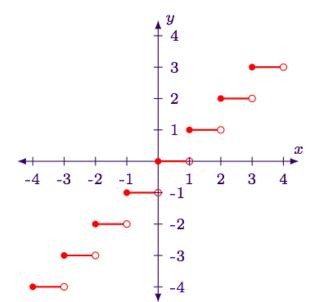
Let f be the greatest integer function f(x) = [x] we saw in class. Let g be the function g(x) = 1/x, and h be the absolute value function h(x) = |x|. As always, show your work.

1. The graph y = f(x) is reproduced below.



- (a) What are the x-intercepts of y = f(x)?
- (b) Which of f, g, and h are even functions?
- (c) Which of f, g, and h are odd functions?

- 2. (a) Write an algebraic expression for $f \circ g$ and $g \circ f$.
 - (b) What is the domain of $g \circ f$? (Per usual, express your answer in interval notation.)
- 3. Children who grow up in houses with books typically perform well on the SAT. Take b(x) to be a function whose input is "number of books in house" and output is "expected SAT score."
 - (a) What are the two types of local extrema? (Just tell me the words from class.)
 - (b) What does each type of local extremum mean, in the context of this function b?