

# EEE 108L MICRO-ELECTRONICS 1

## LAB 5

**Lab Session: Tuesday 3PM - 5:40PM**

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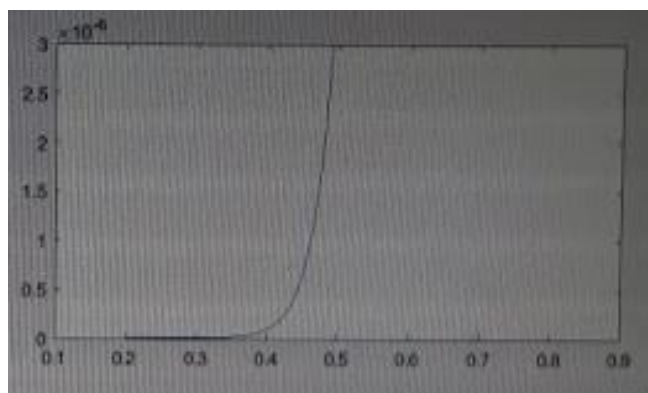
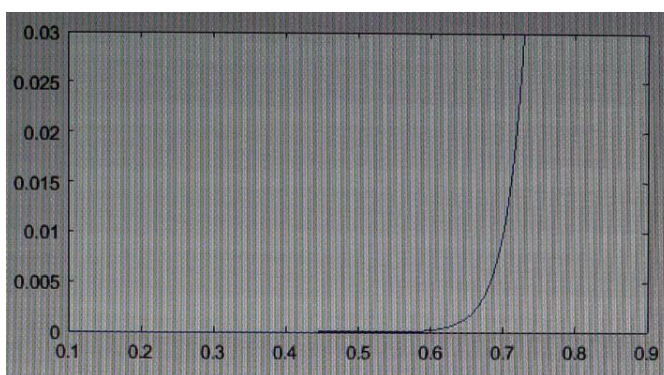
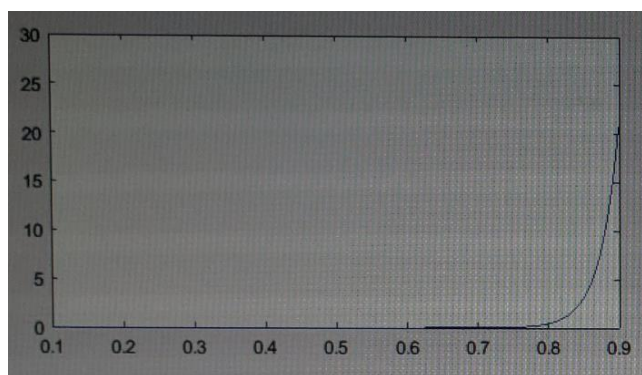
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## PRE-LAB CALCULATIONS

STEP 1.

Doping	Majority Carrier	Minority Carrier
$ND = 1 \times 10^{15} \text{ cm}^{-3}$	$\approx ND$	$P_n \approx 225 \times 10^3 \text{ cm}^{-3}$
$NA = 1 \times 10^{17} \text{ cm}^{-3}$	$\approx NA$	$N_n \approx 2.25 \times 10^3 \text{ cm}^{-3}$

Built in potential of PN diode built from above doping levels: 697.3223 mV



(Please see figure 1 in appendix A for complete calculations)

STEP 2.

$$V_x = \frac{\frac{V_{d1} + V_{d2}}{R} + \frac{V_{bias}}{R_{bias}}}{\frac{2}{R} + \frac{1}{R_{bias}}}$$

$$I_{d1} = \frac{\frac{V_{bias}}{R_{bias}} + \frac{V_{d2}}{R} - V_{d1}\left(\frac{1}{R} - \frac{1}{R_{bias}} - \frac{2}{R}\right)}{2 + \frac{R}{R_{bias}}}$$

$$I_{d2} = \frac{\frac{V_{bias}}{R_{bias}} + \frac{V_{d1}}{R} - V_{d2}\left(\frac{1}{R} - \frac{1}{R_{bias}} - \frac{2}{R}\right)}{2 + \frac{R}{R_{bias}}}$$

(Please see figure 2 in appendix A for complete calculations)

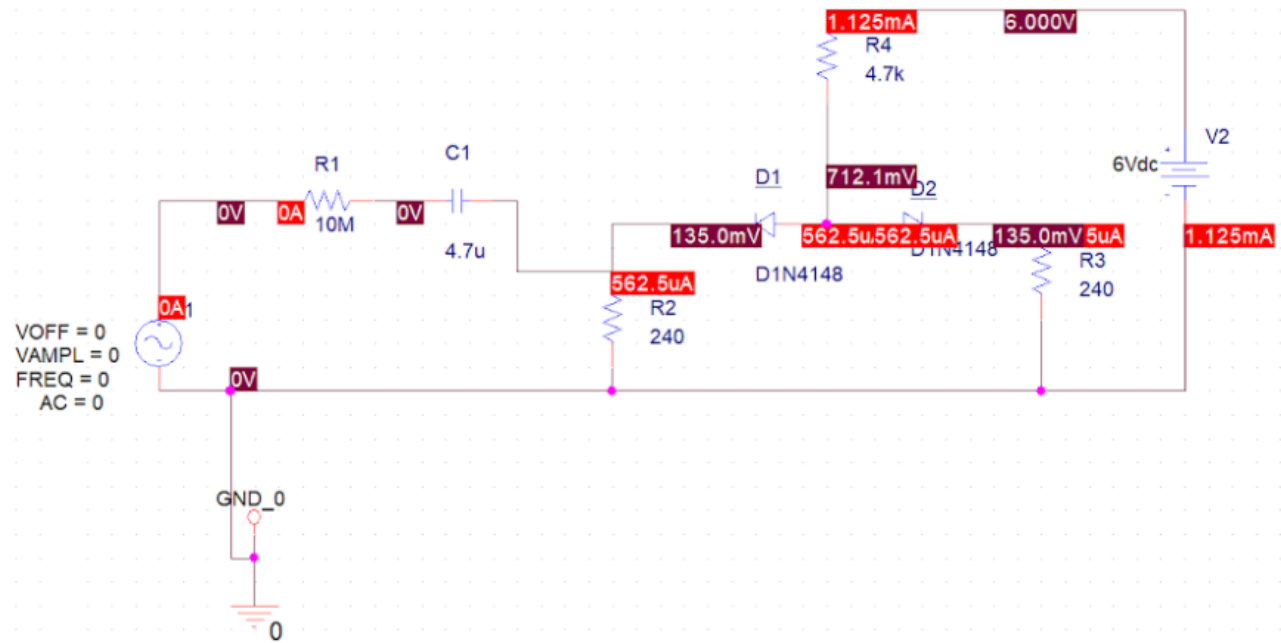
STEP 3.

$$\frac{V_{out}}{V_{in}} = \frac{1}{1 + \frac{R_{d1} + R_{d2}}{R}} = \frac{R}{R + R_{d1} + R_{d2}} = \frac{R}{R + 2R_d}$$

(Please see figure 3 in appendix A for complete calculations)

## SPICE SIMULATION

STEP 4.

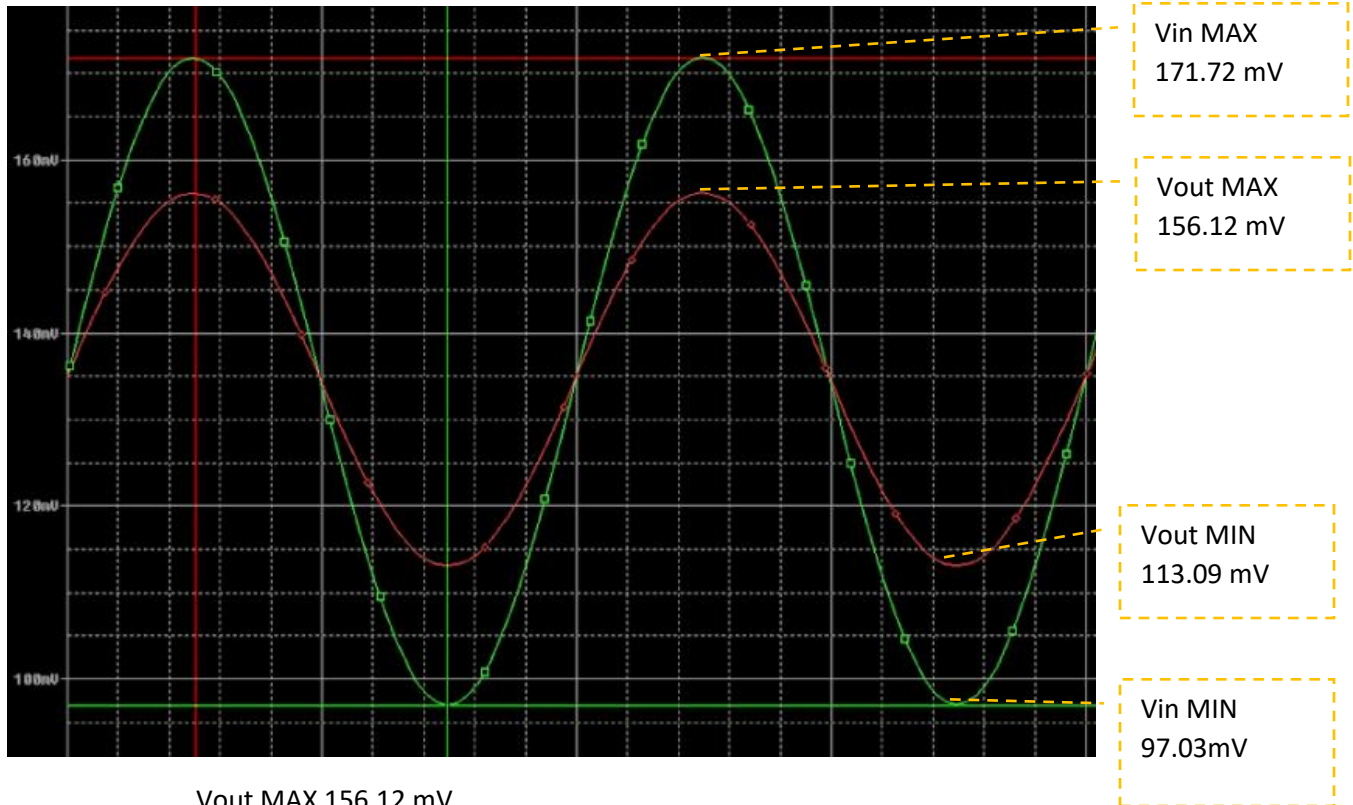


Copy and paste the GND\_0 circle in order to connect the Analog GND to the appropriate wires in your circuit.

$$I_{d1} = \frac{\frac{V_{bias}}{R_{bias}} + \frac{V_{d2}}{R} - V_{d1} \left( \frac{1}{R} - \frac{1}{R_{bias}} - \frac{2}{R} \right)}{2 + \frac{R}{R_{bias}}} = \frac{\frac{6}{4700} + \frac{.7}{240} - .7 \left( \frac{1}{240} - \frac{1}{4700} - \frac{2}{240} \right)}{2 + \frac{240}{4700}}$$

$$= 549.79 \text{ micro Amps}$$

STEP 5.



Step 5

$$\frac{V_{out,p-p}}{V_{in,p-p}} = 0.576 = \frac{240}{240 + 2R_d}$$

$$240 (0.576)^{-1} = 240 + 2R_d$$

$$\frac{240 (0.576)^{-1} - 240}{2} = R_d$$

$$88.33 = R_d$$

$$88.33 = \frac{n(0.026)}{562.5 \mu}$$

$$\frac{(562.5 \mu)(88.33)}{0.026} = n$$

$$1.911 = n$$

Actual

$R_1 : 240.13 \Omega$   
 $R_{bias} : 4.62 k$   
 $R_2 : 240.15 \Omega$   
 $R_s : 48.2$

STEP 6.

Step 6

Vbias	Vout p-p	Vin p-p	gain
2	20.72m	78.66m	.2634
4	33.17m	76.08m	.4623
8	47.81m	73.38m	.6498
10	51.32m	73.19	.7012
16	57.121m	72.15m	.7917
40	64.05m	70.47m	.9025
100	67.24m	70.45m	.9544

As Vbias increases, the gain approaches a unity asymptote. The Vbias signal is shared between Vin and Vout equally, as the Vbias signal becomes large, the small signal input becomes less relevant in comparison.

## EXPERIMENT PART 1

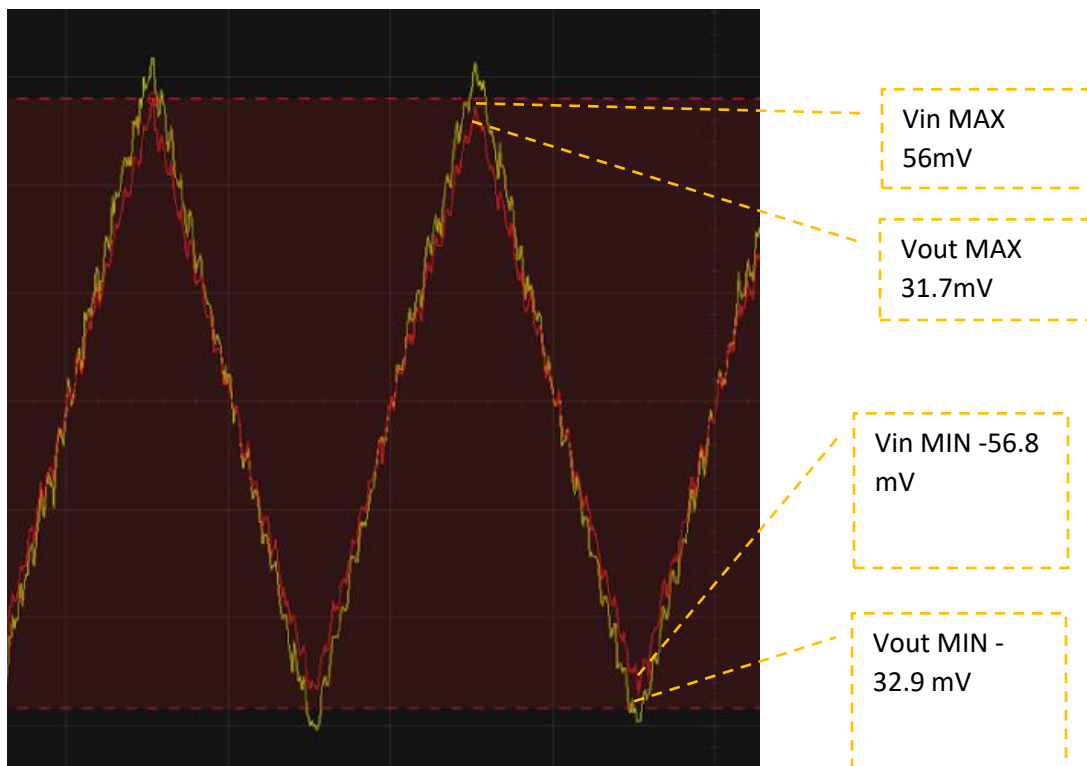
STEP 7.

without AC,  $V_{in}$  w/in .001V of  $V_{out}$

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$I_{D1} = .573mA$   
 $I_{D2} = .576$

STEP 8.



$V_{in} \text{ MAX } 171.72 \text{ mV}$      $V_{in} \text{ MIN } 97.03 \text{ mV}$      $V_{out} \text{ MAX } 156.12 \text{ mV}$      $V_{in} \text{ MIN } 113.09 \text{ mV}$

---

as  $v_{bias} \uparrow$ , output is shifted up  
 as  $v_{bias} \downarrow$ , " " "down shifted  
 bias is too low. Ex  $V_{bias} = .5V$  killed output  
 as  $v_{bias} \uparrow$ , gain approaches 1

---



STEP 9.

$$\frac{V_{out\ p-p}}{V_{in\ p-p}} = \frac{R}{R + R_{d1} + R_{d2}}$$

$$\frac{70mV}{112mV} = .625 = \frac{240.15}{240.15 + 2R_d}$$

$$(240.15)(.625)^{-1} = 240.15 + 2R_d$$

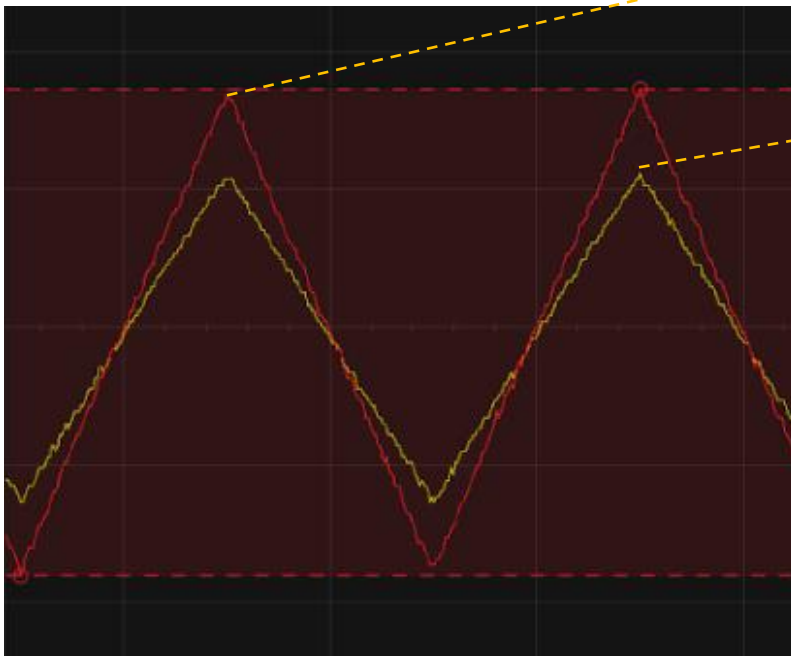
$$\frac{(240.15)(.625)^{-1} - 240.15}{2} = R_d$$

$$R_d = 72.045$$

$$\rightarrow 72.045 = \frac{n(.026)}{.574m}$$

$$n = 1.591$$

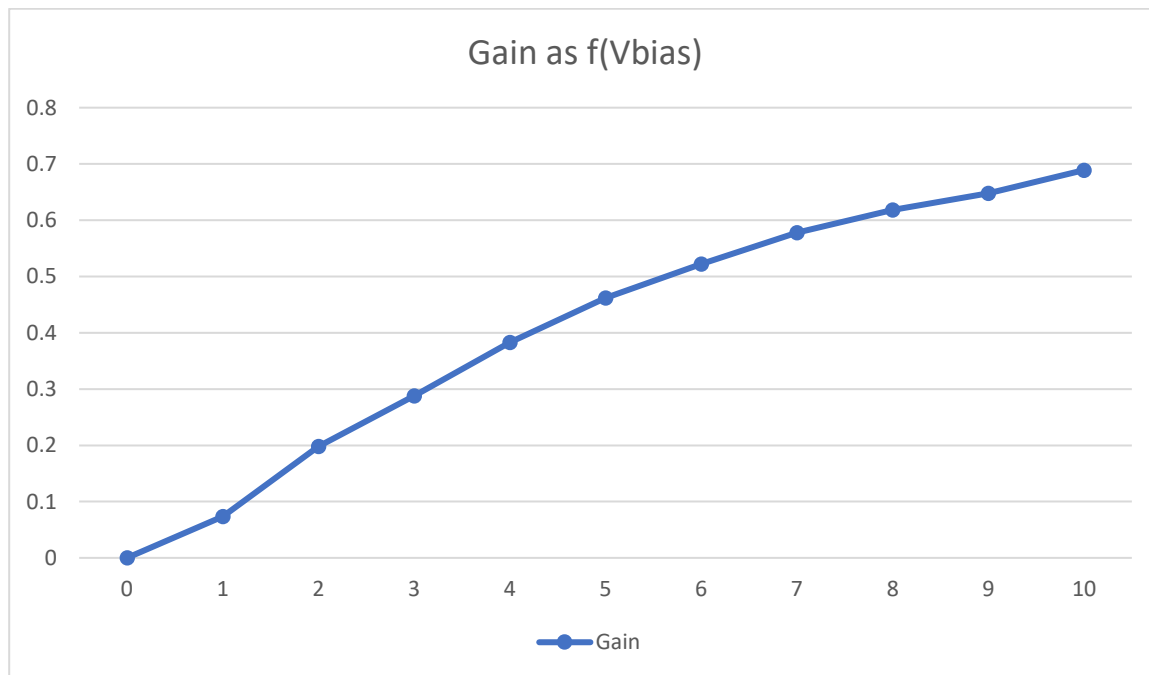
STEP 10.



Vin peak to  
peak 354mV

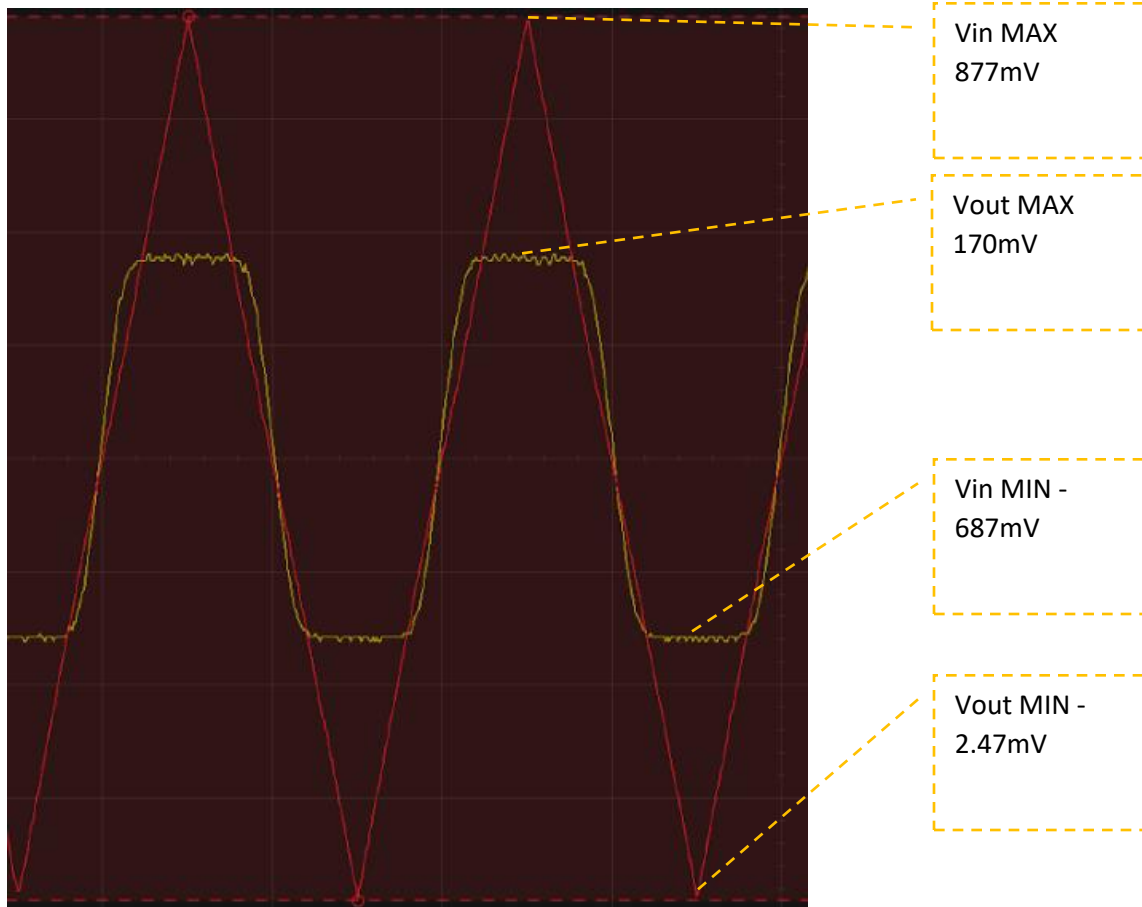
Vout peak to  
peak 239mV

$V_{bias}$	$V_{out p-p}$	$V_{in p-p}$	gain
0	0	$\sim 407 mV$	0
1	26.8 mV	$\sim 391 mV$	.0737
2	74 mV	$\sim 374 mV$	.198
3	107 mV	$\sim 371 mV$	.288
4	140 mV	$\sim 362 mV$	.383
5	169 mV	$\sim 356 mV$	.472
6	189 mV	$\sim 352 mV$	.522
7	208 mV	$\sim 350 mV$	.578
8	220 mV	$\sim 354 mV$	.618
9	228 mV	$\sim 352 mV$	.648
10	241 mV	$\sim 350 mV$	.689



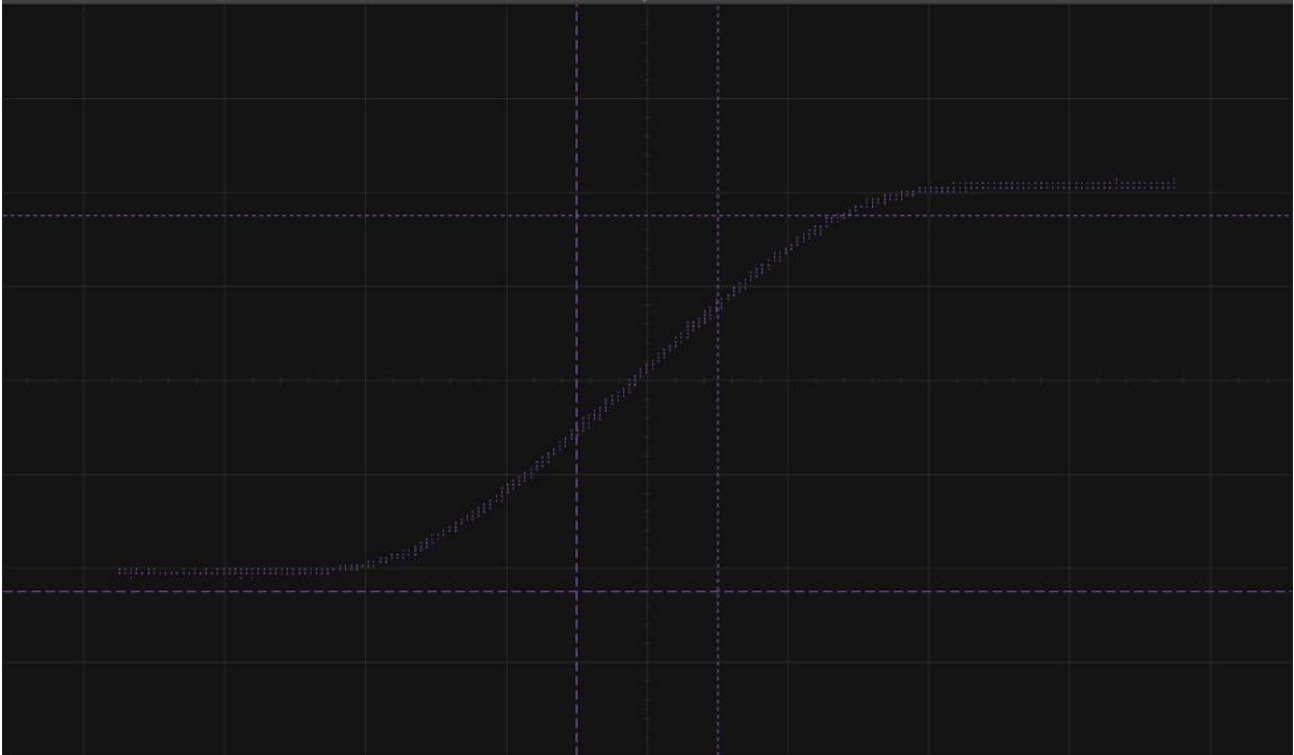
## EXPERIMENT PART 2

STEP 11.



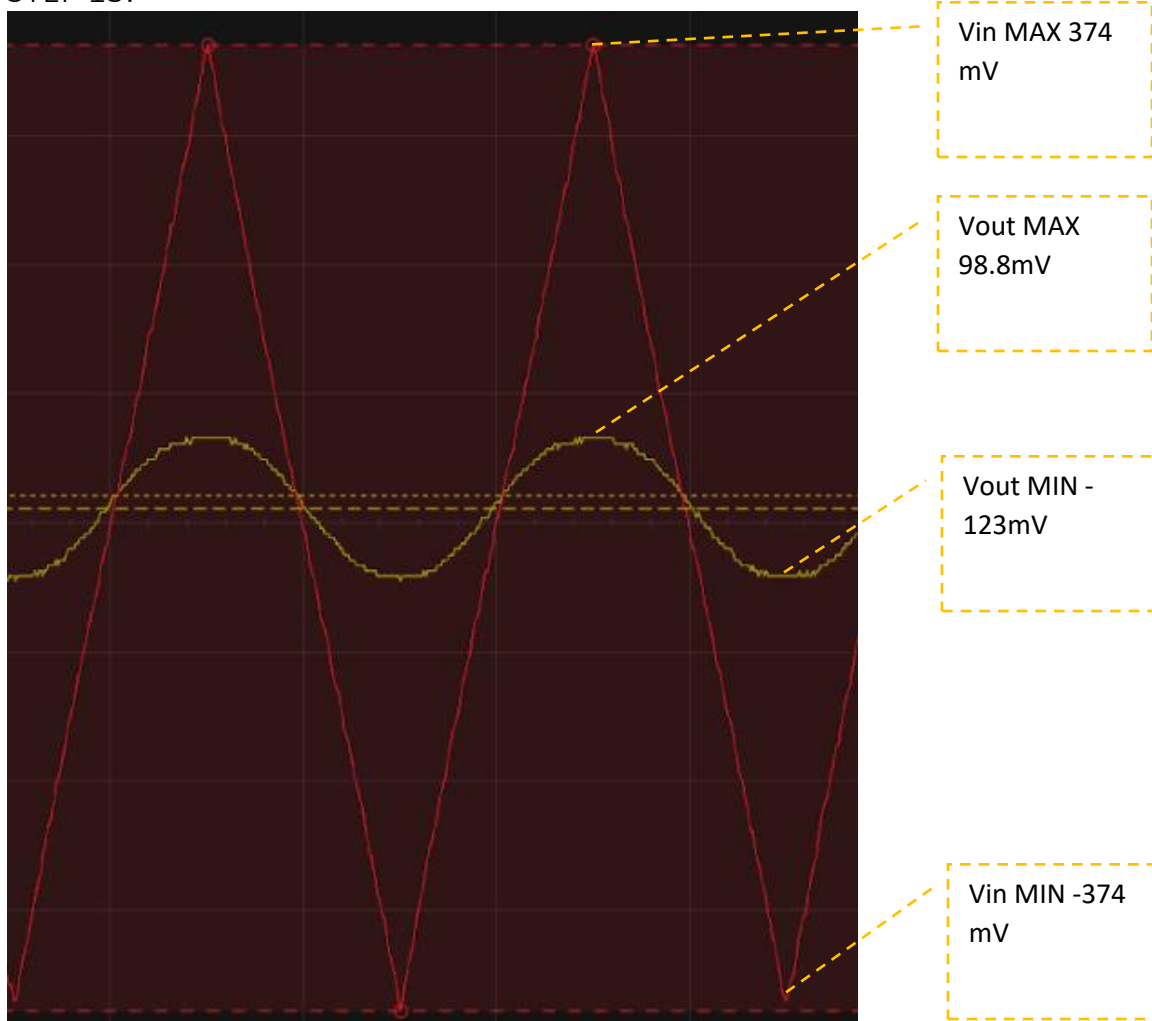
v bias	pos clip	neg clip
4	165mV	-12.3 mV
3	115mV	-10 mV
5	214mV	-10 mV
6	263mV	-10 mV
7	311mV	-10 mV
8	358mV	-10mV

STEP 12.



This initially seemed to be a sweep of the gain as a function of  $V_{bias}$  since there is a plateau on the left and it approaches a value on the right with a linearity region in between but the left side of this graph does not begin at zero on the vertical scale nor does it approach 1 on the right.

## STEP 13.



This step made the least sense to me, I was unsure why we wanted Vout to look like a sine wave but there were a couple ways to do it. We chose Vbias as 5V then cleaned it up a bit further by changing the volts per division for the output.

## CONCLUSIONS

### Item 1.

Students are told that the standard voltage approximation of a 0.7V drop across a forward biased diode is acceptable. Based on the three plots in Step 1, does it look like the standard voltage approximation holds true for all current ranges?

Discuss this issue; Why is  $V_D = 0.7V$  acceptable for general use?

At first glance, the plots make it appear this approximation is not acceptable. Looking closely at them as a whole, with the scale of current in mind, it's a different story.  $V_d$  as .7V is acceptable for general use because it offers a happy medium between ease of use and accuracy. The ideal model is inaccurate but very easy to use and the exponential model is very accurate but hard to use for hand analysis.

### Item 2.

Re-state your expression from Step 2. What relationship between the small-signal resistance of the diode and the resistance  $R$  is indicated when a small-signal gain near unity is observed?

What relationship between the small-signal resistance of the diode and the resistance  $R$  is indicated when a small-signal gain near zero is observed?

$$I_{d1} = \frac{\frac{V_{bias}}{R_{bias}} + \frac{V_{d2}}{R} - V_{d1}(\frac{1}{R} - \frac{1}{R_{bias}} - \frac{2}{R})}{2 + \frac{R}{R_{bias}}}$$

$$V_x = \frac{\frac{V_{d1} + V_{d2}}{R} + \frac{V_{bias}}{R_{bias}}}{\frac{2}{R} + \frac{1}{R_{bias}}}$$

**Item 3.**

Use the large-signal model to explain the data from Step 11. That is, explain the relationship between  $V_{BIAS}$  and the clipping levels.

$$V_D = nV_T \ln\left(\frac{I_D}{I_S}\right)$$

$V_{bias}$  serves to increase the forward bias current over the diodes, so as it increases so does the current.  $I_S$ ,  $V_T$ , and  $n$  are constants for an individual diode so the forward current is all that will determine the voltage across the diode. By transitivity, this means the greater  $V_{bias}$  then the greater  $V_d$ .

**Item 4.**

The large-signal model described in conclusion item 3 can explain the observed clipping levels, but can it be used to calculate the small-signal gain?

Why or why not?

The large signal model does not linearize it's elements, so it cannot be used to calculate the small signal gain.

**Item 5.**

Can the small-signal model be used to calculate the output clipping levels?

Why or why not?

The small signal model alone will not produce any asymptotes and thus will not show any clipping levels.

**Item 6.**

The large-signal model  $I_D = I_S \exp\left(\frac{V_D}{nV_T}\right)$  was not used to calculate the diode bias currents.

Could it be used for that purpose?

If so, why wasn't it used to calculate bias currents?

It could be used for this purpose for diodes in forward bias, yes. It requires knowledge of the saturation current,  $n$ , and the voltage drop across the diode. Our calculated values of  $n$  changed depending on our  $V_{bias}$  setting so we would have had to calculate a new  $n$  for every occasion we would use this.

## APPENDIX A

Figure 1.

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For silicon, intrinsic carrier concentration ( $n_i$ ) is:

$$n_i \approx \frac{1.5 \cdot 10^{10}}{\text{cm}^3}$$

Step 1)

part 1.

$$N_D \approx N_0 = \frac{1 \cdot 10^{15}}{\text{cm}^3}$$

$$p_0 \approx \frac{(n_i)^2}{N_D} = \frac{(1.5 \cdot 10^{10} / \text{cm}^3)^2}{(1 \cdot 10^{15} / \text{cm}^3)}$$

$$p_0 \approx 225 \cdot 10^3 / \text{cm}^3$$

part 2.

$$p_0 \approx N_A = \frac{1 \cdot 10^{17}}{\text{cm}^3}$$

$$N_D \approx \frac{(n_i)^2}{N_A} = \frac{(1.5 \cdot 10^{10} / \text{cm}^3)^2}{(1 \cdot 10^{17} / \text{cm}^3)}$$

$$N_D \approx 2.25 \cdot 10^3 / \text{cm}^3$$

$$\text{part 3 } V_0 = V_T \ln \left( \frac{N_A N_D}{(n_i)^2} \right)$$

$$V_0 = (26 \text{ mV}) \ln \left( \frac{\frac{10^{17}}{\text{cm}^3} \cdot \frac{10^{15}}{\text{cm}^3}}{\left( \frac{1.5 \cdot 10^{10}}{\text{cm}^3} \right)^2} \right)$$

$$V_0 = (26 \text{ mV}) \ln(444.44 \text{ E} 9)$$

$$V_0 = (26 \text{ mV})(26.8201)$$

$$V_0 = 697.3223 \text{ mV}$$



Figure 2.

$$I_0 = 2 \cdot 10^{-14} A \left( e^{\frac{V_D}{1.5(26\text{mV})}} - 1 \right)$$

000003

$$r_d = \frac{V_d}{I_d}$$

syms Vd  
// iD = ....

// used z = diff(iD)  
// vpa(subs(z, Vd, .4))

matlab script available :)

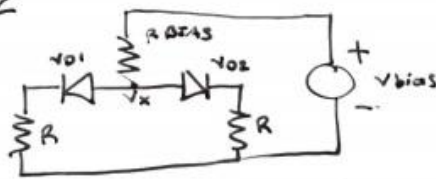
Vd	Id	Rd	Rde	Diff
.4	$9.6047 \cdot 10^{-8}$	$4.1646 \cdot 10^6$	$2.707 \cdot 10^5$	15.3846
.5	$4.4962 \cdot 10^{-6}$	$1.112 \cdot 10^5$	$5.7826 \cdot 10^3$	19.2308
.6	$2.1048 \cdot 10^{-4}$	$2.8306 \cdot 10^3$	123.5273	23.0769
.7	.00099	71.0435	2.6388	26.9231
.8	.4613	1.7344	.0564	30.7692

if using  $r_d = \frac{nV_T}{I_D}$  then for  $V_d = .4$

$$r_d = \frac{.0259}{2 \cdot 10^{-14} (e^{\frac{.4}{.0259}} - 1)}$$

$$r_d = 68.509 \cdot 10^6$$

Step 2



$$\frac{V_x - V_{d1}}{R} + \frac{V_x - V_{d2}}{R} + \frac{V_x - V_{bias}}{R_{bias}} = 0$$

$$V_x \left( \frac{2}{R} + \frac{1}{R_{bias}} \right) = \frac{V_{d1} + V_{d2}}{R} + \frac{V_{bias}}{R_{bias}}$$

$$V_x = \frac{\frac{V_{d1} + V_{d2}}{R} + \frac{V_{bias}}{R_{bias}}}{\left( \frac{2}{R} + \frac{1}{R_{bias}} \right)}$$

for  $I_{d1}$   $I_{d1} = \frac{V_x - V_{d1}}{R}$

$$\Rightarrow \frac{\frac{V_{d1} + V_{d2}}{R} + \frac{V_{bias}}{R_{bias}}}{\left( \frac{2}{R} + \frac{1}{R_{bias}} \right) R} - \frac{V_{d1}}{R} \Rightarrow \frac{\frac{V_{d1} + V_{d2}}{R} + \frac{V_{bias}}{R_{bias}}}{2 + \frac{R}{R_{bias}}} - \frac{V_{d1}}{R}$$

$$\Rightarrow \frac{\frac{V_{bias}}{R_{bias}} + \frac{V_{d2}}{R} - V_{d1} \left( \frac{1}{R} - \frac{1}{R_{bias}} - \frac{2}{R} \right)}{2 + \frac{R}{R_{bias}}} = I_{d1}$$

$$\frac{\frac{V_{bias}}{R_{bias}} + \frac{V_{d1}}{R} - V_{d2} \left( \frac{1}{R} - \frac{1}{R_{bias}} - \frac{2}{R} \right)}{2 + \frac{R}{R_{bias}}} = I_{d2}$$

due to symmetry,  
can swap  $V_{d2}$  &  $V_{d1}$   
for  $I_{d2}$

Figure 3.

