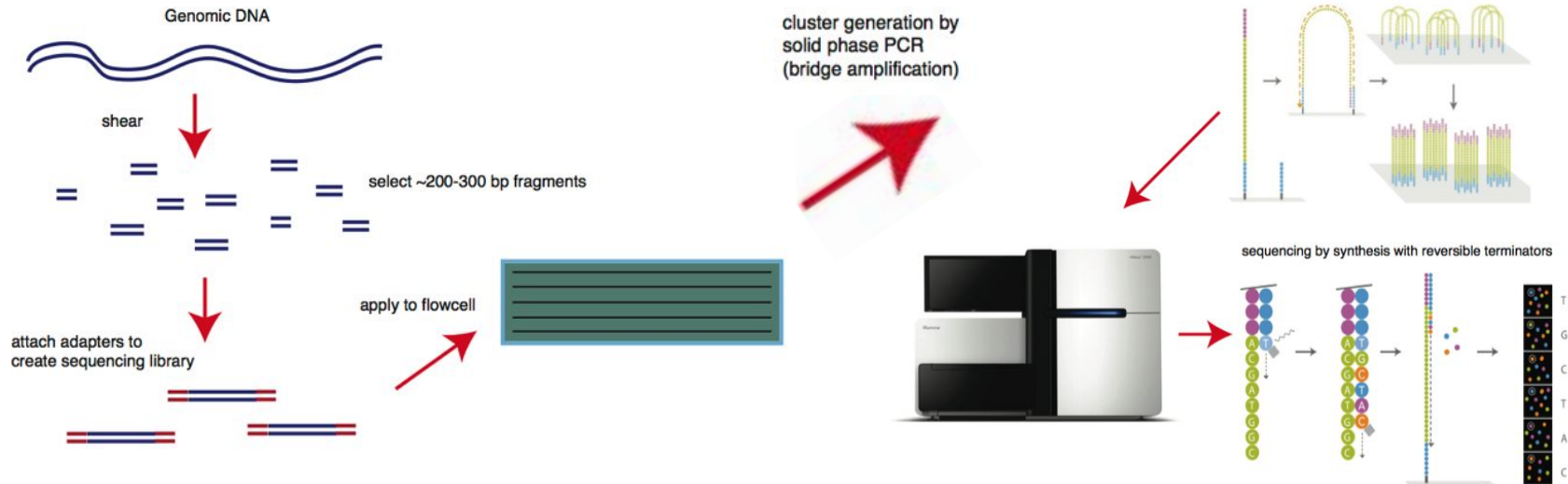


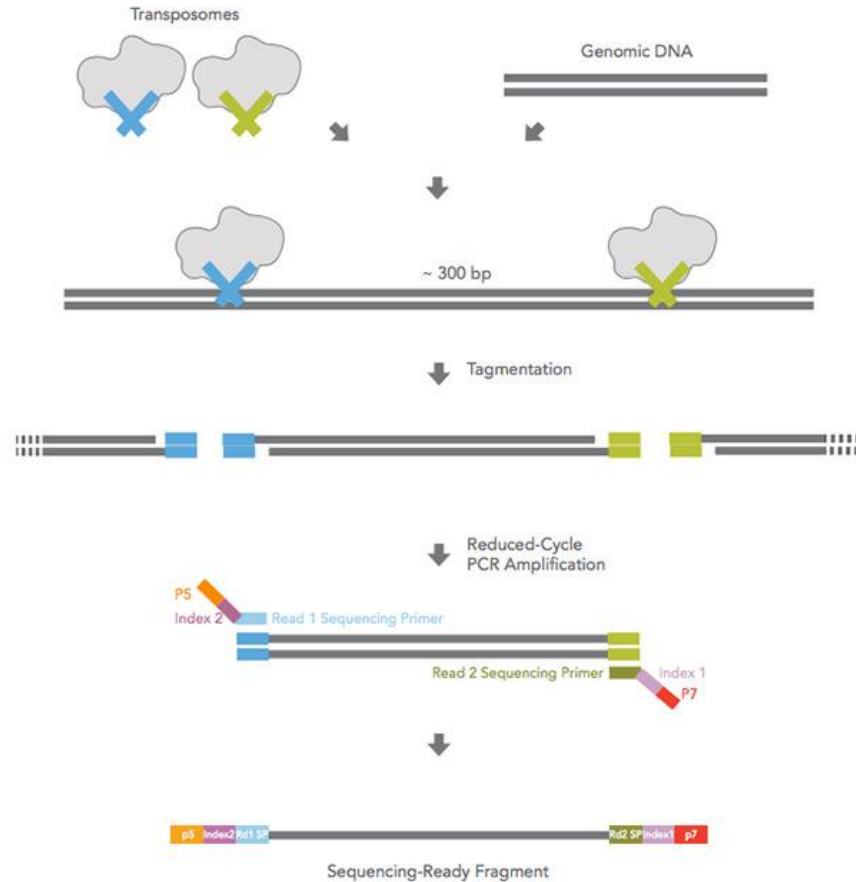
Illumina-sequencing emulator

Goal:

obtain a fast method of generating Illumina-like result of sequencing of the given genome



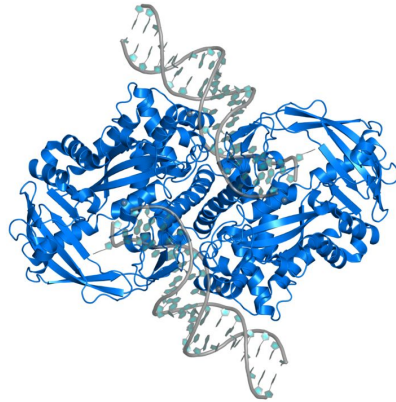
Transposon insertion fragmentation



First step conjecture:

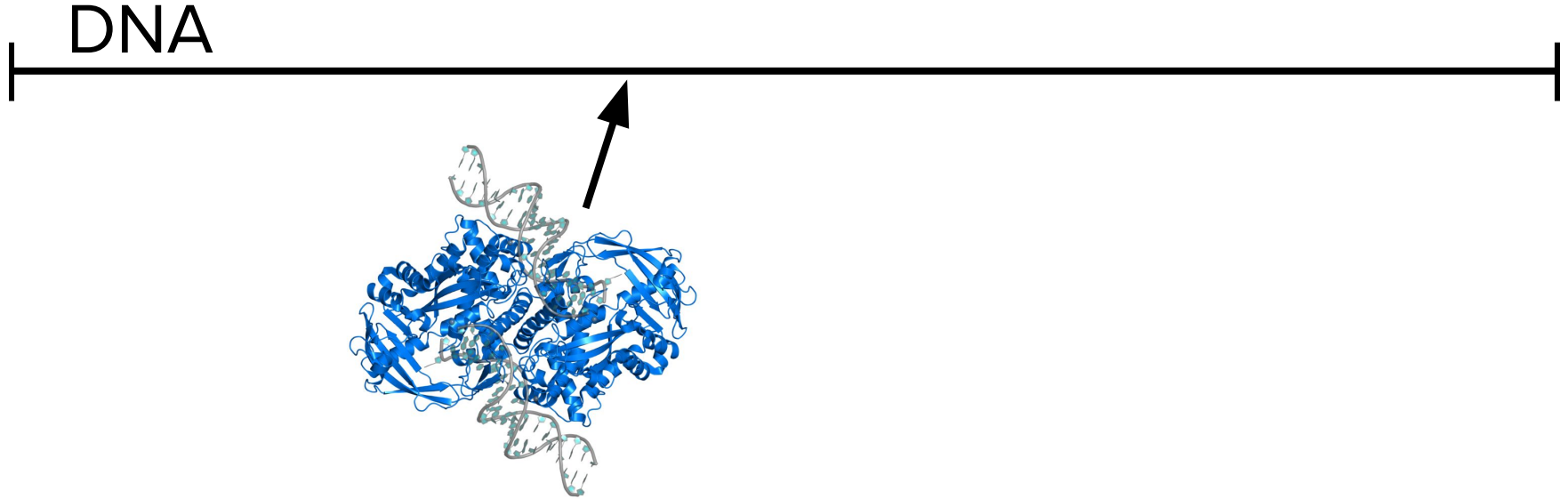
- uniformity of probability distribution of transposon landing site

DNA



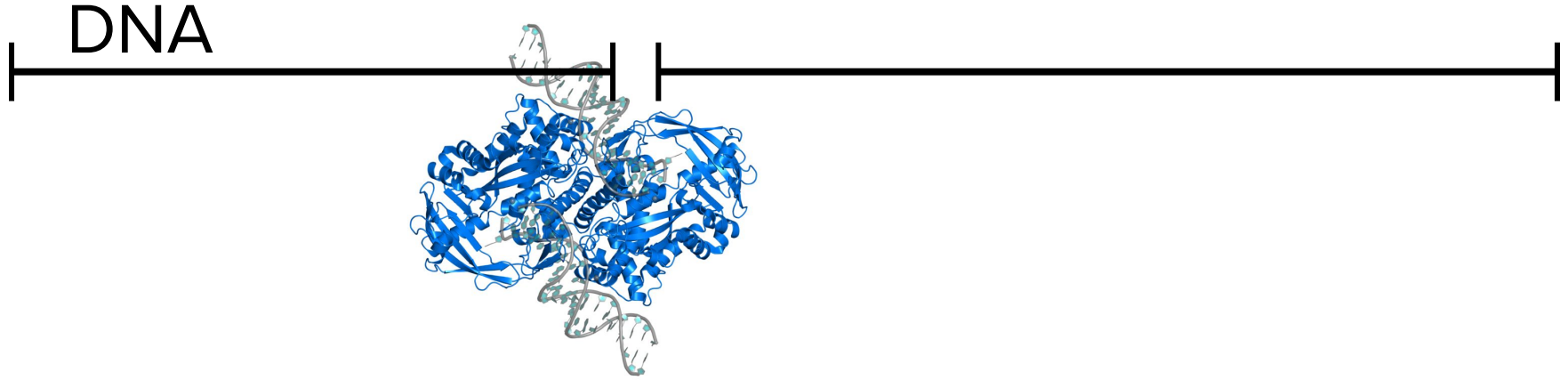
First step conjecture:

- uniformity of probability distribution of transposon landing site



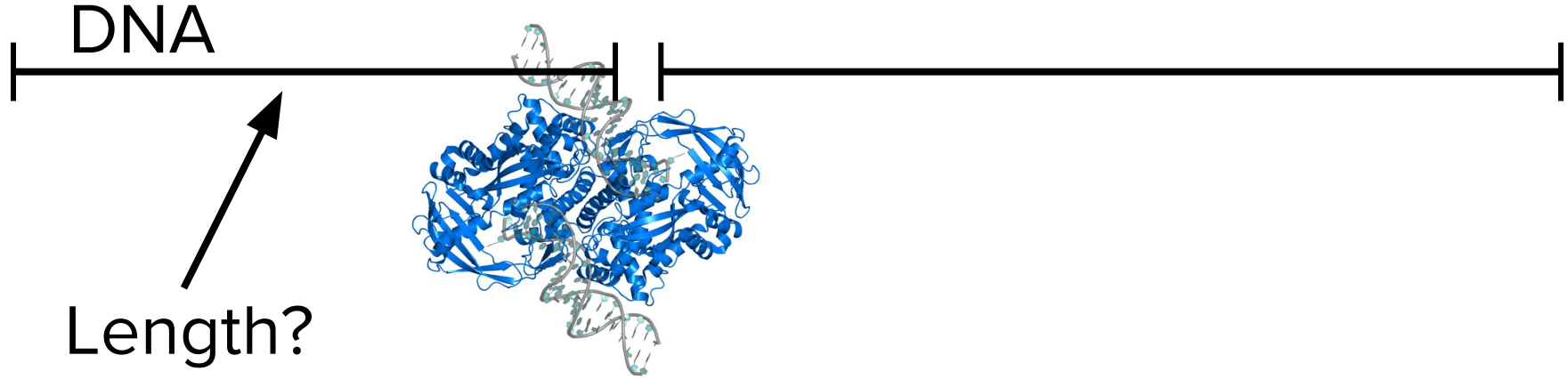
First step conjecture:

- uniformity of probability distribution of transposon landing site



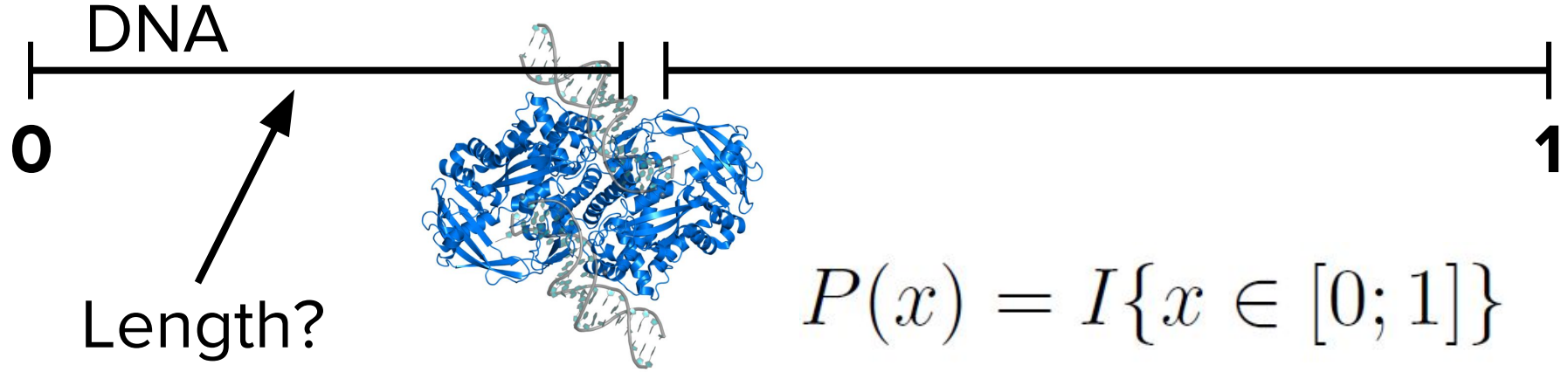
First step conjecture:

- uniformity of probability distribution of transposon landing site



First step conjecture:

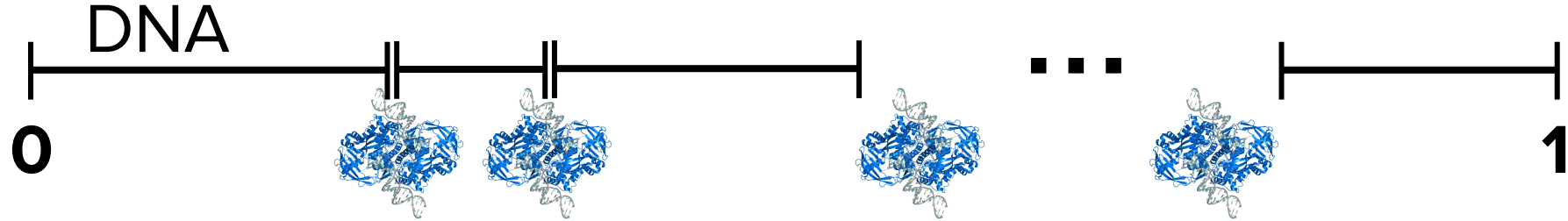
- uniformity of probability distribution of transposon landing site



$$\begin{aligned} P\{\text{Length} : \text{Length} > x\} &= 1 - P\{\text{Length} : \text{Length} \leq x\} = \\ &= 1 - \int_{-\infty}^x P(\tau) d\tau = \boxed{1 - x, \quad x \in [0, 1]} \end{aligned}$$

First step conjecture:

- uniformity of probability distribution of transposon landing site



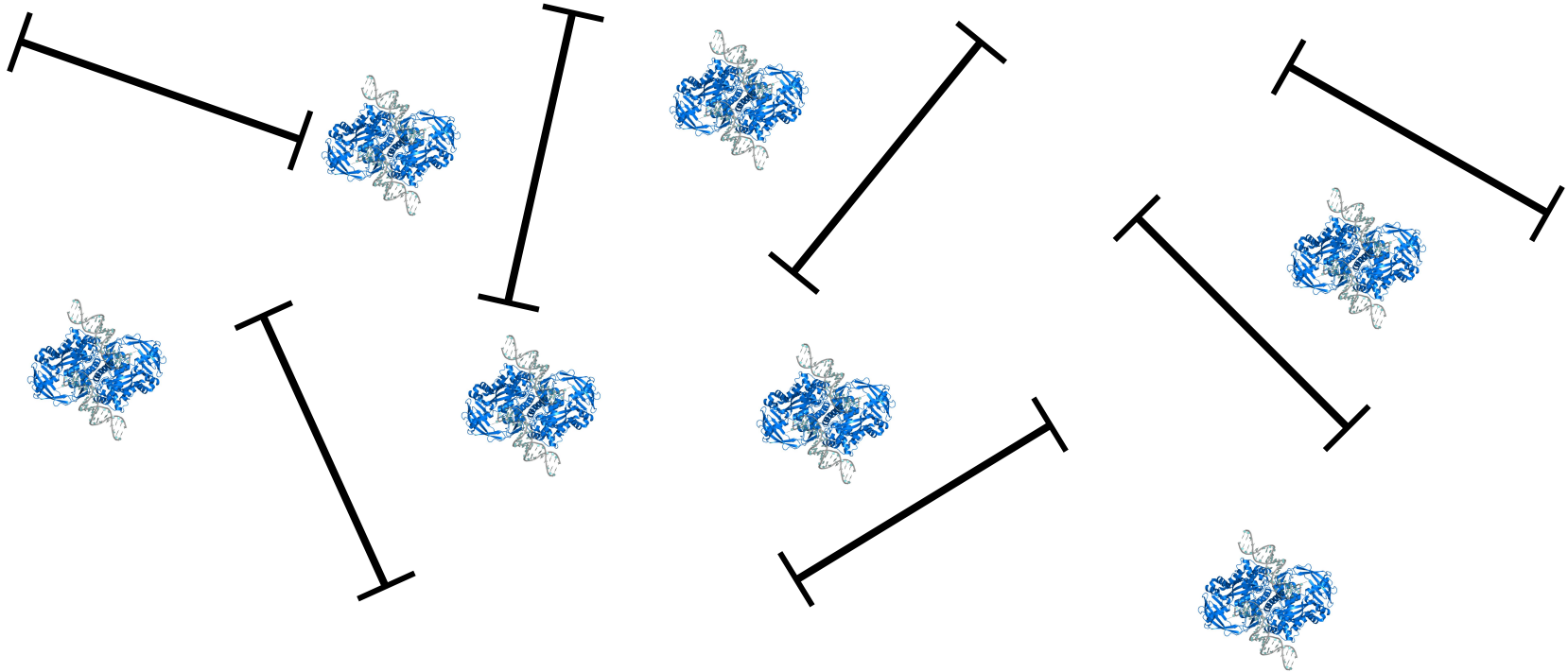
**What if N
transposons?**

$$P_N\{\text{Length} : \text{Length} > x\} = (1 - x)^N$$

$$P_N(x) = dF_N(x)/dx = -dP_N\{\text{Length} : \text{Length} > x\}/dx = \boxed{N * (1 - x)^{N-1}}$$

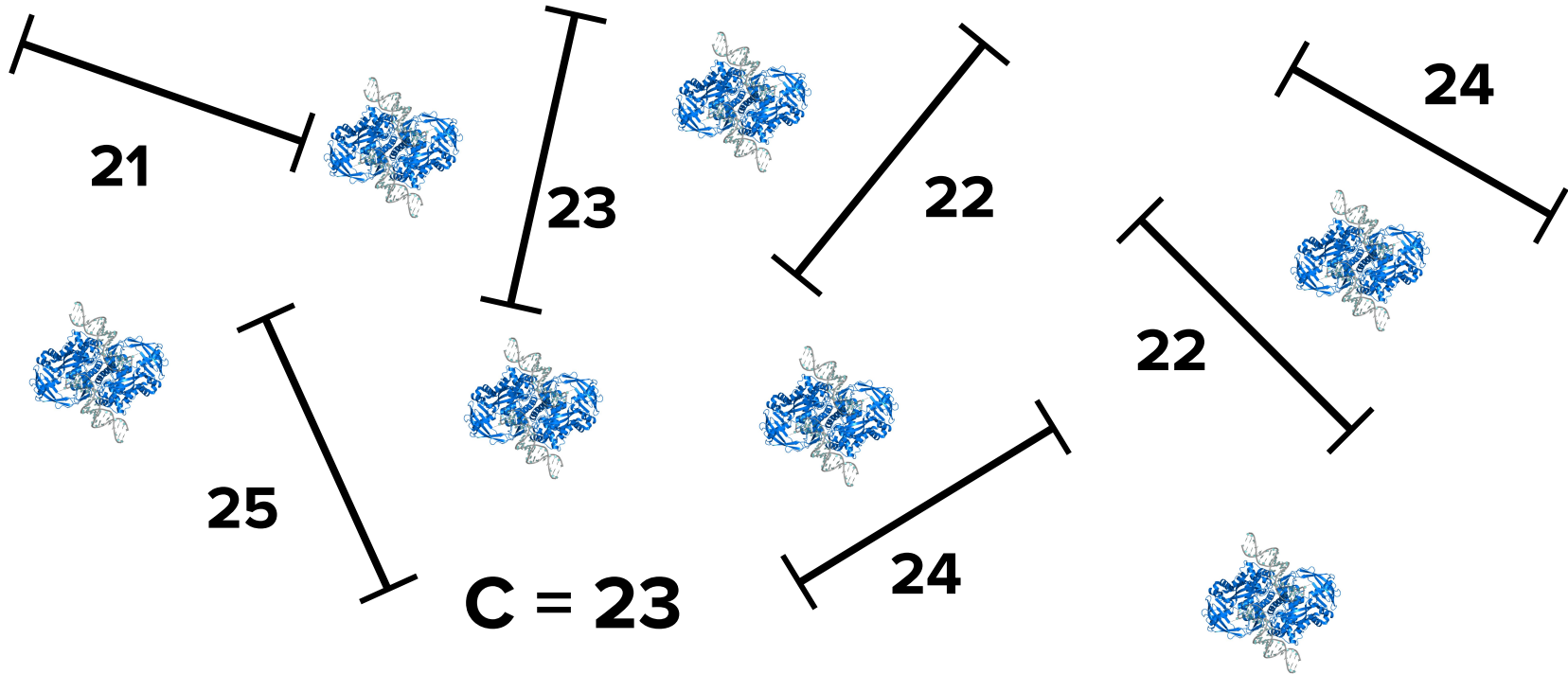
Second step conjectures:

- Concentration of transposons: C [number per DNA molecule]
- Number of cleavages per DNA is distributed according to Poisson



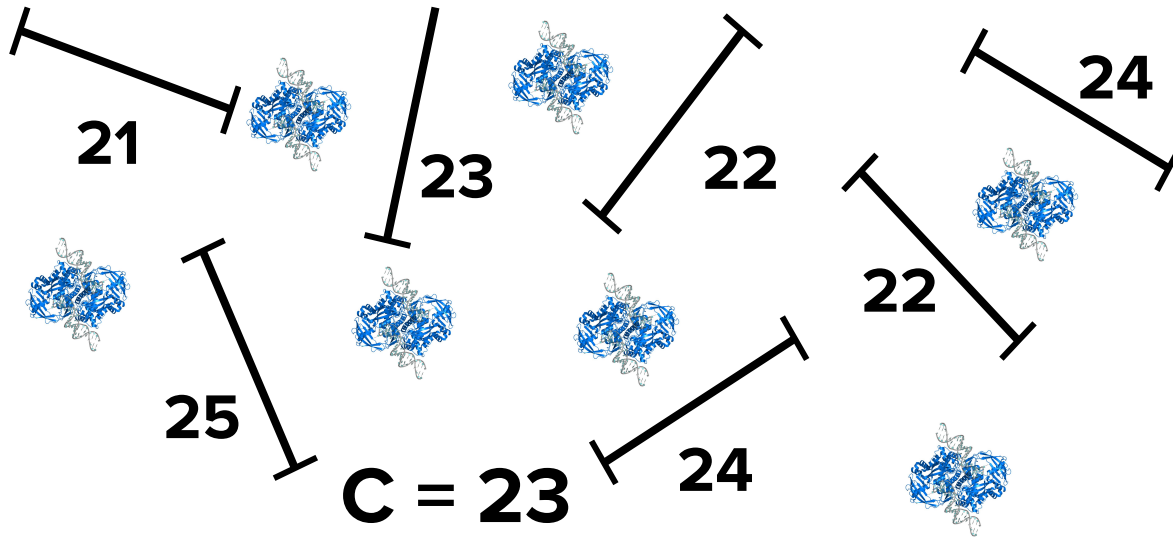
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Number of
cleavages:

Poisson(C)

$$P\{x = N\} = \frac{\exp(-C) * C^N}{N!}$$

Second step conjectures:

- Concentration of transposons: C [number per DNA molecule]
- Number of cleavages per DNA is distributed according to Poisson

$$P(x) = \sum_{N=0}^{+\infty} P(x|N)P(N) =$$

Number of
cleavages:

$$= \sum_{N=0}^{+\infty} N * (1 - x)^{N-1} * \frac{\exp(-C) * C^N}{N!} =$$

Poisson(C)

$$\boxed{= \exp(-C) + C * \exp(-C * x)}$$

$$P\{x = N\} = \frac{\exp(-C) * C^N}{N!}$$