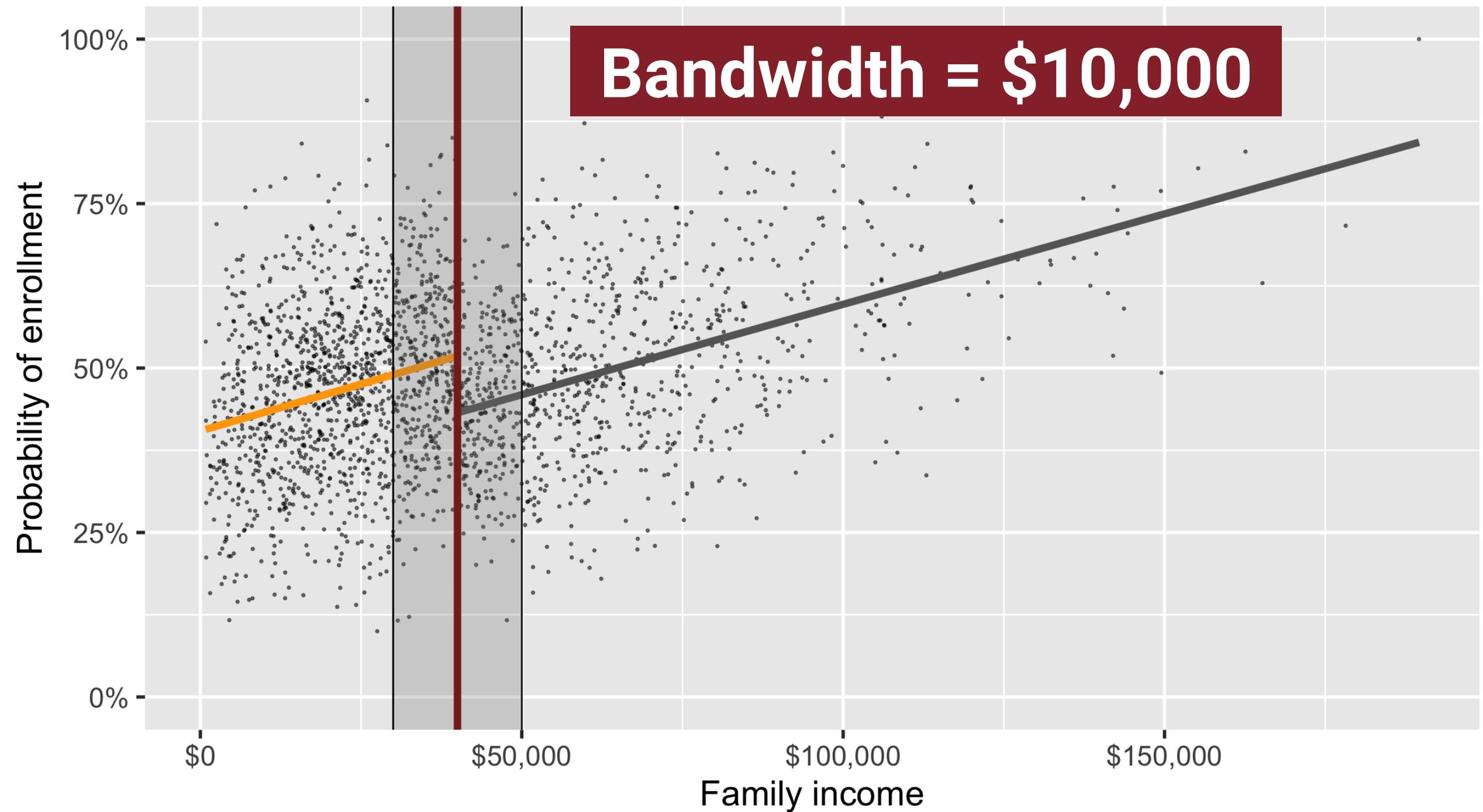
GREEDY METHOD

You need lots of data, since
you're throwing lots of it away

Bandwidth = \$20,000



Bandwidth = \$10,000



LATE VS. ATE

You're only measuring the ATE
for people in the bandwidth

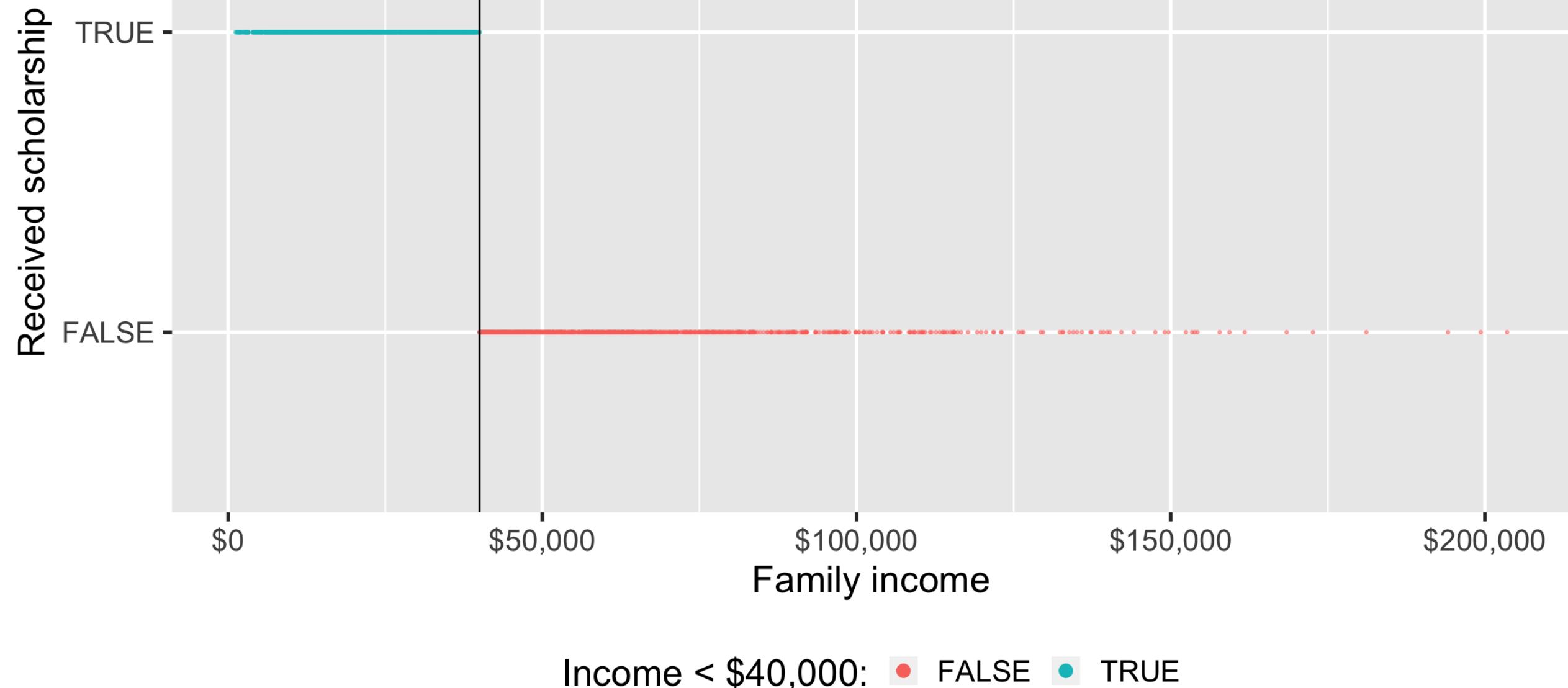
Local Average Treatment Effect
(LATE)

NONCOMPLIANCE

**People on the margin of the discontinuity
might end up in/out of the program**

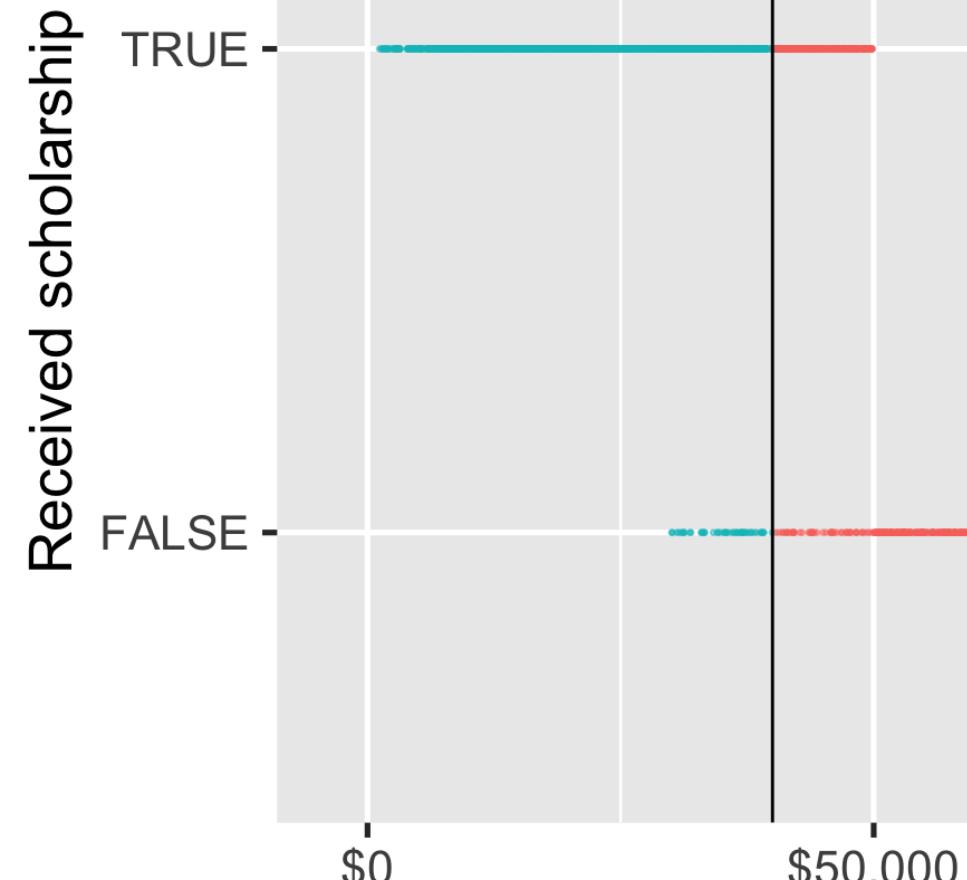
The ACA, Medicaid, and
138% of the poverty line

Sharp discontinuity



Fuzzy discontinuity

Address with instrumental variables (next week!)



Income < \$40,000: ● FALSE ● TRUE

RDD WITH R

1: Is assignment to treatment rule-based?

If not, stop!

2: Is design fuzzy or sharp?

Either is fine; sharp is easier.

3: Is there a discontinuity in running variable at cutpoint?

Hopefully not.

4: Is there a discontinuity in outcome variable at cutpoint in running variable?

Hopefully.

5: How big is the gap?

Measure parametrically and nonparametrically.