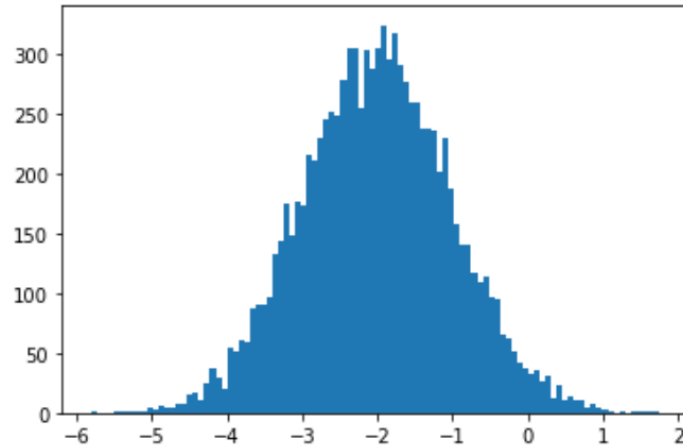


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OMSBA 5067 – ML for Business
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Lab 1

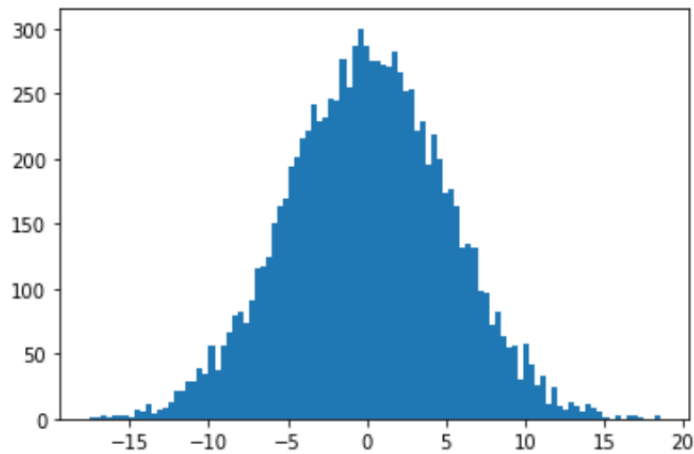
Step 5a:

$\mu = -2$ and $\sigma = 1$, obs = 10000



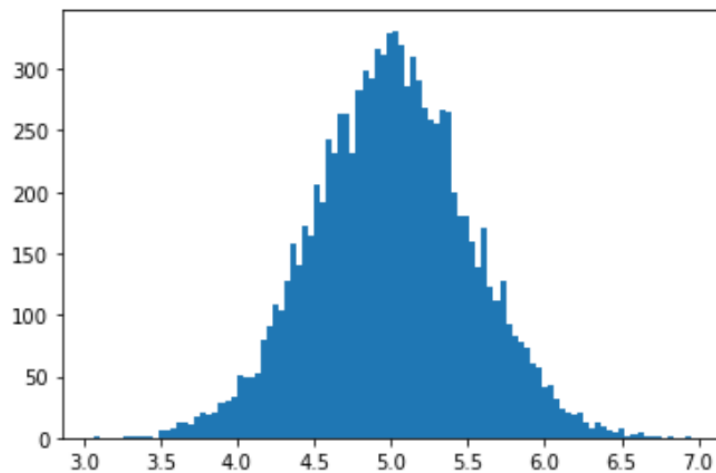
Step 5b:

$\mu = 0$ and $\sigma = 5$, obs = 10000



Step 5c:

$\mu = 5$ and $\sigma = 0.5$, obs = 10000



Step 7a:

```
In [7]: df_from_dict
Out[7]:
```

	Label	Fixed	Variable
0	big	1	2000
1	small	1	5
2	big	1	3000
3	small	1	4

```
In [8]: df_from_dict.T
Out[8]:
```

	0	1	2	3
Label	big	small	big	small
Fixed	1	1	1	1
Variable	2000	5	3000	4

I observed that 'df_from_dict.T' transposed the rows and columns in the data frame.

Step 7b:

```
In [19]: df_from_dict.describe()
Out[19]:
```

	Fixed	Variable
count	4.0	4.000000
mean	1.0	1252.250000
std	0.0	1497.500223
min	1.0	4.000000
25%	1.0	4.750000
50%	1.0	1002.500000
75%	1.0	2250.000000
max	1.0	3000.000000

I observed that 'df_from_dict.describe()' provided summary statistics of the data frame.

Step 9:

Generates three sets of numpy normal random numbers with means of -2, 0,
and +2, and with standard deviations equal to 1. Each set should contain
2000 random numbers.

```
R_neg2 = np.random.normal(-2, 5, 2000)  
R_zero = np.random.normal(0, 5, 2000)  
R_pos2 = np.random.normal(2, 5, 2000)
```

Puts these arrays in a dictionary with these keys: "R_neg2", "R_zero", and "R_pos2".

```
step_9_b = dict()  
step_9_b["R_neg2"] = np.array(R_neg2)  
step_9_b["R_zero"] = np.array(R_zero)  
step_9_b["R_pos2"] = np.array(R_pos2)
```

Converts the dictionary to a DataFrame, name it as "df"

```
df = pd.DataFrame(step_9_b)
```

```
In [66]: df  
Out[66]:
```

	R_neg2	R_zero	R_pos2
0	-2.960242	1.520506	0.553563
1	-1.717066	0.503570	2.089423
2	-1.615100	0.565199	1.185042
3	-1.683619	0.062338	1.821417
4	-1.834068	1.703496	0.995718
...
1995	-3.212412	0.390735	1.612982
1996	-2.096782	-0.263948	3.066223
1997	-1.428307	-2.495172	1.601978
1998	-1.297502	0.530318	1.388933
1999	-1.218693	-0.209089	1.539741

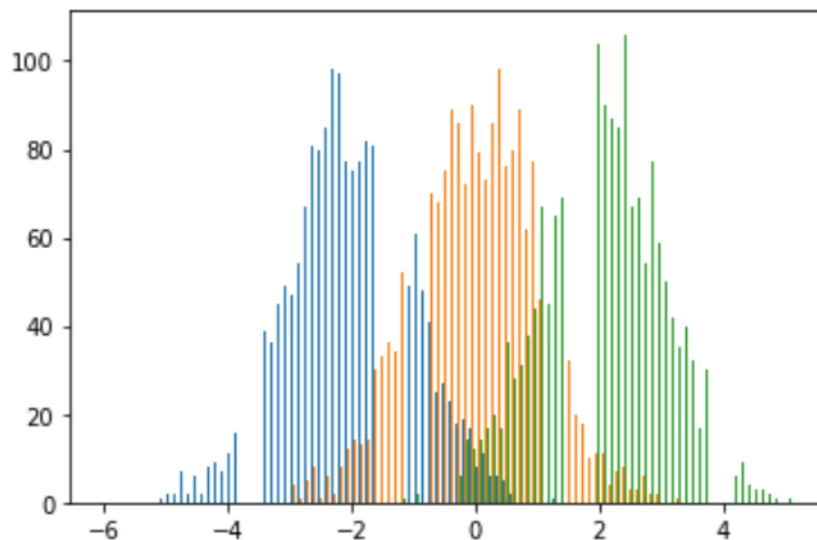
[2000 rows x 3 columns]

Calculates the statistics of each column (using describe())
df.describe()

```
In [65]: df.describe()
Out[65]:
```

	R_neg2	R_zero	R_pos2
count	2000.000000	2000.000000	2000.000000
mean	-2.038380	0.005726	2.008784
std	1.006312	0.996874	1.018358
min	-5.540003	-3.251841	-1.808037
25%	-2.723157	-0.679556	1.304424
50%	-2.056097	-0.030348	2.023008
75%	-1.363859	0.685595	2.705594
max	1.459809	3.349805	5.001620

```
# Plots the histogram of the three sets of numbers on a same graph.
plt.hist([R_neg2, R_zero, R_pos2], 100)
plt.show
```



```
all_low = np.where((df["R_neg2"]<=-2) & (df["R_zero"]<=-2) & (df["R_pos2"]<=-2))
all_high = np.where((df["R_neg2"]>=2) & (df["R_zero"]>=2) & (df["R_pos2"]>=2))
print("All Low Count: ",len(all_low[0])," All High Count: ",len(all_high[0]))
```

	std. dev = 1	std. dev = 2	std. dev = 3	std. dev = 4	std. dev = 5
all_low	0	1	18	48	81
all_high	0	4	25	43	75

As we increase the number of standard deviations, we see that both numbers for all_low and all_high increase along with the standard deviations. This occurs because when the number of standard deviations increase, the distribution widens, increasing the chances of including values lower than -2 and higher than 2. We see that with 5 standard deviations, this yields the highest amount of all_low and all_high. The counts of these numbers will be different each time we run the code since we are working with a random number generator.