

EEE 108L MICRO-ELECTRONICS 1

LAB 7

Lab Session: Tuesday 3PM - 5:40PM

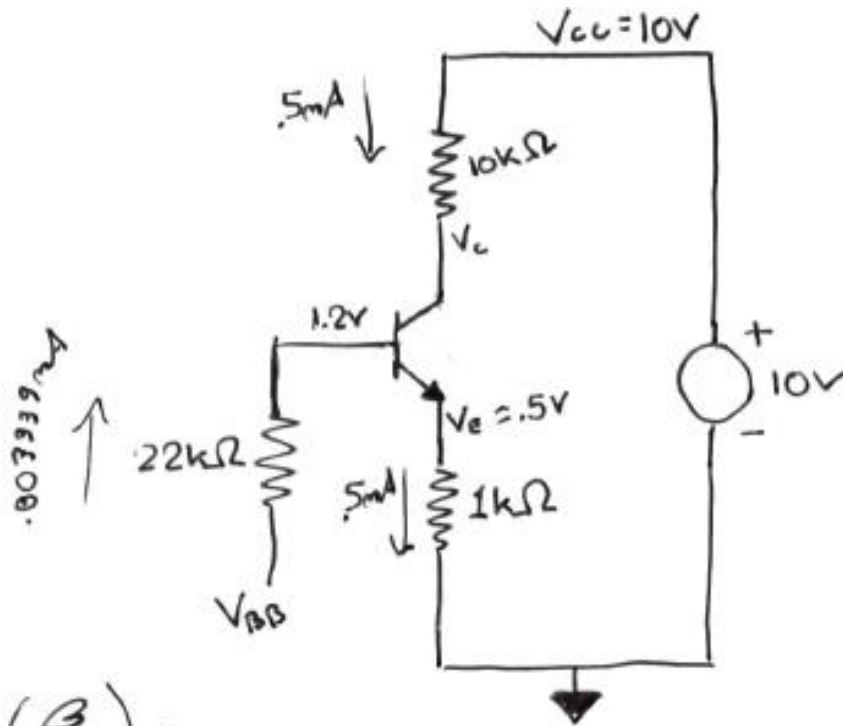
Student Name: Andrew Robertson

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PRE-LAB CALCULATIONS

STEP 1.



$$i_c = \left(\frac{\beta}{\beta + 1} \right) i_e$$

$$.5 \text{ mA} = \left(\frac{150}{151} \right) i_e, \quad i_e = .503333 \text{ mA}$$

$$\left(.003333 \text{ mA} \cdot 22 \text{ k}\Omega \right) + 1.2 \text{ V} = \boxed{1.273333 \text{ V} = V_{BB}}$$

$$\boxed{V_{RBB} = 73.3333 \text{ mV}}$$

STEP 2.

$$1.2733 = I_B \cdot 22k + .7V + (I_B \cdot 225) 1k$$

$$.5733 = I_B (22k + 225k)$$

$$I_B = 2.32 \mu A$$

$$I_C = 225 I_B = .522 mA$$

$$\frac{.522 mA}{.5 mA} = 1.044 = 4.4\%$$

STEP 3.

$$3) \left(\frac{-2mV}{^\circ C} \right) (40^\circ C) = 80mV$$

$$V_{BE} = .7 - 80mV = .62$$

$$\left(\frac{1.25\%}{^\circ C} \right) (40^\circ C) = 50\% \text{ increase in } \beta$$

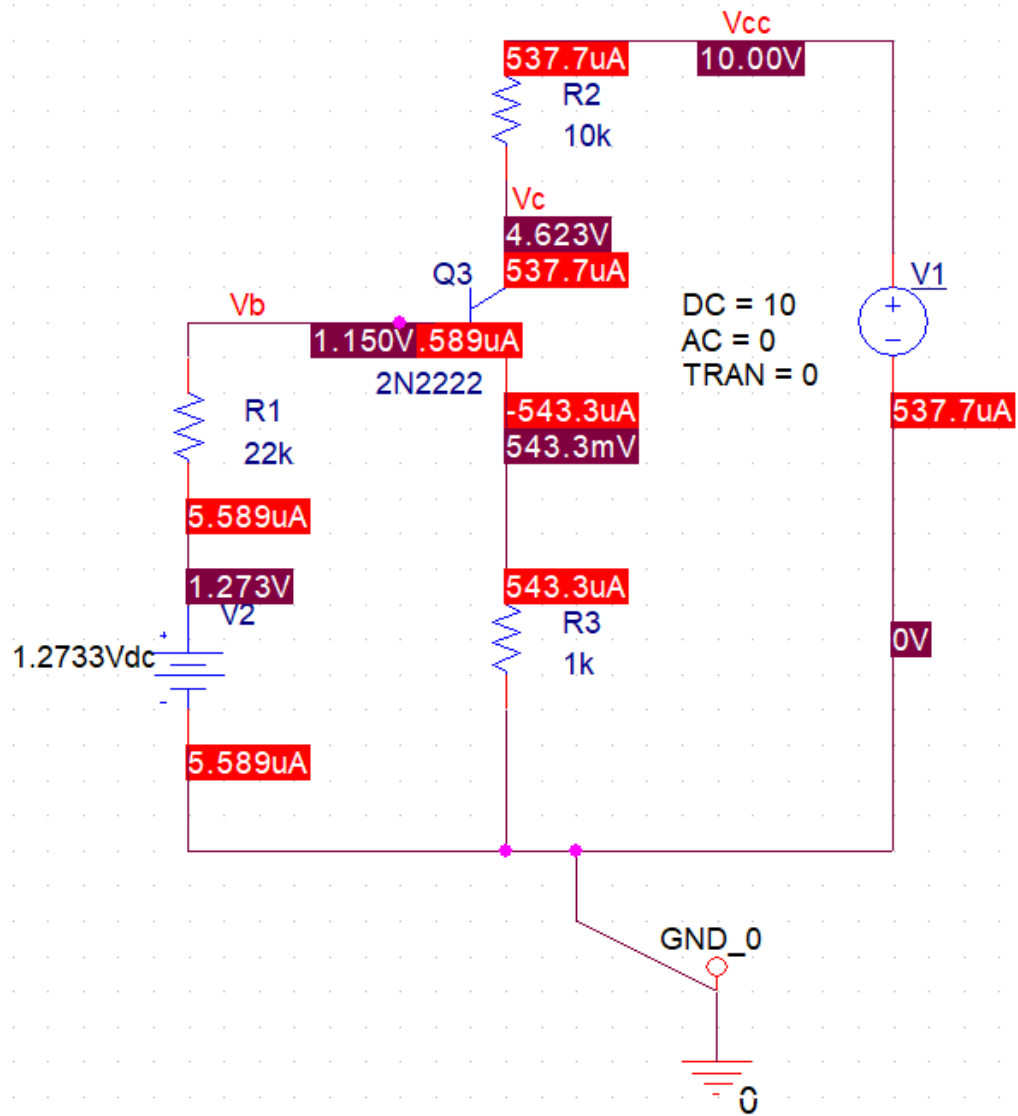
same as last step ...
4.4% increase

STEP 4.

$$4) \frac{\Delta V_C}{\Delta V_B} = \boxed{\frac{V_{CC} - I_C R_C}{I_C R_E + V_{BE}}}$$

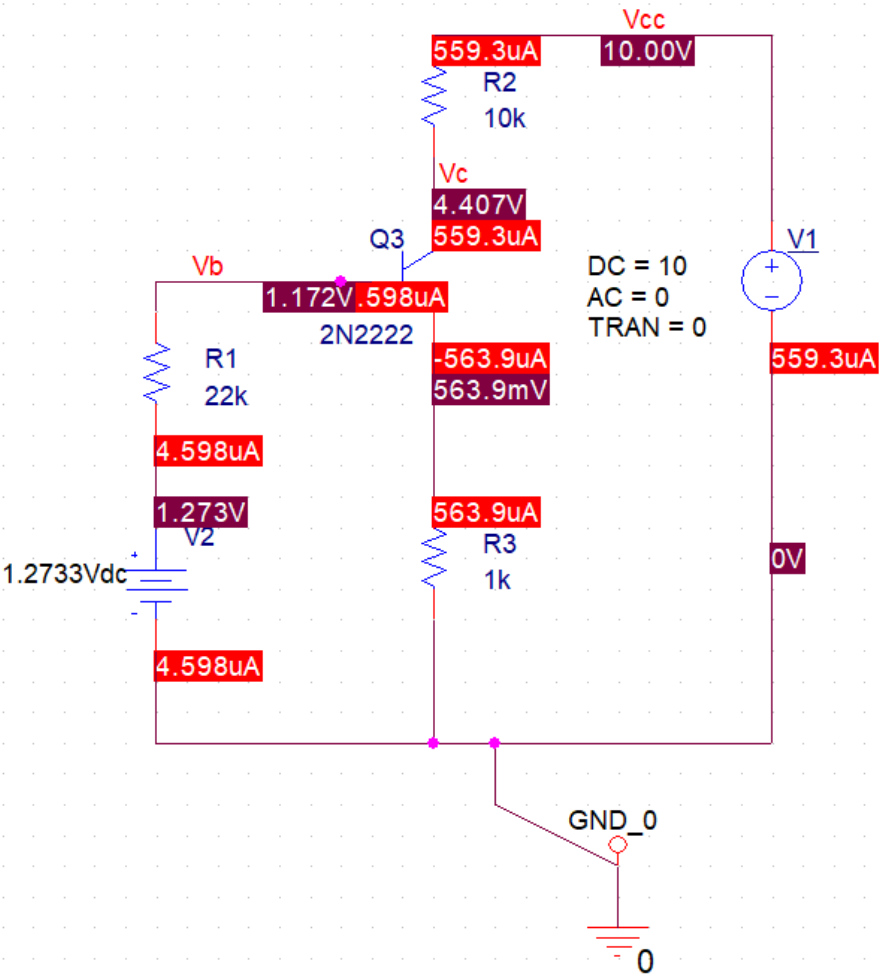
SPICE SIMULATION

STEP 5.



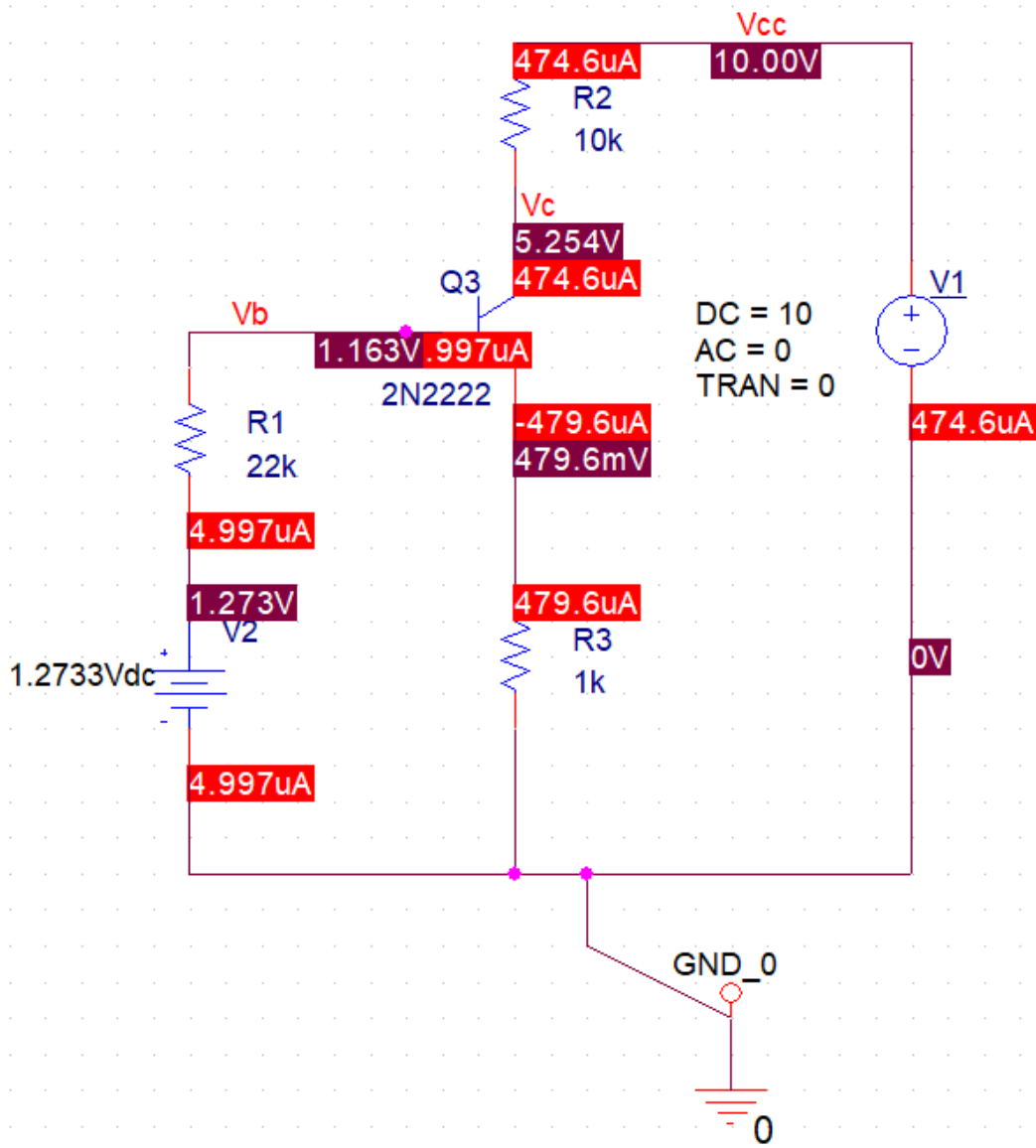
VBB	VB	VE	VC	IC	IB	β
1.2733V	1.15V	.5433V	4.623V	537.7 micro	.589 micro	150

STEP 6.



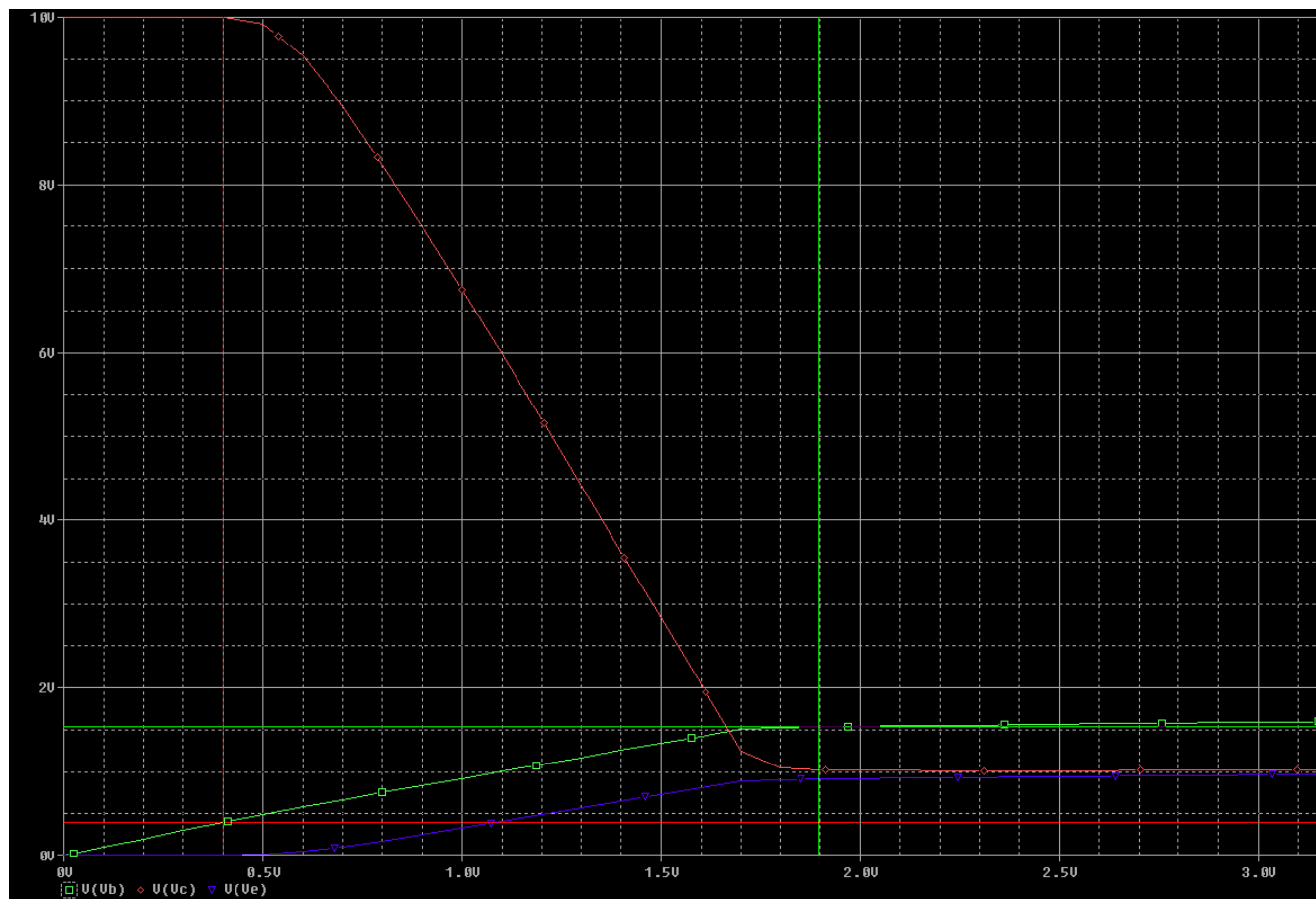
VBB	VB	VE	VC	IC	IB	β
1.2733V	1.172V	.5639V	4.407V	559.3 micro	.598 micro	225

STEP 7.

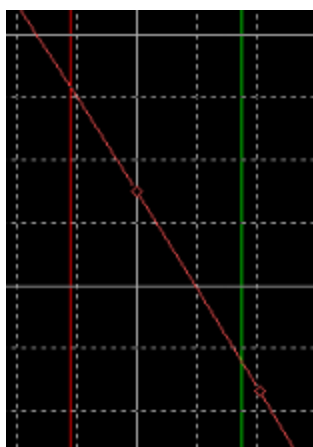


VBB	VB	VE	VC	IC	IB	β
1.2733V	1.163V	.4796V	5.254V	474.6 micro	.997 micro	150

STEP 8.



Note, the green cursor should be slightly more left here, at a point where Vb(green) and Vc(red) cross. There is no defined point where Vb is less than Vc so cutoff is technically not occurring however left of the red cursor the behavior is most certainly not the same as the forward active region and so it acts this way, forward active will be up to the (adjusted) green cursor, and saturation past that.



Using a small section of the forward active region, we can calculate $\frac{\Delta V_C}{\Delta V_B}$

$$\frac{7.5862 - 5.3846}{827.294 - 1.0689} \cong -9.1124$$

EXPERIMENT

STEP 9.

a)

V_{BB}	I_C	V_C	V_B
.5	.0083	9.917	.4978
1	.0099	6.319	.4586
1.5	.005	1.992	1.413
2	.0086	.9592	1.549
2.5	.008	.9642	1.580
3.0	.007	.9780	1.608
3.5	.005	.9946	1.635
4.0	.003	1.012	1.661
6.0		1.038	1.757

mA

$$I_C = \frac{V_{CC} - V_C}{R_C}$$

$R_C = 9.95k$

$$.5mA = \frac{10 - X}{9.95k}$$

$$4.975 = 10 - X$$

$$X = V_C = 5.025$$

V_{BB}	I_C	V_C	V_B
1.154	.5002	5.023	1.1

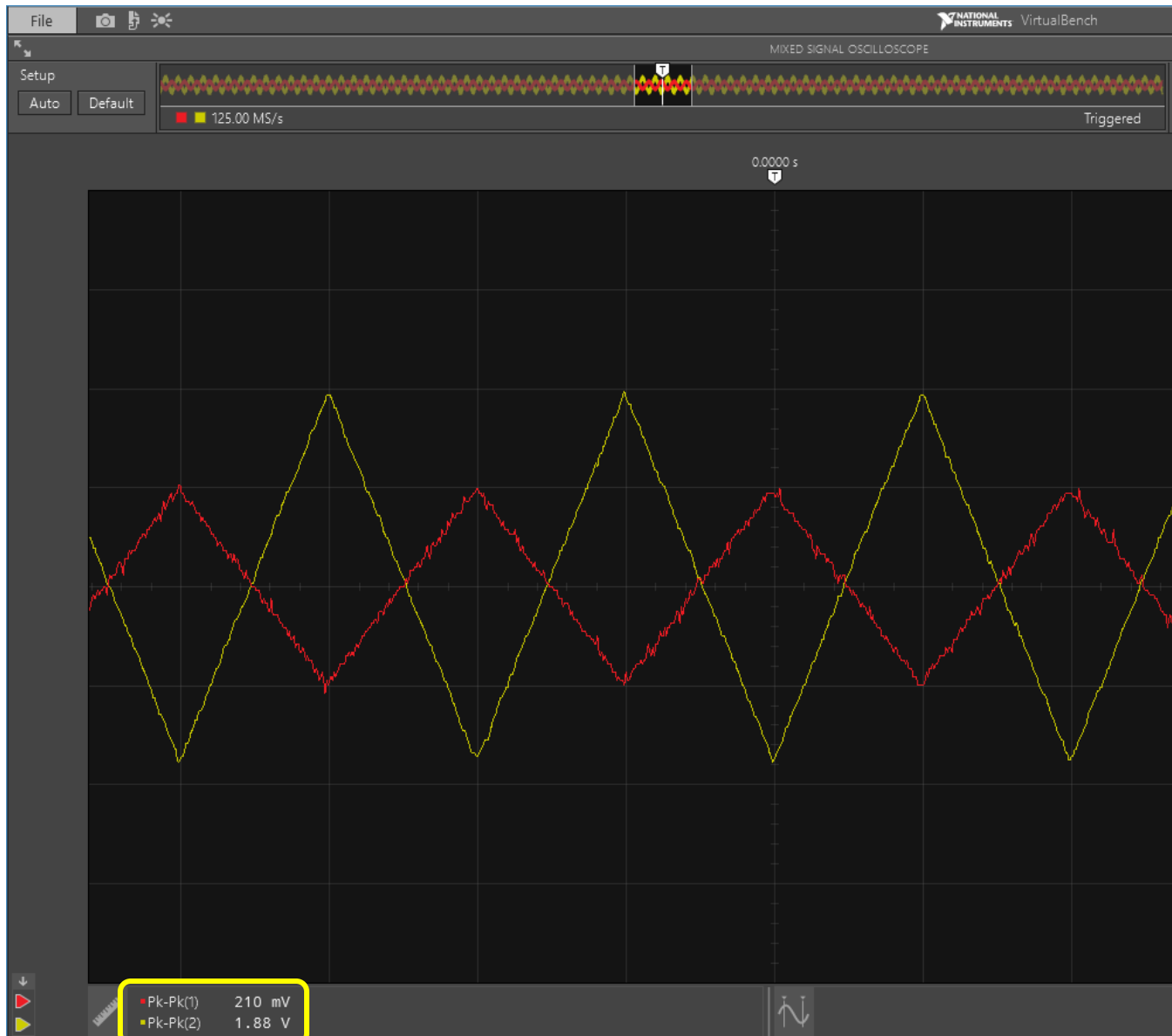
V_{BB}	I_C	V_C	V_B
1.27	.6040	3.99	1.205

Calculating for $\frac{\Delta V_C}{\Delta V_B}$

$$\frac{5.023 - 3.99}{1.1 - 1.205} \cong -9.838$$

This is a similar value to the previous step.

STEP 10.



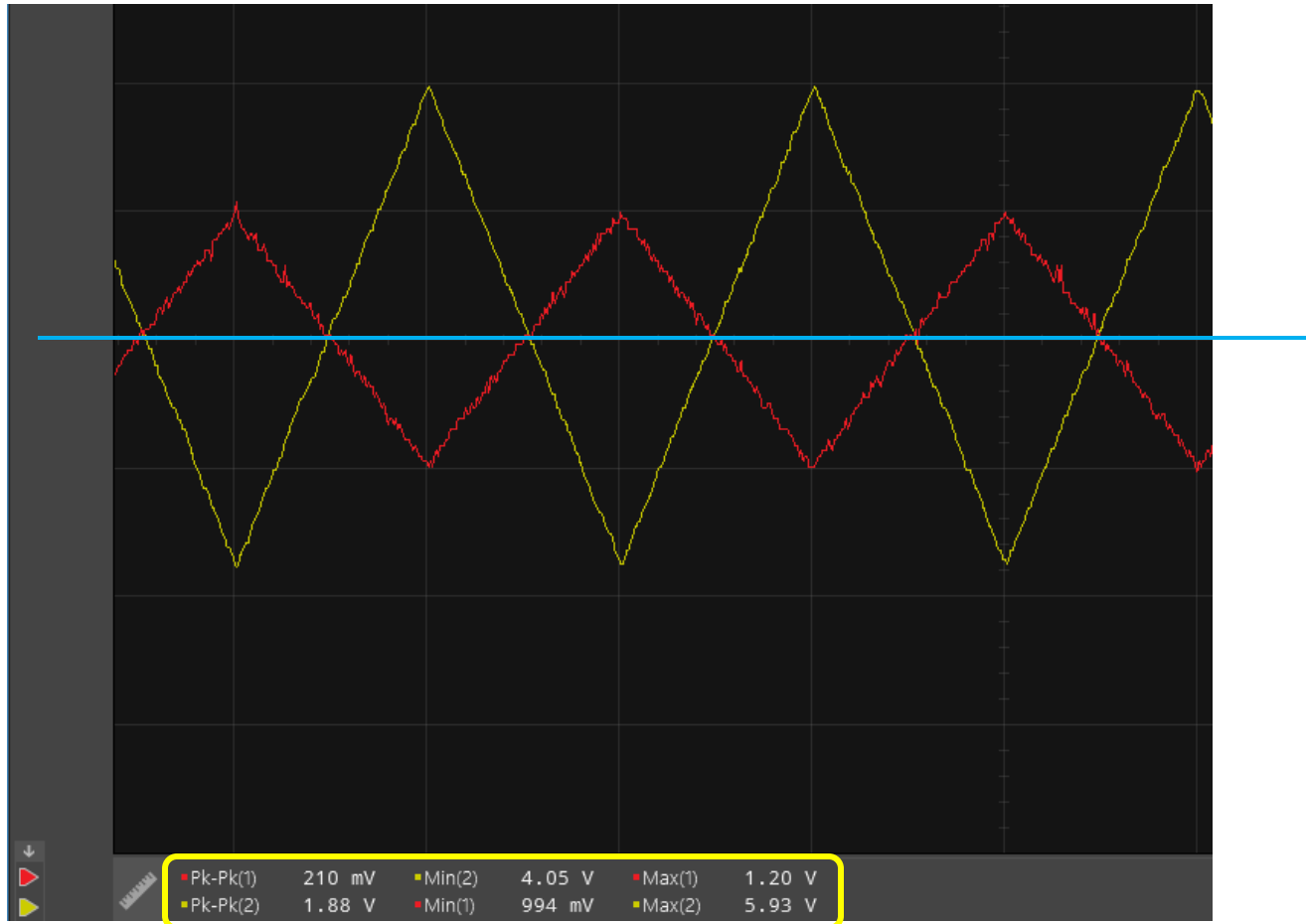
10) $C_1 = 1\text{mF}$

V_{BB}	V_s	V_B	V_b	V_C	V_c
1.154	200mV P-P	1.048	210mV P-P	4.999	1.82V P-P

Small signal gain $V_{cp-p} / V_{bp-p} : \frac{1.88}{.210} \cong 8.95238$

This is again near the value in step 8

STEP 11.



The blue line indicates the DC bias, about 5v at the collector

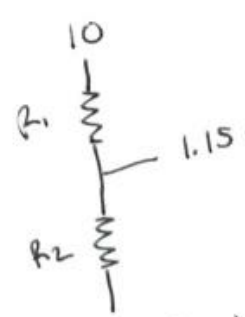
■ Pk-Pk(1)	210 mV	■ Min(2)	4.05 V	■ Max(1)	1.20 V
■ Pk-Pk(2)	1.88 V	■ Min(1)	994 mV	■ Max(2)	5.93 V

STEP 12.



STEP 13.

$R_2 \left[R_1 = 190.641 \cdot 10^3 \right] R_2$



$22k = \frac{R_2 R_1}{R_2 + R_1}$
 $1.154 = \left(\frac{R_2}{R_2 + R_1} \right)^{10}$
 $1.154 = \frac{R_2}{R_2 + R_1}$
 $22k = (190.641 \cdot 10^3) \left(\frac{R_2}{R_2 + R_1} \right)$

$$190.641 \cdot 10^3 = R_1$$

$$22k = \frac{R_1 R_2}{R_1 + R_2}$$

$$(22k)(R_1 + R_2) = R_1 R_2$$

$$(22k)(190.641k + R_2) = (190.641k)(R_2)$$

$$190.641k + R_2 = 8.66551 \cdot R_2$$

$$190.641k = 8.66551 \cdot R_2 - R_2$$

$$190.641k = (8.66551 - 1) R_2$$

$$24.37k = R_2$$

(Ran out of time to introduce these resistors to our circuit and test it)

CONCLUSIONS

Item 1.

Considering the collector current of the transistor, comment on the agreement between the preliminary calculations of Step 1 and the SPICE simulations of Step 5. Describe how you arrived at the required value of V_{BB} in Step 1, including the equations used and the assumptions made. What did SPICE do differently? (Hint: what values of V_{BE} and β did SPICE use?)

Seen in figures 2 and 3 of Appendix A, the model used a V_{BE} (VJS) of .7. Beta was originally 150. Given these values we could first plug in our target current to I_c and I_e , using the given assumption of equivalence. We then use beta to find I_b . Knowing V_{BE} we could then calculate V_b then finally V_{BB} by adding the voltage drop of R_b to V_b .

Item 2.

Consider the effect of increasing the value of β in the hand calculations and in the SPICE model (Steps 2 and 6). Was the effect on the collector current comparable? Comment on the sensitivity of the collector current to the value of β . How does this issue impact the design process, given that the β of manufactured transistors varies significantly?

I'd say the results were comparable. Since the initial value of I_c wasn't exactly .5 mA as used in the prelab we'll need to compare percentages. The calculated change was 4.4% when beta was bumped by 50%. The simulated change is $\frac{559.3}{537.7} = 104.01\%$ so 4.01% change. Seems this will mainly just affect the extremes of the gain, the clipping points since V_c is changed

Item 3.

Consider the effect of increasing the temperature in both the preliminary calculations and in the SPICE model (Steps 3 and 7). Were the changes similar? Comment on the sensitivity of the collector current to the temperature. How does this issue impact the design process, given that the temperature of operation varies significantly?

This has a similar affect as Item 2 observed bu in the opposite direction. Higher temperatures mean a greater resistance overall, and lower current reflected this. I believe the circuits should be engineered with these factors in mind. Built to meet spec in the worst of reasonable conditions.

Item 4.

From the measured data of Step 9, calculate the beta of the transistor used.

$$\begin{aligned}
 i_c &= \left(\frac{\beta}{\beta+1} \right) i_e \Rightarrow i_c = \left(\frac{\beta}{\beta+1} \right) (i_c + i_b) \\
 i_c &= \left(\frac{\beta}{\beta+1} \right) \left(i_c + \frac{V_{BB} - V_{BE}}{R_B} \right) \\
 .907 \text{ m} &\approx \left(\frac{\beta}{\beta+1} \right) \left(.907 \text{ m} + \frac{3 - 1.608}{22 \text{ k}} \right) \\
 .93478871 &\approx \frac{\beta}{\beta+1} \\
 (.93478871)^{-1} &\approx \frac{\beta}{\beta} + \frac{1}{\beta} \\
 ((.93478871)^{-1} - 1) &\approx \frac{1}{\beta} \\
 143.34 &\approx \beta
 \end{aligned}$$

Item 5.

In Steps 9 and 10, V_{BB} was set to the same value (such that $I_C = 0.5 \text{ mA}$). In Step 9 the DC collector voltage was measured. In Step 10 the average value of the collector voltage was measured with an AC signal present. What conclusions can be drawn about the addition of a small signal to a biased circuit?

The small signal had virtually no effect on the circuit. V_B and V_C seemed unaffected.

Item 6.

Compare the small-signal gain $\frac{v_c}{v_b}$ measured in Step 10 to the slope of the

transfer characteristic $\frac{\Delta V_C}{\Delta V_B}$ measured in Step 9. Explain their relationship.

How does the expression for the small-signal gain of a common-emitter amplifier with degeneration resemble the result of Step 4?

The small signal and large signal gain in the forward active region are very close. I believe this is because of the idea behind the small signal idea. Anything nonlinear in a small enough slice can be treated as linear.

Item 7.

Relate the shape of the clipped output waveform of Step 12 to the plot of V_C generated in Step 8. How should the bias voltage at the collector be chosen for maximum symmetrical swing?

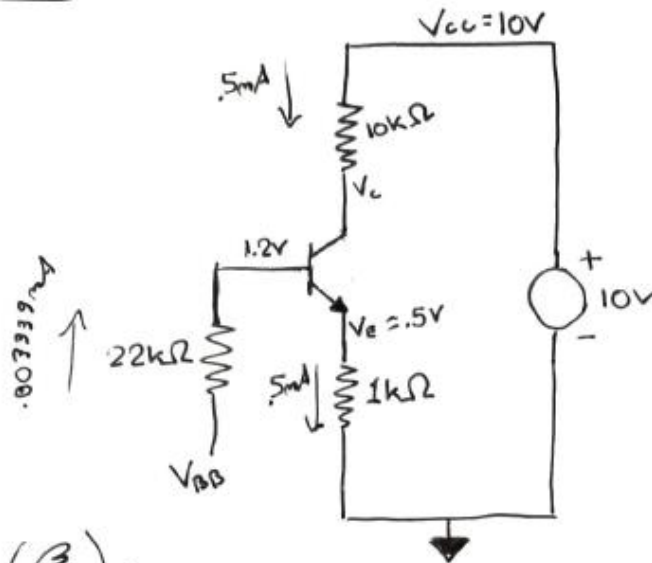
The top clipping point was roughly VCC and the bottom clipping point about one diode drop above 0V. It seems a good point for the collector voltage V_C would be about half of VCC.

APPENDIX A

FIGURE 1

Lab 7 Pre

1)



$$i_c = \left(\frac{\beta}{\beta+1}\right) i_e \quad .5mA = \left(\frac{150}{151}\right) i_e, \quad i_e = .503333mA$$

$$(.003333mA \cdot 22k\Omega) + 1.2V = 1.273333V = V_{BB}$$

$$V_{BB} = 73.3333mV$$

2)

$$1.2733 = I_B \cdot 22k + .7V + (I_B \cdot 225)1k$$

$$.5733 = I_B(22k + 225k)$$

$$I_B = 2.32\mu A$$

$$I_C = 225 I_B = .522mA$$

$$\frac{.522mA}{.5mA} = 1.044 = 4.4\%$$

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$$\left(\frac{1.25\%}{^\circ C}\right)(40^\circ C) = 50\% \text{ increase in } \beta$$

same as last step...
4.4% increase

$$4) \frac{\Delta V_C}{\Delta V_B} = \frac{V_{CC} - I_C R_C}{I_C R_E + V_{BE}}$$

FIGURE 2

**** BJT MODEL PARAMETERS

```

X_Q3.model4
NPN
LEVEL 1
IS 166.780000E-15
EG 1.11
BF 225
NF 1.074
VAF 78
IKF .5
ISE 3.920000E-12
NE 1.776
BR 2.394
NR 1.074
VAR 500
NC 1
ISS 0
RB .676
RBM .676
RE .1
RC .654
CJE 22.250000E-12
VJE 1.333
MJE .522
CJC 8.370000E-12
VJC 1.333
MJC .518
XCJC .5
CJS 0
VJS .7
MJS .5
TF 454.400000E-12
XTF 13.24
VTF 4.83
ITF .2163
TR 117.500000E-09
XTB 2.34
KF 0
AF 1
CN 2.42
D .87

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FIGURE 3

**** BJT MODEL PARAMETERS

```

X_Q3.model14
NPN
LEVEL 1
IS 166.780000E-15
EG 1.11
BF 150
NF 1.074
VAF 78
IKF .5
ISE 3.920000E-12
NE 1.776
BR 2.394
NR 1.074
VAR 500
NC 1
ISS 0
RB .676
RBM .676
RE .1
RC .654
CJE 22.250000E-12
VJE 1.333
MJE .522
CJC 8.370000E-12
VJC 1.333
MJC .518
XCJC .5
CJS 0
VJS .7
MJS .5
TF 454.400000E-12
XTF 13.24
VTF 4.83
ITF .2163
TR 117.500000E-09
XTB 2.34
KF 0
AF 1
CN 2.42
D .87

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